

### Predictive LL(1) Parser

- This top-down parsing algorithm is of non-recursive type.
- In this type of parsing a table is built.
- For LL(1) - the first L means the input is scanned from left to right. The second L means it uses leftmost derivation for input string.  
And the number 1 in the input symbol means it uses only one input symbol (lookahead) to predict the parsing process.
- The simple block diagram for LL(1) parser is given below.

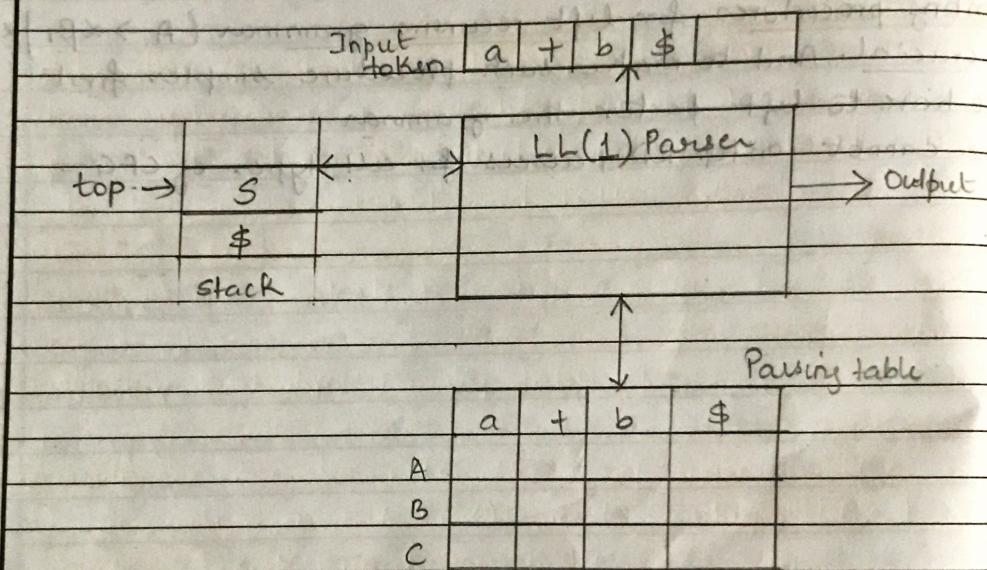


fig: Model for LL(1) Parser .

- The data structures used by LL(1) are
  - i) the input buffer.
  - ii) the stack
  - iii) Parsing table.
- The LL(1) parser uses input buffer to store the input tokens.
- The stack is used to hold the left sentential form.
- The symbols in RHS of rule are pushed into the stack.

in reverse order ie from right to left.

- Thus use of stack makes this algorithm non-recursive.
- The table is basically a 2-D array.
- The table has row for NT and column for Terminals.
- The table can be represented as  $M[A, a]$  where A is a NT and a is current input symbol.
- The parser works as follows :-
- The parsing program reads top of the stack and a current input symbol. With the help of these two symbols the parsing action is determined. The parsing actions can be

<u>Top</u>	<u>Input token</u>	<u>Parsing action</u>
\$	\$	Parsing successful, halt.
a	a	Pop a and advance lookahead to next token
a	B	Error.
A	a	Refer table $M[A, a]$ if entry at $M[A, a]$ = error report Error
A	a	Refer table $M[A, a]$ if entry at $M[A, a]$ is $A \rightarrow PQR$ then pop A then push R, then push Q, then push P.

- The parser consults the table  $M[A, a]$  each time while taking the parsing actions hence this type of parsing method is called table driven parsing algorithm.
- The configuration of LL(1) parser can be defined by top of the stack and a lookahead token.
- One by one configuration is performed and the input is successfully parsed if the parser reaches the halting configuration when the stack is empty and next token is \$ then it corresponds to successful parse.

- Algorithm on and start pushing states nonempty A - : NOTE

• (1) If  $\lambda$  is at first in words benefit

### Construction of Predictive LL(1) Parser

- The construction of predictive LL(1) parser is based on two very important functions and those are FIRST and FOLLOW.
  - For construction of Predictive LL(1) parser we have to follow the following steps:
- 1) Computation of FIRST and FOLLOW functions.
  - 2) Construct the Predictive Parsing table using FIRST and FOLLOW functions.
  - 3) Parse the input string with the help of Predictive Parsing table.

### Algorithm for Predictive Parsing table:

- The construction of predictive parsing table is an important activity in predictive parsing method. This algorithm requires FIRST and FOLLOW functions.

**Input :** The context free grammar G

**Output :** Predictive Parsing table M

**Algorithm :** For the rule  $A \rightarrow \alpha$  of grammar G

- 1) For each  $a$  in  $\text{FIRST}(\alpha)$  create entry  $M[A, a] = A \rightarrow \alpha$  where  $a$  is terminal symbol.
- 2) For  $\epsilon \in \text{FIRST}(\alpha)$  create entry  $M[A, b] = A \rightarrow \alpha$  where  $b$  is the symbols from  $\text{FOLLOW}(A)$ .
- 3) If  $\epsilon$  is in  $\text{FIRST}(\alpha)$  and  $\$$  is in  $\text{FOLLOW}(A)$  then create entry in the table  $M[A, \$] = A \rightarrow \alpha$ .
- 4) All the remaining entries in the table M are marked as SYNTAX ERROR.

**NOTE :-** A grammar whose parsing table has no multiply-defined entries is said to be LL(1).

Consider the grammar:

$$E \rightarrow TE'$$

$$E' \rightarrow +TE'| \epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow *FT'| \epsilon$$

$$F \rightarrow (E) | id$$

$$FIRST(E) = \{ ($$

$$Follow(E) = \}$$

$$FIRST(E') = \{$$

$$Follow(E') = \{ ), \$ \}$$

$$FIRST(T) = \{ ., id \}$$

$$Follow(T) = \{$$

$$FIRST(T') = \{$$

$$Follow(T') = \{ +, ), \$ \}$$

$$FIRST(F) = \{ ., id \}$$

$$Follow(F) = \{$$

Now create the table as follows:

	+	*	(	)	id	\$
E	Error	Error	$E \rightarrow TE'$	Error	$E \rightarrow TE'$	Error
E'	$E' \rightarrow +TE'$	Error	Error	$E' \rightarrow E$	Error	$E' \rightarrow E$
T	Error	Error	$T \rightarrow FT'$	Error	$T \rightarrow FT'$	Error
T'	$T' \rightarrow E$	$T' \rightarrow *FT'$	Error	$T' \rightarrow E$	Error	$T' \rightarrow E$
F	Error	Error	$F \rightarrow (E)$	Error	$F \rightarrow id$	Error

Now we will ~~map~~ fill up the entries in the table using the above given algorithm. Consider each rule one by one.

$$E \rightarrow TE'$$

$$A \rightarrow \alpha$$

$$A = E, \alpha = TE'$$

$$FIRST(TE') \text{ if } E' = \epsilon \text{ then } FIRST(T) = \{ ., id \}$$

$$\text{entry } M[E, ()] = E \rightarrow TE'$$

$$\text{entry } M[E, id] = E \rightarrow TE'$$

$$(\exists) \leftarrow \exists$$

$$E' \rightarrow +TE'$$

$$A \rightarrow \alpha$$

$$A = E', \alpha = +TE'$$

~~FIRST(+TE') = { + }~~  
 $M[E', +] = E' \rightarrow +TE'$

$E' \rightarrow \epsilon$

$A \rightarrow \alpha$

$A = E', \alpha = \epsilon$  then.

$\text{FOLLOW}(E') = \{ \}, \$ \}$

$M[E', \cdot] = E' \rightarrow \epsilon$

$M[E', \$] = E' \rightarrow \epsilon$

$T \rightarrow FT'$

$A \rightarrow \alpha$

$A = T, \alpha = FT'$

$\text{FIRST}(FT') = \text{FIRST}(F) = \{ (, id \}.$

$M[T, (] = T \rightarrow FT'$

$M[T, id] = T \rightarrow FT'$

$T' \rightarrow *FT'$

$A \rightarrow \alpha$

$A = T', \alpha = *FT'$

$\text{FIRST}(*FT') = \{ * \}$

$M[T, *] = T \rightarrow *FT'$

$T' \rightarrow \epsilon$

$A \rightarrow \alpha$

$A = T', \alpha = \epsilon$

$\text{FOLLOW}(T') = \{ +, ), \$ \}$

$M[T', +] = T' \rightarrow \epsilon$

$M[T', \cdot] = T' \rightarrow \epsilon$

$M[T', \$] = T' \rightarrow \epsilon$

$F \rightarrow (E)$

$A \rightarrow \alpha$

$A = F, \alpha = (E)$

$\text{FIRST}((E)) = \{ ( \}$

$M[F, (] = F \rightarrow (E)$

$F \rightarrow id$  $A \rightarrow \alpha$  $A = F, \alpha = id$  $\text{FIRST}(id) = \{id\}$  $M[F, id] = F \rightarrow id$ 

Now the input string  $id + id * id \$$  can be parsed using above table. At the initial configuration the stack will contain start symbol E, in the input buffer input string is placed.

Stack	Input	Action
\$E	$id + id * id \$$	

Now symbol E is at top of the stack and input pointer is at first id, hence  $M[E, id]$  is referred. This entry tells us  $E \rightarrow TE'$ , so we will push  $E'$  first then T

Stack	Input	Action
\$E	$id + id * id \$$	$M[E, id] = E \rightarrow TE' \xleftarrow{\text{pop } E, \text{push } E', \text{push } T}$
\$E'T	$id + id * id \$$	$M[T, id] = T \rightarrow FT' \xleftarrow{\text{pop } T, \text{push } T'}$
\$E'T'F	$id + id * id \$$	$M[F, id] = F \rightarrow id \xleftarrow{\text{pop } F, \text{push } id}$
\$E'T'id	$id + id * id \$$	$M[id, +] = \xleftarrow{\text{pop } id \text{ off the stack, advancing the IP ptr to next I/O symbol.}}$
\$E'T'	$+ id * id \$$	$M[T', +] = T' \rightarrow E$
\$E'	$+ id * id \$$	$M[E', +] = E' \rightarrow +TE'$
\$E'T+	$+ id * id \$$	
\$E'T	$id * id \$$	$M[T, id] = T \rightarrow FT'$
\$E'T'F	$id * id \$$	$M[F, id] = F \rightarrow id$
\$E'T'id	$id * id \$$	
\$E'T'	$* id \$$	$M[T', *] = T' \rightarrow *FT'$
\$E'T'F*	$* id \$$	
\$E'T'F	$id \$$	$M[F, id] = F \rightarrow id$
\$E'T'id	$id \$$	
\$E'T'	$\$$	$M[T', \$] = T' \rightarrow E$
\$E'	$\$$	$M[E', \$] = E' \rightarrow e$
\$	$\$$	Successful