



sadā śiva samāramabhāṃ śaṅkarācārya madhyamām..  
asmadācārya paryantāṃ vande guru paramparām..

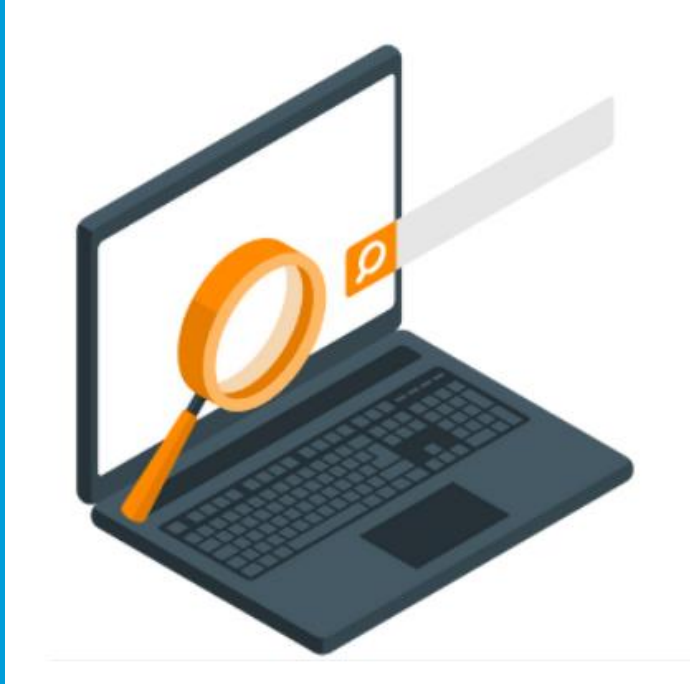
*Salutation to the lineage starting with lord **Sadasiva**, with **Adi Sankara** in the middle and continuing up to my immediate teacher.*

సదాశివుడు మొదలుకొని మధ్యలో ఆదిశంకరునితో మొదలై నా తక్షణ గురువు వరకు కొనసాగే వంశానికి వందనం.



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DATA STRUCTURES ALGORITHMS



- Linear Search
- Binary Search
- Membership Operators
- Jump Search
- Fibonacci Search
- Exponential Search
- Interpolation Search

## How Linear Search Works?

The following steps are followed to search for an element **k = 1** in the list below.

2	4	0	1	9
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Array to be searched for

1. Start from the first element, compare  $k$  with each element  $x$ .

**$k = 1$**



**$k \neq 2$**



**$k \neq 4$**



**$k \neq 0$**

Compare with each element

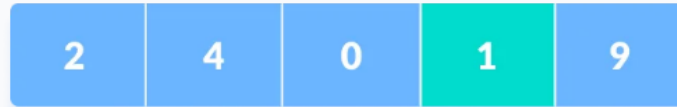
2. If `x == k`, return the index.



↑  
**k = 1**

Element found

2. If `x == k`, return the index.



**k = 1**

Element found

3. Else, return `not found`.

## Linear Search Algorithm

```
LinearSearch(array, key)
  for each item in the array
    if item == value
      return its index
```

# Binary Search

Binary Search is a searching algorithm for finding an element's position in a sorted array.

In this approach, the element is always searched in the middle of a portion of an array.

Binary search can be implemented only on a sorted list of items. If the elements are not sorted already, we need to sort them first.



## Binary Search Working

Binary Search Algorithm can be implemented in two ways which are discussed below.

- 1.Iterative Method
- 2.Recursive Method

The recursive method follows the divide and conquer approach.

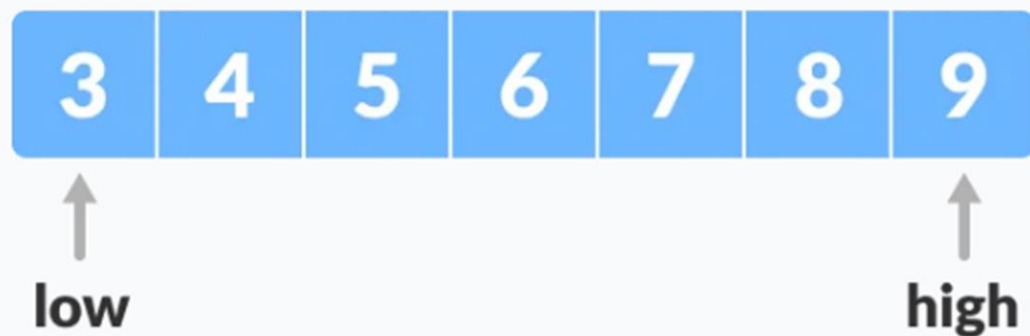
1. The array in which searching is to be performed is:



Initial array

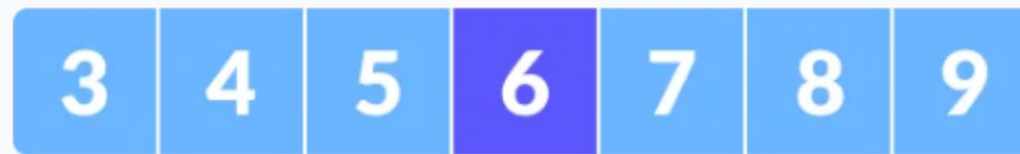
Let  $x = 4$  be the element to be searched.

2. Set two pointers low and high at the lowest and the highest positions respectively.



Setting pointers

3. Find the middle element `mid` of the array ie. `arr[(low + high)/2] = 6`.



↑  
**mid**

Mid element

4. If  $x == \text{mid}$ , then return mid. Else, compare the element to be searched with m.
5. If  $x > \text{mid}$ , compare  $x$  with the middle element of the elements on the right side of  $\text{mid}$ . This is done by setting  $\text{low}$  to  $\text{low} = \text{mid} + 1$ .
6. Else, compare  $x$  with the middle element of the elements on the left side of  $\text{mid}$ . This is done by setting  $\text{high}$  to  $\text{high} = \text{mid} - 1$ .



Finding mid element

7. Repeat steps 3 to 6 until low meets high.



↑  
**mid**

Mid element

8. `x = 4` is found.



**x = mid**

Found

# Binary Search Algorithm

## Iteration Method

```
do until the pointers low and high meet each other.  
    mid = (low + high)/2  
    if (x == arr[mid])  
        return mid  
    else if (x > arr[mid]) // x is on the right side  
        low = mid + 1  
    else // x is on the left side  
        high = mid - 1
```

# Binary Search Algorithm

## Recursive Method

```
binarySearch(arr, x, low, high)
    if low > high
        return False
    else
        mid = (low + high) / 2
        if x == arr[mid]
            return mid
        else if x > arr[mid]           // x is on the right side
            return binarySearch(arr, x, mid + 1, high)
        else                          // x is on the left side
            return binarySearch(arr, x, low, mid - 1)
```



## Leet code Searching Problems

<https://leetcode.com/tag/binary-search/>