

Assignment 2

Functional Link Artificial Neural Network

Data: Visa Inc. (V) Stock Prices, Dividends and Splits

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In [1]: ## All libraries needed for the problem
import matplotlib inline
import numpy as np
import pandas as pd
import sys
import matplotlib as mpl
import matplotlib.pyplot as plt
import matplotlib.dates as mdates
import matplotlib.cbook as cbook
import datetime
import math
```

Dataset description

The dataset contains the daily stock price of Visa Inc. Source : Quandl

It contains following parameters

1. Date: The Date on which the data has been recorded
2. Open: The opening price of the Visa Inc stock on that date
3. High: The highest price of the Visa Inc stock on that date
4. Low: The Lowest price of the Visa Inc stock on that date
5. Close: The Closing price of the Visa Inc stock on that data

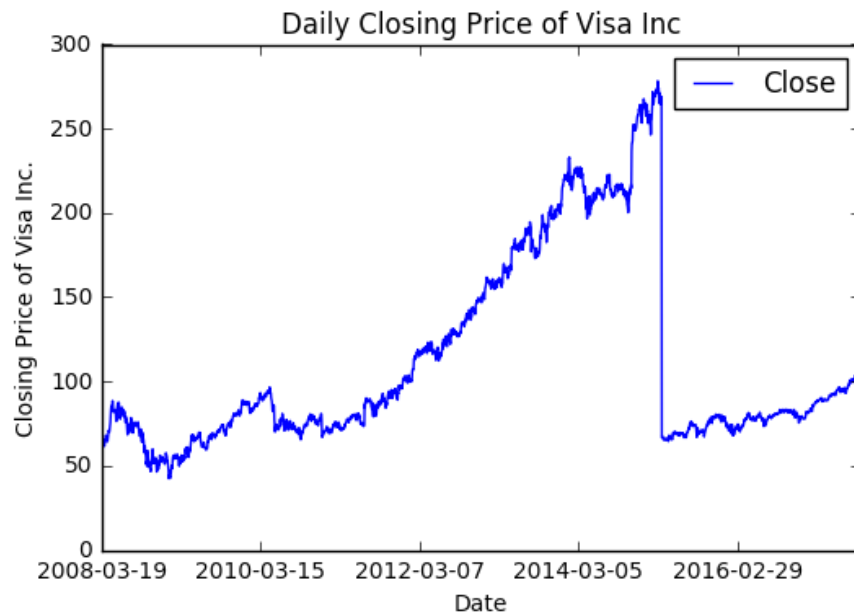
```
In [4]: mpl.rcParams['lines.linewidth'] = 1
## Load data as pandas data frame
dataset = pd.read_csv('/home/srivatsa/Desktop/Neural-Network-And-Fuzzy-S
ystems-Assignment/dataset/EOD-V.csv')
## Essential Preprocessing
dataset = dataset.drop(['Volume', 'Dividend', 'Split', 'Adj_Open', 'Adj_Low'
, 'Adj_High', 'Adj_Close', 'Adj_Volume'], axis=1)
dataset = dataset.iloc[::-1]
dataset.tail()
```

```
Out[4]:
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	Date	Open	High	Low	Close
4	2017-08-31	104.06	104.190	103.025	103.52
3	2017-09-01	104.04	104.080	103.440	103.90
2	2017-09-05	103.40	103.460	102.260	103.01
1	2017-09-06	103.34	103.745	103.100	103.18
0	2017-09-07	103.71	105.440	103.610	104.56

```
In [17]: ## Dataset Visualization
dataset.plot(x='Date',y='Close',title='Daily Closing Price of Visa Inc')
plt.xlabel('Date')
plt.ylabel('Closing Price of Visa Inc.')

Out[17]: <matplotlib.text.Text at 0x7f0a8eba7210>
```



Model Description

In the following data I have used Functional Link Neural Network as the algorithm for creating a model for predicting daily closing stock prices of Visa Inc.

The hyperparameters for the model are:

1. Window Size : The number of previous points considered for predicted next point
2. Batch Size: The batch size for stochastic gradient descent algorithm
3. Learning Rate(lr): The learning rate for gradient descent algorithm
4. No of Epoch: The number epoch for traing the mode

Trigonometric functional expansion has been used as
 $f(x) = x, \sin(\pi x), \cos(\pi x), \sin(2\pi x), \cos(2\pi x)$

Learning Rate is adaptive, i.e if the error increses in next iteration the learning rate is decreased by a factor of 10

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In [94]: ### Written by Srivatsa Sinha on 8th September, 2017

## Aplying FLANN Model

# Model Hyperparameters

window_size = 1
batch_size = 1660
input_dimension = window_size*5
lr = 1e-5
no_of_epoch = 80

# Model Training Parameters

W = np.random.normal(size=(input_dimension,1))
b = np.zeros((1,))

# Computational Procedures of FLANN

def train_test_split(X,y,train_size):
    X_train = X[0:int(train_size*len(X))]
    X_test = X[int(train_size*len(X)):]
    y_train = y[0:int(train_size*len(y))]
    y_test = y[int(train_size*len(y)):]
    return X_train, X_test, y_train, y_test

def functional_expansion(data_point):
    expanded_input = [data_point,math.sin(math.pi*data_point),math.cos(m
ath.pi*data_point),math.sin(2*math.pi*data_point),math.cos(2*math.pi*dat
a_point)]
    return expanded_input

def generate_input_data(closing_data):
    input_data = []
    target_data = []
    for idx in range(len(closing_data)-window_size):
        current_input = []
        for count in range(window_size):
            current_input += functional_expansion(closing_data[idx+count
])
        input_data.append(current_input)
        target_data.append(closing_data[idx+window_size])
    input_data = np.array(input_data)
    target_data = np.array(target_data)
    return input_data, target_data

def compute_forward_pass(x,w,b):
    output = x.dot(w) + b
    cache = (x,w,b)
    return output,cache

def compute_error(output,expected_output):
    expected_output = expected_output.reshape(output.shape)
    error = np.sum(np.square((expected_output-output)))/batch_size
    dy = -2*(expected_output-output)/batch_size
    return error,dy

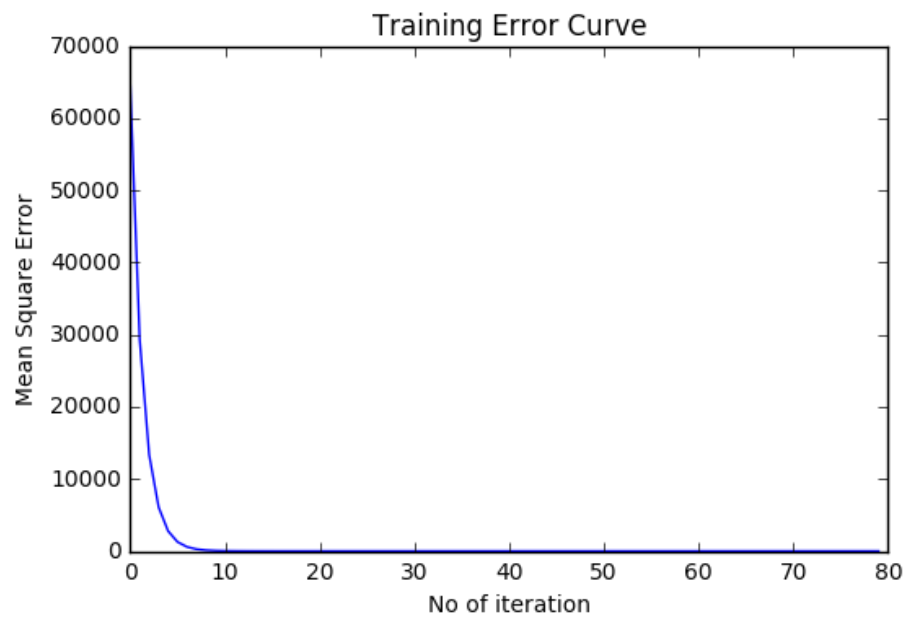
def compute_backward_pass(dout,cache):
    x,w,b = cache
    dw,db = None,None
    dw = np.transpose(x).dot(dout)
    db = np.sum(dout,axis=0)
    return dw,db

```

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Total data size 2385

Training data size 1788 and testing data size 597



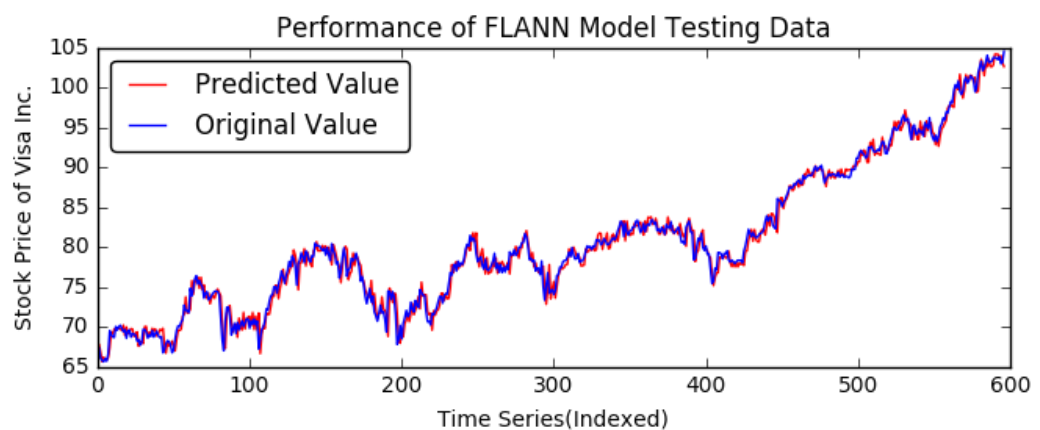
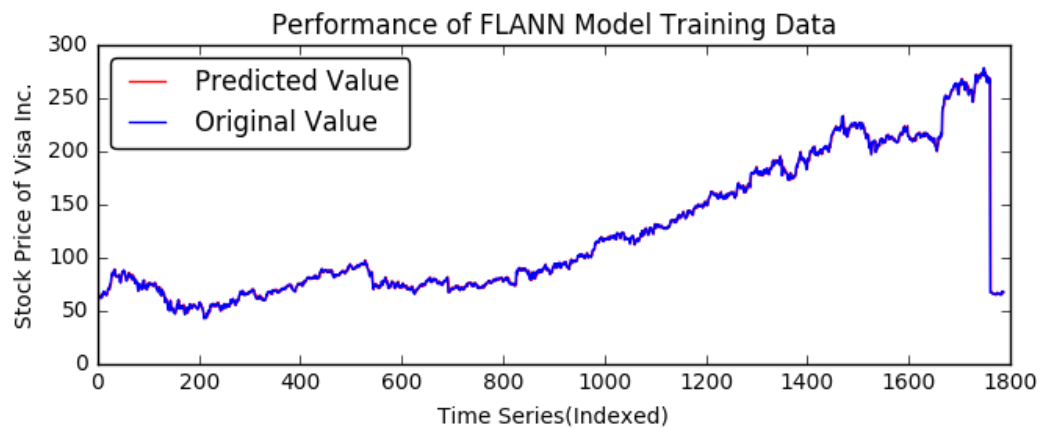
The least error achieved on training data: 4.206972143

```
In [95]: ## Testing the model
# Output on Test Data
output_test = compute_forward_pass(input_test,W_best,b_best)
error_test = compute_error(output_test[0],target_test)
print "The error acheived in test data: %s"%(error_test[0])
# Output on Train Data
output_train = compute_forward_pass(input_train,W_best,b_best)
error_train = compute_error(output_train[0],target_train)
```

The error acheived in test data: 0.42611281057

```
In [96]: ## Visualizing the model performance
# Visualizing the train data performance
fig = plt.figure()
ax1 = fig.add_subplot(211)
ax1.plot(output_train[0], 'r', label="Predicted Value")
ax1.plot(target_train, 'b', label="Original Value")
ax1.legend(loc="upper left", fancybox=True)
ax1.set_xlabel('Time Series(Indexed)')
ax1.set_ylabel('Stock Price of Visa Inc.')
ax1.set_title('Performance of FLANN Model Training Data')

# Visualizing the test data performance
ax2 = fig.add_subplot(212)
ax2.plot(output_test[0], 'r', label="Predicted Value")
ax2.plot(target_test, 'b', label="Original Value")
ax2.legend(loc="upper left", fancybox=True)
ax2.set_xlabel('Time Series(Indexed)')
ax2.set_ylabel('Stock Price of Visa Inc.')
ax2.set_title('Performance of FLANN Model Testing Data')
plt.tight_layout()
fig.set_figheight(7)
fig.set_figwidth(7)
plt.show()
```



Conclusions

1. The best train error(MSE) was 4.2 while test error was 0.42 indicating that our model showed good generalization in predicting the stock price.
2. Any learning rate greater than $1e-5$ caused the error to shoot, probably our error surface was highly steep, and any attempt to descent, would rather cause it to shoot, therefore adaptive strategy was used to reduce the learning rate progressively and move towards optimal solution
3. On conducting various experiments with varying no of epoch, best result was achieved was 50, higher would cause overfitting and lesser would cause high train error
4. On conducting various experiment with varying window size, i concluded that lesser the window size better the performance. The best performance achived was with window size 1. This can be due to the fact that higher window price takes into account various past prices which may not be relevent. The closing point of few days before data price are enough for people to bid for next price in case of Exchange Traded Fund. Day traders generally takes into account 1-2 day data and put their bid.
5. The Model performed well on all other data also, i.e opening price(MSE 0.64), highest price(MSE 0.49) and lowest price(MSE 0.58)