Table of Contents

3B	1
Expansion	1
Percent Error Analysis1.3	

3B

```
%Problem 4.15 from textbook- Problem 3 from HW 1- Using a Taylor
%approximation to predict f(2) for f(x)=\ln(x) using base point at x=1
%Oth order taylor series term
x0 = 1;
h=1;
taylorSeriesTerms = [];
taylorSeriesTerms(1) = log(x0);
%1st order taylor series term
taylorSeriesTerms(2) = 1/x0;
%2nd order taylor series term
taylorSeriesTerms(3) = -1/(2*x0^2);
%3rd order taylor series term
taylorSeriesTerms(4) = 1/(3*x0^3);
taylorSeriesTerms(5) = -1/(4*x0^4);
%Calculating Errors
errors = [];
errors(1) = 100*(log(2) - taylorSeriesTerms(1))/log(2);
errors(2) = 100*(log(2) - sum(taylorSeriesTerms(1:2)))/log(2);
for i=1:length(taylorSeriesTerms)
   errors(i) = 100*(log(2) - sum(taylorSeriesTerms(1:i)))/log(2);
end
termNumber = 5;
seriesTerms = [];
for i = 1:termNumber
end
```

Expansion

```
error = [];
errorReduction = [];
```

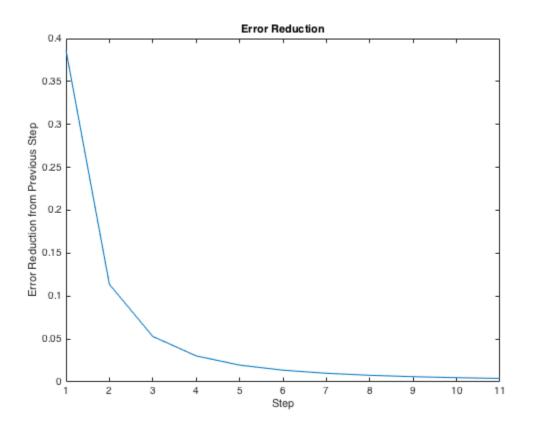
```
approximations = [];

for i = 1:12
    [percentError, approximations(i)] = taylorSeriesLn2fromLn1(i-1);
    error(i) = abs(approximations(i) - log(2));
end

for i = 1:11
    errorReduction(i) = abs(error(i+1) - error(i));
end

plot(errorReduction)
title('Error Reduction')
ylabel('Error Reduction from Previous Step')
xlabel('Step')

%Notice that as you add terms, the error reduction goes down.
Therefore,
%adding more and more terms becomes arbitrary at some point.
```



Percent Error Analysis1.3

```
percentError = 10;
order = 0;
while (percentError > 1)
```

```
[percentError,~]=taylorSeriesLn2fromLn1(order);
  order = order+1;
end

order

%the order above is the necessary order to reduce percent error to 1

while (percentError > 0.1)
  [percentError,~]=taylorSeriesLn2fromLn1(order);
  order = order+1;
end

order
%the order above is the necessary order to reduce percent error to 0.1

order = 73

order = 722
```

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