

**B.Tech. DEGREE EXAMINATION, MAY 2024****OPEN BOOK EXAMINATION**

Sixth Semester

**18EIC306T – DISCRETE TIME SIGNAL PROCESSING***(For the candidates admitted from the academic year 2018-2019 to 2020 - 2021)*

- Specific approved THREE text books (Printed or photocopy) recommended for the course
- Handwritten class notes (certified by the faculty handling the course / head of the department)

Time: 3 Hours

Max. Marks: 100

**(5×20 = 100 Marks)**Answer **FIVE** questions**(Question No. 1 is compulsory)**

	Marks	BL	CO	PO
1.a.i. Using linear convolution method determine the output sequence $y(n)$ $x(n) = 1$ for $n = -2, 0, 1$ $2$ for $n = -1$ $h(n) = \delta(n) - \delta(n-1) + \delta(n-2) - \delta(n-3)$	14	3	1	2
ii. Verify the same through circular convolution.	4	3	1	2
b. The representation of unit step signal delayed by 4 samples is _____ (A) $u(n+4)$ (B) $u(n-4)$ (C) $u(-n+4)$ (D) $u(-n-4)$	1	1	1	1
c. If $x(n) = \delta(n) + \delta(n+2) - \delta(n+1)$ then the sequence of $x(n)$ is _____ (A) $\{1, -1, 1, 0\}$ (B) $\{-1, 1, -1, 1\}$ (C) $\{0, 1, -1, 1\}$ (D) $\{1, 0, -1, 1\}$	1	1	1	1
2.a.i. Design a third order Butterworth digital filter using impulse invariant method.	12	3	2	3
ii. Realize the Butterworth filter of the above using direct form I.	6	3	2	2
b. The transformation technique in which there is one to one mapping from $s$ domain to $z$ domain is _____ (A) Approximation of derivatives (B) Impulse invariant method (C) Bilinear transformation (D) Backward difference for the derivative method	1	1	2	1
c. The correct relation between $\omega$ and $\Omega$ is (A) $\Omega = \omega T$ (B) $T = \Omega \omega$ (C) $\Omega = \omega T/2$ (D) $\omega = \Omega T$	1	1	2	1

- 3.a. Design an ideal band reject filter with a desired frequency response 18    3    3    3
- $$H_d(e^{j\omega}) = 1 \quad \text{for } |\omega| \leq \frac{\pi}{3} \text{ and } |\omega| \geq \frac{2\pi}{3}$$
- $$= 0 \quad \text{otherwise}$$
- Determine the value of  $h(n)$  for  $N=11$  also show the magnitude response.
- b. Identify where the poles of transfer function of normalized low pass Butterworth filter exists. 1    1    3    1
- (A) On unit circle (B) Inside unit circle  
(C) Outside unit circle (D) Imaginary axis
- c. Analog filters are characterized by 1    1    3    1
- (A) Differential equation (B) Difference equation  
(C) Quadratic equation (D) State equation
- 4.a.i. Illustrate any one application of digital signal processing in speech processing. 13    2    4    1
- ii. Summarize the advantages of speech processing. 5    2    4    1
- b. The process of increasing the sampling rate by a factor  $I$  is 1    1    4    1
- (A) Decimation (B) Quantization  
(C) Sampling rate (D) Interpolation
- c. The instructions executed in DSP processors are 1    1    4    1
- (A) Line by line (B) Both parallel and sequential  
(C) Parallel manner (D) Sequential manner
- 5.a.i. Model and realize the ARMA model for recursive system. 13    3    5    1
- ii. Outline the advantages of discrete wavelet transform. 5    4    5    1
- b. The autocorrelation function of white noise is 1    1    5    1
- (A) Gaussian (B) Delta  
(C) Non uniform (D) Uniform
- c. The interface between an analog and a digital processor is 1    1    5    1
- (A) Demodulator (B) D/A converter  
(C) Modulator (D) A/D converter
- 6.a. Solve the IDFT of the sequence  $x(k) = \{5, 0, 1 - j, 0, 1, 0, 1 + j, 0\}$  using DIF algorithm. 18    3    1    2
- b. If  $x(n)$  and  $x(k)$  are  $N$  point DFT pair then  $X(k+N)$  is 1    1    1    1
- (A)  $-x(k)$  (B)  $x(k+1)$   
(C)  $x(k)$  (D)  $x(-k)$
- c. If  $x(n)$  is real and even, then DFT of  $x(n)$  is 1    1    1    1
- (A)  $\sum_{n=0}^{N-1} x(n) \cos \frac{2\pi kn}{N}$  (B)  $-j \sum_{n=0}^{N-1} x(n) \sin \frac{2\pi kn}{N}$   
(C)  $j \sum_{n=0}^{N-1} x(n) \cos \frac{2\pi kn}{N}$  (D)  $\sum_{n=0}^{N-1} x(n) \sin \frac{2\pi kn}{N}$

7.a.i. Determine the direct form and cascade form realization for the system function. 14    3    2    3

$$H(z) = 1 + \frac{1}{3}z^{-1} + \frac{1}{4}z^{-2} + \frac{1}{4}z^{-3} + \frac{1}{3}z^{-4} + z^{-5}$$

ii. Compare Hamming and Hanning window. 4    5    2    2

b. The poles of Chebyshev transfer function is 1    1    2    1

(A) Anti-symmetrical on a circle in s plane    (B) Symmetrical on an ellipse in s plane

(C) Symmetric on a circle in s plane    (D) Anti-symmetric on an ellipse in s plane

c. In impulse invariant transformation the digital frequency 'ω' is 1    1    2    1

(A)  $\omega = \Omega / T$

(B)  $\omega = T / \Omega$

(C)  $\omega = \Omega T$

(D)  $\omega = \tan \Omega T$

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