

Empirical Analysis Of ML Algorithms

Group-6, CS-771A Project

24 Nov 2018

Outline

- 1 Text Data: Avideep & Soumya
- 2 Imbalanced Datasets: Sristi & Riya
- 3 Clustering For Non-Linearity: Nayan
- 4 Kernel Approximation Methods: Amit

What we did

- Five standard text datasets from TREC (Text REtrieval Conference¹) have been taken.
- Bag of Words and Tf-Idf Feature extraction is used. Tf-Idf Scheme produces better results in most of the algorithms, hence shown here.
- Hyperparamters are tuned using `grid_search` and the best model is used.
- Among Deep Learning Algorithms, only Multi-Layer Perceptron has been tried.
- Evaluation Metric : Micro Averaged F1-score.

¹<https://trec.nist.gov/>

Performance Comparison

| Dataset | SVM | RF | Softmax | NB | kNN | MLP |
|-------------|-------------|-------------|-------------|------|------|------|
| TR11 | 0.90 | 0.89 | 0.91 | 0.66 | 0.87 | 0.89 |
| TR12 | 0.85 | 0.84 | 0.87 | 0.55 | 0.84 | 0.84 |
| TR23 | 0.87 | 0.92 | 0.90 | 0.63 | 0.85 | 0.90 |
| TR41 | 0.96 | 0.95 | 0.96 | 0.85 | 0.91 | 0.94 |
| TR45 | 0.93 | 0.93 | 0.93 | 0.71 | 0.87 | 0.91 |
| 20NewsGroup | 0.73 | 0.63 | 0.73 | 0.73 | 0.59 | 85.9 |

Table: Micro-averaged F1-Scores of different SOTA classical ML Algorithms and MLP on some standard text datasets

Learnings and Next Steps

- As for Multi-Layer Perceptron, it is performing worse than every other classifier taken on every datasets.
- Overfitting on every dataset. Training error is 0 everytime.
- RNNs and LSTMs are yet to be tried.
- Also yet to record performances by *fasttext*.
- To be tested on datasets with even higher dimensionality.

What we did

Dataset description: Fraud Detection data

No. of non fraud examples: 300

No. of fraud examples: 30

Modifying the data-

| Method | Prototype | | Naive Bayes | | Decision tree | | kNN | | Logistic | | SVM | |
|---------------|-----------|--------|-------------|--------|---------------|--------|-----------|--------|-----------|--------|-----------|--------|
| Metric | Precision | Recall | Precision | Recall | Precision | Recall | Precision | Recall | Precision | Recall | Precision | Recall |
| Original | 0.98 | 0.60 | 0.97 | 0.60 | 0.96 | 0.77 | 0.93 | 0.59 | 0.98 | 0.79 | 0.95 | 0.36 |
| Undersampling | 0.98 | 0.59 | 0.97 | 0.67 | 0.90 | 0.87 | 0.95 | 0.83 | 0.96 | 0.83 | 0.92 | 0.72 |
| Oversampling | 0.98 | 0.59 | 0.97 | 0.67 | 0.98 | 0.77 | 0.94 | 0.85 | 0.98 | 0.85 | 0.98 | 0.58 |
| k-means | 0.98 | 0.60 | 0.95 | 0.70 | 0.86 | 0.90 | 0.93 | 0.82 | 0.95 | 0.90 | 0.98 | 0.53 |
| Cluster os. | 0.98 | 0.57 | 0.97 | 0.66 | 0.98 | 0.77 | 0.93 | 0.79 | 0.99 | 0.76 | 0.99 | 0.69 |
| Smote | 0.98 | 0.47 | 0.97 | 0.66 | 0.97 | 0.80 | 0.94 | 0.80 | 0.97 | 0.85 | 0.98 | 0.74 |

What we did

Reweighting examples-

| Method | Decision Tree | | Logistic | | SVM | |
|-----------|---------------|--------|-----------|--------|-----------|--------|
| Metric | Precision | Recall | Precision | Recall | Precision | Recall |
| Original | 0.96 | 0.77 | 0.98 | 0.79 | 0.95 | 0.36 |
| Rewighted | 0.96 | 0.77 | 0.97 | 0.87 | 0.98 | 0.80 |

Specific algorithms for handling imbalances-

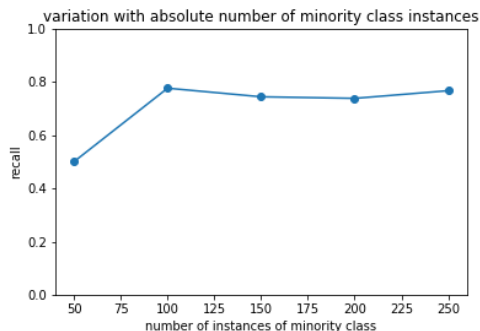
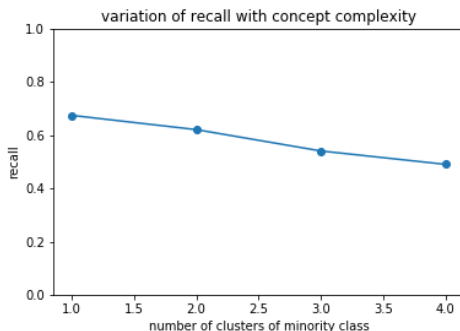
| Method | Bagging | | Random forest | | EasyEnsemble | | Gradient Boosting | |
|--------|-----------|--------|---------------|--------|--------------|--------|-------------------|--------|
| Metric | Precision | Recall | Precision | Recall | Precision | Recall | Precision | Recall |
| Value | 0.87 | 0.75 | 0.93 | 0.75 | 0.84 | 0.71 | 0.84 | 0.72 |

Learnings

- Improvements noted in Naive bayes, kNN, Logistic regression and SVM
- Decision tree and kNN classifies well separable imbalanced datasets well but here data is not well separable
- SVM showed a drastic improvement after reweighting
- Needed to balance test data as well to calculate precision
- Need to be careful while using distance based metrics in high dimensions
- Clustering based oversampling also helps overcome within-class imbalances

Effect of variation in data properties

- We generated 2D data sets - for visualizational ease - and varied specific properties to see how recall varies with them.
- Relative imbalance = 0.01; Classification algorithm: random forest.



What we did

- 1 Learn 'k' classifiers per cluster
Vs Single Classifier
- 2 Will help to capture
non-linearity in data
- 3 Classifiers experimented:
DTree,SVM,Logistic
Regression
- 4 Metrics: Accuracy,Precision
F-Score.

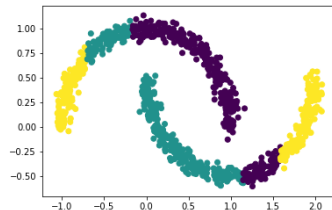


Figure: Non-Linear make moon dataset

Learnings

- 1 Prediction result is improving and able to handle non linear data.
- 2 Classification perform well in similar structured data generated by clustering.
- 3 Clustering will identify distinct distributions of the data generated from.

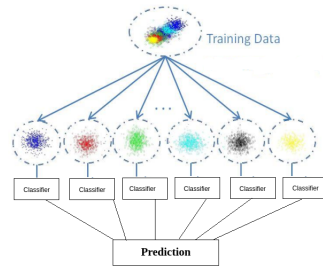


Figure: Algorithm Overview

| Accuracy | | | |
|------------|--------|--------------|--------|
| Clustering | DTree | Logistic Reg | SVM |
| No Cluster | 0.8134 | 0.9107 | 0.84 |
| K-Means | 0.8454 | 0.9260 | 0.923 |
| F1 Score | | | |
| Clustering | DTree | Logistic Reg | SVM |
| No Cluster | 0.8052 | 0.9105 | 0.8316 |
| K-Means | 0.8435 | 0.9254 | 0.9277 |
| Precision | | | |
| Clustering | DTree | Logistic Reg | SVM |
| No Cluster | 0.8102 | 0.9123 | 0.8416 |
| K-Means | 0.8448 | 0.9237 | 0.9210 |

Table: MNIST Digit Recognizer

Kernel Approximation Methods

- Kernel methods widely used in non-linear learning: Computationally expensive !
- Kernel Approximation Methods : Make kernel methods scalable
 - For a given kernel $K(\cdot, \cdot) : \mathbb{R} \times \mathbb{R} \rightarrow \mathbb{R}$ find a non-linear transformation $\phi(\cdot) : \mathbb{R} \rightarrow \mathbb{R}'$
 - Such that for any $x, y \in \mathbb{R}^d : K(x, y) \approx \hat{K}(x, y) = \phi(x)^T \phi(y)$
 - Prominent Approaches: Random Fourier Features (RFF) , Orthogonal Random Features(ORF) proposed in NIPS-2016

RFF & ORF

- RFF

- Shift-invariant kernels : $k(x, x') = \hat{k}(x - x') = \phi(x^T)\phi(x)$
- $\phi(x) = \sqrt{1/D}[\sin(w_1^T x), \dots, \sin(w_D^T x), \cos(w_1^T x), \dots, \cos(w_D^T x),]$
- w_i sampled i.i.d from PDF: $p(w)$, $W = [w_1, \dots, w_D]^T$
- **Wx** compute and store cost: $\mathcal{O}(Dd)$, typically $D > d$ for low approx. error

- ORF

- Make **W'**s row orthogonal: reduces approx. error, $\mathcal{O}(d^3)$ time, $\mathcal{O}(d^2)$ space
- **Structured ORF** : Special structured matrices, $\mathcal{O}(D \log d)$ compute, in-place implementation

Experiments & Results

Table: MNIST DataSet

| Details | Tr.Ti(s) | Pr.Ti/Ex.[μ s] | Mean Accu.% |
|---------------------------|----------|---------------------|-------------|
| R-Dimen:256, W=128, K-SVM | 135.72 | 3907.83 | 90.31 |
| RFF | 61.033 | 11.66 | 93.09 |
| ORF | 58.7 | 11.3 | 93.32 |
| Normal,K-SVM | 393.38 | 13351.69 | 75.27 |
| W=128, RFF | 63.31 | 8.33 | 92.25 |
| W=128,ORF | 62.9 | 8.39 | 92.01 |
| W=512,W-Red=256,RFF | 88.75 | 34.22 | 94.46 |
| ORF | 96.83 | 36.6 | 94.65 |
| W=512,W-Red=128,RFF | 60.7 | 26.21 | 92.11 |
| W=512,W-Red=64,RFF | 46.14 | 26.21 | 92.11 |

Learnings & Pending Tasks

- Kernel Garabage collector is giving better results
- Proofs not very clear to me, need to dig deeper
- Replicating numbers in paper is not trivial
- Still an active area of research despite DNN's
- Have to test on other datasets and different parameters

Thank You ! Questions!