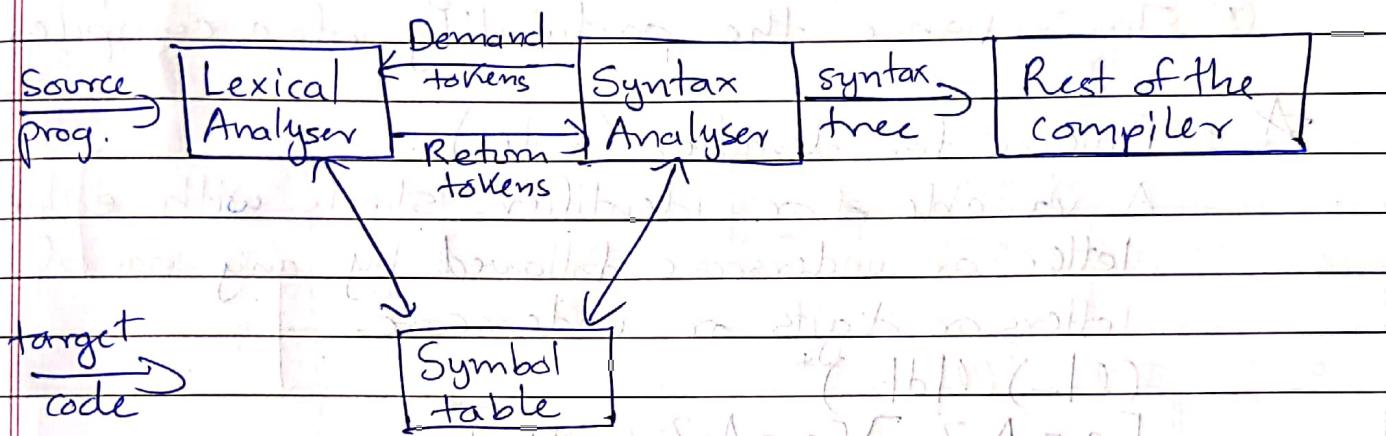


Lexical Analysis:-

Role of LA:-



Functions of LA:-

- ① It produces stream of tokens.
- ② It removes white space characters.
- ③ It generates symbol table, which stores the information about identifiers, constants, encountered in the input.
- ④ It keeps track of line numbers while generating tokens.
- ⑤ It reports the error encountered while generating the tokens.
- ⑥ It provides error messages with corresponding line numbers & column numbers.

Q Consider Some encoding of tokens as follows:-

Token	Code	Value	location counter	Type	Value
if	1	-			
else	2	-			
while	3	-			
for	4	-			
identifier	5	ptr to S.T			
Constant	6	ptr to S.T	100	identifier	a
<	7	1	;	:	:
\leq	7	2	105	constant	10
>	7	3	:	:	:
\geq	7	4	107	identifier	i
\neq	7	5	:	:	:
(8	1	110	constant	2
)	8	2			
+	9	1			
-	9	2			
\equiv	10	-			

Consider the program code as below & generate token stream:-

if ($a < 10$)

$i = i + 2;$

else

$i = i - 2;$

$\rightarrow 1, (8, 1), (5, 100), (7, 1), (6, 105), (8, 2), (5, 107), 10, (5, 107), (9, 1)$
 for if \leftarrow for (i , value) $\rightarrow (6, 110), 2, (5, 107), 10, (5, 107), (9, 2), (6, 110)$

Block Schematic of LA

Input buffer

lexeme

lexical Analyzer ↓

finite state
machine

finite Automata
Simulator

Patterns

Pattern matching algo

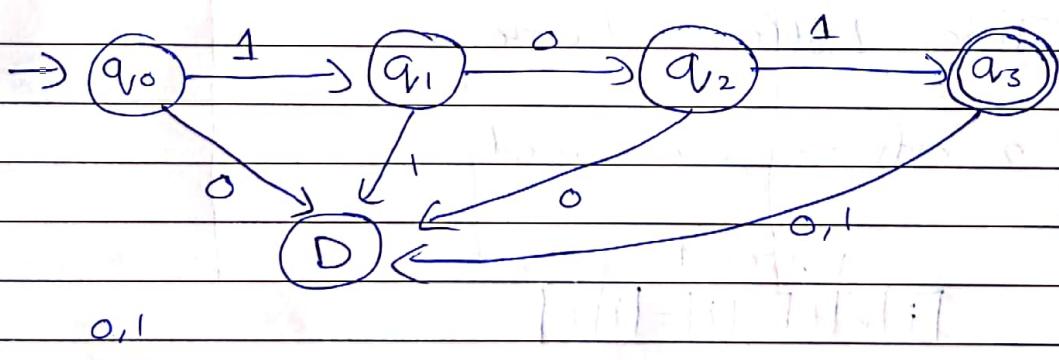
tokens.

- LA stores i/p in a buffer
- builds R.E for tokens
- R.E → F.A is build,
- Lexeme matches pattern generated by F.A - token is recognized.

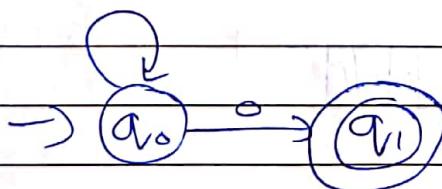
H.W

- Q1) Design a finite Automata which accepts the only input 101 over the input set $Z = \{0, 1\}$
- Q2) Design a finite Automata which checks whether given binary number is even.
- Q3) $\rightarrow 11 \rightarrow$ which accepts only those string which start with 1 & ends with 0.
- Q4) $\rightarrow 11 \rightarrow$ which accepts odd no. of 1's & any no. of zeroes.

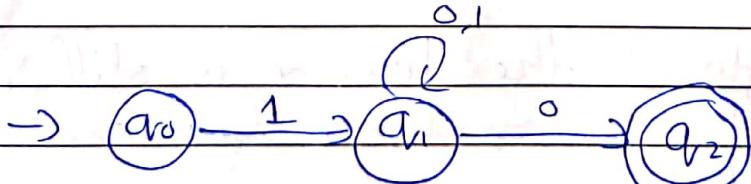
(Q1) ->



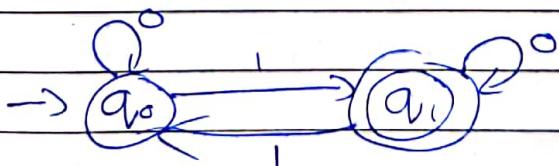
(Q2) ->



(Q3) ->



(Q4) ->



Input Buffering

BP ← Begin pointer



| i | n | t | | i | , | j | ; | i | = | i | + | i | ; | j | = | j | + | i | ; |

FP ← forward pointer

One Buffer Scheme

In this only one buffer is used, so we have to refill the buffer, if the lexeme exceeds the buffer boundary.

Two Buffer scheme

2 buffers are used.

buffer 1

| i | n | t | | i | = | i | + |

| i | ; | j | = | j | + | i | ; | e | o | f |

buffer 2

if the length of the lexeme is still bigger than both the buffers then token cannot be scanned.

Code for Input buffering

```

if (fp == eof(buff1)) /* encounters end of first buffer */
{
    /* Refill buffer 2 */
    fp++;
}

else if (fp == eof(buff2)) /* encounters end of 2nd buffer */
{
    /* Refill buffer 1 */
    fp++;
}

else if fp == eof (input)
    return; /* terminate scanning */
else
    fp++; /* still remaining has to be scanned */

```

* Lexical errors

- ① Spelling errors
- ② Unmatched string
- ③ Appearance of illegal characters
- ④ Exceeding length of identifier

* Mechanism to avoid rectify lexical errors. (error recovery)

- ① Delete a single character from the remaining input.
- ② Insert a missing character ^{into} the remaining input.
- ③ Replace one character by other character.
- ④ Transpose (swap) 2 adjacent characters.

Date _____
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⑤ Delete successive characters from the remaining input until lexical analyzer recognizes a well formed tokens. This approach is called panic mode error recovery.

Compiler Construction Tools

- 1) Scanner generator - LEX, RE
- 2) Parser generator - YACC, CFG
- 3) Syntax directed translation engines - IR
- 4) Automatic code generator, - $IR \rightarrow ML$
Template matching algorithms
- 5) Data flow engines - code optimization.

YACC - yet another compiler compiler.

H.W

- 1) Design an automata to check if given decimal no. is divisible by 3.
- 2) _____ || _____ checks whether if given binary no. is divisible by 3.
- 3) _____ || _____ accepts even no. of 0's & 1's.
- 4) _____ || _____ checks whether given unary no. is divisible by 3.

* Design of Lexical Analyzer

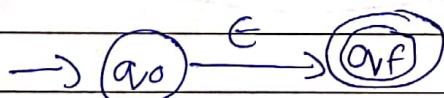
- ① Representation of tokens by R.E
- ② $\xrightarrow{\text{---}}$ R.E by Finite State Machine
- ③ Simulation of the behavior of FSM

2 approaches

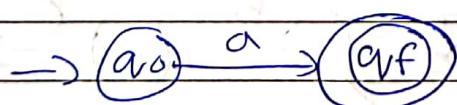
- ① Pattern matching using NFA
- ② Using DFA for LA.

Thompson's Rule (Construction)

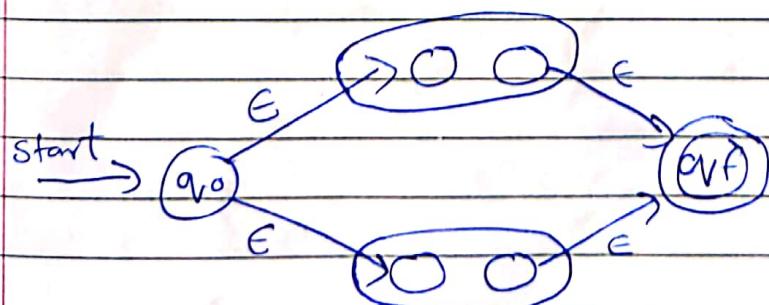
1) For $r = \epsilon$



2) $r = a$ for $\Sigma = \{a\}$ the NFA is



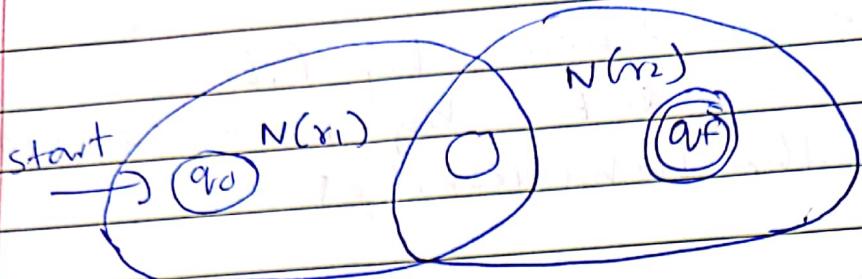
3) When $r = r_1 + r_2$ the NFA is



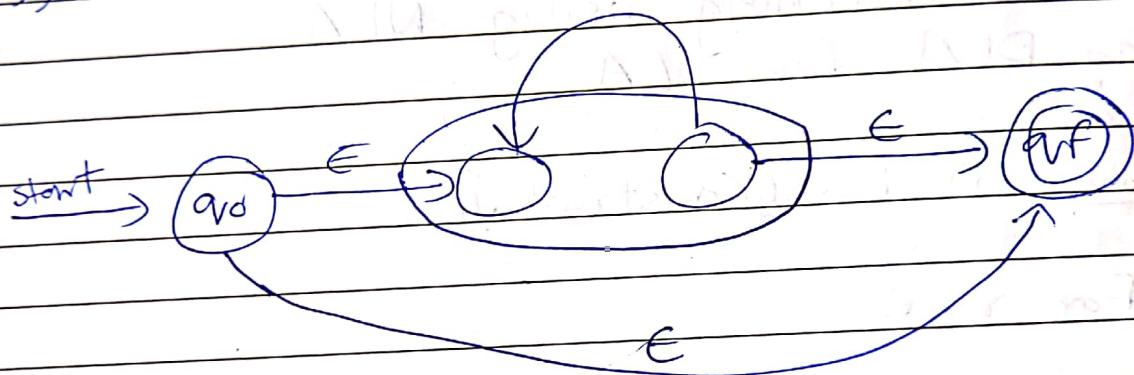
A

Page

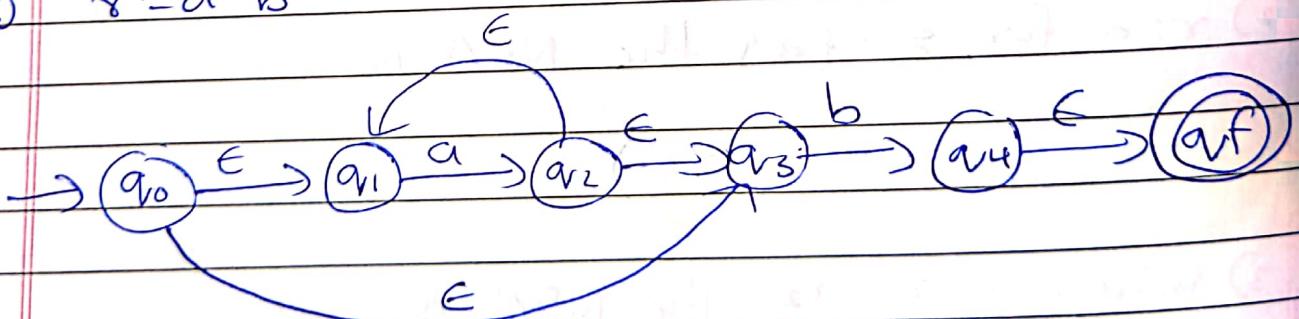
4) when $\gamma = \gamma_1 \cdot \gamma_2$



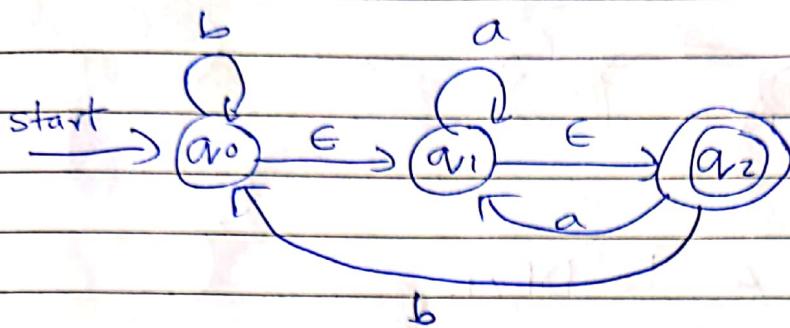
5) when $\gamma = (r_1)^*$



e.g. $\gamma = a^* b$



Q Convert the following FNFA with epsilon to equivalent DFA.



$$\rightarrow \text{E-closure } \{q_0\} = \{q_0, q_1, q_2\} \quad \text{--- (A)}$$

$$\text{E-closure } \{q_1\} = \{q_1, q_2\}$$

$$\text{E-closure } \{q_2\} = \{q_2\}$$

find the transitions in A with every i/p symbol.

$$\begin{aligned}
 \delta'(A, a) &= \text{E-closure}(\delta(A, a)) \\
 &= \text{E-closure}(\delta(q_0, q_1, q_2), a) \\
 &= \text{E-closure}\{\delta(q_0, a) \cup \delta(q_1, a) \cup \delta(q_2, a)\} \\
 &= \text{E-closure}\{q_1\} \\
 &= \{q_1, q_2\} \quad \text{--- (B)}
 \end{aligned}$$

$$\begin{aligned}
 \delta'(A, b) &= \lambda(\delta(A, b)) \\
 &= \lambda(\delta(q_0), b) \\
 &= \lambda\{q_0\} \\
 &= \{q_0, q_1, q_2\} \\
 &= A
 \end{aligned}$$

$$\begin{aligned}
 \delta'(B, a) &= \lambda(\delta(B, a)) \\
 &= \lambda(\delta(q_1)) \\
 &= \{q_1, q_2\} = B
 \end{aligned}$$

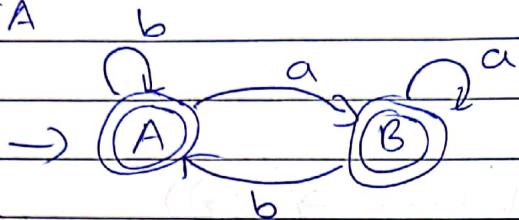
$\lambda \rightarrow \text{closure}$

\emptyset

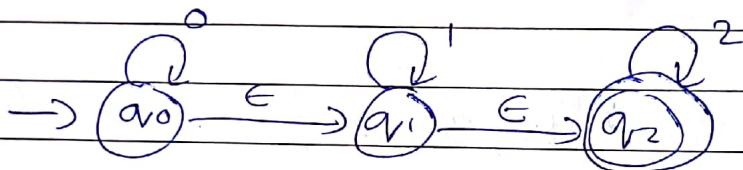
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$$\delta'(B, b) = A$$

$\therefore \text{DFA}$



(Q) Convert NFA to DFA.



$$\delta(q_0) = \lambda\{q_0\} = \{q_0, q_1, q_2\} \quad \text{--- (A)}$$

$$\lambda\{q_1\} = \{q_1, q_2\}$$

$$\lambda\{q_2\} = \{q_2\}$$

$$\begin{aligned}\delta'(A, 0) &= \lambda\{\delta(A, 0)\} \\ &= \lambda\{q_0\} \\ &= \{q_0, q_1, q_2\} \\ &= A\end{aligned}$$

$$\begin{aligned}\delta'(A, 1) &= \lambda\{\delta(A, 1)\} \\ &= \lambda\{\delta(q_1)\} \\ &= \lambda\{q_1, q_2\} \quad \text{--- (B)}\end{aligned}$$

$$\begin{aligned}\delta'(B, \delta'(A, 2)) &= \lambda\{\delta(A, 2)\} \\ &= \lambda\{\delta(q_2)\} \\ &= \lambda\{q_2\} \quad \text{--- (C)}\end{aligned}$$

$$\delta(B, 0) = \lambda\{\delta(B, 0)\} = \emptyset$$

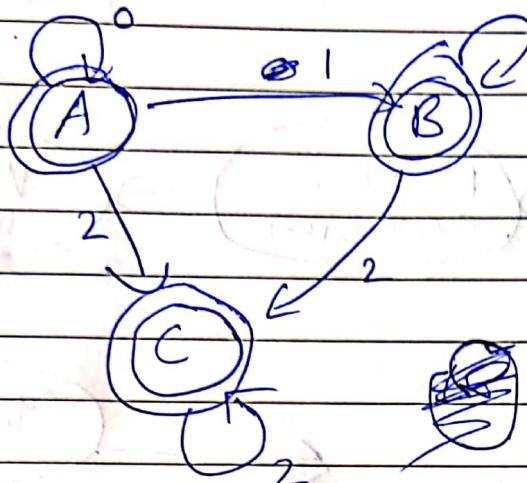
$$\delta(B, 1) = \lambda\{\delta(B, 1)\} = \{q_1, q_2\} = B$$

$$\delta(B, 2) = \lambda\{\delta(q_2)\} = \{q_2\} = C$$

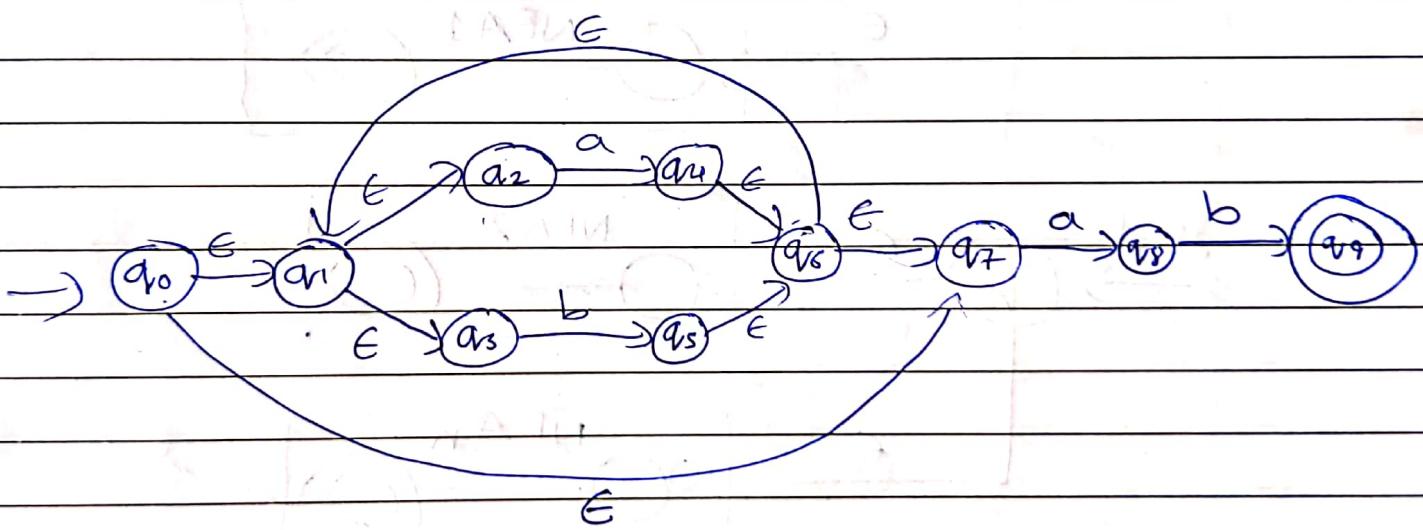
$$\delta(C, 0) = \lambda\{\delta(q_2)\} = \emptyset$$

$$\delta(C, 1) = \lambda\{\emptyset\} = \emptyset$$

$$S(C, 2) = \{q_2\} = C$$

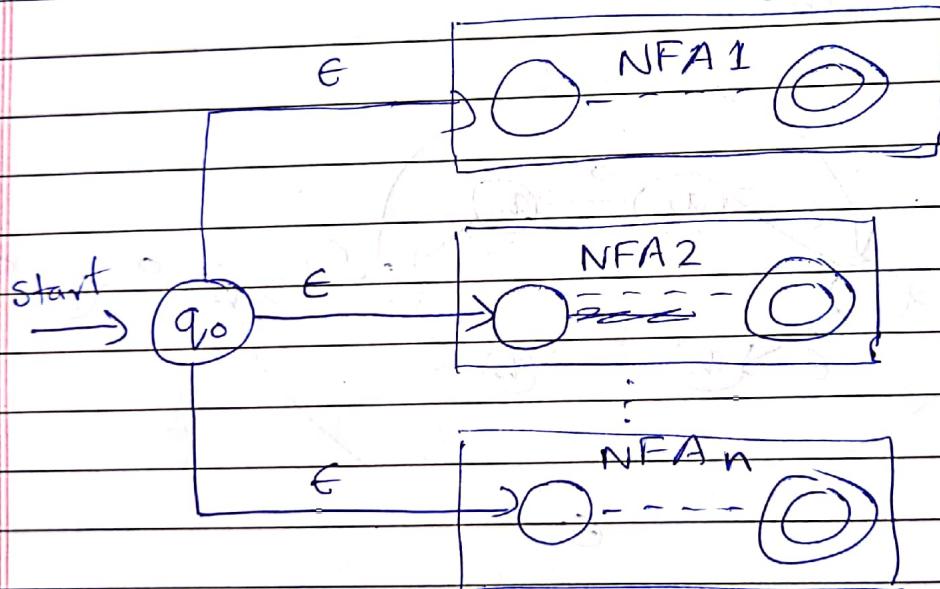
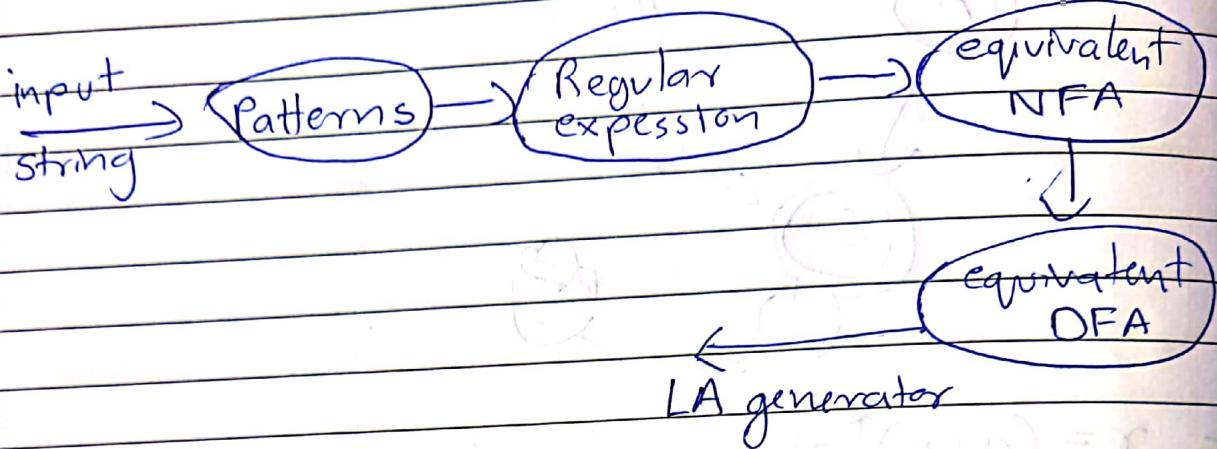


(8) $\gamma = (a+b)^* ab$



(8) Show

LA Generator



- Combined NFA recognizes the longest prefix.
- Record the current i/p position & the pattern for corresponding R.E.

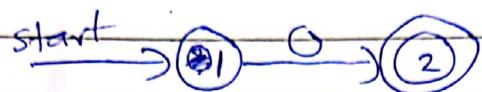
e.g. $0 \{ \}$ \rightarrow Pattern 1

$011 \{ \}$ \rightarrow pattern 2

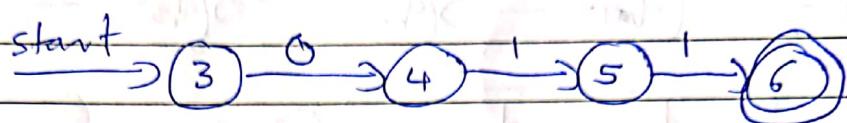
$0^+ 1^+ \{ \}$ \rightarrow pattern 3

String: 0011

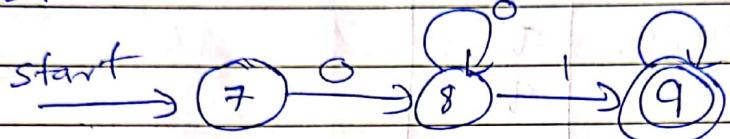
pattern 1 :



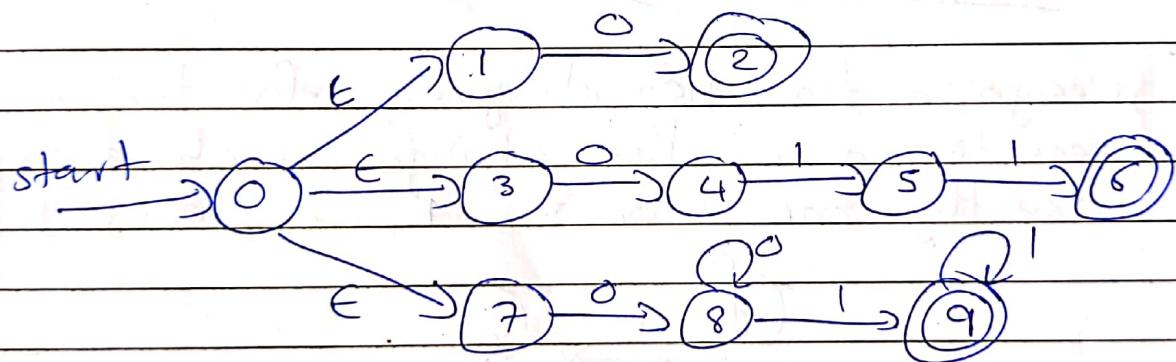
pattern 2 :



pattern 3 :

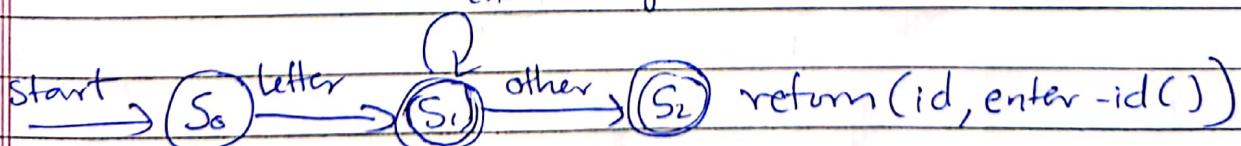


After combining ;



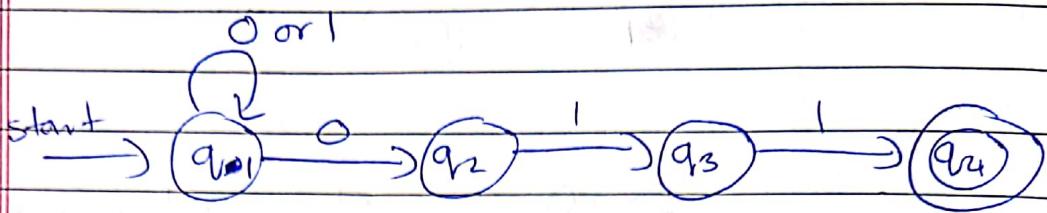
Q) Draw the transition diagram for unsigned numbers identifiers

→ RE = letter (letter/digit)*
letter or digit



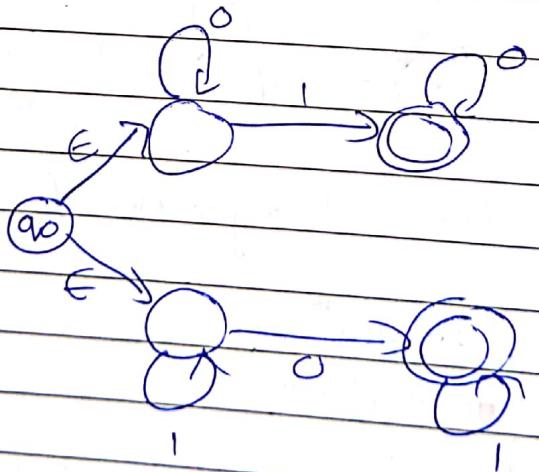
Q) Design a transition diagram for the language consisting of all the strings ending with 011 {0,1}.

$$\rightarrow RE = (011)^* 011$$



	0	#	1
q1	q1, q2	q1	
q2	—	q3	
q3	—	q4	
q4	—	—	

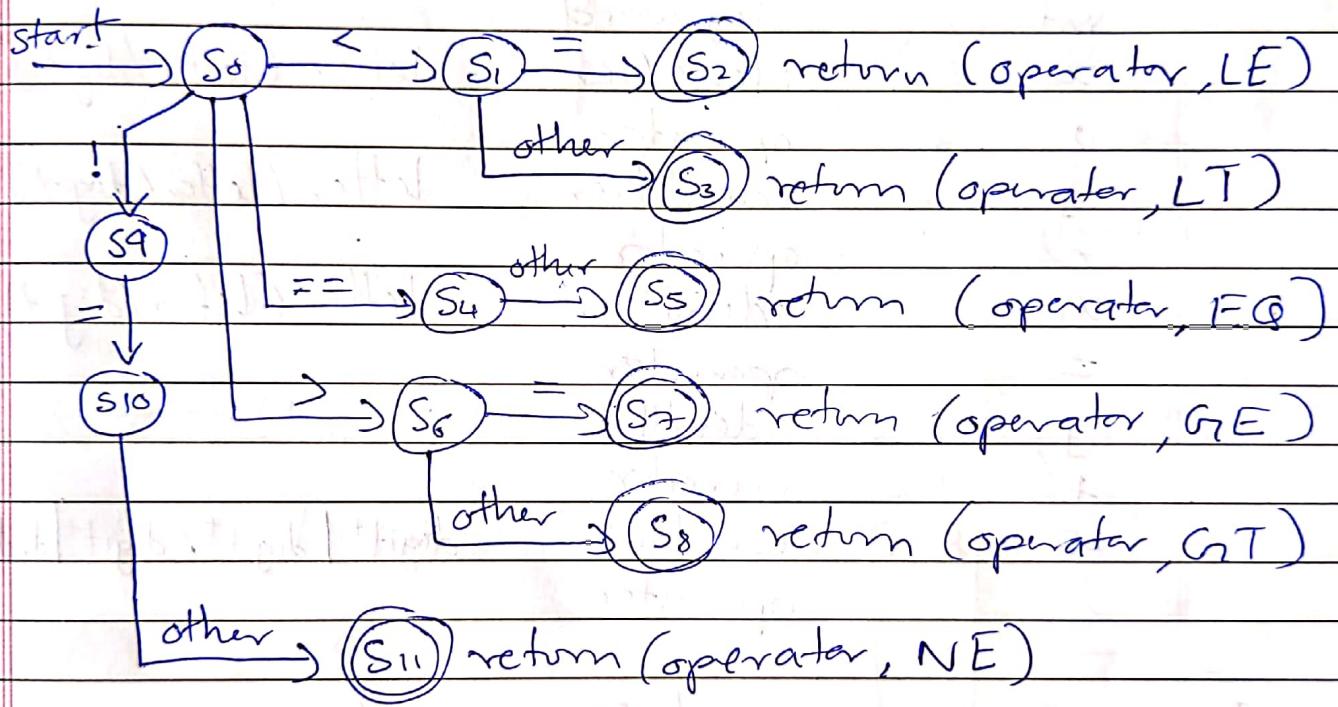
Q Design a transition diagram for the language consisting of all the strings which accept exactly one 0 or one 1 over $\{0, 1\}$.



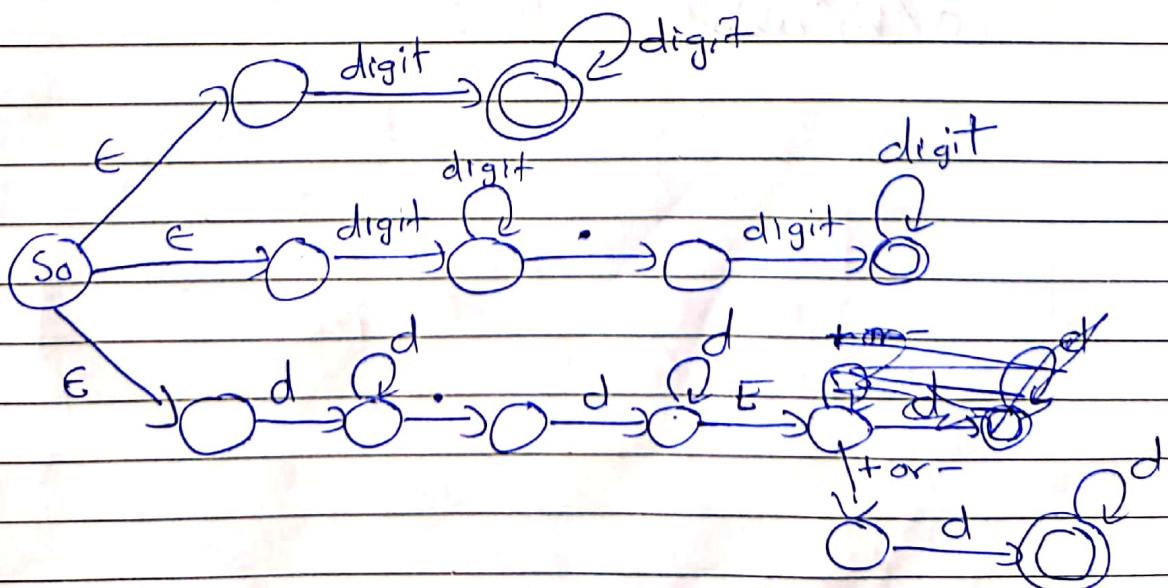
* R.E for constant

r.e = digit⁺ | (digit)⁺(.) (digit)⁺ | (digit)⁺(.) (digit)⁺
E (+/-) (digit⁺)

* Transition diagram for relational operator.



* Transition diagram for constant



Q Identify lexemes, token & patterns in C statement

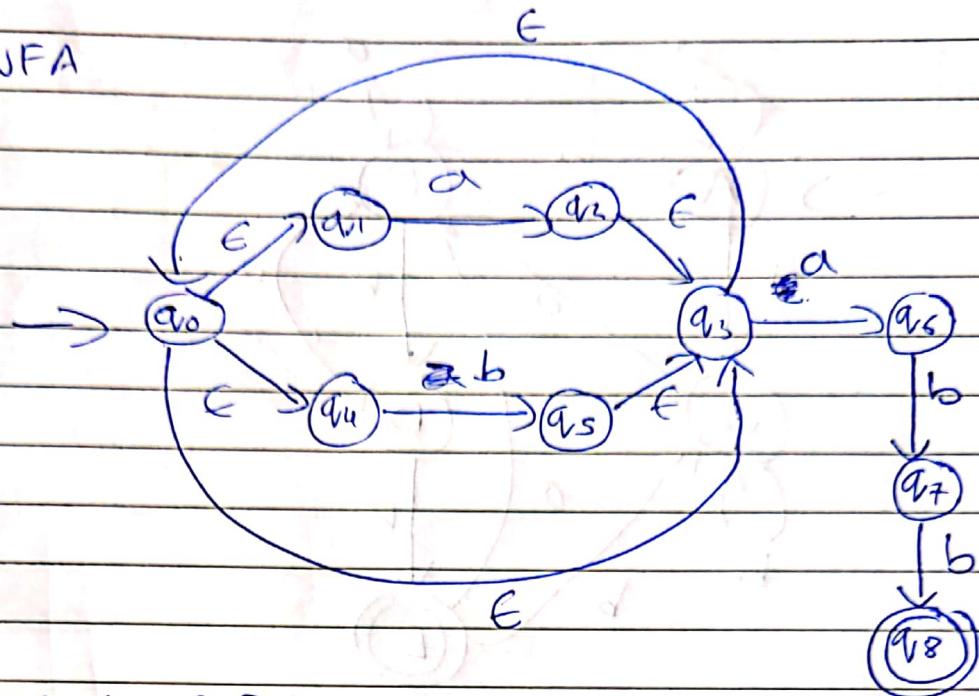
int $x_1, y;$

$x_1 = y + 35;$

<u>Lexemes</u>	<u>Token</u>	<u>Pattern</u>
int	key word	letter (letter/digit)*
x_1	identifier	letter (letter/digit)*
,	operator	letter (letter/digit)*
y	identifier	letter (letter/digit)*
;	operator	letter (letter/digit)*
x_1	identifier	letter (letter/digit)*
=	operator	letter (letter/digit)*
y	identifier	letter (letter/digit)*
+	operator	letter (letter/digit)*
35	constant	digit+ digit+. digit+d.dE+/-d
;	operator	letter (letter/digit)*

Q construct minimized DFA for following expression

$(a/b)^*abb$

ϵ -NFA ϵ ϵ -NFA to DFA

$$\Lambda(q_0) = \{q_0, q_1, q_4\} \xrightarrow{q_3} A$$

$$\delta'(A, a) = \Lambda\{q_2, \cancel{q_3}\} = \{q_2, q_3, q_0, q_1, q_4\}, q_5\} \xrightarrow{q_5} B$$

$$\delta'(A, b) = \Lambda\{q_5\} = \{q_5, q_3, q_0, q_1, q_4\} \xrightarrow{q_3} C$$

$$\delta'(B, a) = \Lambda\{q_6, q_2\} = B$$

$$\delta'(B, b) = \Lambda\{q_5, q_7\} = \{q_5, q_3, q_0, q_1, q_4, \cancel{q_6}, q_7\} \xrightarrow{q_7} D$$

$$\delta'(C, a) = \Lambda\{q_6, q_2\} = B$$

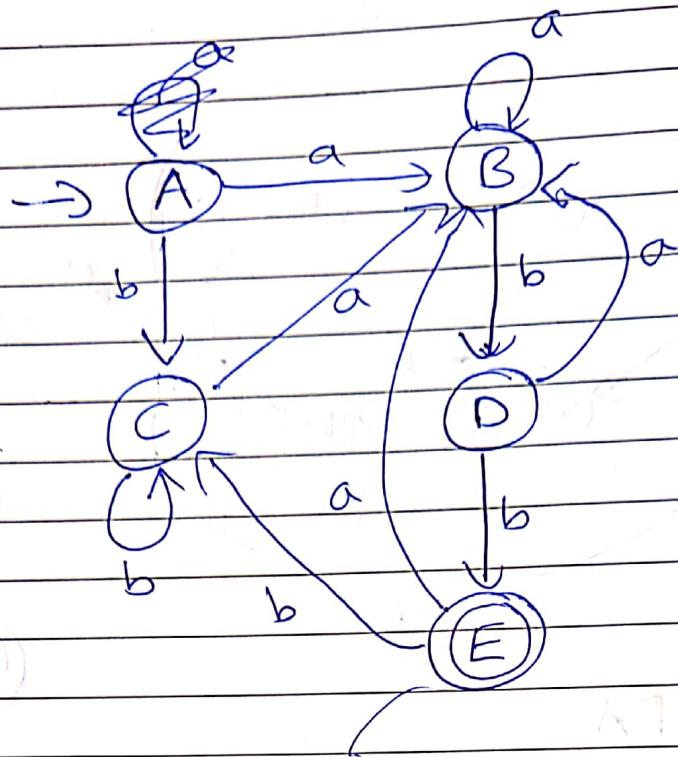
$$\delta'(C, b) = \Lambda\{q_5\} = C$$

$$\delta'(D, a) = \Lambda\{q_6, q_2\} = B$$

$$\delta'(D, b) = \Lambda\{q_5, q_8\} = \{q_5, q_3, q_0, q_1, q_4, q_6, q_8\} \xrightarrow{q_8} E$$

$$\delta'(E, a) = \Lambda\{q_6, q_2\} = B$$

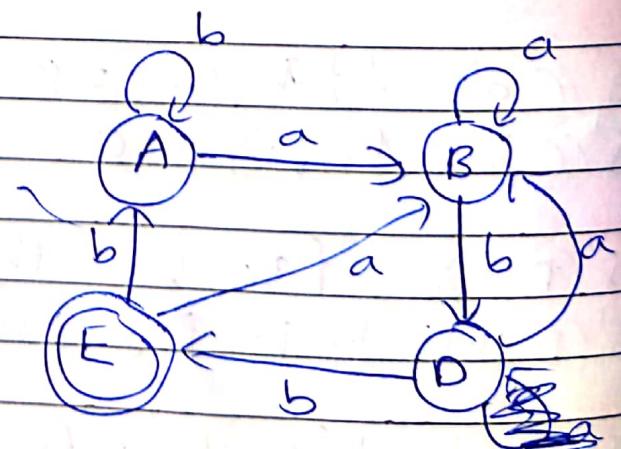
$$\delta'(E, b) = \Lambda\{q_5\} = C$$



	a	b
A	B	C
B	B	D
C	B	C
D	B	E
E	B	C

$$A = \{A, C\}$$

	a	b
A	B	E A
B	B	D
D	B	E
(E)	B	A



Q show the output of each stage of compilation to the following statement.

```
int t=0;  
int i;  
for (i=0; i<5; i++)  
    t=t+5;
```

★ Bootstrapping & Porting

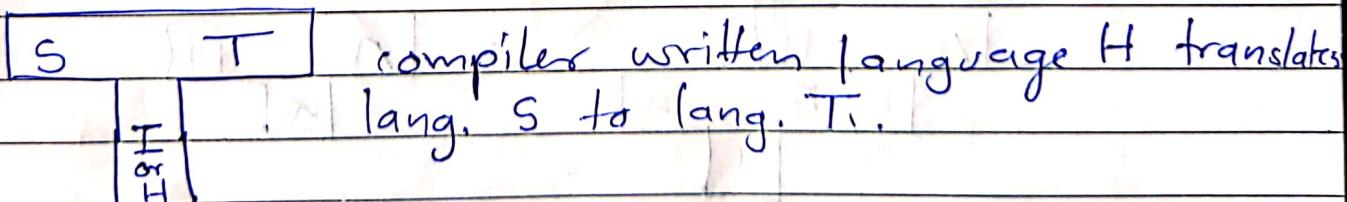
Bootstrapping → is a means of developing a compiler in the target programming language which it is ~~not~~ intended to compile.

S - Source language, it compiles

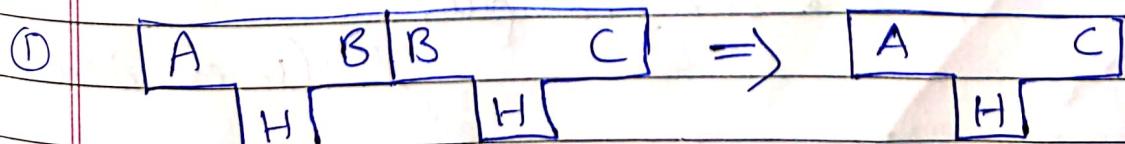
T - Target - II — that it generates code for.

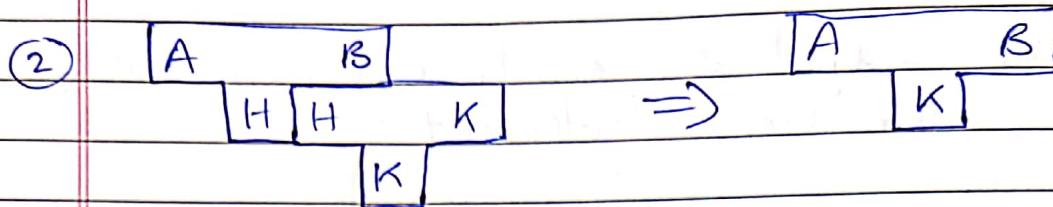
H or I - Implementation language that it is written in (Host language)

T - Thomstone diagram



Combination of T-diagram

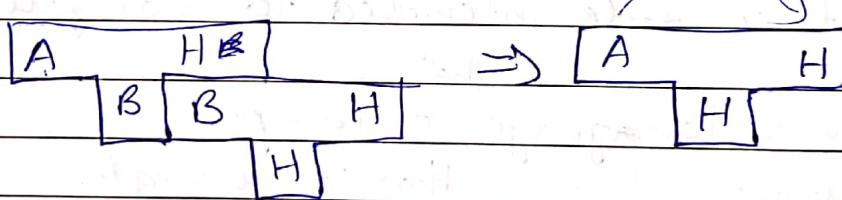




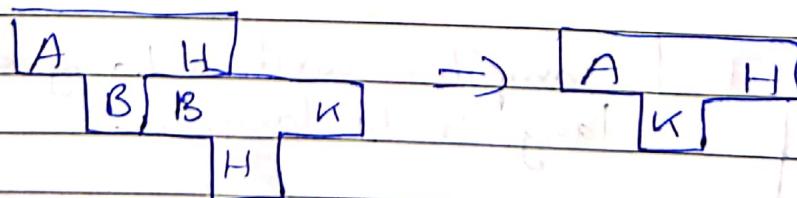
Use a compiler from machine H to machine K to translate the implementation lang. of another compiler from H to K.

Consider 2 scenarios

1st scenario :- Use an existing compiler for lang B on machine H to translate a compiler from lang A to H written in B.



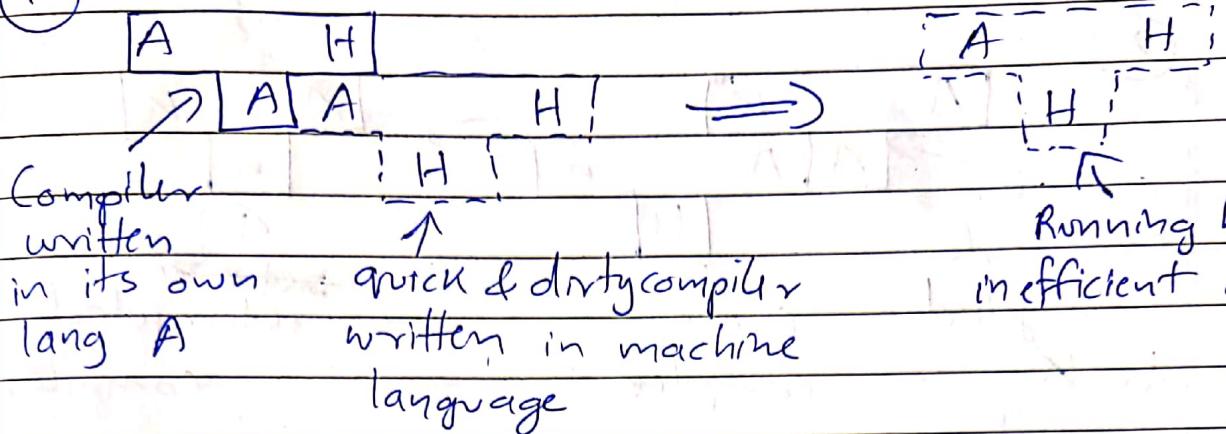
2nd scenario :- Compiler of lang. B generates code for (& runs on) a different machine, which results in a ~~cross~~ cross compiler for A.



Quick & dirty compiler \Rightarrow assembly lang. \Rightarrow (in efficient)
written in

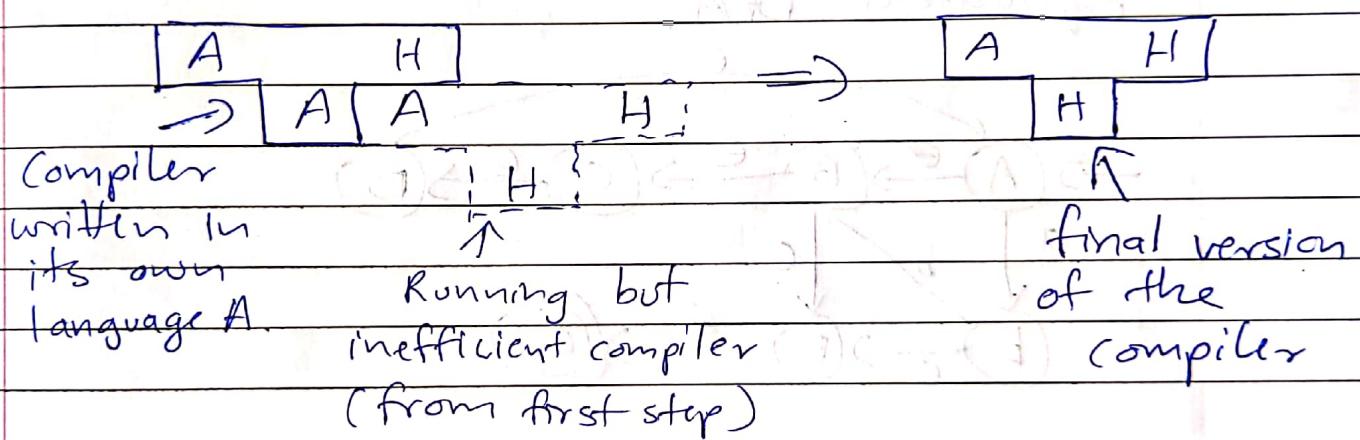
step

①



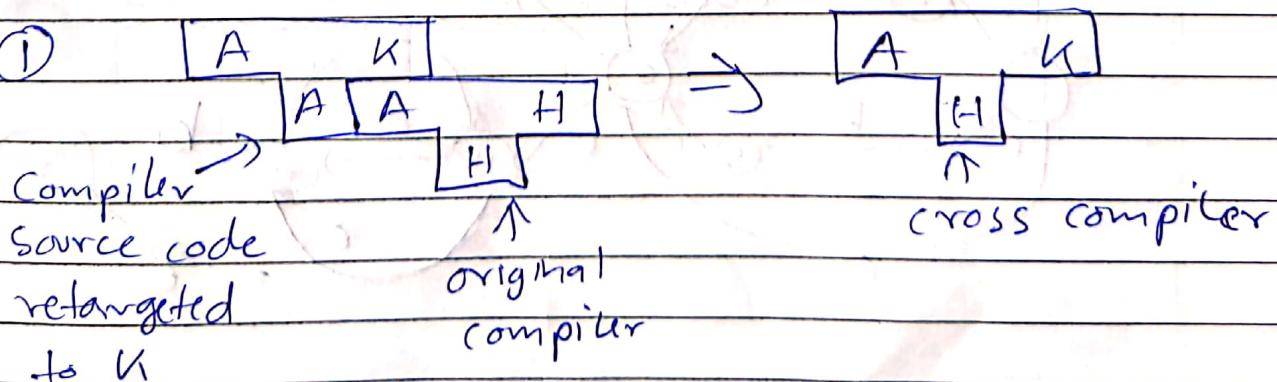
step

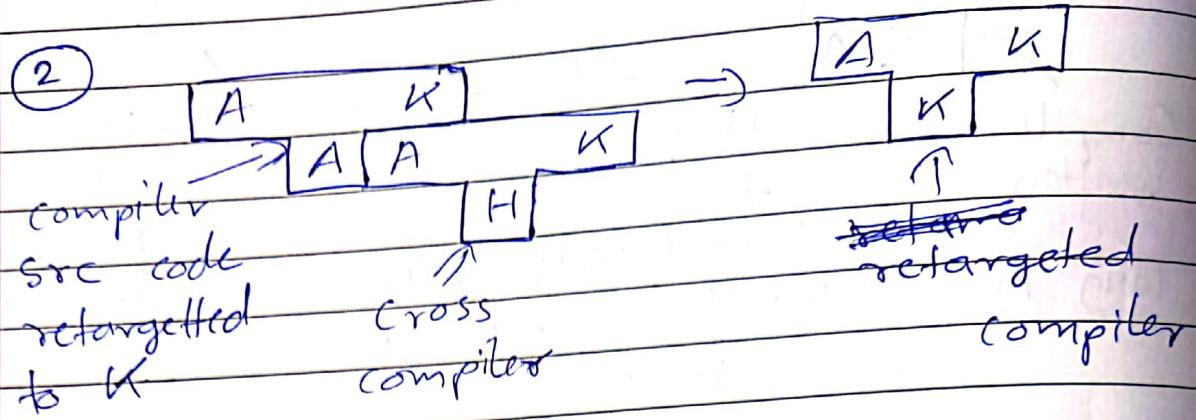
②



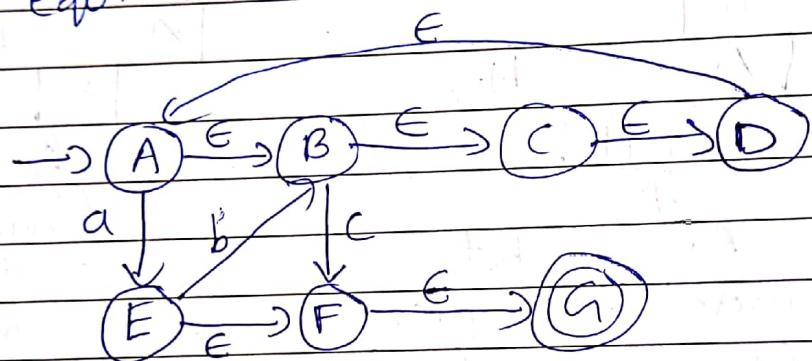
* Porting \Rightarrow Only requires that the back end of the source code be rewritten to generate code for new machine.

①

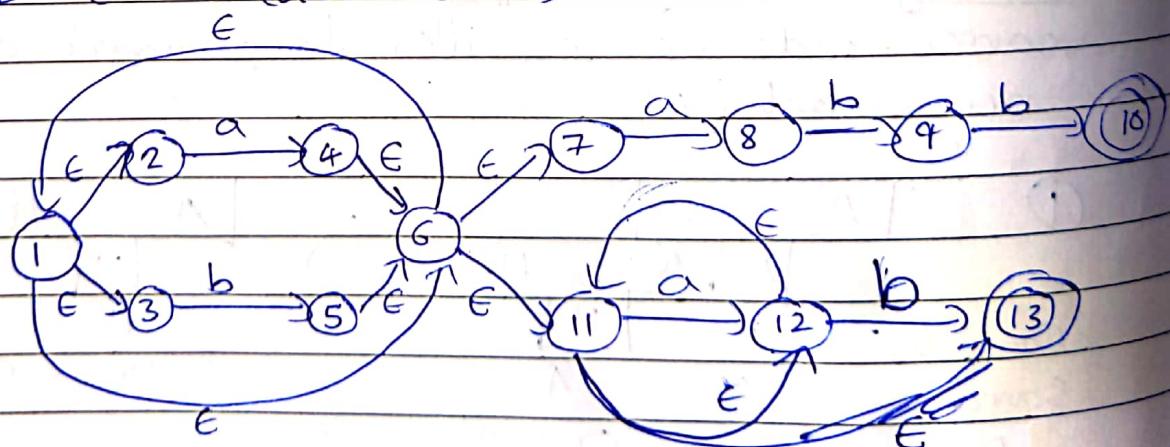




(Q1) Convert the following NFA with ϵ to equivalent DFA.

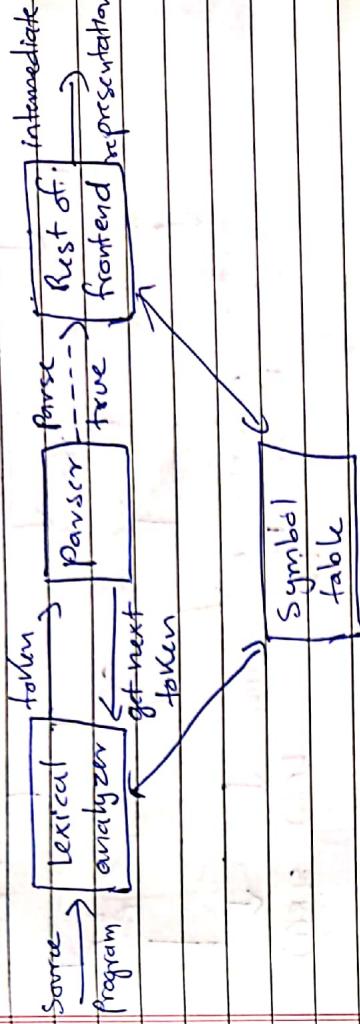


(Q2) Construct DFA for foll. ~~RE = (a+b)*abb(a+b)*~~
 $RE = (a+b)^*(abb + a^*b)$



Syntax Analysis

Role of the Parser



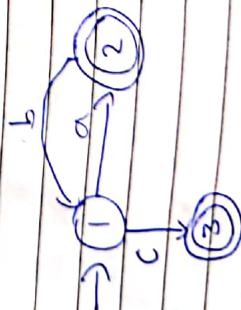
* Basic Issues in Parsing

- specification of Syntax
 - representation of input after parsing.
- Syntax → precise & unambiguous
- in detail
→ complete
→ parsing algo

$$\begin{aligned}
 S(1) \rightarrow N(A) = \{A \mid B \mid C\} &\quad (1) \\
 S'(1, a) = \lambda \{E\} = \{EE \mid a\} &\quad (2) \\
 S'(1, b) = \lambda \{d\} = d & \\
 S'(1, c) = \lambda \{F\} = \{FG\} &\quad (3)
 \end{aligned}$$

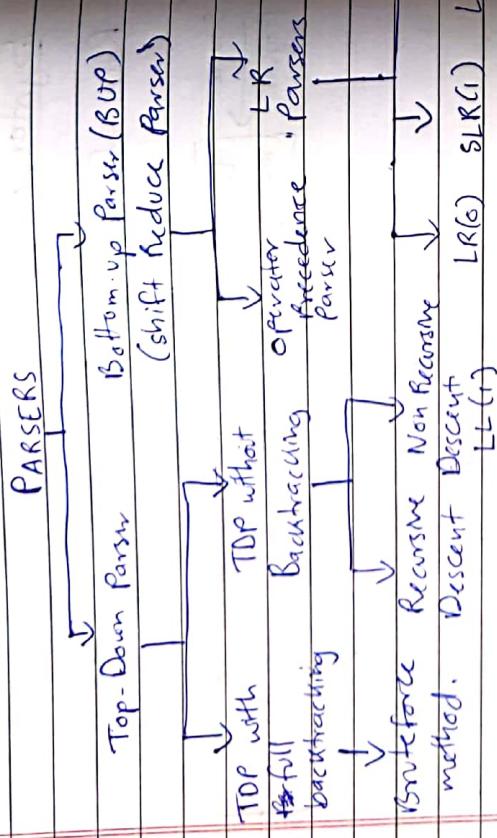
$$\begin{aligned}
 S'(2, a) &= \lambda \{\emptyset\} \\
 S'(2, b) &= \lambda \{B\} = \{ABC\} = 1 \\
 S'(2, c) &= \lambda \{d\}
 \end{aligned}$$

$$\begin{aligned}
 S'(3, a) &= \lambda \{\emptyset\} \\
 S'(3, b) &= \lambda \{\emptyset\} \\
 S'(3, c) &= \lambda \{d\}
 \end{aligned}$$



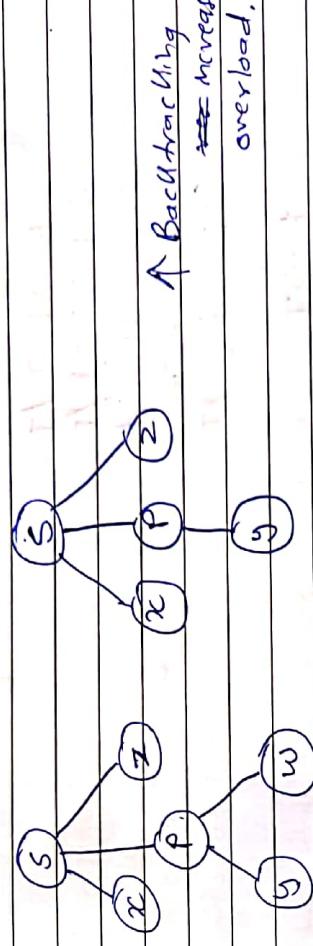
LR → Left to Right
 SLR → Simple Left Right
 SLR → Look Ahead Left Right
 LL(R) → look

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① Backtracking

$S \rightarrow xP_2$
 $P \rightarrow yw/y$
 i/p string: xyz



② Left Recursion

$A^+ \rightarrow A\alpha$
 $\alpha \rightarrow$ i/p string

- top-down parser can enter in infinite loop
- expansion of A causes further expansion of A only.
- i.e. $A\alpha, A\alpha\alpha, \dots$ if pr. will not be sophisticated

Problems with top-down Parsing

- 1) Backtracking
- 2) left recursion
- 3) left factoring
- 4) Ambiguity.

$$\begin{array}{c}
 A \rightarrow A\alpha/\beta \\
 \Downarrow \\
 A \rightarrow \beta A' \\
 A' \rightarrow \alpha A''/\epsilon
 \end{array}$$

$A \rightarrow A\alpha_1/A\alpha_2/A\alpha_3/A\alpha_4//A\alpha_m/B_1/B_2/\dots/B_n$
 where no. fi begins with one A

$$\begin{array}{l}
 A \rightarrow \beta_1 A' / \beta_2 A' / \dots / \beta_n A' \\
 A' \rightarrow \alpha_1 A' / \alpha_2 A' / \dots / \alpha_m A' / \epsilon
 \end{array}$$

eg -

$$\begin{array}{l}
 1) E \rightarrow E + T / T \\
 2) T \rightarrow T * F / F \\
 3) F \rightarrow (E) / id \\
 4) E \rightarrow E + T / T
 \end{array}$$

$$\begin{array}{l}
 E \rightarrow T E' \quad \checkmark \\
 E' \rightarrow + T E' / \epsilon \quad \checkmark \\
 ② T \rightarrow T * F / F \quad \times
 \end{array}$$

$$\begin{array}{l}
 T \rightarrow F T' \quad \checkmark \\
 T' \rightarrow * F T' / \epsilon \quad \checkmark \\
 ③ F \rightarrow (E) / id \quad \checkmark
 \end{array}$$

(3)  Left Factoring

$$A \rightarrow \alpha \beta_1 / \alpha \beta_2$$

$$\begin{array}{l}
 A \rightarrow \alpha A' \\
 A' \rightarrow \beta_1 / \beta_2
 \end{array}$$

$$\begin{array}{l}
 \alpha \quad \beta_1 \\
 S \rightarrow i E t \underset{\alpha}{S} / i E t \underset{\beta_1}{S} / \epsilon
 \end{array}$$

$$\begin{array}{l}
 E \rightarrow b \\
 \rightarrow S \rightarrow i E t S S' / \alpha \\
 S' \rightarrow e S / \epsilon
 \end{array}$$

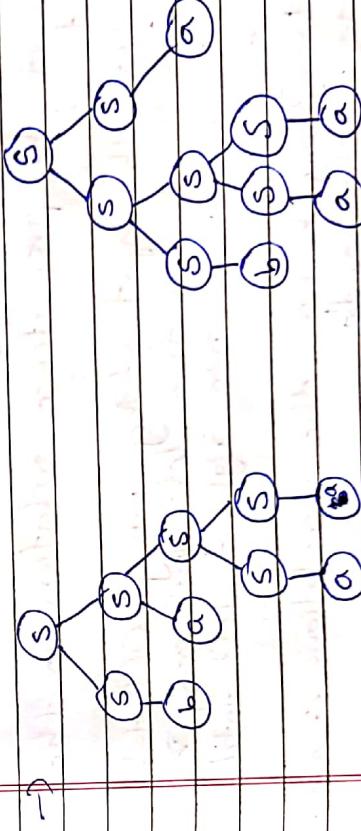
(4) Ambiguity

left-associative operator (+, -, *, /) \Rightarrow induce left recursion
 right-associative " " (exponential) \Rightarrow induce right-recursion

Q Show that the grammar is ambiguous

$$S \rightarrow S S / a / b$$

string - baab



Operator Precedence Parser

Operator precedence grammar $\rightarrow N \rightarrow E \times R H S$

RHS should not have absit $\in \&$ 2 non terminals

precedence relations $\prec \equiv \cdot$

is given
 $p < q$ p takes more precedence than q.
 $p = q$ p has same " as q
 $p > q$ p takes precedence over q

T) Computation of LEADING() and TRAILING()

LEADING(A)

'a' is in leading (A) $[A \rightarrow \delta]$:-
δ - either empty
or single NT

Steps for OF parsing (OPP) :-
Compete

Trailing(A)

'a' is in trailing (A) $[A \rightarrow \delta]$, δ - either empty
or single NT

'T'-'a' is in trailing(B) $[A \rightarrow B\alpha]$ then
a is in trailing of A.

e.g. $E \rightarrow E + T$
 $E \rightarrow T$

$T \rightarrow T * F$

$T \rightarrow F$

$F \rightarrow (E)$

$F \rightarrow id$

$\rightarrow leading(E) = \{+, *\}, C, id\}$

$leading(T) = \{+, C, id\}$

$leading(F) = \{+, id\}$

$trailing(E) = \{+, *\}, id\}$

$trailing(T) = \{+, id\}$

$trailing(F) = \{id\}$

eg - $S \rightarrow L = R$
 $S \rightarrow R$
 $L \rightarrow * R$
 $L \rightarrow id$
 $R \rightarrow L$

$\rightarrow \text{Leading}(S) = \{ =, *, \text{id} \}$
 $\text{Leading}(L) = \{ *, \text{id} \}$
 $\text{Leading}(R) = \{ *, \text{id} \}$

$\text{trailing}(S) = \{ =, *, \text{id} \}$
 $\text{trailing}(L) = \{ *, \text{id} \}$
 $\text{trailing}(R) = \{ *, \text{id} \}$

* Precedence Relation

- 1) $\$ < \text{Leading}(S)$ $T \rightarrow \text{terminal}$
- 2) $T_1 T_2 \xrightarrow{\text{set}} T_1 \dot{=} T_2$
- 3) $T_1 \text{ NT } T_2 \xrightarrow{\text{set}} T_1 \dot{=} T_2$
- 4) $T \text{ NT } \xrightarrow{\text{set}} T < \text{leading(NT)}$
- 5) $\text{NT } T \xrightarrow{\text{set}} \text{Trailing(NT)} > T$

Lang⁽⁰⁾

LHS	+	*	()	id	\$	$E \rightarrow E + T$
+	>	<	<	>	<	>	
*	>	>	<	>	<	>	$\therefore \text{Trailing}(E) > +$
(<	<	<	=	<	>	$\therefore * > +$
)	>	>	>	>	>		$+ > +$
id	>	>	>	>	>		$> > +$
\$	<	<	<	<	<		$id > +$

OP Parsing Algorithm

if $a < b$ or $a = b \Rightarrow$ push b onto the stack,
advance i/p ptr.

else if $a > b \Rightarrow$ pop stack until the top stack terminal
is related by $<$ to the terminal
most recently popped.
string: $id + id * id$

Stack	Input String	Action
\$	id id * id \$	$\$ < id \Rightarrow \text{push}$
\$ id	+ id * id \$	$> \Rightarrow \text{pop}$
\$	+ id * id \$	$< \Rightarrow \text{push}$
\$ +	* id * id \$	$< \Rightarrow \text{push}$
\$ + id	* id \$	$> \Rightarrow \text{pop}$
\$ +	* id \$	$< \Rightarrow \text{push}$
\$ + *	id \$	$< \Rightarrow \text{push}$
\$ + * id	\$	$> \Rightarrow \text{pop}$
\$ + *	\$	$> \Rightarrow \text{pop}$
\$ +	\$	$> \Rightarrow \text{pop}$
\$	\$	A CCEPT

* Precedence Functions

$f(a) < g(b)$ whenever $a < b$
 $f(a) = g(b)$ " $a = b$
 $f(a) > g(b)$ " $a > b$

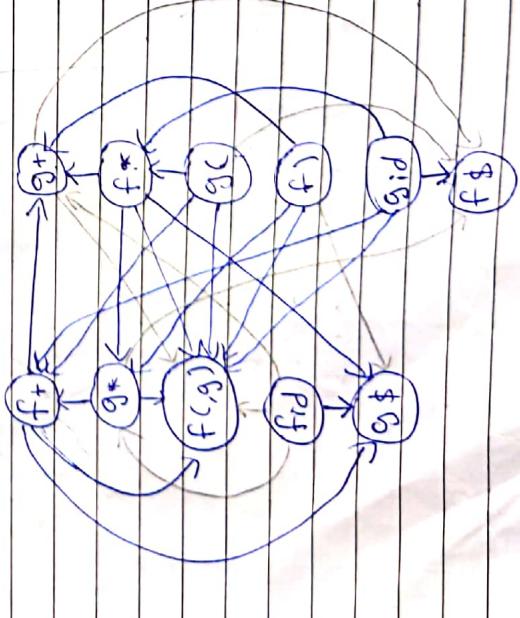
- Step 1) Create symbols f_a and g_b for each terminal a
 Step 2) Partition the symbols into groups $a \equiv b$
 Step 3) If graph has cycle \Rightarrow no precedence function exist.

- Step 3) Create a directed graph
 If $a < b$ place edge from g_b to f_a
 If $a > b$ place edge from f_a to g_b
- Step 4) If graph has cycle \Rightarrow no precedence function exist.

If no cycle \Rightarrow take the longest path of f_a and g_b .

Step 0 - $f_+, f_*, f(, f), f_id, f\$, g_+, g_*, g(, g), g_id, g\$$

$f(c, g)$



	+	*	id	c)	\$
f	2	4	0	4	0	0
g	1	3	5	5	0	0

(Q2) $S \rightarrow L = R$

$S \rightarrow R$

$L \rightarrow *$

$L \rightarrow id$

$R \rightarrow L$

$\rightarrow leading(S) = \{=, *, id\}$

$leading(R) = \{*, id\}$

$leading(L) = \{*, id\}$

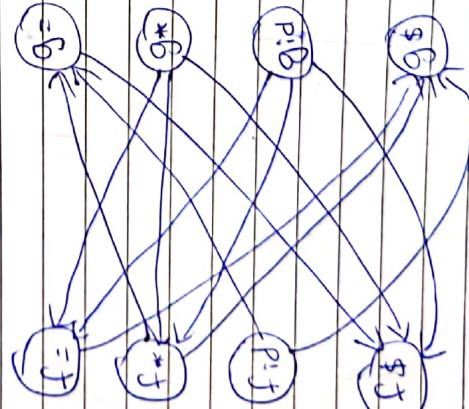
$trailing(S) = \{=, *, id\}$

$trailing(R) = \{*, id\}$

$trailing(L) = \{*, id\}$

=	*	id	\$
\leftarrow	\rightarrow	\leftarrow	\rightarrow
\rightarrow	\leftarrow	\leftarrow	\rightarrow
\downarrow	\uparrow	\downarrow	\uparrow
\uparrow	\downarrow	\downarrow	\downarrow

String: $* id = id \$$



		\$	0
	1d	2	0
*	2	3	
11	-	-	
f	g		

(Q3)	$E \rightarrow E + T / T$	$\text{Leading}(E) = \{+, *\}$
	$T \rightarrow T * F / F$	$\text{Leading}(T) = \{*, *\}$
	$E \rightarrow -F / (F) / o / 1$	$\text{Leading}(F) = \{-, *, /\}$
		$\text{Trailing}(E) = \{+, *\}$
		$\text{Trailing}(T) = \{*, *\}$
		$\text{Trailing}(F) = \{-, *, /\}$

$E \rightarrow E + T / T$
 $T \rightarrow T * F / F$
 $F \rightarrow -E^3 / (F) / 0 / 1$

Leading (E) = {+, *, -, E , $($, 0 , $)$ }
Leading (T) = {*, -, $($, 0 , $)$ }
Leading (F) = {-, $($, 0 , $)$, 1 }
Trailing (E) = {+, *, -, }
Trailing (T) = {*, -, }
Trailing (F) = {-, $($, 0 , $)$, 1 }

--	\wedge	\wedge	\wedge	\wedge	\wedge	\wedge
$-$	\checkmark	\checkmark	\checkmark	\checkmark	\checkmark	\checkmark
0	\checkmark	\checkmark	\checkmark	\checkmark	\checkmark	\checkmark
$)$		\wedge	\wedge	\wedge	\wedge	\wedge
$($	\checkmark	\checkmark	\checkmark	\checkmark	\checkmark	\checkmark
1	\checkmark	\checkmark	\checkmark	\checkmark	\checkmark	\checkmark
$*$	\checkmark	\wedge	\wedge	\wedge	\wedge	\checkmark
$+$	\wedge	\wedge	\wedge	\wedge	\wedge	\checkmark
$+$	$*$	$-$	\sim	O	$-$	\rightarrow

$$f_+, f_-, f_0, f_1, f_2, \boxed{f_3, f_4, f_5, f_6, f_7, f_8, f_9}$$

★ Shift Reduce Parser

$$S \rightarrow aASe$$

$$A \rightarrow Abc/b$$

17

Sentence abccde reduced to S
a b c d e
a A b c d e

aAbccde

a Ade

5

5

i.e. $S_m \Rightarrow aABe \stackrel{r_m}{\Rightarrow} aAde \stackrel{r_m}{\Rightarrow} aAbcde$

Handles

- Substring that matches RHS of a production for NTS or LHS represents one step along reverse of derivation

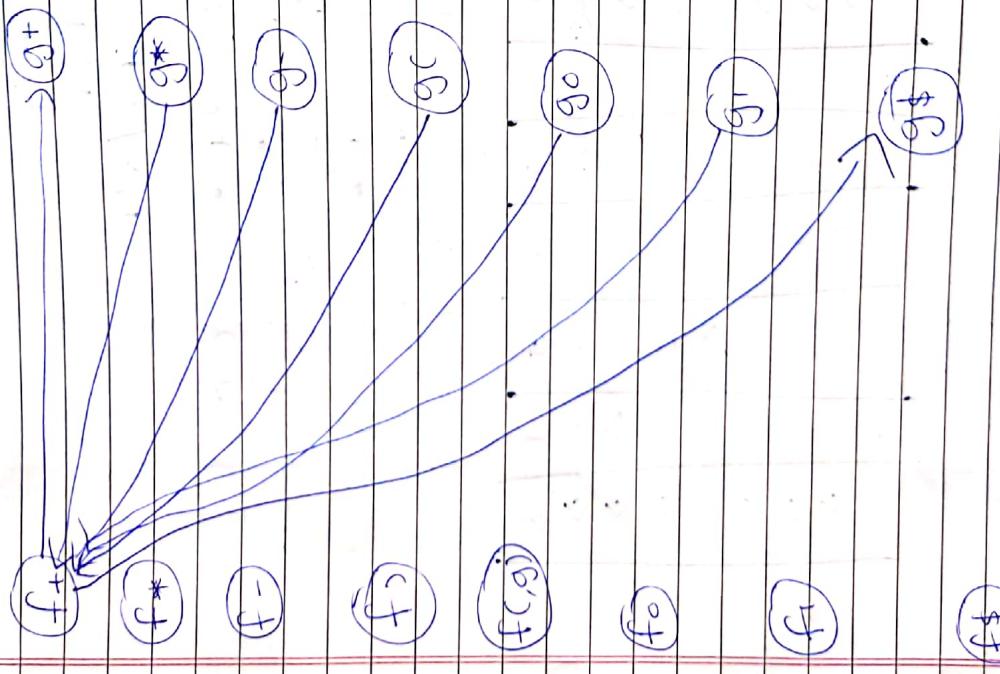
Handle

$$E \rightarrow E + E$$

卷之三

$\Sigma \rightarrow (E)$

P: C-E



Right-Sentential form		Handle	Reducing Production
id ₁ + id ₂ * id ₃	id ₁	E → id	\$ E + E * id ₃
E + id ₂ * id ₃	id ₂	E → id	\$ E + E * E
E + E * id ₃	id ₃	E → id	\$ E + E * E
E + E	E * E	E → E * E	\$ E
E + E	E + E	E → E + E	\$ E
E			

Stack Implementation of Shift Reduce Parsing

Stack input buffer
 \$ w \$

For above table :-
 ::

4 actions of S-R parser

- 1) shift
 - 2) reduce
 - 3) accept
 - 4) error
- $E \rightarrow E + E$ w = id₁ + id₂ * id₃
- $E \rightarrow E * E$
- $E \rightarrow id$

Q Consider the following grammar

stack	input buffer	Parsing Action
\$	id ₁ + id ₂ * id ₃ \$	shift
id ₁ ,	+ id ₂ * id ₃ \$	Reduce by E → id
\$ E	+ id ₂ * id ₃ \$	shift
\$ E +	- id ₂ * id ₃ \$	shift
\$ E + id ₂	* id ₃ \$	reduce by E → id
\$ E + E	* id ₃ \$	shift
\$ E L E	: A ₂ *	shift

Parsing Action	Stack	i/p buffer
shift	\$	int id ; \$
reduce T → int	\$ int	id id ; \$
reduce E → id	\$ T id	id id ; \$
shift	\$ T id	id ; \$
shift	\$ T id ;	;
reduce L → I , id	\$ T I , id	;
shift	\$ T I , id ;	;
reduce S → T I ;	\$ T I ;	;
ACCEPT	\$ T I ;	s

$$PP = \mathcal{M}^{\text{high}}_d$$

Stack	Input Buffer	Parsing Action
\$	odd \$	shift
\$C	odd \$	shift
\$CC	odd \$	shift
\$CCC	odd \$	shift
\$CCCC	odd \$	shift
\$CCCCC	odd \$	shift
\$CCCCC	C	reduce C->cc
\$CC	C	reduce C->cc
\$C	C	reduce C->cc
\$	C	reduce C->cc
	S	reduce S->CC
	PT	ACC EPT

$s \rightarrow (L)/a$
 $L \rightarrow L, S/S$
 iff string: $(a, (a, a))$

Conflicts During shift-Reduce Parsing

- 1) shift - Reduce conflicts
- 2) Reduce - Reduce conflict