Explainable AI with Shapley Value

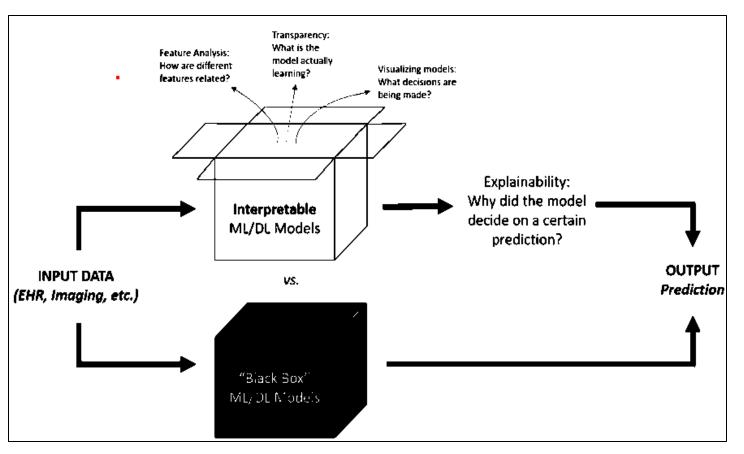


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WHY XAI??



HOW

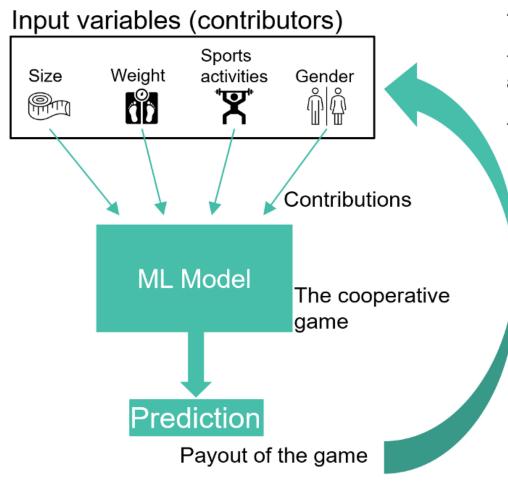
- Local Feature Attribution Methods

 - Focus on Local Interpretability

- Additive Feature Attribution Methods
 - SHAP
 - Focus more on global perspective
 - Useful in terms of model comparison



SHapley Additive exPlanations: From Cooperative game theory to XAI



-Instead of Player in a coalition game we have features in predictive models

-SHAP calculate contribution of each feature to model prediction for specific instance by considering all possible combination of features

-It evaluates how including each features changes prediction compared to excluding it

How to distribute the payout fairly among the contributors?



Traditional Shapley values from Cooperative game theory

$$\phi_v(i) = \sum_{\pi \in \Pi} \frac{1}{n!} \left(v\left(\{ j : \pi(j) \le \pi(i) \} \right) - v\left(\{ j : \pi(j) < \pi(i) \} \right) \right)$$

Lloyd S Shapley, 1953

SHAP

$$\phi_i(x) = \sum_{S \subseteq N \setminus \{i\}} \frac{|S|!(|N| - |S| - 1)!}{|N|!} [f(S \cup \{i\}) - f(S)]$$

AXIOMS

- 1) Efficiency $\sum_{i \in N} \phi_v(i) = v(N)$
- 2) Linearity $\phi_{\alpha u + \beta v} = \alpha \phi_u + \beta \phi_v$ for any value functions $u, v, \text{ and any } \alpha, \beta \in \mathbb{R}$.
- 3) Nullity $\phi_v(i) = 0$ whenever $v(S \cup \{i\}) = v(S)$ for all $S \subseteq N \setminus \{i\}$.
- 4) Symmetry $\phi_v(i) = \phi_v(j)$ if $v(S \cup \{i\}) = v(S \cup \{j\})$ for all $S \subseteq N \setminus \{i, j\}$.



Asymmetric Shapley Value (ASV)

$$\phi_v^{(w)}(i) = \sum_{\pi \in \Pi} w(\pi) \left[v(\{j : \pi(j) \le \pi(i)\}) - v(\{j : \pi(j) < \pi(i)\}) \right]$$

ASVs incorporate the ability to assign varying probabilities to the sequence in which features are presented to the model, thereby determining the influence of each feature on the model's prediction.

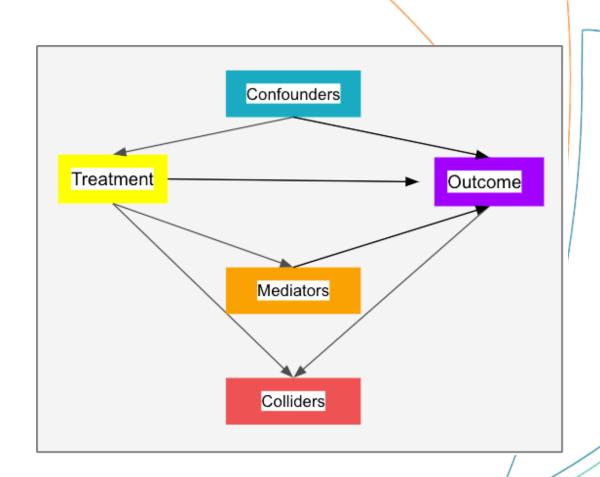
Causal Shapley Value

$$\phi_i = \sum_{S \subseteq N \setminus i} \frac{|S|!(n-|S|-1)!}{n!} [v(S \cup i) - v(S)]$$



Getting causal inferences

- DAG
- ML based methods
- Causal graphs
- Do calculus



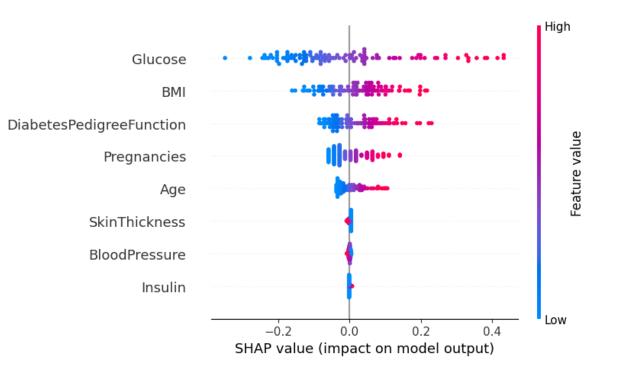
Basic interpretation of SHAP PLOTS

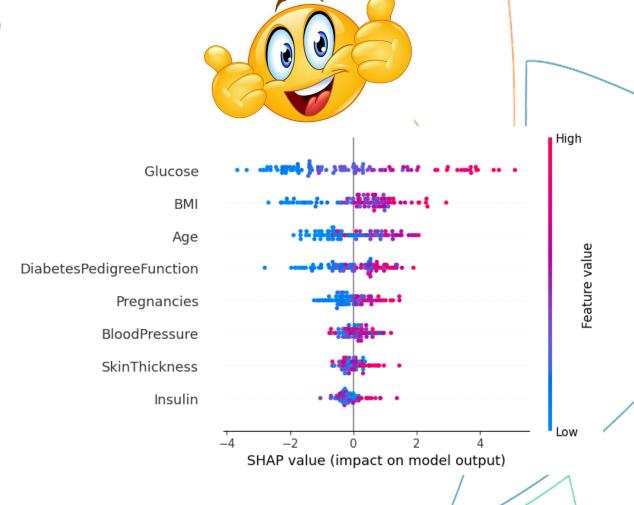
- SHAP magnitude quantifies feature impact on model output.
- Positive (Pink) values increase prediction; negative (Blue) decrease.
- Additive explanation: Sum equals model prediction.
- Captures interaction effects between features.
- Enhances model understanding and trust.
- Offers both global and local interpretability.



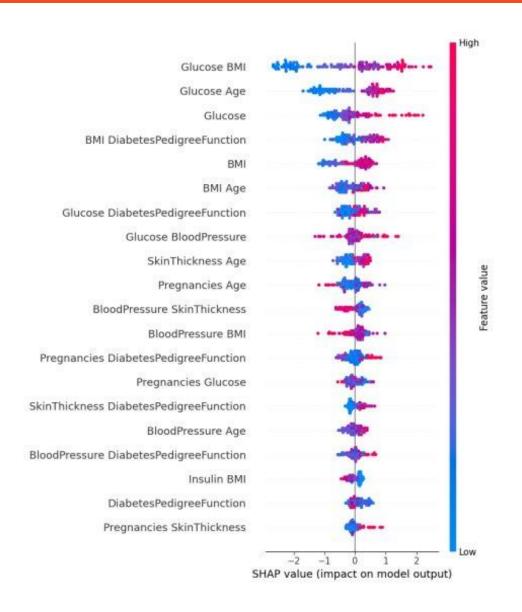
Experimenting with model specific SHAP packages- Python

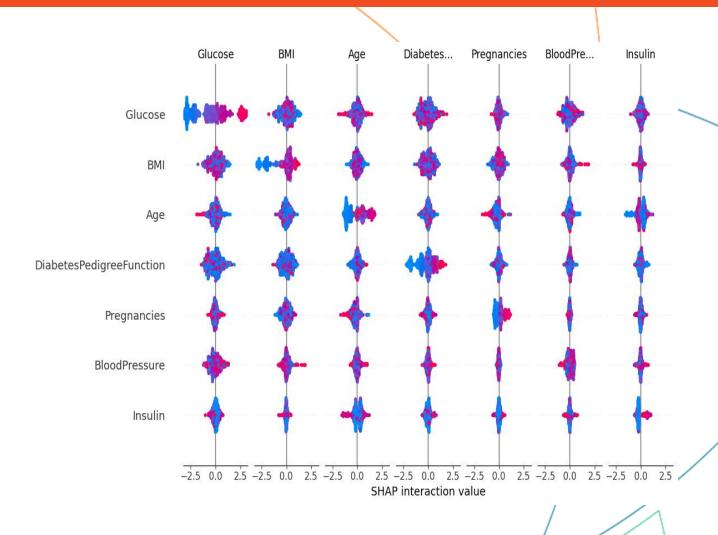
Linear data (Diabetes)





Accuracy for XGBoost model: 0.717391304347826 Accuracy for Linear Regression model: 0.7753623188405797





Feature interactions



Deep Explainer

For more complex model (For MNist dataset)

Explanation is OK

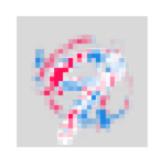






Explanation is Bad











Test accuracy for CNN model: 0.9896000027656555



Advancements

- Several Advancements addressing Computational Cost have been made in recent years:
 - FastSHAP (2020): Estimates Shapley values in a single forward pass using a learned explainer model.
 - HarsanyiNet(2023), which simultaneously conducts model inference on the input sample and computes the exact Shapley value for each input variable in a single forward propagation.
 - Fast Weighted Shapley (FW-Shapley)(2024): Framework for efficiently computing weighted Shapley values using a learned estimator.
- Rational Shapley values
 - Method that satisfies efficiency, linearity, sensitivity, symmetry, and rationality



Challenges And Future Research Directions

Challenges

- Computational efficiency and dimensionality of data
- Interpretability (Especially if we don't have domain knowledge)
 - Ambiguity in feature interactions
- Model Sensitivity: Shapley value can be sensitive to changes in the model or training

Future Research Directions

- Model Diagnosis: Shapley Values can offer insights into model anomalies for operators or designers.
- Model Optimization: Encoding prior knowledge through Shapley Value during Model Training.

