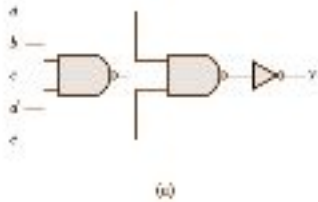


ASSIGNMENT 2

- Simplify the following Boolean expressions to number of literals specified and draw logic diagrams of the circuits that implement the original and simplified expressions.
 - $(x'y' + z)' + z + xy + wz$ to three literals
 - $A'B(D' + C'D) + B(A + A'CD)$ to one literal
- Simplify the following Boolean functions T_1 and T_2 to a minimum number of literals:

A	B	C	T_1	T_2
0	0	0	1	0
0	0	1	1	0
0	1	0	1	0
0	1	1	0	1
1	0	0	0	1
1	0	1	0	1
1	1	0	0	1
1	1	1	0	1

- Obtain the truth table of the following functions, and express each function in sum-of-min-terms and product-of-maxterms form $(b + cd)(c + bd)$
- Express the following function as a sum of minterms and as a product of maxterms:
 - $F(A, B, C, D) = B'D + A'D + BD$
 - $F(u, v, w, x) = (u + xw)(x + u'v)$
 - $F(x, y, z) = x' + x(x + y')(y + z')$
- Express the complement of the following functions in sum-of-minterms form:
 - $F(A, B, C, D) = \Sigma(3, 5, 9, 11, 15)$
 - $F(x, y, z) = \Pi(2, 4, 5, 7)$
- Show that the exclusive-OR operation is commutative and associative. Also show that its dual is equal to its complement.
- Write Boolean expressions and construct the truth tables describing the output of the circuits described by the logic diagrams in Fig below:



- Given the Boolean functions F_1 and F_2 , show that
 - The Boolean function $E = F_1 + F_2$ contains the sum of minterms of F_1 and F_2 .
 - The Boolean function $G = F_1F_2$ contains only the minterms that are common to F_1 and F_2
- Implement the Boolean function $F = xy + x'y' + y'z$ using OR and inverter gates.
- The logical sum of all minterms of a Boolean function of n variables is 1.
 - Prove the previous statement for $n = 3$.
 - Suggest a procedure for a general proof.