

# Dijkstra's Algorithm

**Dijkstra's algorithm** is an algorithm we can use to find shortest distances or minimum costs depending on what is represented in a graph. The steps to this algorithm are as follows:

## Algorithm rundown :

Here's how the algorithm is implemented:

1. Mark all nodes as *unvisited*.
2. Mark the selected **initial** node with a *current* distance of **0** and the rest with **infinity**.
3. Set the **initial node** as **current node**.
4. For the **current node**, consider all of its **unvisited** neighbors and calculate their distances by adding the *current* distance of **current node** to the *weight* of the *edge* connecting **neighbor node** and **current node**.
5. Compare the newly calculated distance to the current distance assigned to the **neighboring node** and set it as the **new current** distance of **neighboring node**.
6. When done considering all of the **unvisited neighbors** of the **current node**, mark the **current node** as **visited**.
7. If the **destination node** has been marked **visited** then stop. The algorithm has finished.
8. Otherwise, select the **unvisited** node that is marked with the **smallest** distance, set it as the new **current node**, and go back to **step 4**.

## Pseudo Code :

```
function Dijkstra(Graph, source):  
  
    for each vertex v in Graph: // Initialization  
        dist[v] := infinity // initial distance from source to vertex v is set to infinite  
        previous[v] := undefined // Previous node in optimal path from source  
  
    dist[source] := 0 // Distance from source to source  
  
    Q := the set of all nodes in Graph
```

```
while Q is not empty: // main loop

    u := node in Q with smallest dist[ ]
    remove u from Q

    for each neighbor v of u: // where v has not yet been removed from Q.
        alt := dist[u] + dist_between(u, v)
        if alt < dist[v] // Relax (u,v)
            dist[v] := alt
            previous[v] := u

return previous[ ]
```