



# New York taxi rides

Fare prediction

# Target and Datasets description

*“Predict taxi ride duration in NYC”*

Datasets description:

=> Set : 55M records and 8 attributes

Records of taxi rides in New York from 2009 to 2015

# Codebook :

**id** - a unique identifier for each trip

**pickup\_datetime** - date and time when taxi ride started

**passenger\_count** - the number of passengers in the vehicle

**pickup\_longitude** - the longitude where the meter was engaged

**pickup\_latitude** - the latitude where the meter was engaged

**dropoff\_longitude** - the longitude where the meter was disengaged

**dropoff\_latitude** - the latitude where the meter was disengaged

**fare\_amount** - dollar amount of the cost of the taxi ride

source: <https://www.kaggle.com/c/new-york-city-taxi-fare-prediction/data>

# Steps

I - Data loading

I- Data Cleaning and Manipulation

III- EDA

IV- Modeling

- Feature selection and engineering
- model testing
- model selection

V - First conclusions



## Data Cleaning

- drop duplicates
- drop columns not significant
- drop null values
- drop inconsistent data such as : ride with not distance, no passenger, no fare\_amount.

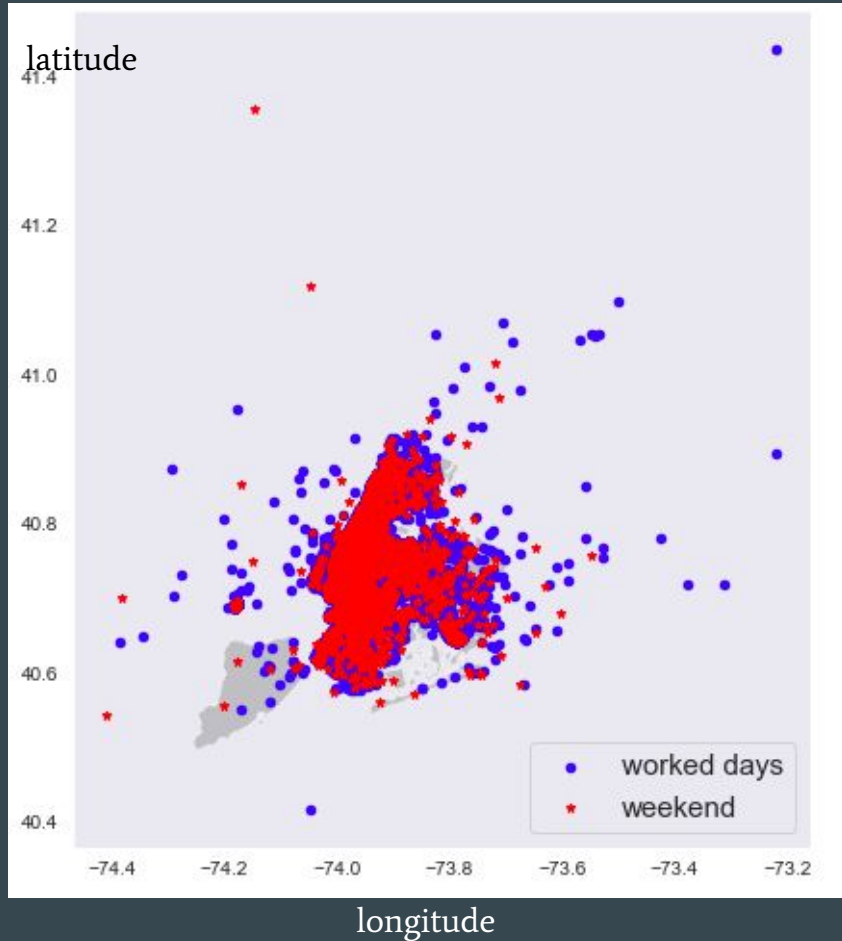


## Data Manipulation

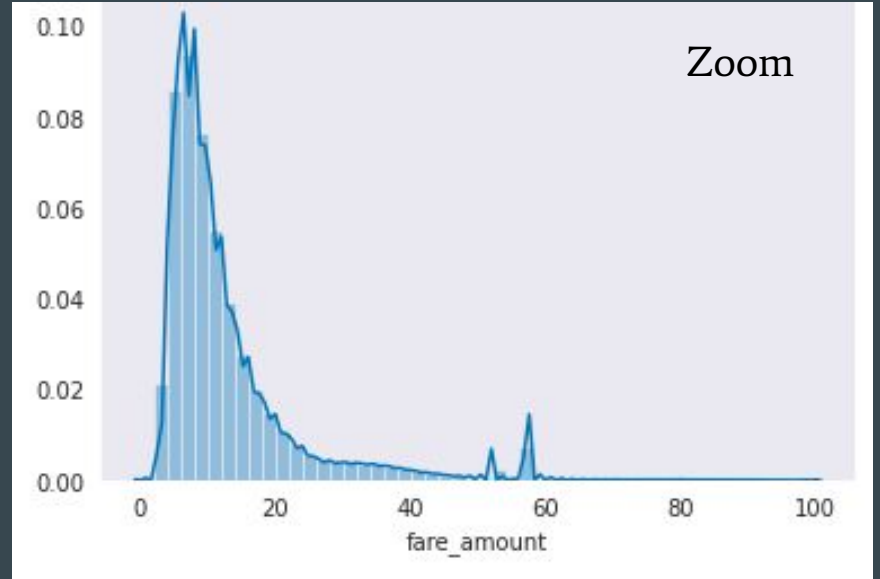
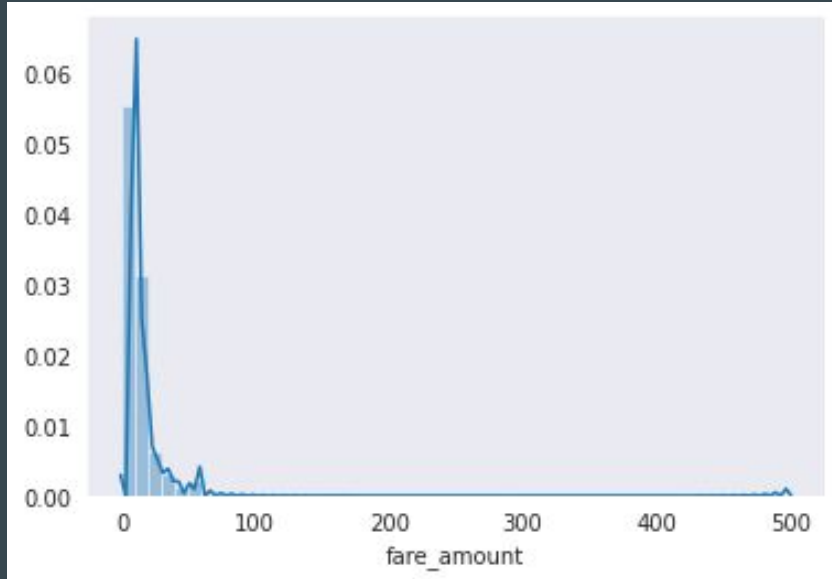
- Convert to datetime format
- Split date in Month, day, weekend, hour of the day
- calculate an approximation of the distance
- reduce the spatial scope to around Manhattan, Brooklyn, Queens, Staten Island



# Let's have a look to the geographical distribution

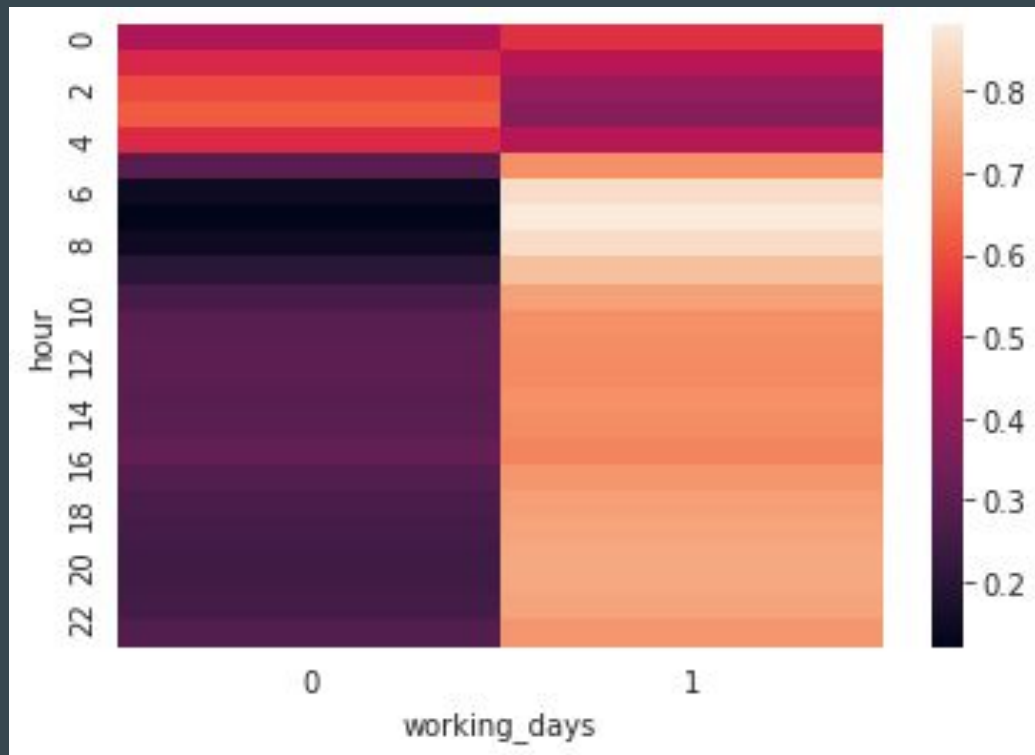


# Fare amount distribution



Mean fare: 12.9\$

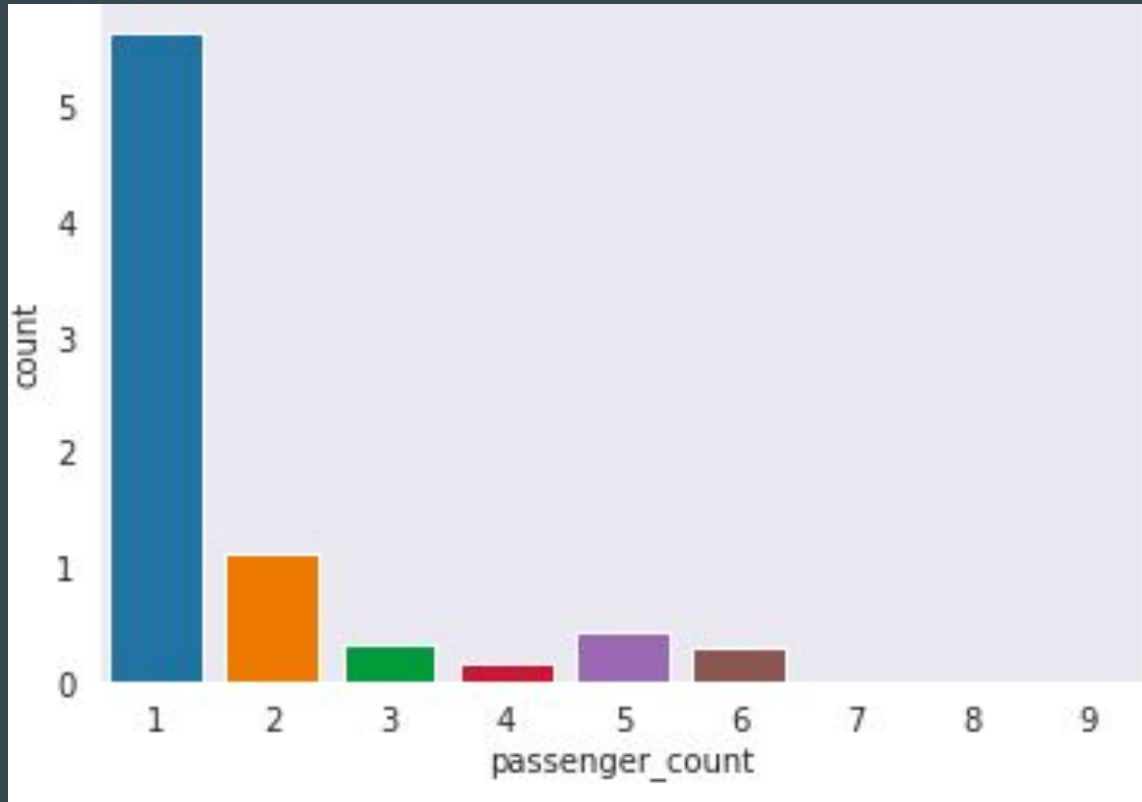
# How rides are split depending on the hour/day type



Worked day : 1  
weekend : 0



# Mostly single passenger rides



# 2 types of distance calculation tested

## With haversine formula

```
dlon = lon2 - lon1
```

```
dlat = lat2 - lat1
```

```
a = (sin(dlat/2))^2 + cos(lat1) *  
cos(lat2) * (sin(dlon/2))^2
```

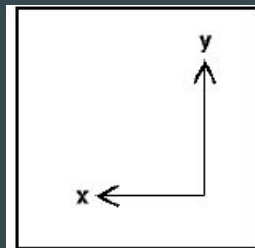
```
c = 2 * atan2( sqrt(a), sqrt(1-a) )
```

```
d = R * c (where R is the radius of  
the Earth)
```

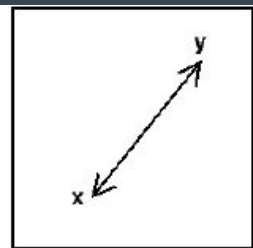
```
R = 6367 km
```

## With Manhattan distance

The distance between two points is the sum of the absolute differences of their Cartesian coordinates

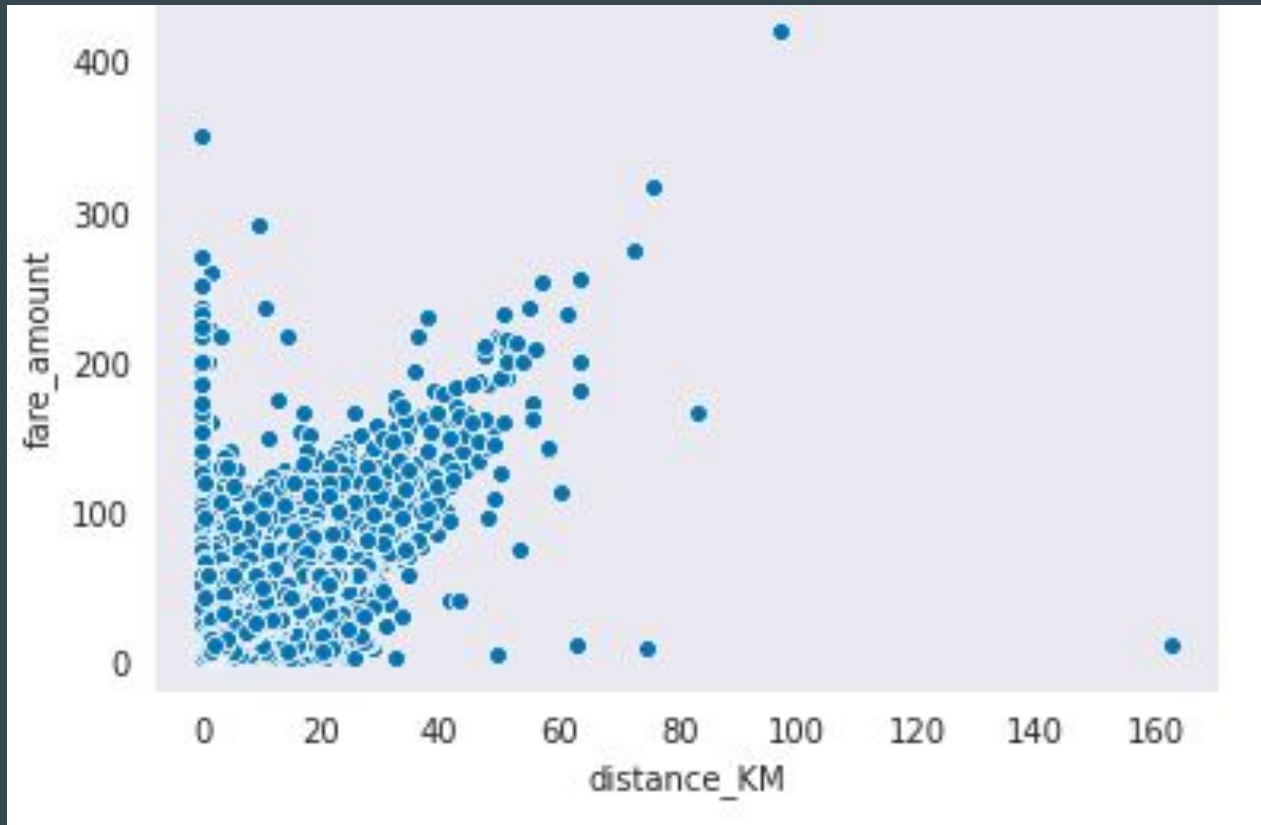


**Manhattan**



**Euclidean**

# Fare amount vs. Distance



Correlation : 0.89

# Modeling : Tested model

Target : *“To cluster the insignificant data in order to save information without too much attributes during the prediction”*

Step 1: Feature selection and engineering

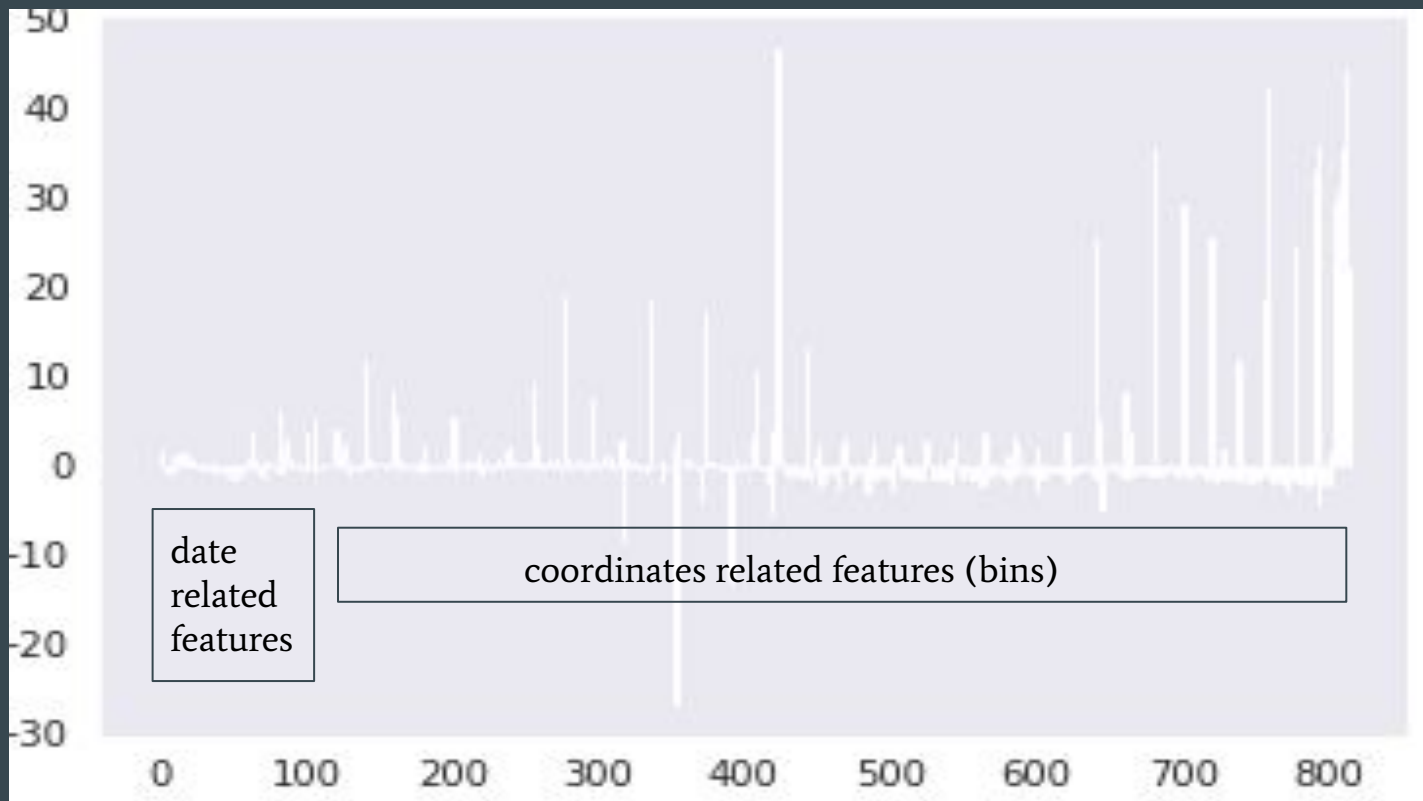
- coordinates engineering:
  - treat latitude and longitude as categories
  - bin them with qcut (20 bins for each) and create virtual points combining latitude and longitude

Step 2 : model testing :

- OLS without feature engineering: R-squared : 0.312
- OLS with feature engineering (Haversine) R-squared : 0.847
- OLS with feature engineering (Manhattan) R-squared : 0.832
- Ridge with built-in cross validation and feature engineering (Manhattan) R-squared : 0.841

# Selected model: Ridge

R-squared is good :R-squared : 0.841 and It tackles the issue of coefficient being really high in OLS model



# First conclusions

Model is good

Possible improvement:

- test it with Haversine distance calculation.
- use more data