

Ground segment

→ Types of Earth station

→ Subsystems of ES

→ Antenna subsystems

→ Measurement techniques of EIRP, G/T ratio

Earth station / Earth terminal

- ① mobile → Ground → Fixed
 - maritime
 - Aero
 - Handheld → walking
 - Railway
 - Transportable } stop, point
 - Portable } communicate
- ② DTH → Fixed → Rx only
- ③ VSAT → Tx / Rx
- ④ automatic weather station, Data collection point → Tx only

Earth station component

① Antenna, LNA, HPA, downconverter, upconverter & modem

② HPA size ranges from 2-500 W

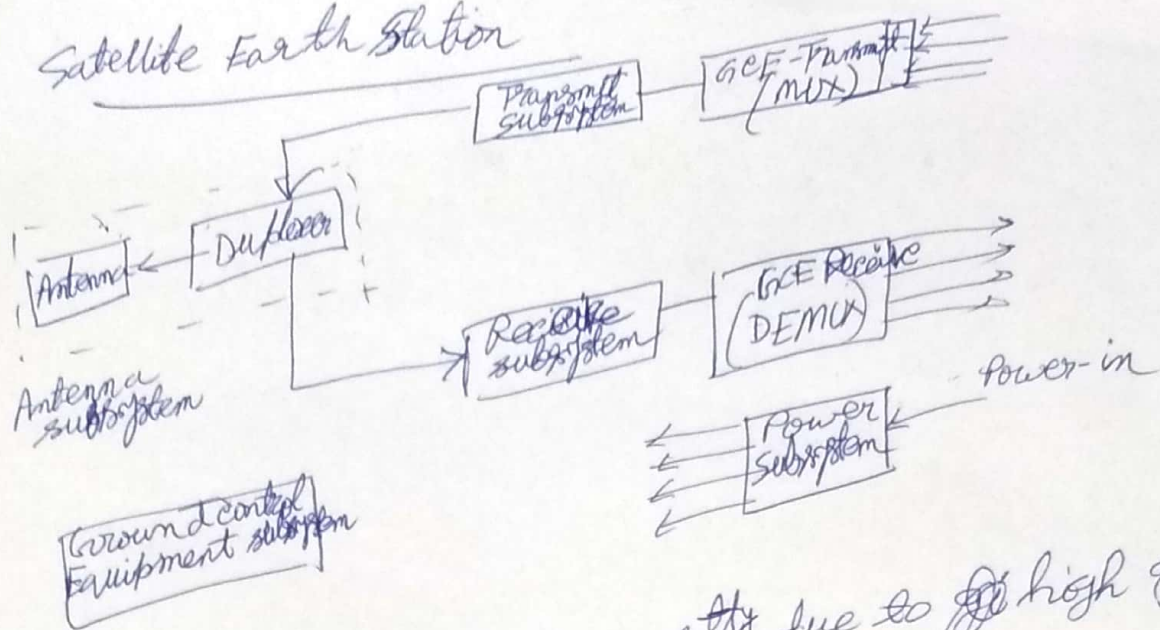
③ Antenna size - 1.8 - 4.8 m

④ interfaces to customer's equipment directly or connects to terrestrial n/w via microwave, fiber or copper wire.

Earth station design objectives

- ① Reliability & availability
- ② Link budget consideration
- ③ customer driven objective
- ④ special consideration

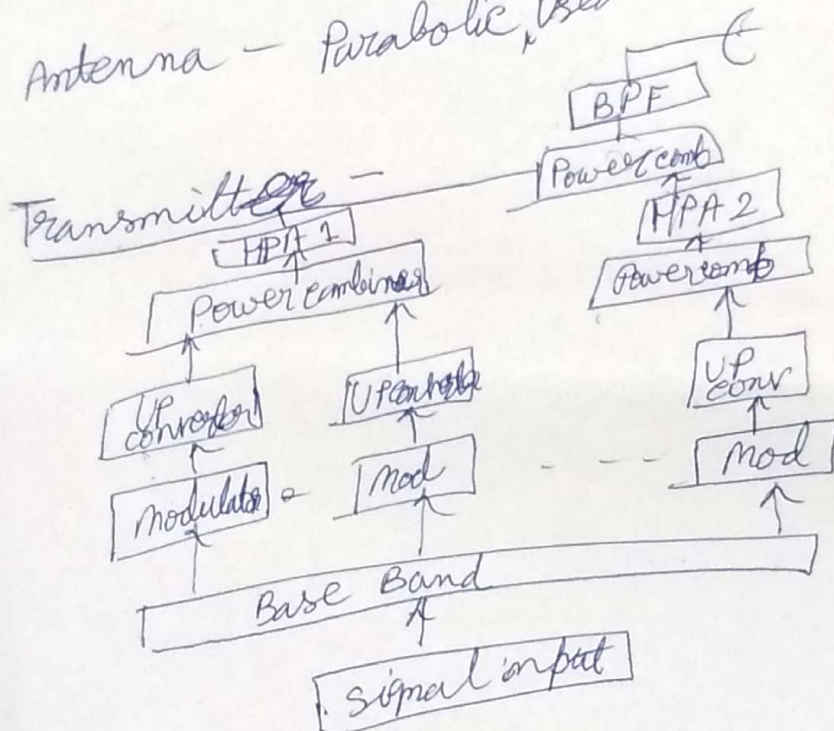
Satellite Earth Station



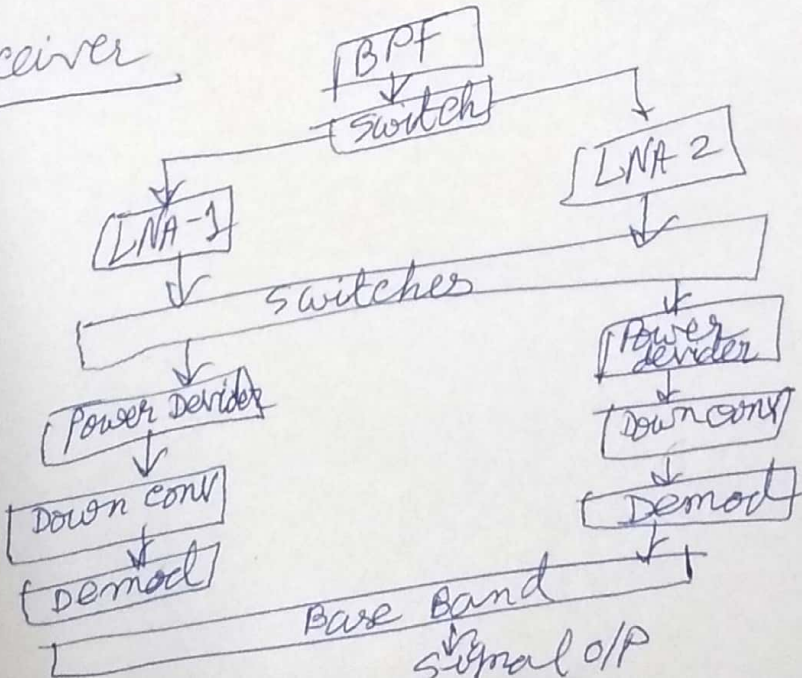
Antenna - Parabolic, Used antenna mostly due to high gain

Tracking subsystem

- ① Fixed-pointing only
- ② occasional re-point
- ③ step tracking
- ④ Programmed
- ⑤ Fully automatic



Receiver



Satellite link Design

Critical parameter ① Weight, Dimension, freq band
Weight $\uparrow \rightarrow$ cost \uparrow

① Dimension — To fit spacecraft to launch vehicle
 \rightarrow Geo sat have deployable solar panels & antenna
 \rightarrow But antenna reflectors are not folded, so required space
 \rightarrow Hence antennas are limiting factor for performance

② Weight — Driven by 2 factors —

- ~~Number~~ and Pout of transponders
- Station-keeping fuel (Half of total weight of sat to ~~serve~~ 15 years)

③ Choice of freq band

\rightarrow Rain and atmospheric attenuation minimum

at 6/4 GHz

\rightarrow It is worst with increase in freq
Att_{rain} (dB) \propto freq²

\rightarrow GEO sat can be placed in every 2°.

\Rightarrow LEO, MEO: \rightarrow No of sat required is more
 \rightarrow position of sat changed frequently — so
omnidirectional antenna is used to receive signal

Satellite Design parameter

(2)

Bit error rate (BER) in digital link

Signal-to-noise ratio (S/N) in analog link

major term used \rightarrow Carrier-to-noise ratio (C/N)
at i/p of receiver demodulator ~~DP~~ (After receiving antenna)

Overall C/N ratio \rightarrow depends of both uplink & downlink C/N ratio

receiver is noiseless \rightarrow No change in C/N ratio at receiver o/p

Design equation

Transmitter power $\rightarrow P_t$ in free space in all direction (isotropic source)

Distance $\rightarrow R$ meter

Flux density crossing surface of sphere with radius $R \rightarrow F = \frac{P_t}{4\pi R^2} \text{ W/m}^2$

Real antenna \rightarrow directive
let Gain $\rightarrow G(\theta) = \frac{P(\theta)}{P_0/4\pi}$

$P(\theta) \rightarrow$ Power radiated per solid angle by antenna

$P_0 \rightarrow$ Total power radiated by antenna

$\theta \rightarrow$ choose to be the direction in which max power radiated \rightarrow boresight direction of antenna

so Flux density $F = \frac{P_t G_t}{4\pi R^2} \text{ W/m}^2$

$G_t \rightarrow$ gain of lossless antenna

$P_t G_t \rightarrow$ Effective isotropically radiated power \rightarrow EIRP

Receiving antenna power $P_R = F \times A$ watts

• $A \rightarrow$ Aperture area of receiving antenna

If $A_R \rightarrow$ Physical aperture area of antenna

$A_E \rightarrow$ Effective aperture area [after reflected back some incident energy and some energy absorbed by lossy components]

$\eta_A \rightarrow$ aperture efficiency of antenna (50-75%)
Horn antenna $\rightarrow 90\%$

so, $A_E = \eta_A A_R$

$$P_R = \frac{P_t G_t A_E}{4\pi R^2} \text{ watts}$$

Equation is freq independent as G_t & $A_E \rightarrow$ constant within a given band

Relation between gain & area of antenna \rightarrow
 $G = \frac{4\pi A_E}{\lambda^2}$ $\lambda \rightarrow$ freq of operation wavelength (in meter)

$$\Rightarrow P_R = \frac{P_t G_t G_R}{(4\pi R/\lambda)^2} \text{ watts}$$

$$\text{Power received} = \frac{\text{EIRP} \times \text{receiving antenna gain}}{\text{Path loss}} \text{ watts}$$

$$P_R = \text{EIRP} + G_R - L_P \text{ dBW}$$

$$P_R = 10 \log \left(\frac{P_t G_t}{\text{dBW}} \right) + \frac{10 \log (4\pi A_E / \lambda^2)}{\text{dB}} - \frac{20 \log (4\pi R / \lambda)}{\text{dB}}$$

$$P_R = \text{EIRP} + G_R - L_P - L_a - L_{ta} - L_{ra} \text{ dBW}$$

$L_a \rightarrow$ Attenuation in atmosphere

$L_{ta} \rightarrow$ Losses associated with trans antenna

$L_{ra} \rightarrow$ Losses associated with receive antenna

Satellite system noise temperature (4)

noise temperature \rightarrow Thermal noise generated by active & passive devices in receiving system

noise power general equation for a black body

$$P_n = k T_p B_n \quad \dots \text{ watts}$$

$k \rightarrow$ Boltzmann's constant $= 1.39 \times 10^{-23} \text{ J/K}$

$T_p \rightarrow$ Physical temp of source in kelvin degrees

$B_n \rightarrow$ Noise Bandwidth (Hz)

$k T_p \rightarrow$ noise spectral density (W/Hz)

\rightarrow constant for all radio freq upto 300 GHz

* If noise Bandwidth is unknown, use 3dB Bandwidth of receiver \rightarrow error introduced is less

Noise power at demodulator input of a noiseless receiver is -

$$P_{no} = k T_s B_n G_{rx} \quad \text{W}$$

$T_s \rightarrow$ system noise temperature at i/p of noiseless receiver

$G_{rx} \rightarrow$ Gain of receiver from RF i/p to demod i/p

carrier to noise ratio at demodulator is -

$$C/N = \frac{P_n G_{rx}}{k T_s B_n G_{rx}} = \frac{P_n}{k T_s B_n}$$

$P_n G_{rx} \rightarrow$ signal power delivered at demod i/p

Noise figure and Noise temperature

$$NF = \frac{(S/N)_{in}}{(S/N)_{out}}$$

conversion of NF to noise temperature

$$T = T_0 (NF - 1)$$

$T_0 \rightarrow$ ref temp to calculate standard NF $\rightarrow 290K$

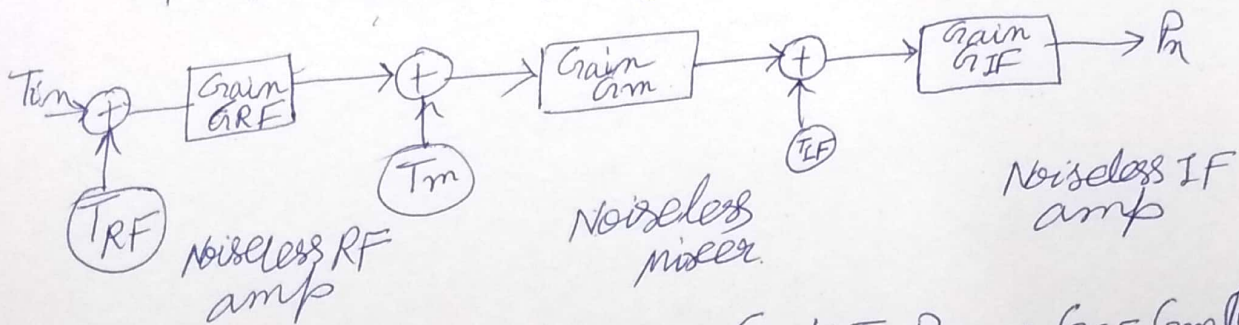
G/T ratio of earth station

$$\frac{C}{N} = \frac{P_n G_{rx} G_{tx}}{k T_s B_n} \left[\frac{\lambda}{4\pi R} \right]^2 = \frac{P_n G_{tx}}{k B_n} \left[\frac{\lambda}{4\pi R} \right]^2 \left[\frac{G_{rx}}{T_s} \right] \Rightarrow \frac{C}{N} \propto \frac{G_{rx}}{T_s}$$

Calculation of system noise Temperature

(5)

Noise model of receiver -



$$P_n = G_{IF} K T_{IF} B_n + G_{IF} G_m K T_m B_n + G_{IF} G_m G_{RF} K B_n (T_{RF} + T_m)$$

$$P_n = G_{IF} G_m G_{RF} K B_n \left[T_{RF} + T_m + \frac{T_m}{G_{RF}} + \frac{T_{IF}}{G_{RF} G_m} \right]$$

$$P_n = G_{IF} G_m G_{RF} K B_n T_s$$

$$T_s = \left[T_m + T_{RF} + \frac{T_m}{G_{RF}} + \frac{T_{IF}}{G_m G_{RF}} \right]$$

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```

```

graph TD
    Sal[Sal] --> L1[()]
    Sal --> R1[()]
  
```


Q1 An earth station antenna has a dia of 30m & overall efficiency of 68%. It is used to receive a signal at 4150 MHz. At this freq system noise temp is 79K when antenna points at the sat at an elevation angle of 28°. What is earth station G/T ratio under these conditions. If heavy rain causes the sky temp to increase so that the system noise temp is 88K. What is the new G/T value?

$$\text{Antenna gain } G_R = \frac{\eta_A 4\pi A_e}{\lambda^2} = \frac{0.68 \times \pi \times (30)^2}{(0.072)^2} \eta_A \left(\frac{A_D}{\lambda}\right)^2$$

$$= 1.16 \times 10^6 = 60.6 \text{ dB}$$

$$T_s = 10 \log 79 = 19 \text{ dB}$$

$$G/T = 60.6 - 19 = 41.6 \text{ dB/K}$$

$$G/T \text{ at } 88 \text{ K} = 60.6 - 19.4 = 41.2 \text{ dB/K}$$

Q2 A transponder of Ku-band sat has linear gain of 127 dB and a nominal dF power at saturation is 5W. The sat's 14 GHz receiving antenna has gain of 26 dB on axis. Calculated power O/P of uplink transmitter that gives power O/P of 1W from sat transponder at $f = 14.45 \text{ GHz}$. If ES antenna gain = 50 dB, wave loss of 1.5 dB between antenna & transmitter. Atmos loss = 0.5 dB, ES ~~loss~~ antenna contour loss = -2 dB. If rain in path attenuates 7 dB for 0.01% of year, what power rating is required for Tx to guarantee 1W O/P from sat transponder for 99.99% of year.

$$\text{Uplink budget } P_r = EIRP + G_R - L_P - L_{at} - L_{Ta} - L_{ra}$$

$$P_t = P_r - G_R - L_P + L_{Ta} + L_{at} - L_{ra}$$

Q) In a sat comm link uplink carrier-to-noise ratio is 25 dB, whereas for downlink it is 20 dB. Find overall (C/N) ratio.

$$\left(\frac{C}{N}\right)_T^{-1} = \left[\left(\frac{C}{N}\right)_U^{-1} + \left(\frac{C}{N}\right)_D^{-1}\right]^{-1}$$

$$\left(\frac{C}{N}\right)_T = \left[\frac{1}{316.22} + \frac{1}{100}\right]^{-1}$$

$$25 \text{ dB} = 316.22$$

$$20 \text{ dB} = 100$$

Q) Calculate the noise temperature of a 6 GHz receiver system having following data

$$T_{in} = 75 \text{ K}, T_{RF} = 75 \text{ K}, T_m = 400 \text{ K} \rightarrow T_{IF} = 1000 \text{ K}$$

$$G_{RF} = 23 \text{ dB}, G_m = 0 \text{ dB}, G_{IF} = 35 \text{ dB}$$

$$\text{system noise temp} = T_s = \left[T_{RF} + T_{in} + \frac{T_m}{G_{RF}} + \frac{T_{IF}}{G_m G_{RF}} \right]$$

Q) A sat at a dis of 36000 km from the surface of earth radiates power of 4 W from an antenna of gain 15 dB. Find flux density & power received by antenna with effective area 12 m². If the receiving antenna has a gain of 50 dB, then calculate the received power.

$$\text{Flux density of power received at antenna } F = \frac{P_t G_t}{4\pi r^2} \text{ W/m}^2$$

$$= 7.77 \times 10^{-15} \text{ W/m}^2$$

$$\text{Power received by receiving antenna} = P_R = F \times A_e$$

$$= 0.093 \times 10^{-12} \text{ W}$$

$$\text{Power at o/p of receiving antenna} = P_R G_R = 0.093 \times 10^{-7}$$