

Deep Learning



Deep Learning

Lecture: Recap

Ted Scully



Deep Learning



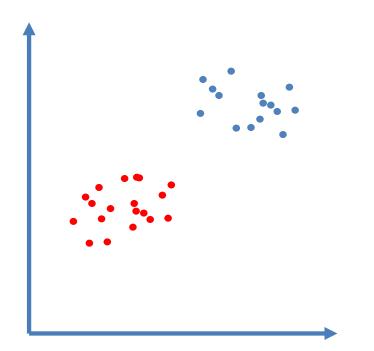
Deep Learning

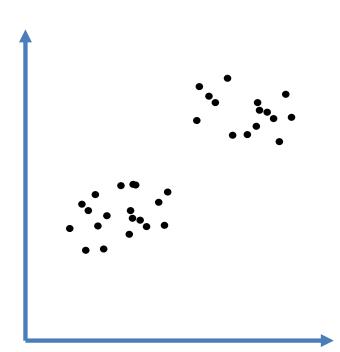
Lecture: Generative Adversarial Networks

Ted Scully

Supervised v Unsupervised ML

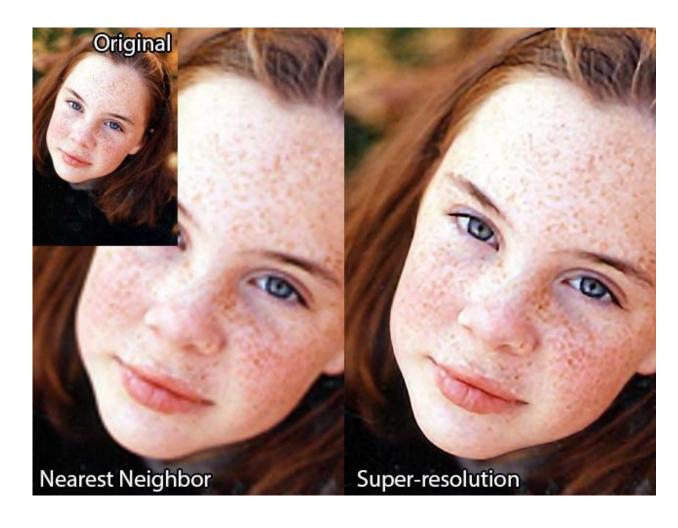
- At this stage you should be comfortable with the distinction between supervised and unsupervised machine learning.
- Data in supervised machine learning is labelled (feature vectors + labels).
- Data in unsupervised machine learning is not labelled (feature vectors)
- GANs are unsupervised learned (but use a supervised component)



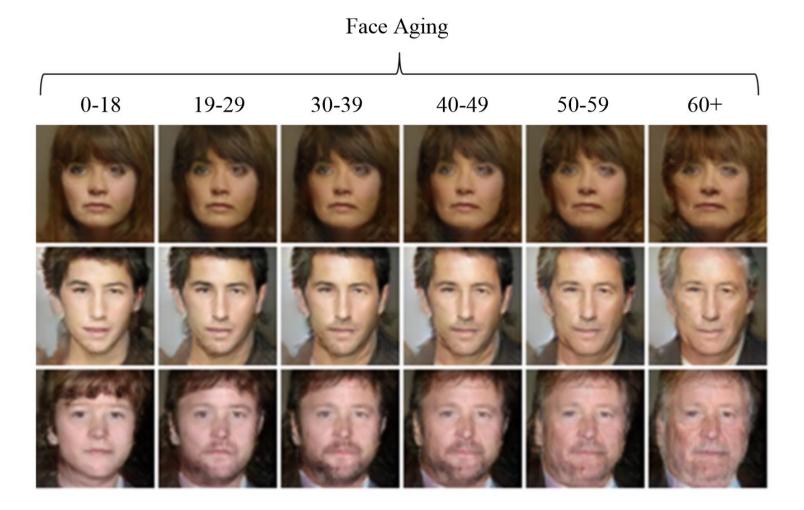


Rationale for Study of Generative Modelling

- Generative modelling can be used for a broad range of problems.
- Much of the high impact applications for GANs are in image to image translation.
- For example it has been applied to image superresolution: In this task, the goal is to take a low resolution image and synthesize a high-resolution equivalent.



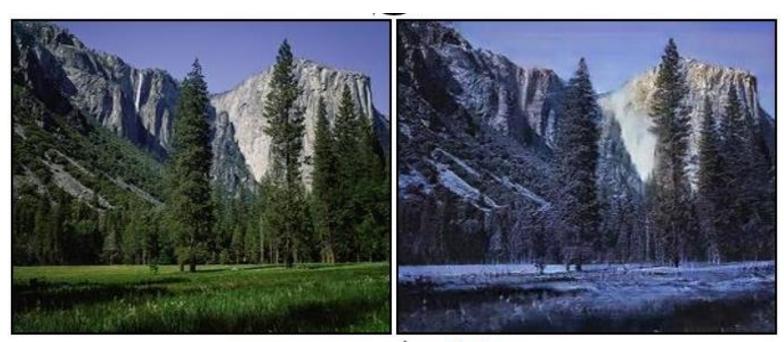
 Taking as input an original image and producing an aged version of the image.







https://arxiv.org/pdf/1611.07004.pdf



summer → winter



photo → Monet

<u>Unpaired Image-to-Image Translation using Cycle-Consistent Adversarial Networks - 2017</u>

However, GANs despite the high profile image to image applications, GANs have also been applied to more practical tasks as well.

- Adversarial Machine Learning
- Anomaly Detection
- Data Augmentation

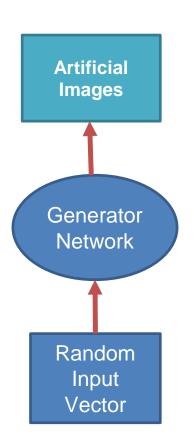
GANs

- Learning a generative adversarial network takes the form of a <u>zero sum game</u>. In game theory a zero sum game occurs when the gain of one player(s) is equivalent (is balanced out) by the loss of the other player(s).
- A GAN is typically composed of two different models that play a zero sum game against each other.
- One of the models is called the **generator**, the objective of the generator is to generate samples that resemble those that are in the original training distribution.
- The other model is referred to as the <u>discriminator</u>. It is used during the training process.
 The objective of the discriminator is to take a sample and determine if that sample is real or fake.
- The **discriminator** learns using traditional **supervised learning** techniques, dividing inputs into two classes (real or fake).
- The generator in contrast is trained to fool the discriminator.

Counterfeiter Analogy

- A common analogy used to explain the interaction between a discriminator and a generator is that of the relationship between a counterfeiter and the police.
- The generator is the counterfeiter, attempting to generate fake money
- The <u>discriminator</u> is the <u>police</u>, trying to differentiate between legitimate and counterfeit money.
- When the game starts the counterfeiter may make poor counterfeit notes and the police will learn to differentiate easily between them.
- However, the counterfeiter will learn to produce better quality counterfeit notes.
 Ultimately the goal of the counterfeiter is to learn to make money that is indistinguishable from genuine money.
- In other words the goal of the generator network is <u>learn to generate samples from</u>
 the same distribution as the training data.

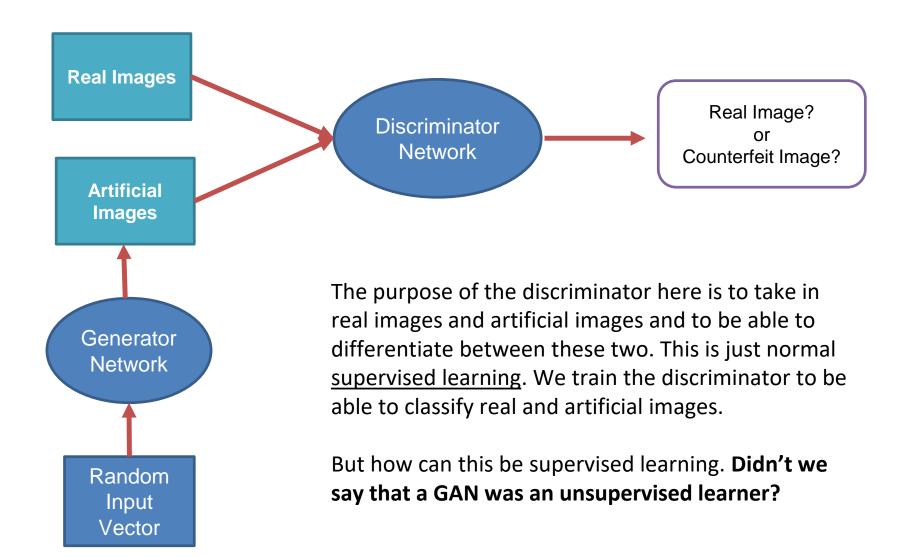
GAN Structure - Generator

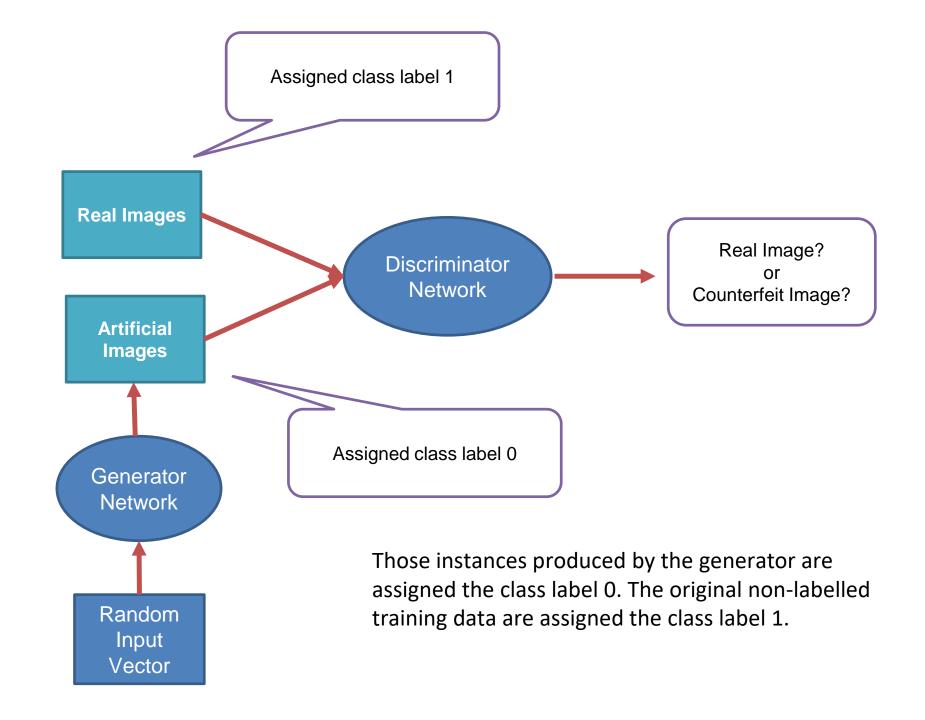


 As we mentioned, in a GAN we are actually training two separate networks. We are going to look at GANs in the context of generating images.

• In the image below we show the high level depiction of the first network, **the generator**. The generator is typically a deep learning neural network or in the case of images a convolutional network.

GAN Structure - Discriminator





- For number of training iterations repeat:
 - Generate a mini-batch sample of m artificial images using the generator.
 - Select a mini-batch of m training images.
 - Train the discriminator using these two mini-batches
 - Generate a new batch of artificial images using the generator.
 - Push the output of the generator through the discriminator
 - Update the generator using stochastic gradient descent

The slide depicts the high level steps for training a GAN. You will likely have a number of **questions** after you have after reading this description. How exactly do we generate artificial images using the generator. What is the objective cost function being used? We will look at this a little more formally over the next few slides.

Formal Description of GAN

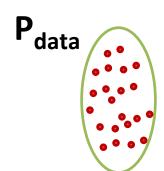
We refer to our training data as X that consists of individual data instances x ($x \in X$). We refer to the distribution of X as P_{data}

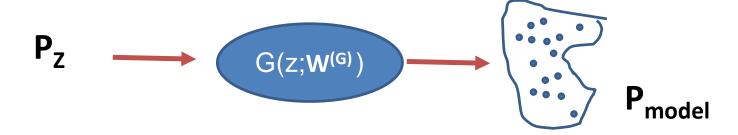
We refer to the discriminator as the function \mathbf{D} and it's parameters as $\mathbf{W}^{(D)}$

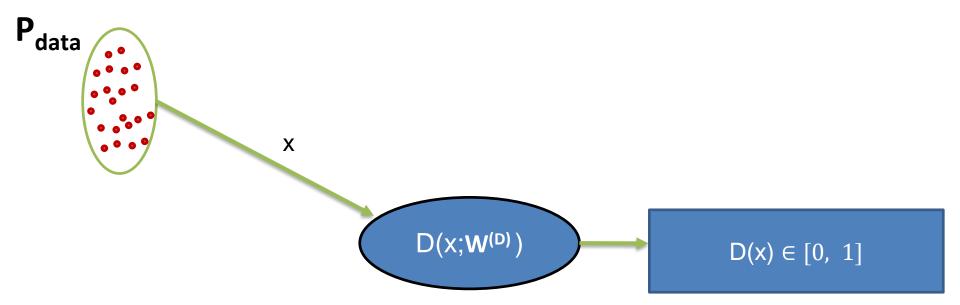
The generator is defined by a function **G** that takes a random vector **z** as input and uses $\mathbf{W}^{(G)}$ as parameters. The random vector **z** is sampled randomly from a distribution we refer to as $\mathbf{P}_{\mathbf{z}}$.

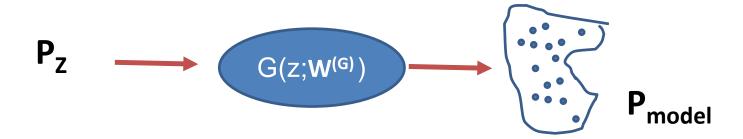
The generator function produces as output G(z). The objective of G is to learn appropriate parameters for $W^{(G)}$ so that the distribution of generated data points (which we will refer to as P_{model}) closely approximates P_{data} .

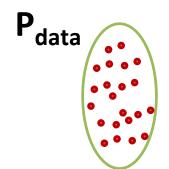
Notation use is based on notation used by Goodfellow in https://papers.nips.cc/paper/5423-generative-adversarial-nets.pdf

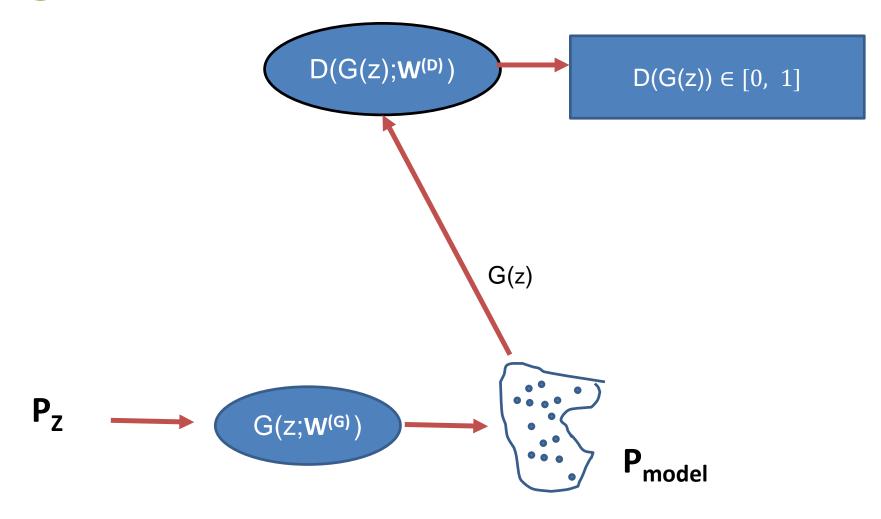


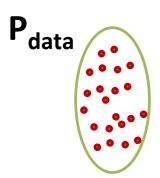


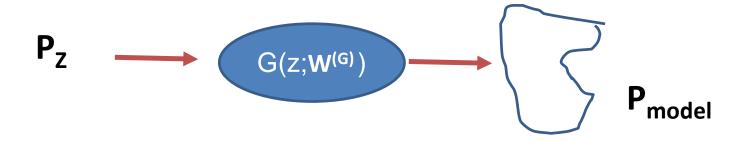


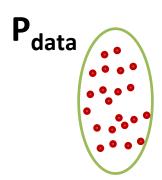


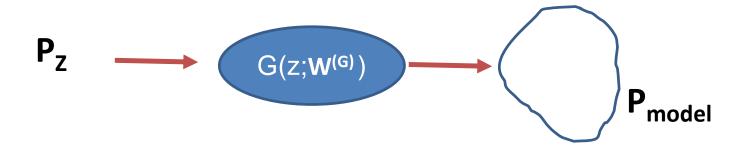


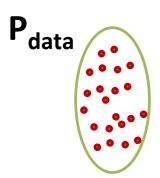


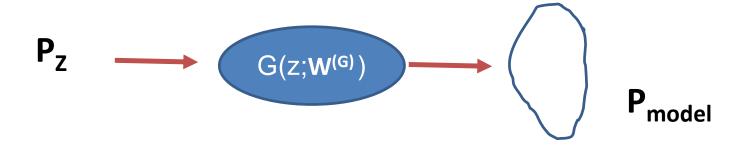


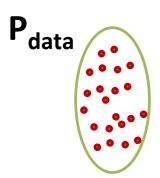


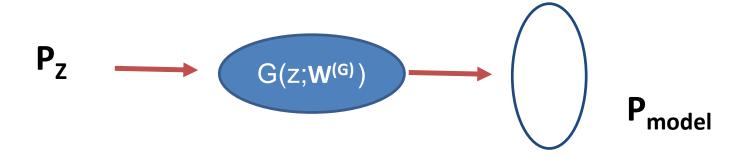












The loss function that is used for the discriminator is the minimize the average binary cross entropy loss. In the notation below we represent this for just one instance:

$$\frac{1}{m} \sum_{i=1}^{m} \left[-\log \left(D(x^{i}) \right) - \log \left(1 - D(G(z^{i})) \right) \right]$$

Where:

- m is the total number of instances generated from the generator and the total number of instances take from the training set (it is the batch size)
- $D(x^i)$ is the value predicted by the discriminator when a real image x^i is inputted into the discriminator.
- $D(G(z^i))$ is the value predicted by the discriminator when an artificial image (generator by the generator) $G(z^i)$ is inputted into the discriminator.

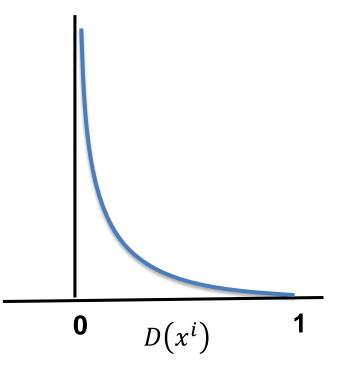
$$\frac{1}{m} \sum_{i=1}^{m} \left[-\log(D(x^i)) - \log(1 - D(G(z^i))) \right]$$

So let's consider that the input is from original training data. We know the true label of all these image are **1**.

The loss for when the input is from the original training data is just:

$$\log(D(x^i))$$

Notice the closer $D(x^i)$ gets to 1 then the smaller the value of $log(D(x^i))$



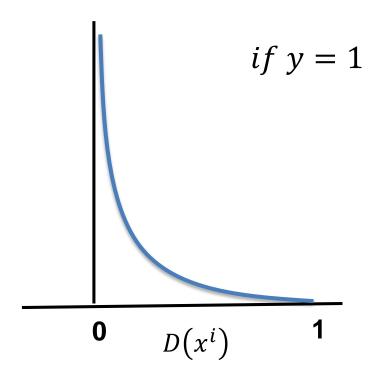
$$\frac{1}{m} \sum_{i=1}^{m} \left[-\log\left(D(x^{i})\right) - \log(1 - D(G(z^{i}))\right]$$

Good Scenario:

 $D(x^i)$ is close to 1. Notice the loss is very small.

Bad Scenario:

 $D(x^i)$ is close to 0. Notice the loss is very small.

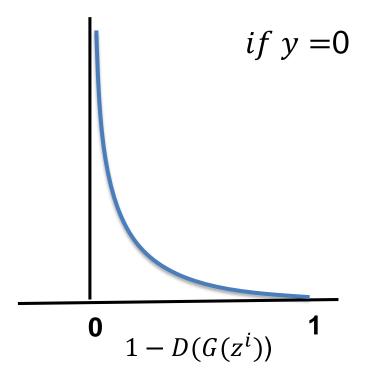


$$\frac{1}{m} \sum_{i=1}^{m} \left[-\log\left(D(x^{i})\right) - \log(1 - D(G(z^{i}))\right]$$

So let's consider that the input is from the <u>generator</u>, which has a true label of **0**.

The loss is: $\log (1 - D(G(z^i)))$

Notice the closer $D\big(G(z^i)\big)$ gets to 0 the closer the value of $\Big(1-D\big(G(z^i)\big)\Big)$ gets to 1 and the smaller the resulting loss



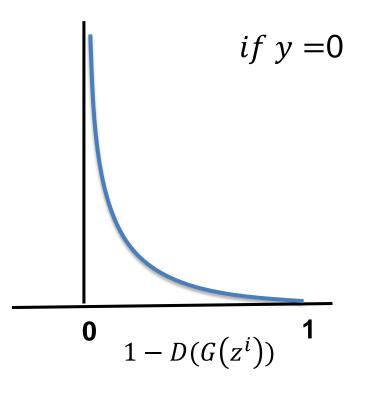
$$\frac{1}{m} \sum_{i=1}^{m} \left[-\log\left(D(x^{i})\right) - \log(1 - D(G(z^{i})) \right]$$

Good Scenario

 $D(G(z^i))$ is close to 0. Which means that $1-D(G(z^i))$ is close to 1, which as we see means a low loss.

Bad Scenario:

 $D(G(z^i))$ is close to 1. Which means that $1-D(G(z^i))$ is close to 0, which results in a high loss.



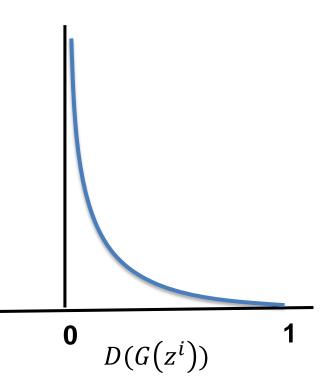
Loss Function for the Generator

The generator attempts to minimize the following loss function (in other words it wants to):

$$\frac{1}{m} \sum_{i=1}^{m} -\log(D(G(z^{i})))$$

Remember the generator wants to produce output that will fool the discriminator.

In other words it wants the output of the discriminator to be as close as possible to 1.



Loss Function for the Generator

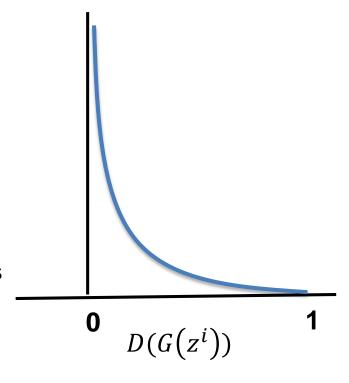
The generator attempts to minimize the following loss function (in other words it wants to):

$$\frac{1}{m} \sum_{i=1}^{m} -\log(D(G(z^{i})))$$

Good Scenario (from the generators perspective):

If $D(G(z^i))$ is close to 1.

This means the discriminator believes with a high confidence that z^i is real. Therefore, $\log(D(G(z^i)))$ is close to 0. (*low loss*)



Loss Function for the Generator

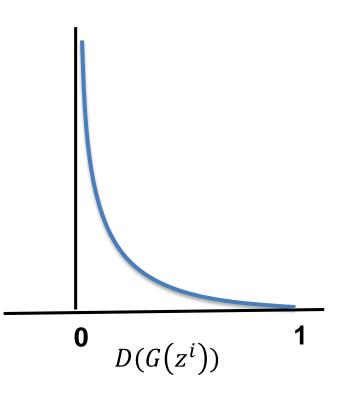
The generator attempts to minimize the following loss function (in other words it wants to):

$$\frac{1}{m} \sum_{i=1}^{m} -\log(D(G(z^{i})))$$

Bad Scenario (from the generators perspective):

If $D(G(z^i))$ is close to 0.

This means the discriminator believes with a high confidence that z^i is not a real instance. Therefore, $\log(D(G(z^i)))$ is close to very high (*high loss*).



- For a number of training iterations repeat:
 - Sample a mini-batch of m noise samples $\{z^1, z^2, ... z^m\}$ from P_z
 - Sample a mini-batch of m training images {x¹, x², .. x^m} from P_{data}.
 - Update the discriminator using stochastic gradient descent using the following loss function:

$$\frac{1}{m}\sum_{i}^{m} -\log(D(x^{i})) - \log(1 - D(G(zi)))$$

- Sample a mini-batch of m noise samples $\{z^1, z^2, ... z^m\}$ from P_z
- Update the generator with stochastic gradient ascent using the following loss function

$$\frac{1}{m}\sum_{i}^{m}-log(D(G(zi)))$$

- For a number of training iterations repeat:
 - Sample a min
 - Sample a min
 - Update the difference following loss

The discriminator is trying to ensure that it predicts data items coming from the generator as 0 and training data items as 1. Maximizing this loss function enables that.

$$\frac{1}{m}\sum_{i}^{m} -\log(D(x^{i})) - \log(1 - D(G(zi)))$$

- Sample a mini-batch of m noise samples $\{z^1, z^2, ... z^m\}$ from P_z
- Update the generator with stochastic gradient ascent using the following loss function

$$\frac{1}{m}\sum_{i}^{m}-log(D(G(zi)))$$

Notice that the generator model is only concerned with the discriminator's performance on fake examples.

Remember the generator wants the output of the discriminator to be as close to 1 as possible for the artificial data items it produces. The closer D(G(zi)) gets to 1 the lower the resulting log value.

om P_z om P_{data}. nt using the

$$\frac{1}{n}\sum_{i}^{m} -\log(D(x^{i})) - \log(1 - D(G(zi)))$$

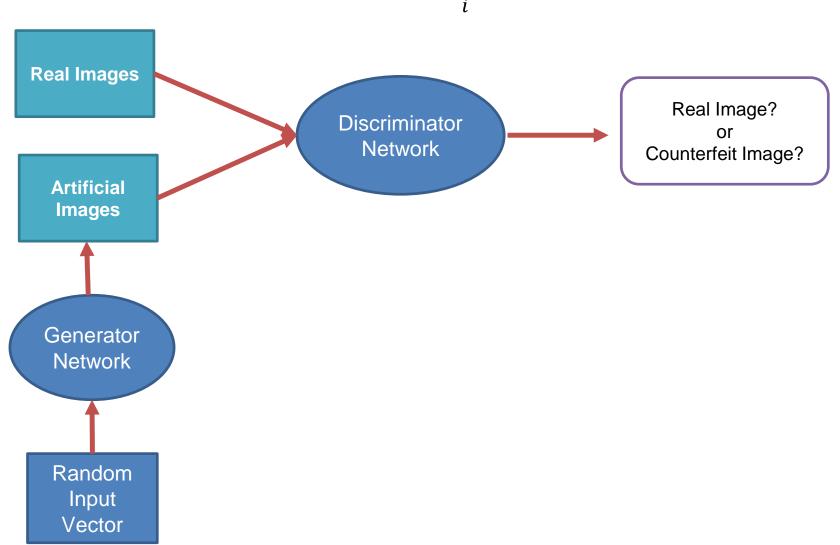
- Sample a mini-
- Update the general function

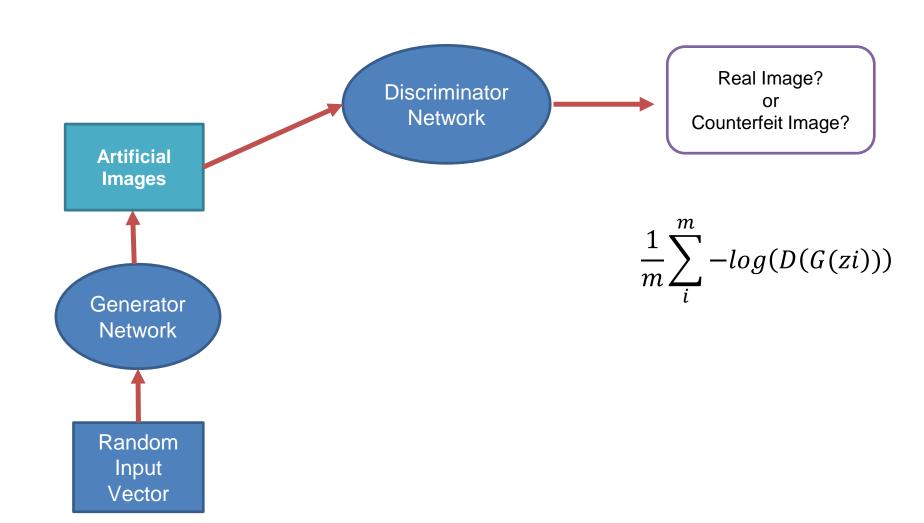
of m noise samples $\{z^1, z^2, ... z^m\}$ from P_z

r with stochastic gradient ascent using the following loss

$$\frac{1}{m}\sum_{i}^{m}-log(D(G(zi)))$$

$$\frac{1}{m}\sum_{i}^{m} -\log(D(x^{i})) - \log(1 - D(G(z^{i})))$$





Building a Deep Convolutional GAN

Over the next few slides we will look at implementing a Deep Convolutional Generative Adversarial Network for generating MNIST images.

This is very much the "Hello World" of GANs but it is a excellent way of solidifying your understanding of operational aspect of a GAN model.

The DCGAN was first published by **Alec Radford** in 2015 in paper entitled "**Unsupervised Representation Learning with Deep Convolutional Generative Adversarial Networks**". The full text is available here.

There are many different variants and architectures. The implementation that follows is based on Radford's original paper (here) and is based on the implementations provided here and here)

- Our initial step is to build the discriminator model.
- The discriminator model takes a sample image from our dataset (shape (28,28,1)) as input and outputs a binary classification prediction (either the input image is real of fake).
- The following is the architecture of the discriminator model.

Layer (type)	Output Shape	Param #
conv2d_29 (Conv2D)	(None, 14, 14, 64	======================================
leaky_re_lu_47 (Leak	yReLU) (None, 14, 14,	, 64) 0
dropout_20 (Dropout)	(None, 14, 14, 64)) 0
conv2d_30 (Conv2D)	(None, 7, 7, 128)	204928
leaky_re_lu_48 (Leak	yReLU) (None, 7, 7, 12	28) 0
dropout_21 (Dropout)	(None, 7, 7, 128)	0
flatten_10 (Flatten)	(None, 6272)	0
dense_19 (Dense)	(None, 1)	6273

Total params: 212,865 Trainable params: 212,865 Non-trainable params: 0

```
import numpy as np
import tensorflow as tf
from tensorflow.keras import layers
from matplotlib import pyplot
def discriminator(shape):
           model = tf.keras.models.Sequential()
           model.add(layers.Conv2D(64, (5,5), strides=(2, 2), padding='same', input_shape=shape))
           model.add(layers.LeakyReLU())
           model.add(layers.Dropout(0.3))
           model.add(layers.Conv2D(128, (5,5), strides=(2, 2), padding='same'))
           model.add(layers.LeakyReLU())
           model.add(layers.Dropout(0.3))
           model.add(layers.Flatten())
           model.add(layers.Dense(1, activation='sigmoid'))
           # compile model
```

model.compile(loss='binary_crossentropy', optimizer=opt, metrics=['accuracy'])

opt = tf.keras.optimizers.Adam(lr=0.0002, beta_1=0.5)

return model

import numpy as no import tensorflow a from tensorflow.ke from matplotlib imp

def discriminator

model

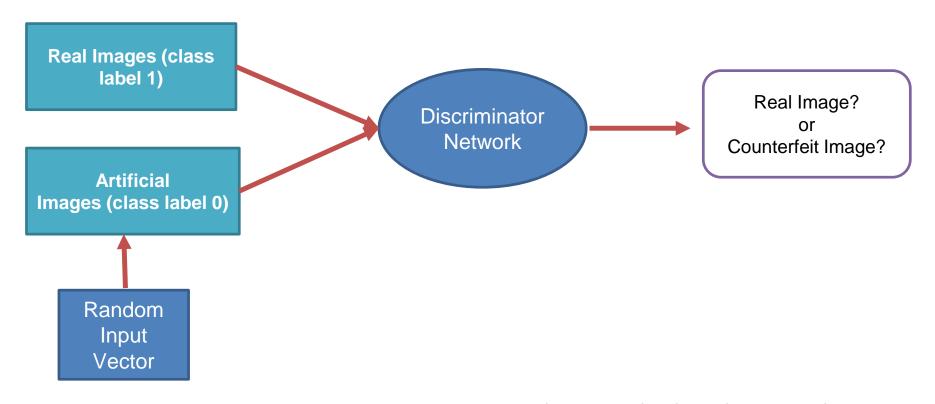
The selection of the optimization parameter values are based on previous published work. Training GANs is a challenging task and parameter values such as those adopted below have proved relatively stable for ensuring a stable training process. These are empirically derived and are in no means optimal for all problems. In reality they have worked well for a subset of a problem. There is no underpinning hard theoretical justification for the adoption of these values.

```
model.add(layers.LeakyReLU())
model.add(layers.Dropout(0.3))

model.add(layers.Conv2D(128, (5,5), strides=(2, 2), padding='same'))
model.add(layers.LeakyReLU())
model.add(layers.Dropout(0.3))

model.add(layers.Flatten())
model.add(layers.Dense(1, activation='sigmoid'))

# compile model
opt = tf.keras.optimizers.Adam(lr=0.0002, beta_1=0.5)
model.compile(loss='binary_crossentropy', optimizer=opt, metrics=['accuracy'])
return model
```



So as a reminder we go back to the general architecture of a GAN. We will initially just implement a basic variant without the generator. Then in step 2 we will add the generator.

- As we know the purpose of the discriminator is to differentiate between artificial and real images.
- We could now start training the discriminator using real examples of MNIST (which
 we will associate with class label 1) images and randomly generated samples
 (which we will associate with class label 0).
- The code below will allow us to load real images from the MNIST dataset.
- Train data by default is (60000, 28, 28) but we reshape it to be (60000, 28, 28, 1)

```
def load_real_data():

(trainX, train_labels), (_, _) = tf.keras.datasets.mnist.load_data()

# MNIST images are 2D, here we add an extra dimension

X = np.expand_dims(trainX, axis=-1)

X = X.astype('float32')

# normalize data

X = X / 255.0

return X
```

 The function below, get_real_samples() takes in the training dataset as an argument and returns a random batch of images along with the class label for each image (the class label for each real image is set to one)

```
def get_real_samples(dataset, n_samples):
  # randomly generate indices to extract from training set
  indicies = np.random.randint(0, dataset.shape[0], n_samples)
  # extract batch of slected images
  X = dataset[indicies]
  # set class label to 1
  y = np.ones((n_samples, 1))
  return X, y
```

- So now that we have real examples, let's just generate some fake examples so we can validate that our discriminator is working properly.
- Please note we will not use this code in our final GAN. This is just used to initially test our discriminator to illustrate it can differentiate between fake and real images.

```
def generate_fake_samples(n_samples):

X = np.random.rand(28 * 28 * n_samples)

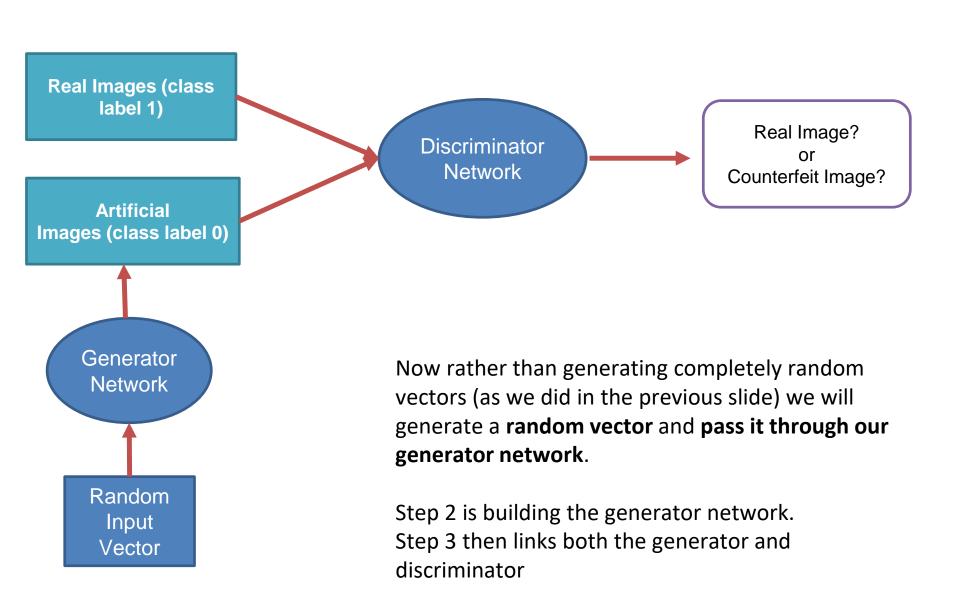
# reshape into a batch of grayscale images
X = X.reshape((n_samples, 28, 28, 1))

# generate class labels for fake images
y = np.zeros((n_samples, 1))
return X, y
```

```
def train_discriminator(model, dataset, n_iter=100, n_batch=256):
 for i in range(n_iter):
   X_real, y_real = fetch_real_samples(dataset, n_batch)
   _, real_acc = model.train_on_batch(X_real, y_real)
   X_fake, y_fake = generate_fake_samples(n_batch)
   _, fake_acc = model.train_on_batch(X_fake, y_fake)
   print("Epoch ",i+1,": Real Accuracy ", real_acc, " Fake Accuracy ",fake_acc)
shape=(28,28,1)
disc_model = discriminator(shape)
# load image data
dataset = load real data()
# train model
train_discriminator(disc_model, dataset)
```

- We can see from the output that the discriminator easily learns to differentiate between real images and fake images.
- The full code for step 1 code can be found <u>here</u>.
- Next we move on to step 2 where we introduce our generator model.

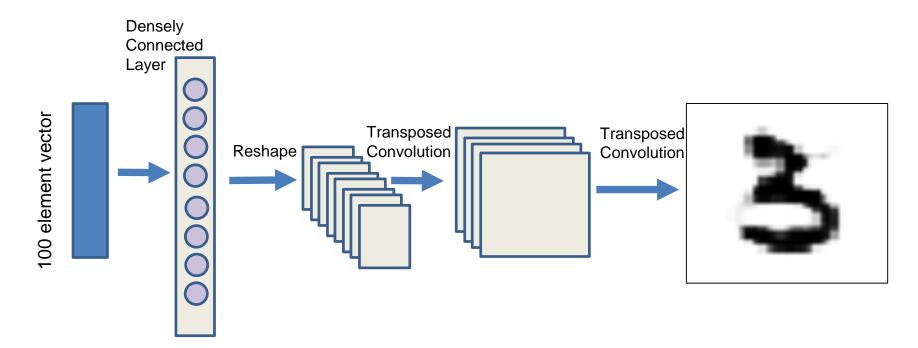
```
Batch 1: Real Accuracy 0.28125 Fake Accuracy 0.0
Batch 2: Real Accuracy 0.75 Fake Accuracy 0.609375
Batch 3: Real Accuracy 0.828125 Fake Accuracy 1.0
Batch 4: Real Accuracy 0.734375 Fake Accuracy 1.0
Batch 5: Real Accuracy 0.8125 Fake Accuracy 1.0
Batch 6: Real Accuracy 0.7890625 Fake Accuracy 1.0
Batch 7: Real Accuracy 0.8125 Fake Accuracy 1.0
Batch 8: Real Accuracy 0.8984375 Fake Accuracy 1.0
Batch 9: Real Accuracy 0.9375 Fake Accuracy 1.0
Batch 10: Real Accuracy 0.90625 Fake Accuracy 1.0
Batch 11: Real Accuracy 0.953125 Fake Accuracy 1.0
Batch 12: Real Accuracy 0.953125 Fake Accuracy 1.0
Batch 13: Real Accuracy 0.9609375 Fake Accuracy 1.0
Batch 14: Real Accuracy 0.984375 Fake Accuracy 1.0
Batch 15: Real Accuracy 0.984375 Fake Accuracy 1.0
Batch 16: Real Accuracy 0.9921875 Fake Accuracy 1.0
Batch 17: Real Accuracy 1.0 Fake Accuracy 1.0
Batch 18: Real Accuracy 1.0 Fake Accuracy 1.0
```



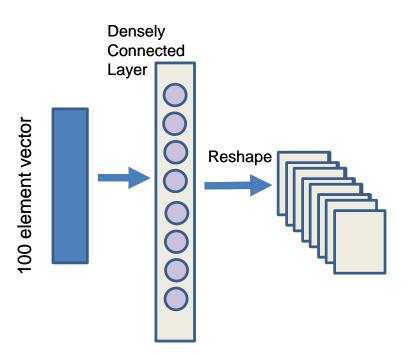
- The objective of the generator model (as previously described) is to take in a randomly generated vector and generate new (artificial) plausible images of handwritten digits.
- Therefore, the <u>input</u> in this case is a 100 element vector of Gaussian random numbers.
- The <u>output</u> is a two-dimensional square grayscale image of 28 x 28 pixels



- The most common architecture for implementing the generator model involves two main elements.
- The first is to pass the random vector through a densely connected network.
- The second element involves up-sampling the low resolution image to a higher resolution image. This process is referred to as a transposed convolution.
- (You might notice that this architecture is like a reverse architecture for a traditional convolutional neural network)



- In the first section of our generator we pass our 100 element vector into a densely connected layer. This produces a set of activations which we then reshape.
- In the code we use a densely connected layer with a **12544** (7*7*256) neurons. We then reshape the output activations into a **7*7*256 data structure**.
- You can view the resulting data structure as a collection of feature maps (even through no filters have been applied yet) containing multiple low resolution images.



Up-sampling

- You will remember that convolutional neural networks tend to down-sample the spatial size of feature maps. For example, max pooling will typically half the size of a feature map. Likewise a convolution operation without padding will have the same impact.
- The generator model requires the inverse of this. It needs to take coarse features and produce a spatially larger more dense set of features. This is referred to as the process of up-sampling.
- A very basic method of up-sampling is called <u>un-pooling</u> as shown below.
- You will notice that this there is no learning in the process.

1	2
3	4

1	1	2	2
1	1	2	2
3	3	4	4
3	3	4	4

Transposed Convolutions for Up-sampling

 A widely used mechanism of up-sampling used in Generative Adversarial Networks is referred to as <u>transposed convolutions</u> (also sometimes referred to as a deconvolutional operation).

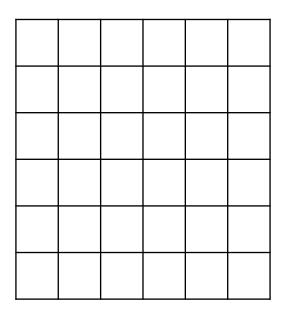
Now let's consider a <u>transpose convolution</u>. We look at a **4*4 feature map** and we want to **up-sample** it to a **6*6 image**.

In this example we perform a 3*3 transpose convolution with stride of 1.

Original

1	1	1	1
1	1	1	1
1	1	1	1
1	1	1	1

1	2	1
1	2	1
1	2	1



Transposed Convolutions for Up-sampling

Now let's consider a <u>transpose convolution</u>. We look at a **4*4 feature map** and we want to **up-sample** it to a **6*6 image**.

In this example we perform a 3*3 transpose convolution with stride of 1.

Original

1	1	1	1
1	1	1	1
1	1	1	1
1	1	1	1

1	2	1
1	2	1
1	2	1

We take the **first value** of the incoming matrix 1 (highlighted in green below).

We then **multiply** it by the each separate **values in the filter**. The resulting 3*3 matrix is then stored as the upper left hand portion of the image (highlighted in red).

We then repeat this process for each value in the original matrix.

Original

1	7	1	1
1	1	1	1
1	1	1	1
1	1	1	1

1	2	1
1	2	1
1	2	1

1	2	1		
1	2	1		
1	2	1		

We take the second value of the incoming matrix 1 (highlighted in green below).

We then multiply it by the each separate value in the filter. The resulting 3*3 matrix is then stored as the upper left hand portion of the image (one digit to the right of the last position). This is highlighted in blue below.

Where overlapping values occur they are added together.

Original

1	1	1	1
1	1	1	1
1	1	1	1
1	1	1	1

1	2	1
1	2	1
1	2	1

1	3	3	1	
1	3	3	1	
1	3	3	1	

We then repeat this process for each value in the original matrix.

Original

1	1	1 _	1
1	1	1	1
1	1	1	1
1	1	1	1

1	2	1
1	2	1
1	2	1

1	3	4	3	1	
1	3	4	3	1	
1	3	4	3	1	

We then repeat this process for each value in the original matrix.

Original

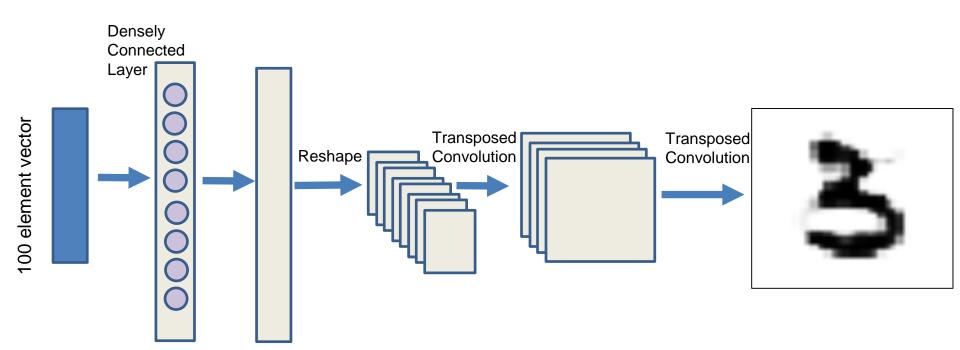
1	1	1	1
1	1	1	1
1	1	1	1
1	1	1	1

1	2	1
1	2	1
1	2	1

1	2	4	4	3	1
1	2	4	4	3	1
1	2	4	4	3	1

tf.keras.layers.Conv2DTranspose

- TensorFlows tf.keras provides a Conv2DTranspose implementation with the following main arguments.
- filters: Integer value that specifies the number of output filters in the convolution.
- kernel_size
- strides
- padding: one of "valid" or "same"
- Notice as we get deeper into our network we decrease the number of filters until in the final layer we just use a single filter.



```
def generator(noise_dim):
  model = tf.keras.models.Sequential()
  # densely connected layer
  model.add(layers.Dense(7*7*256, input_shape= noise_dim))
  model.add(layers.LeakyReLU())
  model.add(layers.Reshape((7, 7, 256)))
  model.add(layers.Conv2DTranspose(128, (5, 5), strides=(1, 1), padding='same'))
  model.add(layers.LeakyReLU())
  model.add(layers.Conv2DTranspose(64, (5, 5), strides=(2, 2), padding='same'))
  model.add(layers.LeakyReLU())
  model.add(layers.Conv2DTranspose(1, (5, 5), strides=(2, 2), padding='same', activation='sigmoid'))
  return model
```

Layer (type)	Output	Shape	Param #
dense_1 (Dense)	(None,	12544)	12556544
leaky_re_lu (LeakyReLU)	(None,	12544)	0
reshape (Reshape)	(None,	7, 7, 256)	0
conv2d_transpose (Conv2DTran	(None,	7, 7, 128)	819328
leaky_re_lu_1 (LeakyReLU)	(None,	7, 7, 128)	0
conv2d_transpose_1 (Conv2DTr	(None,	14, 14, 64)	204864
leaky_re_lu_2 (LeakyReLU)	(None,	14, 14, 64)	0
conv2d_transpose_2 (Conv2DTr	(None,	28, 28, 1)	1601

Total params: 13,582,337

Trainable params: 13,582,337

Non-trainable params: 0

- Push randomly generated data through our generator model and visualize it.
- In our example we will set the **noise_dim to 100** and the **batch_size to 256**. Therefore, in the first line we just generate **25,600** numbers randomly from a normal distribution and we next reshape this into an **256** rows, where each row is 100 elements in length.

```
def generate_fake_samples(g_model, noise_dim, n_samples):
  # generate random data points of size noise_dim
  x = np.random.randn(n samples * noise dim)
  # reshape into a batch of inputs for the network
  x_data = x.reshape(n_samples, noise_dim)
  # push data through the generator model
  x = g_model.predict(x_data)
  # set class labels to 0 for artificial data
  y = np.zeros((n_samples, 1))
  return x, y
```

- So now we put the two stages together.
- First we create our generator model.
- Next we generate fake example images from the generator using our randomly generated data (the shape of x below is (25, 28, 28, 1)).
- Full code for Step 2 available <u>here</u>.

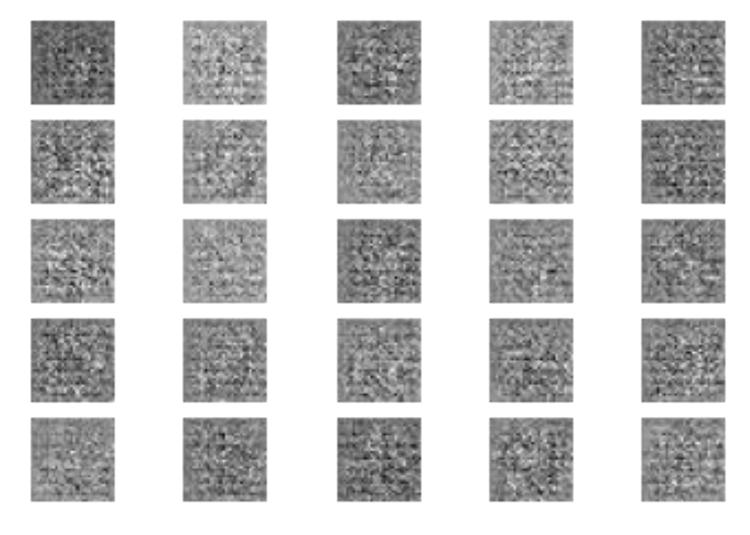
```
noise_dim = 100

# generate samples
n_samples = 25

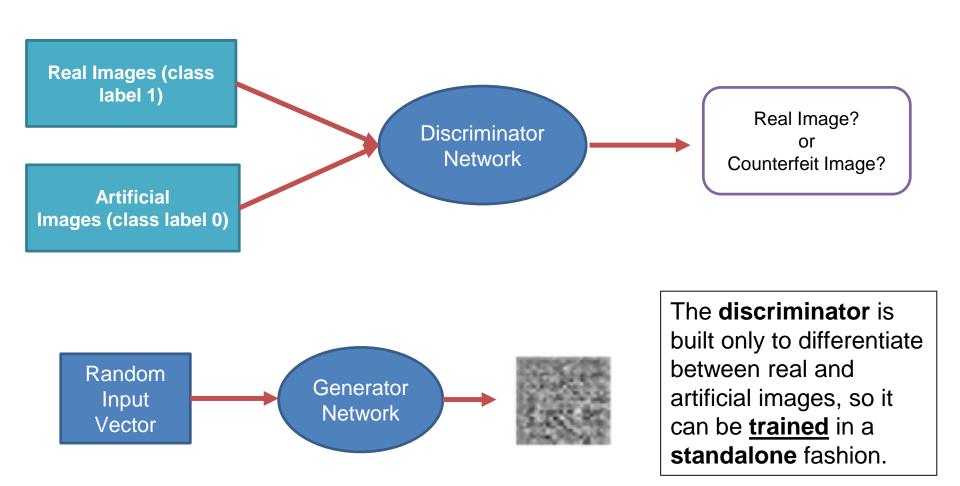
# define the generator model
model = generator(noise_dim)

x,y = generate_fake_samples(model, noise_dim, n_samples)
```

When we visualize the data it is as follows:

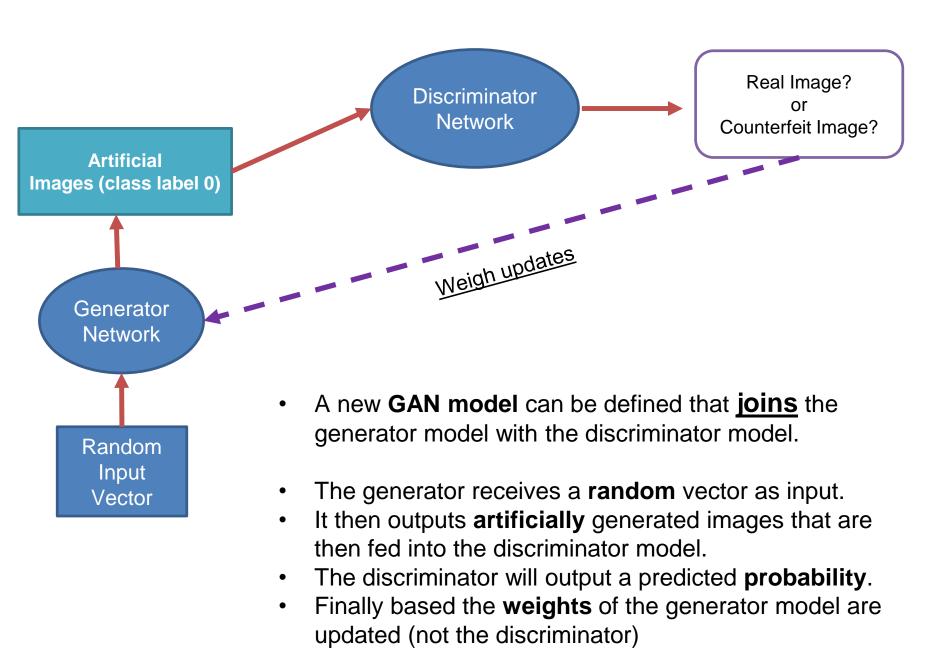


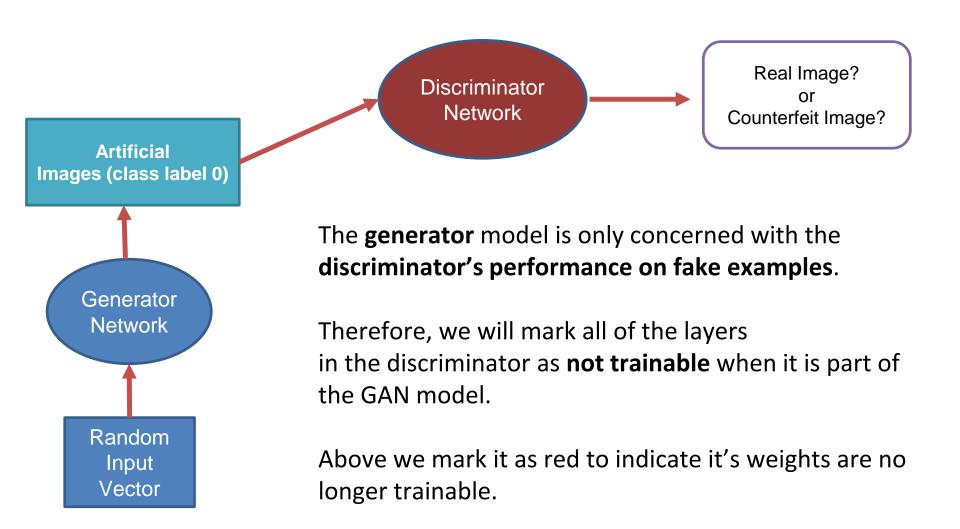
At this stage we have built a **separate discriminator** network and a **separate generator** network.

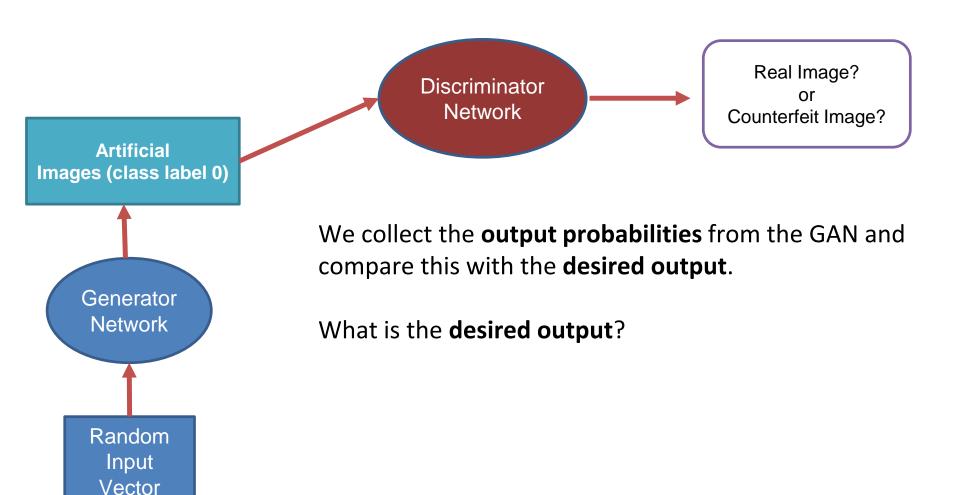


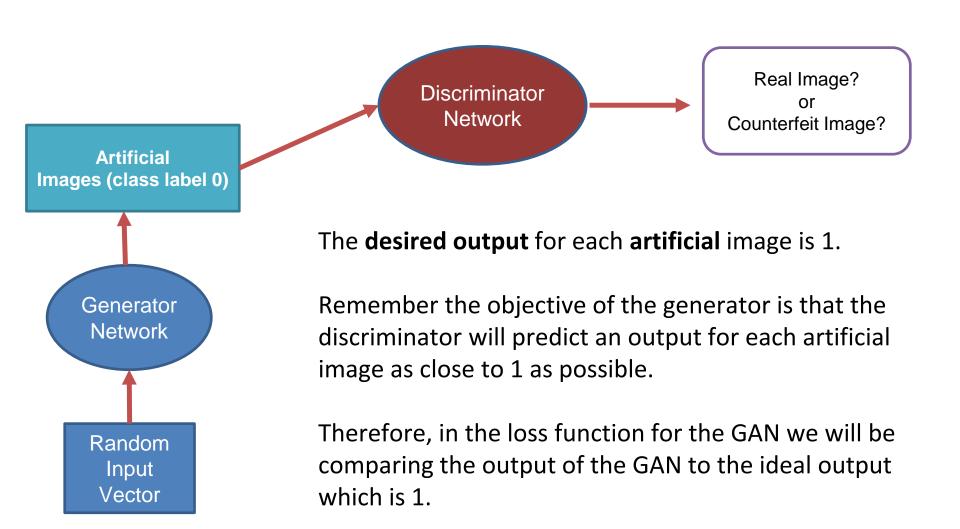
Training the Generator:

- In order to <u>train the generator</u> we must create a GAN model that connects the generator and discriminator.
- Remember we pass our randomized vector to the Generator model.
- It then generates artificial samples that are forwarded to the discriminator model.
- The discriminator model classifies the samples.
- We then use the output of the GAN model to update the weights for the generator model.









```
def gan(g_model, d_model):
         # disable weight update on GAN model
         d model.trainable = False
         # connect the generator with the discriminator
         model = tf.keras.models.Sequential()
         model.add(g_model)
         model.add(d_model)
         # compile model
         opt = tf.keras.optimizers.Adam(lr=0.0002, beta_1=0.5)
         model.compile(loss='binary_crossentropy', optimizer=opt)
         return model
```

Notice that we set the weights of the discriminator model to <u>not trainable</u> before we run it through the GAN. It is important to understand that this only impacts the discriminator when used as part of the GAN model (not the original discriminator model),

We have already compiled the discriminator model and it's weights were set to trainable. However, when using the GAN we don't want these weights to be trainable.

Layer (type)	Output Shape	Param #
sequential_10 (Sequential)	(None, 28, 28, 1)	2343681
sequential_9 (Sequential)	(None, 1)	212865

Total params: 2,556,546

Trainable params: 2,318,209
Non-trainable params: 238,337

None

```
def generate_random_vectors(noise_dim, batch_size):
 # generate random numbers from a normal distribution
 x = np.random.randn(batch_size * noise_dim)
 # reshape into a batch of randomized vectors
 # (each vector will be inputted to the generator and will output an image)
 x data = x.reshape(batch size, noise dim)
 return x data
```

Before we go on to train our model we have one more helper method. In this method we just generate the randomized vectors which will be inputted into the GAN model.

In our example we will set the **noise_dim to 100** and the **batch_size to 256**. Therefore, in the first line we just generate **25,600** numbers randomly from a normal distribution and we next reshape this into an **256** rows, where each row is 100 elements in length.

```
noise_dim = 100
shape=(28,28,1)
disc_model = discriminator(shape)
generator_model = generator(noise_dim)
gan_model = gan(generator_model, disc_model)
# load image data
dataset = load_real_data()
# train model
epochs=50
batch size=256
train(generator_model, disc_model, gan_model, dataset, noise_dim, epochs, batch_size)
```

At this point we have our three main models, the generator, the discriminator and the GAN model. The code above creates each of the required models, loads the real data and call the training process.

In the next step we will look in more detail at the training process.

Step 4 – Training the GAN Model

- For a number of training iterations repeat:
 - Sample a mini-batch of m noise samples $\{z^1, z^2, ... z^m\}$ from P_z
 - Sample a mini-batch of m training images $\{x^1, x^2, ... x^m\}$ from P_{data} .
 - Update the discriminator using stochastic gradient descent using the following loss function:

$$\frac{1}{m}\sum_{i}^{m} -\log(D(x^{i})) - \log(1 - D(G(zi)))$$

- Sample a mini-batch of m noise samples $\{z^1, z^2, ... z^m\}$ from P_z
- Update the generator with stochastic gradient ascent using the following loss function

$$\frac{1}{m}\sum_{i}^{m}-log(D(G(zi)))$$

```
# train the generator and discriminator
def train(g_model, d_model, gan_model, dataset, noise_dim, epochs, batch_size):
  dLoss = []
  gLoss = []
  inx = []
  counter = 0
  batches = int(dataset.shape[0] / batch size)
  # for each epoch
  for i in range(epochs):
     # for each batch
    for j in range(batches):
       # obtain real image data
       X_real, y_real = get_real_samples(dataset, batch_size)
       # generate artificial data
       X_fake, y_fake = generate_fake_samples(g_model, noise_dim, batch_size)
       # combines both real and artificial data into a single data structure
       X, y = \text{np.vstack}((X_{real}, X_{fake})), \text{np.vstack}((y_{real}, y_{fake}))
       # train discriminator for current batch and capture it's current loss
       d loss, = d model.train on batch(X, y)
```

continued from previous slide

```
# generate random vectors of noise (this becomes input the the GAN model)
X_gan = generate_random_vectors(noise_dim, batch_size)

# assign all GAN output data vectors a class label of 1
y_gan = np.ones((batch_size, 1))

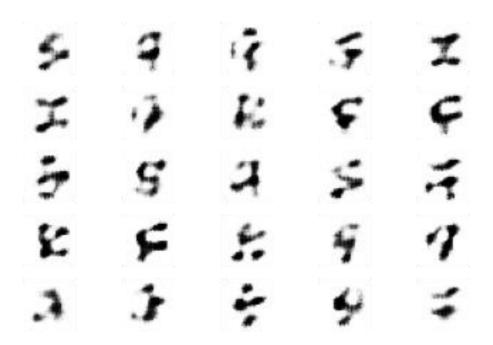
# train the generator
gan_loss = gan_model.train_on_batch(X_gan, y_gan)

dLoss.append(d_loss)
gLoss.append(gan_loss)

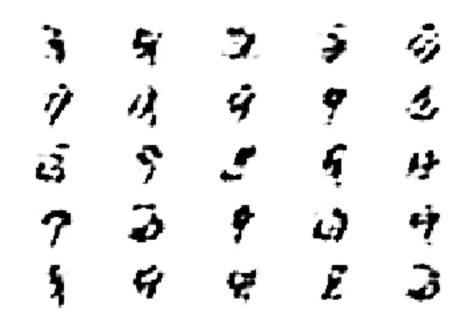
inx.append(counter)
counter += 1
```

The full code for this example is available as a Google Colab notebook here.

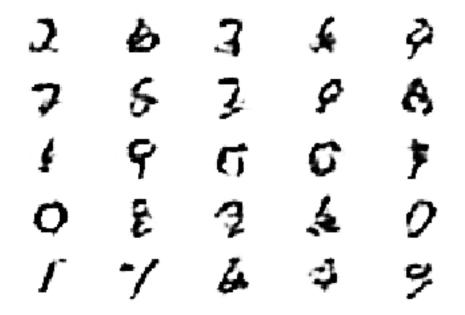
Results (2 Epochs)



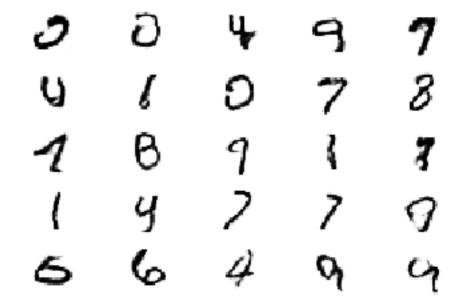
Results (5 Epochs)



Results (10 Epochs)



Results (50 Epochs)



Monitoring Loss

- You will notice in the training code that we store the discriminator and generator loss values as we continue to train the GAN.
- It is particular important to monitor <u>discriminator loss value</u>. If the discriminator loss **falls significantly** it is a strong indication that that generator is no longer producing competitive images and the discriminator is having little trouble in differentiating between real and artificial images.

