

# Report of Assignment 1

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**NOTE:** The entire code could not be run on a common script but only part 1,3 & 4 are. Part 2 is written in python as with my version of Matlab and OS, I could not find a compatible Matlab code for finding SIFT feature extraction. So please excuse this and run the python code separately.

1 a)

$$X = \begin{bmatrix} a & b & c \\ d & e & f \\ g & h & i \end{bmatrix} \quad F = \begin{bmatrix} w & n \\ y & z \end{bmatrix}$$
$$\begin{pmatrix} az+nd+by+wc & bz+yc+ne+wf \\ zd+ye+ng+wh & ez+fy+nh+iw \end{pmatrix}$$
$$= X * F \quad (\text{valid})$$

b)

$$\begin{pmatrix} az+nd+by+we & bz+yc+ne+wf & wf+zc \\ zd+ye+ng+wh & ez+fy+nh+iw & zf+in \\ zg+yh & zh+yi & zi \end{pmatrix}$$

2 b)

$$(h-i+1, w-j+1)$$

## 2c) CODE:

```
close all;
clear all;
clc;

%1)2 part c

filtk=[1/4 2/4 1/4];
filt2k=filtk;
prompt = 'What is the width of the kernel? ';
x=input(prompt);
prompt='Now select the image, after navigating to its folder';

while(mod(x,2)==0)%Enter only odd kernel width
    prompt = 'Enter odd value? ';
    x=input(prompt);
end
prompt='Now select the image, after navigating to its folder. Type
any integer and press return/enter to continue';
y=input(prompt);
%You need to enter any integer and press enter and then select any
image, that will be feeded into the system
sz=fix(x/2)-1;
for i=1:sz
    filt2k=conv2(filtk,filt2k);%Convolve for the given width
end
image=uigetfile(['.*']);
RGB = (imread(image));
RGB2=imfilter(RGB,filt2k);%Convolving in x-axis
blurred=imfilter(RGB2.',filt2k);%Convolving in y-axis
blurred=blurred.';
figure
subplot(2,1,1)
imshow(RGB);
title('Original Image');

subplot(2,1,2);
imshow(blurred);
title(['Blurred Image with width=' ,num2str(x)]);
```

## END CODE:

To run this code, just enter any integer but it only runs after you enter odd integers. The code reads in Image as input interactively. So, when prompted, press any integer and press enter, browse to the folder containing image and select it. The code blurs it.

## RESULTS:



**2)**

**This code is in python file CV\_@.py**

To run the part 2 code, give the inputs in command line itself, like this:

```
python ./CV_2.py book.pgm scene.pgm
```

**CODE:**

```
import cv2
import sys
import os.path
import numpy as np
import random

def is_invertible(a):
    return a.shape[0] == a.shape[1] and np.linalg.matrix_rank(a) == a.shape[0]
def compare(filename1, filename2):
    img1 = cv2.imread(filename1)      # queryImage
    img2 = cv2.imread(filename2)      # trainImage
    rows,cols,ch = img1.shape
    # pts1 = np.float32([[50,50],[200,50],[50,200]])
    # pts2 = np.float32([[10,100],[200,50],[100,250]])

    # M = cv2.getAffineTransform(pts1,pts2)
    # print(M)
    # Initiate SIFT detector
    sift = cv2.xfeatures2d.SIFT_create()

    # find the keypoints and descriptors with SIFT
    kp1, des1 = sift.detectAndCompute(img1,None)
    kp2, des2 = sift.detectAndCompute(img2,None)
    img3 = cv2.drawKeypoints(img1,kp1,None,(255,255,0),4)
    img4 = cv2.drawKeypoints(img2,kp2,None,(255,255,0),4)
    cv2.imshow('with key points for image 1',img3)
    cv2.waitKey(0)
    cv2.destroyAllWindows('with key points for image 1')
    cv2.imshow('with key points for image 2',img4)
    cv2.waitKey(0)
    cv2.destroyAllWindows('with key points for image 2')
    # BFMatcher with default params
    bf = cv2.BFMatcher()
    matches = bf.knnMatch(des1,des2,k=2)
```

```

good = []
toogood=[]
for m,n in matches:
    if m.distance < 0.9*n.distance:
        good.append([m])
        toogood.append(m)
img3 = cv2.drawMatchesKnn(img1,kp1,img2,kp2,good,None,flags=2)
# print(kp1[1].pt)
# Show the image
cv2.imshow('Matched Features', img3)
cv2.waitKey(0)
cv2.destroyAllWindows('Matched Features')
src_pts = np.uint32([np.round((kp1[m.queryIdx]).pt) for m in toogood ]).reshape(-1,1,2)
dst_pts = np.uint32([ np.round(kp2[m.trainIdx].pt) for m in toogood ]).reshape(-1,1,2)
buf0,buf1,buf2=src_pts.shape
buf1=buf0-1
sum=0
Y=[]
Z=[]
for l in range(0,100):
    #
    (p1,p2,p3)=random.sample(range(0, buf0), 3)

A=np.array([src_pts[p1][0][0],src_pts[p1][0][1],0,0,1,0,0,0,src_pts[p1][0][0],src_pts[p1][0][1],0,
1,src_pts[p2][0][0],src_pts[p2][0][1],0,0,1,0,0,0,src_pts[p2][0][0],src_pts[p2][0][1],0,1,src_pts[p3][0][0],src_pts[p3][0][1],0,0,1,0,0,0,src_pts[p3][0][0],src_pts[p3][0][1],0,1]).reshape(6,6)

B=np.array([dst_pts[p1][0][0],dst_pts[p1][0][1],dst_pts[p2][0][0],dst_pts[p2][0][1],dst_pts[p3][0][0],dst_pts[p3][0][1]]).reshape(6,1)
B=np.asarray(B)
A=np.asarray(A)
if(is_invertible(A)):
    p1=p1
else:
    continue

X=np.linalg.lstsq(A,B)[0]

if(l==0):
    Y.append(X)
M=np.array([X[0][0],X[1][0],X[2][0],X[3][0]]).reshape(2,2)
T=np.array([X[4][0],X[5][0]]).reshape(2,1)
z_local=[]
trpts=[]

```

```

sum_local=0
for i in range(0,buf0):
    trpts.append(np.round(np.add(np.dot(M,(np.array(src_pts[i][:][0])), T.T))))
    if((np.linalg.norm(trpts[i][:][0]-dst_pts[i][:][0]))<=10):
        sum_local=sum_local+1
        z_local.append(i)
if(sum<sum_local):
    sum=sum_local
    Y[0]=X
    Z=np.array(z_local)

A=[]
B=[]
alpha=0
for it in Z:
    alpha=alpha+1
    A.append(np.array([src_pts[it][0][0],src_pts[it][0][1],0,0,1,0]))
    A.append(np.array([0,0,src_pts[it][0][0],src_pts[it][0][1],0,1]))
    B.append(np.array(dst_pts[it][0][0]))
    B.append(np.array(dst_pts[it][0][1]))
X1=np.linalg.lstsq(A,B)[0]
avg=0

H=np.array([X1[0],X1[1],X1[4],X1[2],X1[3],X1[5]]).reshape(2,3)
print(H)
dst = cv2.warpAffine(img1,H,(int(cols*1.5),rows))
cv2.imshow('Input', img1)
cv2.waitKey(0)
cv2.imshow('Output', dst)
cv2.waitKey(0)
cv2.destroyAllWindows('Input')
cv2.destroyAllWindows('Output')

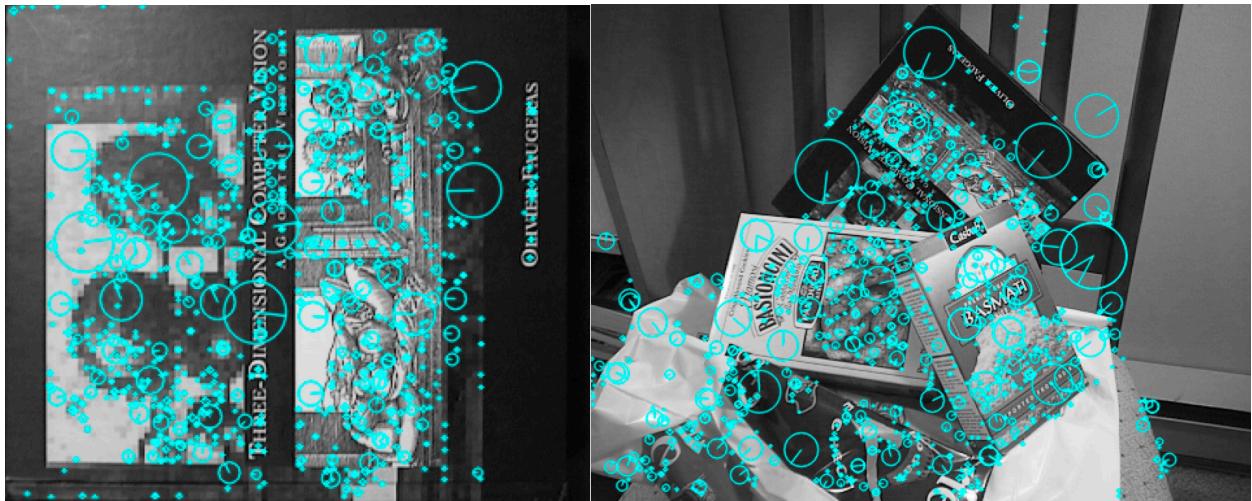
if len(sys.argv) != 3:
    sys.stderr.write("usage: compare.py <queryImageFile> <sorceImageFile>\n")
    sys.exit(-1)

compare(sys.argv[1], sys.argv[2])
END CODE:

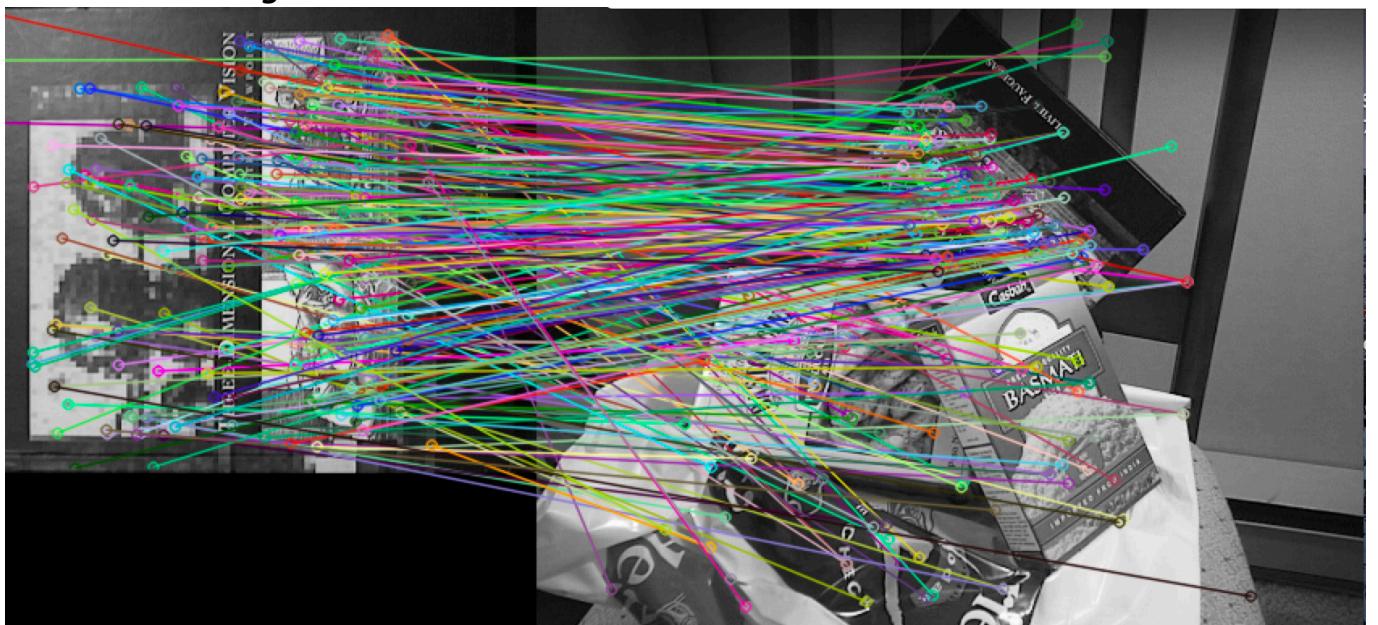
```

## RESULTS:

### *Local Image Regions:*



### *Feature Matching:*



**Transformation Matrix :**

```
[[  0.39999353   0.44917999  135.63981701]
 [ -0.45888482   0.41802308  155.92421455]]
```

**Transformed Image:**



### 3)CODE:

```
% clear all;
% close all;
% clc;
clear all;
close all;
clc;
fileID = fopen('/Users/srinidhigoud/Desktop/assignment1/world.txt','r');
formatSpec = '%lf';
sizeA = Inf;
C = fscanf(fileID,formatSpec,sizeA);
buf=ones(10,1,'double');
X=[C; buf];%Homogeneous form
X=reshape(X,10,4);
fclose(fileID);
fileID = fopen('/Users/srinidhigoud/Desktop/assignment1/image.txt','r');
formatSpec = '%lf';
sizeA = Inf;
B = fscanf(fileID,formatSpec,sizeA);
buf=ones(10,1,'double');
x=[B; buf];%Homogeneous form
x=reshape(x,10,3);
fclose(fileID);
A=zeros(20,12,'double');
j=1;
%Filling matrix A
for i=1:10
    A(j,[5:8])=-1*x(i,3)*X(i,[1:4]);
    A(j,[9:12])=x(i,2)*X(i,[1:4]);
    A(j+1,[1:4])=x(i,3)*X(i,[1:4]);
    A(j+1,[9:12])=-1*x(i,1)*X(i,[1:4]);
    j=j+2;
end
%Finding SVD to find P
[U,S,V]=svd(A,'econ');
P=-reshape(V([1:12],12),4,3);
P=P.';

x2=(P*X.').';%Projection of world points using matrix P
X2=zeros(10,1,'double');
X2=x2([1:10],3);
for i=1:3
    for j=1:10
        x2(j,i)=x2(j,i)/X2(j);
    end
end
```

```

x_actual_points=x
P_projection_matrix=P
x_points_projected_by_P=x2
[U,S,V]=svd(P);%To get nullspace vector of P
C_H=V([1:4],4);
C_homogeneous_form=C_H
for i=1:4;
    C_H(i)=C_H(i)/C_H(4);
end
C=C_H([1:3]);
C_null_space_of_P_inhomogeneous=C
[R Q]=rq(P(:,[1:3]));%RQ decomposition of matrix P for K*(R|-RC)
%We get RQ of -KR that's why only first three columns of P are taken
%R*Q=-KR
%-KRC is last column of P
%-inv(RQ)*P(last column)=C'
C_2=(-1*inv(R*Q)*P(:,4));%RQ decomposition of matrix
C_from_RQ_decomposition_inhomogeneous=C_2

function [R Q]=rq(A)

[m n]=size(A);
if m>n
    error('RQ: Number of rows must be smaller than column');
end

[Q R]=qr(flipud(A).');
R=flipud(R.');
R(:,1:m)=R(:,m:-1:1);
Q=Q.';
Q(1:m,:)=Q(m:-1:1,:);

end
END CODE:

```

## RESULTS:

x\_actual\_points =

5.1177	4.7654	1.0000
5.5237	3.8703	1.0000
7.1631	7.3594	1.0000
5.2222	4.4280	1.0000
5.6048	4.6748	1.0000
13.5949	10.0522	1.0000
8.7345	5.5642	1.0000
6.2243	3.9082	1.0000
9.7476	6.9042	1.0000
5.0903	4.5509	1.0000

P\_projection\_matrix =

0.1270	0.2540	0.3810	0.5080
0.5080	0.3810	0.2540	0.1270
0.1270	0	0.1270	-0.0000

x\_points\_projected\_by\_P =

5.1177	4.7654	1.0000
5.5237	3.8703	1.0000
7.1631	7.3594	1.0000
5.2222	4.4280	1.0000
5.6048	4.6748	1.0000
13.5949	10.0522	1.0000
8.7345	5.5642	1.0000
6.2243	3.9082	1.0000
9.7476	6.9042	1.0000
5.0903	4.5509	1.0000

C\_homogeneous\_form =

-0.5000  
0.5000  
0.5000  
-0.5000

C\_null\_space\_of\_P\_inhomogeneous =

1.0000  
-1.0000  
-1.0000

C\_from\_RQ\_decomposition\_inhomogeneous =

1.0000  
-1.0000  
-1.0000

4)

**CODE:**

```
clear all;
close all;
clc;
S=load('sfm_points.mat');
W=zeros(20,600);
t=zeros(10,2);
l=1;
X=zeros(2,600);
figure
%Just to see if the data will look like a cube finally
for k=1:10
    for i=1:600
        X([1:2],i)=S.image_points(:,i,k);
    end
    subplot(5,2,k)
    plot(X(1,:),X(2,:)))
end
%Recentering the data
```

```

for i=1:10
    sum=zeros(2,1);
    for j=1:600
        y=S.image_points(:,j,i);
        sum=sum+y;
    end

    sum=sum/600;
    t(i,[1:2])=sum;%Matrix t
    for j=1:600
        W([l:l+1],j)=S.image_points(:,j,i)-sum;
    end
    l=l+2;
end
t
[U S V]=svd(W);
M_of_2x3_elements_for_10_images=U(:,[1:3])*S([1:3],[1:3])%Matrix M
rotate3d on
figure
plot3(V(:,1),V(:,2),V(:,3))
END CODE:

```

## RESULTS:

$t^i$  is printed in  $10 \times 2$  matrix with columns corresponding to  $x$   $y$  coordinates of  $x^i$

$t =$

$1.0e-15 *$

0.0550	-0.0070
0.0331	0.0040
-0.1061	0.0125
0.0427	-0.0186
-0.0009	-0.0399
-0.0775	0.0884
0.0122	0.0637
0.0050	0.0027
-0.0094	-0.0215
-0.0021	0.0386

**NOTE:  $M^i$  below is 10 2x3 matrices concatenated column wise:**

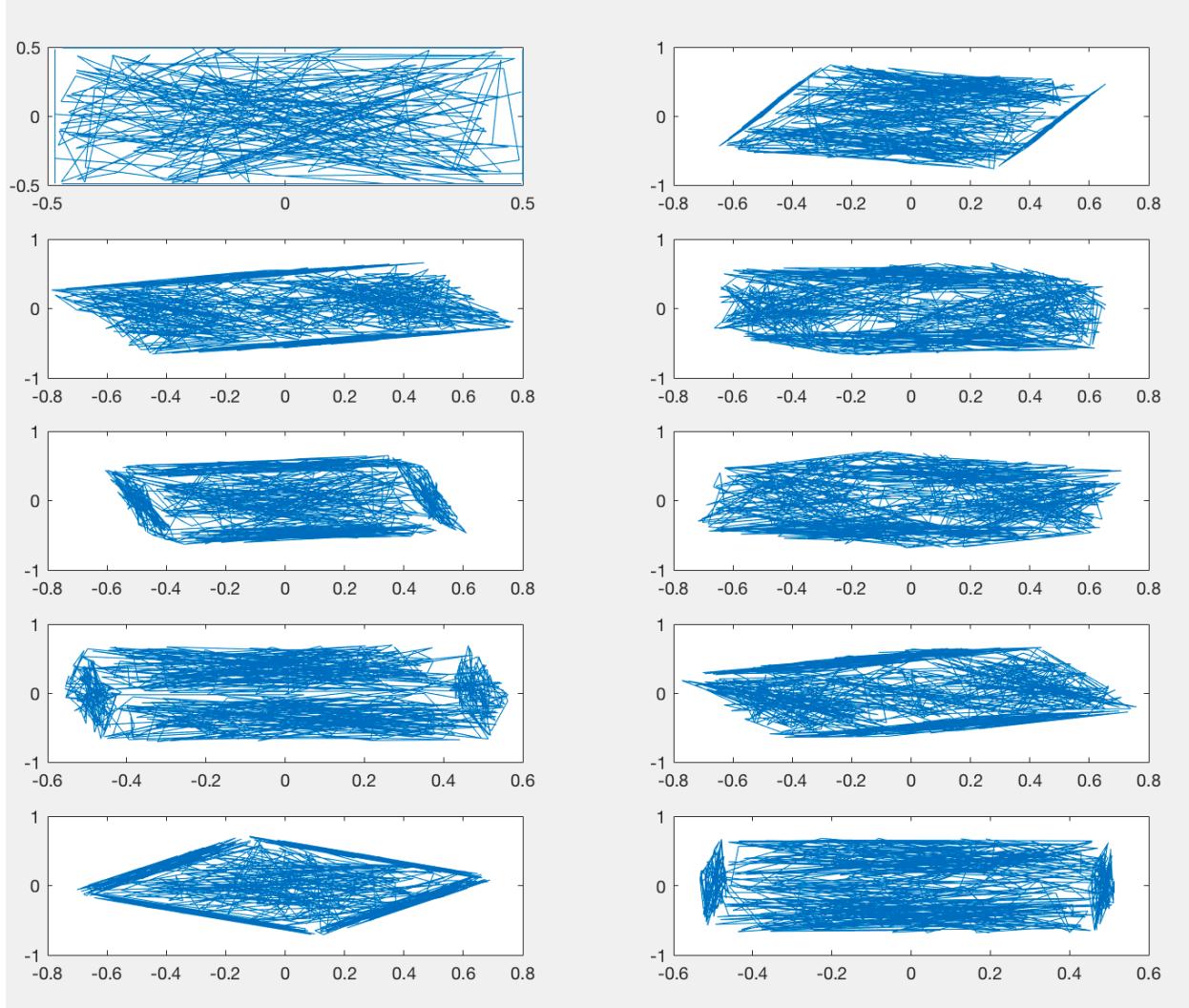
**M\_of\_2x3\_elements\_for\_10\_images =**

-7.5091	3.3084	-3.7176
-4.5375	-1.5777	7.7457
0.1786	-8.5662	-2.4759
9.0517	0.1260	0.7059
8.2531	2.1691	-3.4821
-0.1313	-7.6818	-4.3252
-3.7683	-8.3478	1.2009
8.2760	-3.5067	0.5700
-0.7346	-8.3978	-2.8898
-8.5004	1.6053	-2.5525
8.4569	-2.5653	-1.7939
-3.2895	-6.1037	-5.4464
-2.9667	-7.7884	-3.2299
8.4511	-1.6413	-2.7808
-1.4368	-8.6231	3.0768
-7.9514	-0.2371	-4.1743
8.6278	-2.1233	-1.6361
-0.4175	4.1054	-8.1481
7.4426	-3.7773	3.4002
-5.2285	-5.8248	5.1158

**3D co-ordinates of first 10 points X Y Z**

0.0058	0.0646	-0.0250
0.0006	0.0689	-0.0346
-0.0429	0.0633	0.0286
0.0475	0.0490	-0.0126
-0.0421	0.0679	0.0118
0.0596	0.0461	-0.0144
0.0091	0.0600	-0.0123
0.0104	0.0460	0.0353
-0.0259	0.0570	0.0334
0.0175	0.0405	0.0473

**Data for all 10 frames are plotted to give us an idea of how the projected data might look.**



## Final Projected DATA:

**Note: In Matlab to rotate the data turn 3D-on manually, even though it is included in the code. Click on the 3D-on button on the figure toolbar.**

