

## Question 2: Relationships between the variables

- a) Compute the covariance and correlation matrices for the 7 variables. Is there any apparent structure in them? Save these matrices for future use.

For computing both matrices asked, it is enough to call the two functions associated with covariance and correlation, which are:

```
cov_matrix <- cov(dataset[, 2:8])  
cor_matrix <- cor(dataset[, 2:8])
```

being its output:

```
> cov_matrix  
      X2      X3      X4      X5      X6      X7      X8  
X2 0.15531572 0.3445608 0.8912960 0.027703564 0.08389119 0.23388281 4.334178  
X3 0.34456080 0.8630883 2.1928363 0.066165898 0.20276331 0.55435017 10.384988  
X4 0.89129602 2.1928363 6.7454576 0.181807932 0.50917683 1.42681579 28.903731  
X5 0.02770356 0.0661659 0.1818079 0.007546925 0.02141457 0.06137932 1.219655  
X6 0.08389119 0.2027633 0.5091768 0.021414570 0.07418270 0.21615514 3.539837  
X7 0.23388281 0.5543502 1.4268158 0.061379315 0.21615514 0.66475793 10.706091  
X8 4.33417757 10.3849876 28.9037314 1.219654647 3.53983732 10.70609113 270.270150  
> cor_matrix  
      X2      X3      X4      X5      X6      X7      X8  
X2 1.0000000 0.9410886 0.8707802 0.8091758 0.7815510 0.7278784 0.6689597  
X3 0.9410886 1.0000000 0.9088096 0.8198258 0.8013282 0.7318546 0.6799537  
X4 0.8707802 0.9088096 1.0000000 0.8057904 0.7197996 0.6737991 0.6769384  
X5 0.8091758 0.8198258 0.8057904 1.0000000 0.9050509 0.8665732 0.8539900  
X6 0.7815510 0.8013282 0.7197996 0.9050509 1.0000000 0.9733801 0.7905565  
X7 0.7278784 0.7318546 0.6737991 0.8665732 0.9733801 1.0000000 0.7987302  
X8 0.6689597 0.6799537 0.6769384 0.8539900 0.7905565 0.7987302 1.0000000
```

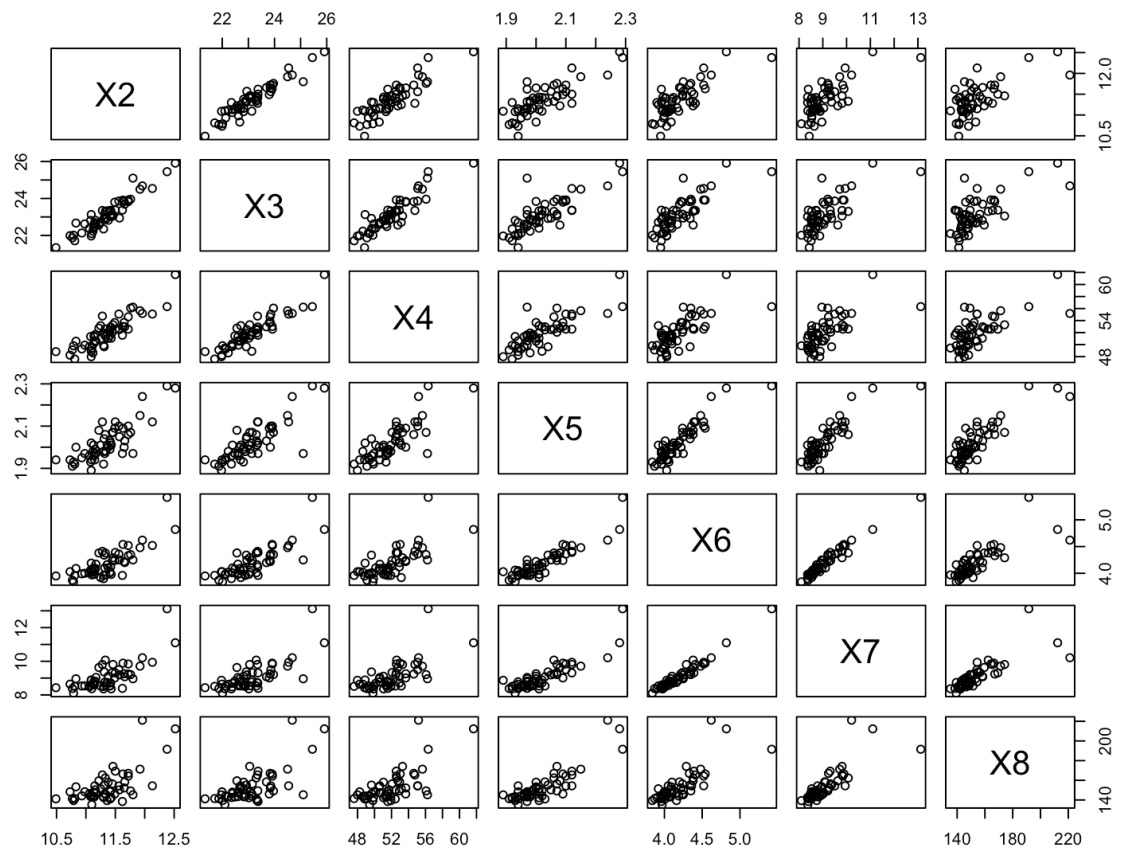
Those results highlight the symmetry of both matrices. Furthermore, from this particular dataset shows how only looking to the covariance matrix a strong relationship between X8 and the rest of the variables could be inferred, but then the correlation matrix turns down the hypothesis.

- b) Generate and study the scatterplots between each pair of variables. Any extreme values?

These scatterplots can be generated by the following command:

```
pairs(dataset[, 2:8])
```

which returns the following figure:

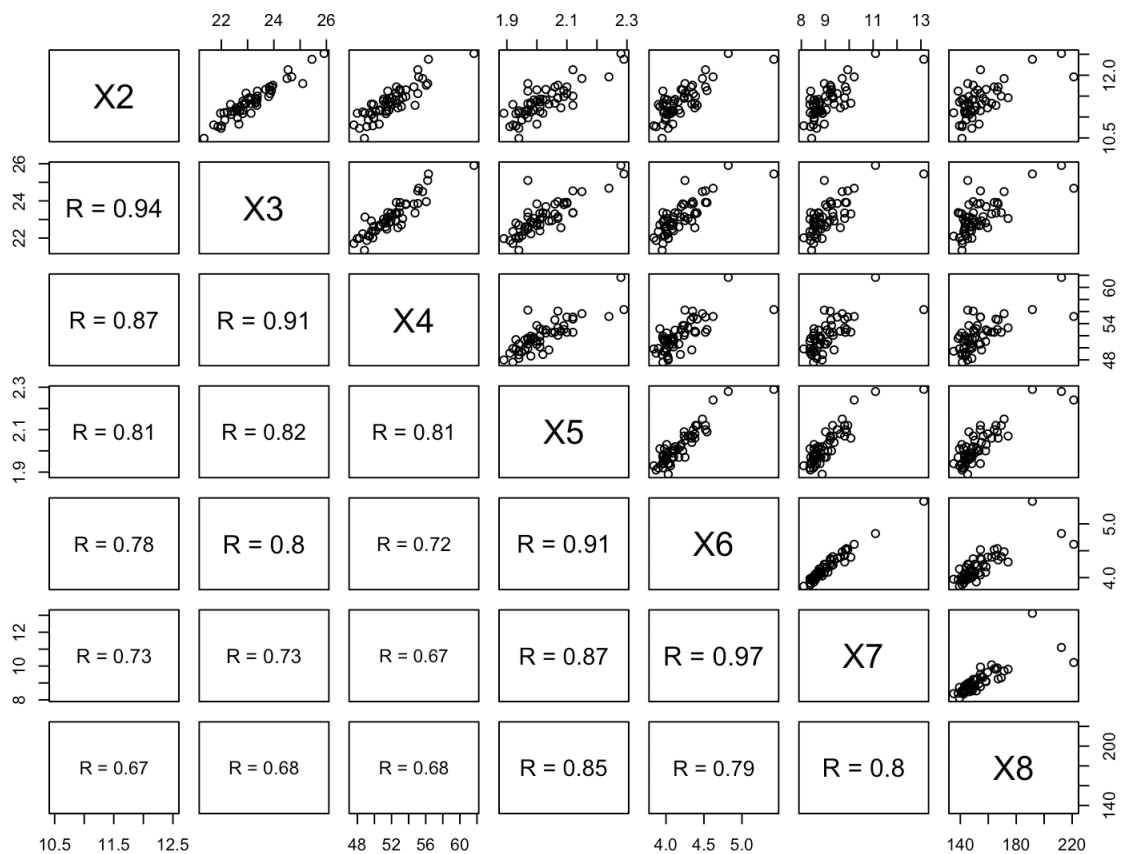


Deducing the strongest and weakest relationship from this plot could mean a hard job, but the arguments of the previous function can be slightly modified in order to facilitate the work:

```
panel.cor <- function(x, y){
  usr <- par("usr"); on.exit(par(usr))
  par(usr = c(0, 1, 0, 1))
  r <- round(cor(x, y), digits=2)
  txt <- paste0("R = ", r)
  cex.cor <- 0.8/strwidth(txt)
  text(0.5, 0.5, txt, cex = cex.cor * r)
}

pairs(dataset[, 2:8], lower.panel = panel.cor)
```

The *panel.cor* function calculates the correlation between two certain variables and associates a font size to it. The new figure looks like the following:



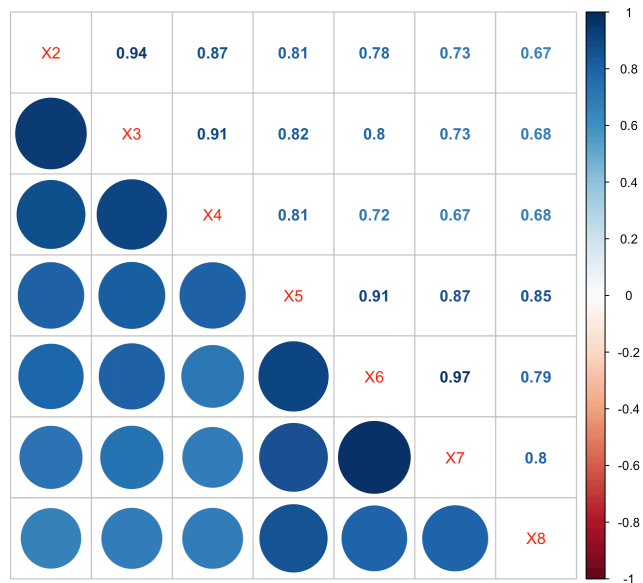
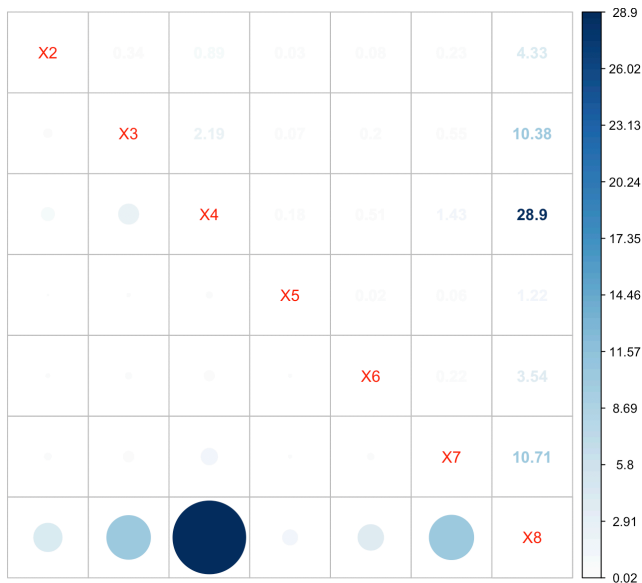
- c) Explore what other plotting possibilities R offers for multivariate data. Present other (at least two) graphs that you find interesting with respect to this data set.

R offers interesting option for plotting a multivariate dataset. Including the needed libraries, three attractive figures are shown. If the following code is typed:

```
library(corrplot)
library(ellipse)

corrplot.mixed(cov_matrix, is.corr = FALSE, upper = "number", lower = "circle")
corrplot.mixed(cor_matrix, upper = "number", lower = "circle")
plotcorr(cor_matrix, type="lower", diag=FALSE, main="Bivariate correlations")
```

These three functions respectively return the next plots:



Bivariate correlations

