Semantic Analysis with Attribute Grammars Part 2

Y.N. Srikant

Department of Computer Science and Automation Indian Institute of Science Bangalore 560 012

NPTEL Course on Principles of Compiler Design



Outline of the Lecture

- Introduction (covered in lecture 1)
- Attribute grammars
- Attributed translation grammars
- Semantic analysis with attributed translation grammars

Attribute Grammars

- Let G = (N, T, P, S) be a CFG and let $V = N \cup T$.
- Every symbol X of V has associated with it a set of attributes
- Two types of attributes: inherited and synthesized
- Each attribute takes values from a specified domain
- A production p ∈ P has a set of attribute computation rules for
 - synthesized attributes of the LHS non-terminal of p
 - inherited attributes of the RHS non-terminals of p
- Rules are strictly local to the production p (no side effects)



Synthesized and Inherited Attributes

- An attribute cannot be both synthesized and inherited, but a symbol can have both types of attributes
- Attributes of symbols are evaluated over a parse tree by making passes over the parse tree
- Synthesized attributes are computed in a bottom-up fashion from the leaves upwards
 - Always synthesized from the attribute values of the children of the node
 - Leaf nodes (terminals) have synthesized attributes (only) initialized by the lexical analyzer and cannot be modified
- Inherited attributes flow down from the parent or siblings to the node in question



Attribute Evaluation Strategy

- Construct the parse tree
- Construct the dependence graph
- Perform topological sort on the dependence graph and obtain an evaluation order
- Evaluate attributes according to this order using the corresponding attribute evaluation rules attached to the respective productions

Attribute Grammar - Example 2

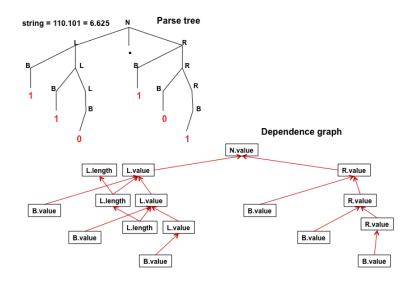
 AG for the evaluation of a real number from its bit-string representation

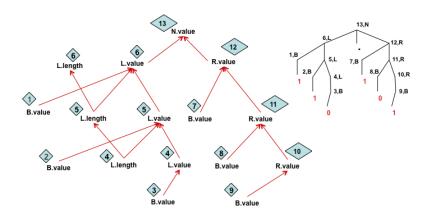
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Example: 110.101 = 6.625
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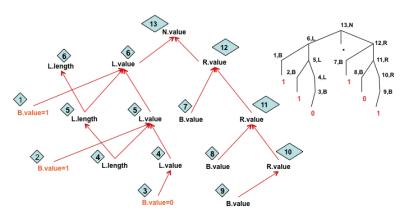
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• N \rightarrow L.R, L \rightarrow BL \mid B, R \rightarrow BR \mid B, B \rightarrow 0 \mid 1
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    AS(N) = AS(R) = AS(B) = {value ↑: real},
    AS(L) = {length ↑: integer, value ↑: real}
    N → L.R {N.value ↑:= L.value ↑ + R.value ↑}
    L → B {L.value ↑:= B.value ↑; L.length ↑:= 1}
    L<sub>1</sub> → BL<sub>2</sub> {L<sub>1</sub>.length ↑:= L<sub>2</sub>.length ↑ +1;
    L<sub>1</sub>.value ↑:= B.value ↑ *2<sup>L<sub>2</sub>.length↑</sup> + L<sub>2</sub>.value ↑}
    R → B {R.value ↑:= B.value ↑ /2}
    R<sub>1</sub> → BR<sub>2</sub> {R<sub>1</sub>.value ↑:= (B.value ↑ +R<sub>2</sub>.value ↑)/2}
    B → 0 {B.value ↑:= 0}
    B → 1 {B.value ↑:= 1}
```

Dependence Graph for Example 2

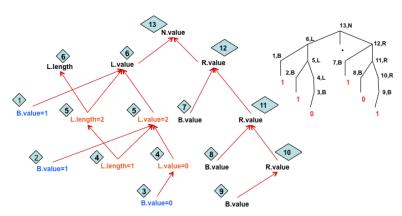






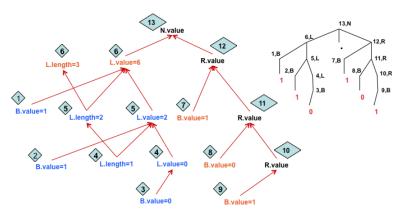
Nodes 1,2: $B \rightarrow 1$ { $B.value \uparrow := 1$ } Node 3: $B \rightarrow 0$ { $B.value \uparrow := 0$ }



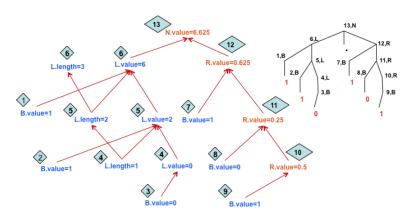


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Node 4: L \rightarrow B {L.value \uparrow := B.value \uparrow; L.length \uparrow := 1}
Node 5: L_1 \rightarrow BL_2 {L_1.length \uparrow := L_2.length \uparrow + 1;
L_1.value \uparrow := B.value \uparrow *2^{L_2.length \uparrow} + L_2.value \uparrow}
```





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Node 6: L_1 \rightarrow BL_2 {L_1.length \uparrow := L_2.length \uparrow + 1; L_1.value \uparrow := B.value \uparrow *2^{L_2.length \uparrow} + L_2.value \uparrow} Nodes 7,9: B \rightarrow 1 {B.value \uparrow := 1} Node 8: B \rightarrow 0 {B.value \uparrow := 0}
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Node 10: R \to B {R.value \uparrow := B.value \uparrow /2}
Nodes 11,12: R_1 \to BR_2 {R_1.value \uparrow := (B.value \uparrow + R_2.value \uparrow)/2}
Node 13: N \to L.R {N.value \uparrow := L.value \uparrow + R.value \uparrow}
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