# Welcome!

Data Science 281 — Spring 2023

#### Introductions

Preferred name & pronouns

Geographic location

Professional background

Experience with computer vision

Favorite photo you've taken

#### Introductions

Preferred name & pronouns – Rachel Brown (she/her)

Geographic location - Portland, Oregon

Professional background – Research, Human Perception & Computer Graphics

Experience with computer vision – Basically my day job (NVIDIA)

Favorite photo I've taken:



#### Introductions

Preferred name & pronouns

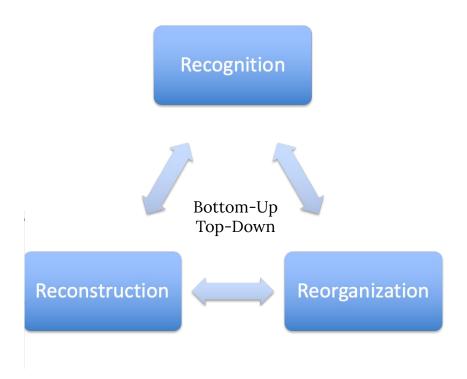
Geographic location

Professional background

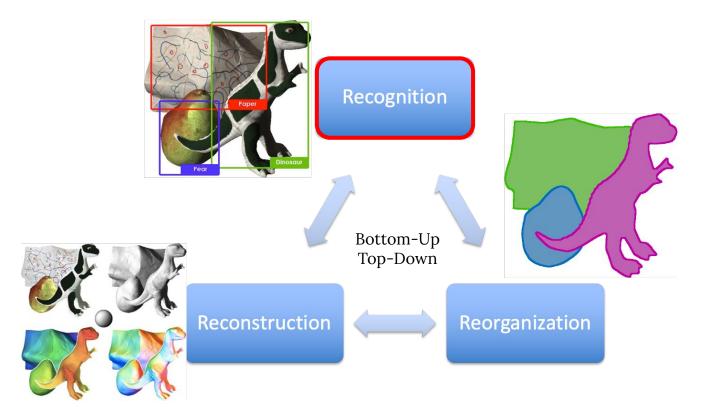
Experience with computer vision

Favorite photo you've taken

### What is computer vision?



# What is computer vision?



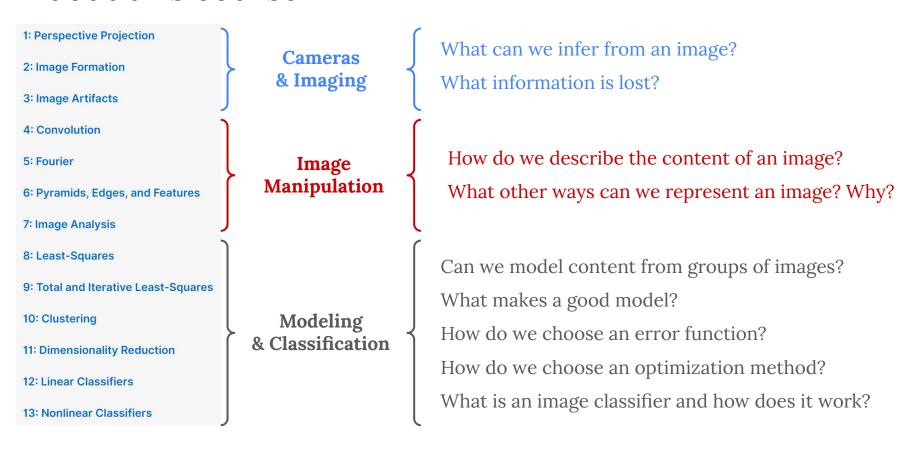
### About this course

Cameras & Imaging

Image Manipulation

Modeling & Classification

#### About this course



### Prerequisites

Linear Algebra – please review the MIDS 1A Linear Algebra course in preparation for this course

Programming – we will use Python for all examples, exercises, and assignments

DATASCI 207 – familiarity with machine learning techniques will be helpful but not required

#### Class Structure

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Live sessions (90 min)
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Big picture overview before each unit

Bridge between theory and application (exercises)

Broader real-world applications

#### Async lectures (90 min)

Mathematical derivations

Intuition about CV concepts and methods

#### Assignments (7 + Final Project)

Demonstration of understanding

Office Hours (60 min / Section)

### Participation

Goal is 100% participation every class There are no stupid questions and no stupid answers (really truly) Public discussion on Piazza/Slack is strongly encouraged

## Grading

10% Per Assignment (70% total) 30% Final Project

### Assignment Rubric

100%	Good notebook and matched outputs	
90%	Good effort and conceptual understanding but key problem(s) with the deliverable	
70%	Significant effort but lacks conceptual understanding and/or code has significant problems	
0%	Incomplete	

Absolute scale, no curve

Each section of multi-part assignments is graded separately

5 Total late days per semester, prior approval required

#### Online Platforms

Piazza Sign-up Link — <a href="http://piazza.com/berkeley/spring2023/datasci281">http://piazza.com/berkeley/spring2023/datasci281</a>

Access Code — DATASCI\_CV\_281

TODO: Post your github ID to get access to assignments

Github Assignments — github classroom links posted on Piazza

Resources — <a href="https://github.com/W281/mids-281">https://github.com/W281/mids-281</a>

Slack #datasci-281-2023-spring

Week	Topics	Additional Reading	Assignment Due
1	Perspective Projection	Camera Obscura	
2	Image Formation	Pointwise Operation	
3	Image Artifacts	JPEG	
4	Convolution	Linear Systems, Linear Time Invariant Systems	Assignment 1
5	Fourier	Fourier, Sampling	Assignment 2

### Office Hours

Section 1

Rachel Brown — Tuesdays 3 pm Pacific

Sections 1 & 3

Allen Yang — By Appointment

TA

Albert Jiang — Sunday morning TBD

#### Administrative details

Collaboration Policy & Academic Integrity

We encourage studying in groups of two to four people. This applies to working on homework, discussing labs and projects, and studying for the exam. However, students must always adhere to the UC Berkeley Code of Conduct (http://sa.berkeley.edu/code-of-conduct) and the UC Berkeley Honor Code (https://teaching.berkeley.edu/berkeley-honor-code).

All materials that are turned in for credit or evaluation must be written solely by the submitting student or group.

#### Administrative details

Disability Services & Accommodations

If you need disability-related accommodations in this class, if you have emergency medical information you wish to share with me, or if you need special arrangements, please inform me as soon as possible.

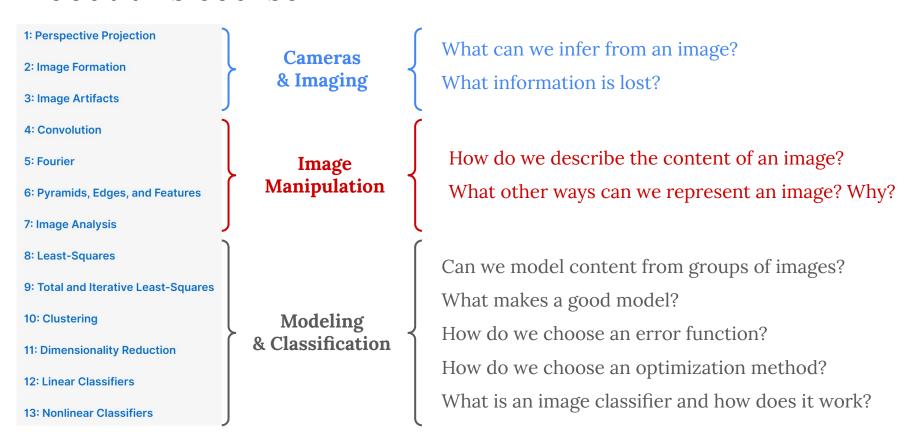
#### Administrative details

#### Publishing your work

You are highly encouraged to use your program coursework to build an academic/professional portfolio

- Blog about your coursework (and other ideas) and share on the I School Medium
- Publish projects to your <u>I School project portfolio gallery</u> (more than just for capstone)
- Publish your work on LinkedIn and tag the @UC Berkeley School of Information.
- Publish in academic journals -- contact your professors for assistance.
- Publish your news (e.g., conference talks, award, scholarships) to the <u>I School</u> internal newsletter

#### About this course

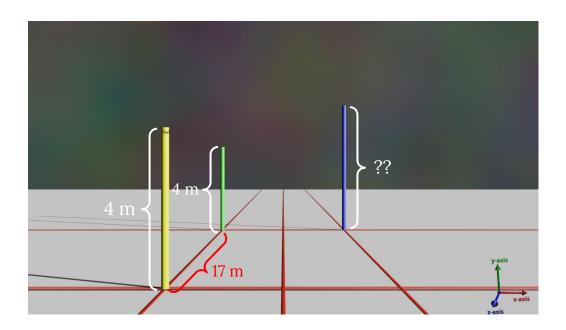


### Assignment 1 — Perspective Projection

https://classroom.github.com/a/2hRaqODV

### Assignment 1 — Perspective Projection

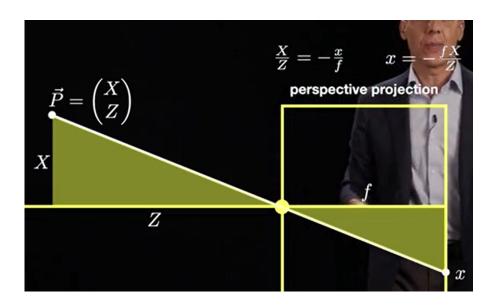
Part 1 — Given objects of known size in an image, infer the size of an unknown object based on its relative position in the scene



## Hints for Assignment 1

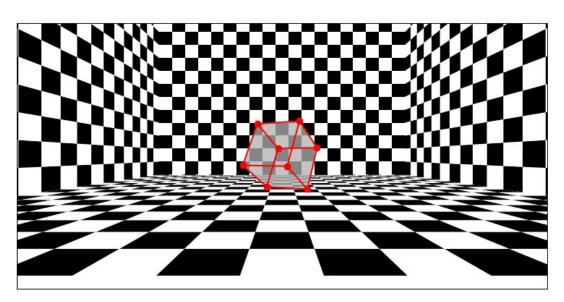
Draw this side view diagram of the problem

Label the knowns and unknowns



### Assignment 1 — Perspective Projection

Part 2 — Learn how to transform point locations between world coordinates, object coordinates, and camera coordinates; use this to re-create the Dolly Zoom effect



### Hints for Assignment 1

Homogeneous coordinates allow us to do rotation & translation in one step

's' is for 'sensor'

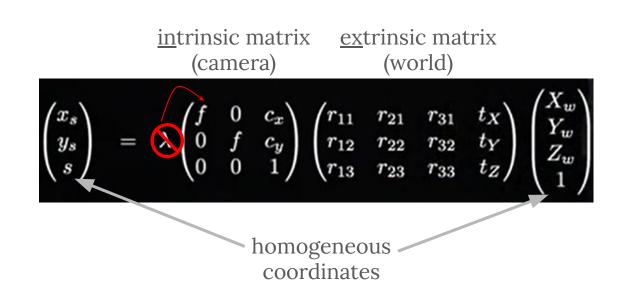
'f' is for 'focal length'

'c' is for 'camera'

'r' is for 'rotation'

't' is for 'translation'

'w' is for 'world'



### Error in Unit 1 Async Lecture

Second exercise (3D projection), the rotation matrix in the problem description has rotation applied as Rz first, then Ry, and finally Rx. Whereas in the solution the rotation is performed in the reverse order Rx first, then Ry, and last Rz. Rotation in 3D is not commutative i.e. RxRyRz != RzRyRx. Please take this into consideration.

In the generalized projection equation, the lambda term (conversion from real-world units to pixels) is kept outside the intrinsic matrix. However, this term is multiplied only with the focal length of the intrinsic matrix. Therefore, the correct equation is:

$$\begin{pmatrix} x_s \\ s \end{pmatrix} = \begin{pmatrix} \lambda f & c_x \\ 0 & 1 \end{pmatrix} \begin{pmatrix} \cos(\theta) & -\sin(\theta) & t_X \\ \sin(\theta) & \cos(\theta) & t_Z \end{pmatrix} \begin{pmatrix} X_w \\ Z_w \\ 1 \end{pmatrix}$$

### Upcoming ToDo's

Sign up for Piazza

Post Github ID on Piazza

Watch async lectures for Unit 1

Accept Assignment 1 on GitHub (due Monday, Jan 30<sup>th</sup>)