

Assignment 3

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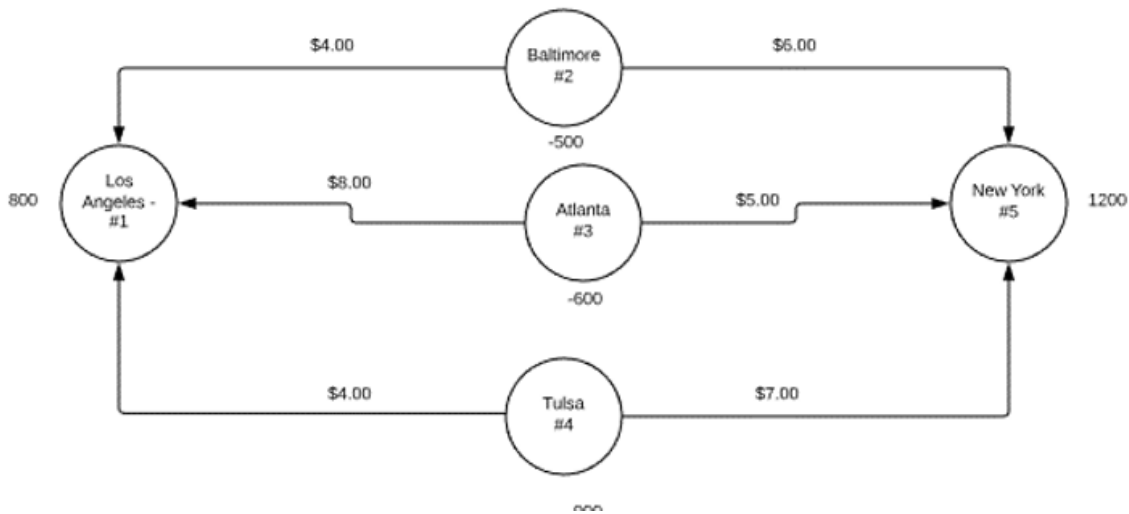
Problem 1

Here there are two scenarios that will be inspected using Integer Linear Programming (ILP) to model total cost. Scenario 1 - plant in Baltimore, Scenario 2 - plant in Seattle.

Scenario 1

Formulation:

The model is formulated as a network flow model as shown in the figure below, where nodes 1 through 5 are Los Angeles, Baltimore, Atlanta, Tulsa and New York respectively



Decision variables:

Let X_{ij} be the flow from node i to j where $i \in \{2, 3, 4\}$ and $j \in \{1, 5\}$

X_{ij} are the decision variables.

Other variables

Let C_{ij} be the cost variable for distribution of toys between X_{ij} . Let D_i be the supply at i and D_j be the demand at j . D_i is denoted with a negative number and the D_j as positive number for modeling as a network flow problem.

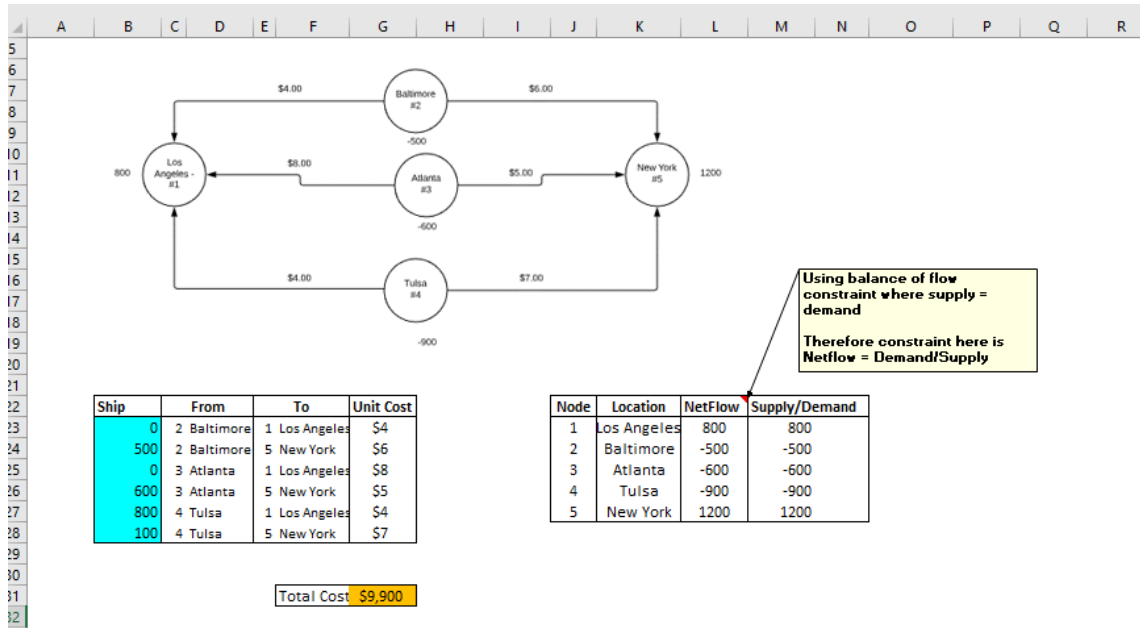


Figure 1: Problem 1 ASPE formulation

Objective function

$$\text{Min TotalCost} = X_{ij}C_{ij}$$

Constraints:

Since the supply equals the demand ($\sum_i D_i + \sum_j D_j = 0$), the model will be constrained as *Inflow* – *Outflow* = *Supply* or *Demand*.

The constraints in explicit form are:

$$X_{21} + X_{31} + X_{41} - 0 = D_1 \text{ where } D_1 = 800 \quad X_{25} + X_{35} + X_{45} - 0 = D_5 \text{ where } D_5 = 1200$$

$$0 - X_{21} - X_{25} = D_2 \text{ Where } D_2 = -500 \quad 0 - X_{31} - X_{35} = D_3 \text{ Where } D_3 = -600 \quad 0 - X_{41} - X_{45} = D_4 \text{ Where } D_4 = -900$$

$$X_{ij} \geq 0 \text{ and } X_{ij} \text{ are integers}$$

ASME Modeling

Figures 1 and 2 show the model set up in ASPE

Scenario 1 Results

The Total cost for a plant in Baltimore was \$9900

Scenario 2

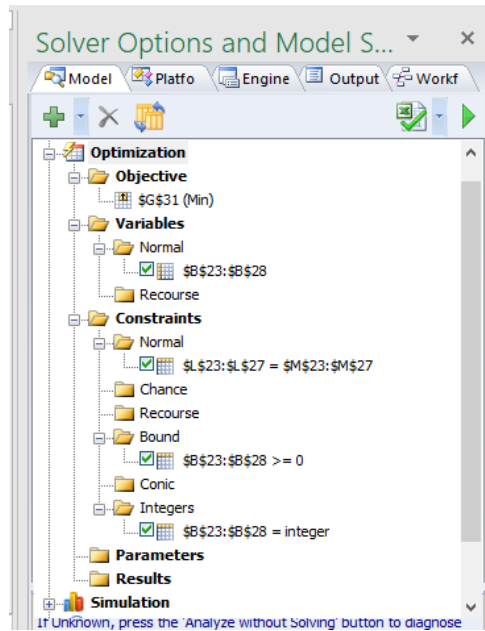


Figure 2: Problem 1 ASPE Model setup

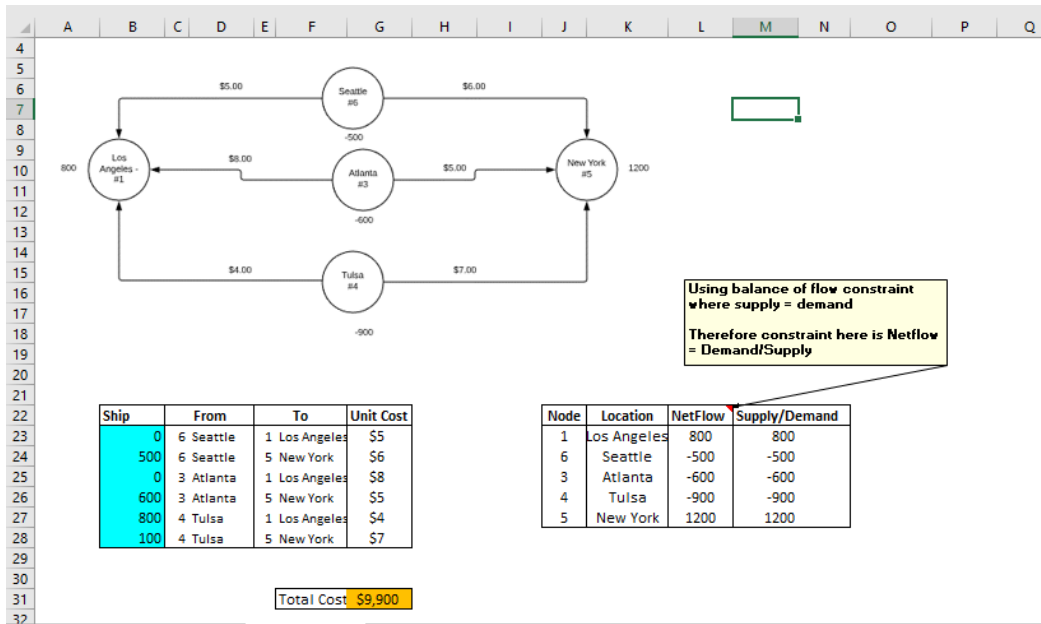


Figure 3: Problem 1 ASPE formulation