

## ESE-2014 LAB 4

Submitted by- Group 11: Sruthy Krishnan(749122), Stephy Baby(753812)

Using the evenodd function, decompose the following sequences into their even and odd components. Plot these components using the stem function.

1.  $x_1(n) = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}$

### SOLUTION:

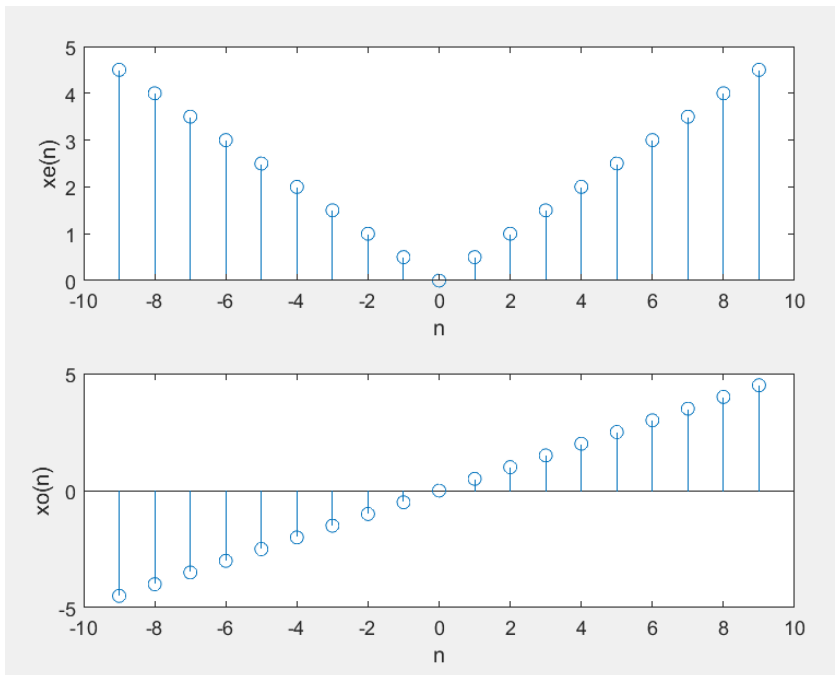
Creating even-odd function

```
Editor - C:\Users\Sruthi\Documents\MATLAB\evenodd.m
evenodd.m
1 function [xe, xo, m] = evenodd(x,n)
2 if any(imag(x)~=0)
3     error("x is not a real sequence")
4 end
5 m = -fliplr(n); m1 = min([m,n]); m2 = max([m,n]); m = m1:m2;
6 nm = n(1)-m(1); n1 = 1:length(n); x1 = zeros(1,length(m));
7 x1(n1+nm)=x;
8 x = x1;
9 xe = 0.5*(x+fliplr(x));
10 xo = 0.5*(x-fliplr(x));
11 subplot(2,1,1);
12 stem(m,xe); xlabel('n'); ylabel('xe(n)');
13 subplot(2,1,2);
14 stem(m,xo); xlabel('n'); ylabel('xo(n)');
15
```

Operation on sequence

```
Command Window
>> n1=[0:9]; x1=[0 1 2 3 4 5 6 7 8 9];
>> [xe1,xo1,m1]=evenodd(x1,n1);
```

## OUTPUT:



2.  $x_2(n) = e^{(0.1n)}[u(n+5) - u(n-10)]$

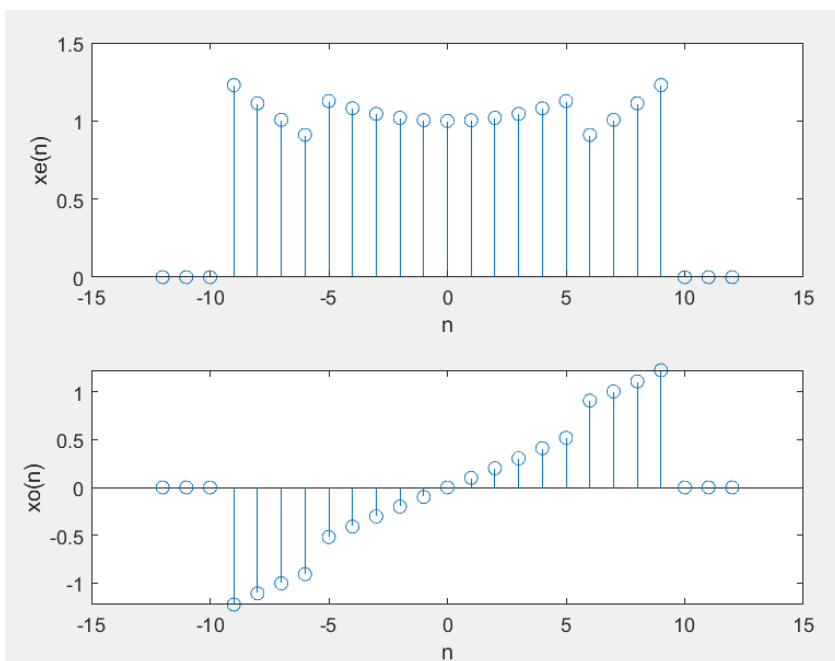
## SOLUTION:

### Operation on Sequence

Command Window

```
>> n2 = [-8:12]; x2 = exp(0.1*n2).*(stepseq(-5,-8,12) - stepseq(10,-8,12));  
>> [xe2,xo2,m2] = evenodd(x2,n2);
```

## OUTPUT:



3.  $x_3(n) = \cos(0.2\pi n + \pi/4)$ ,  $-20 \leq n \leq 20$

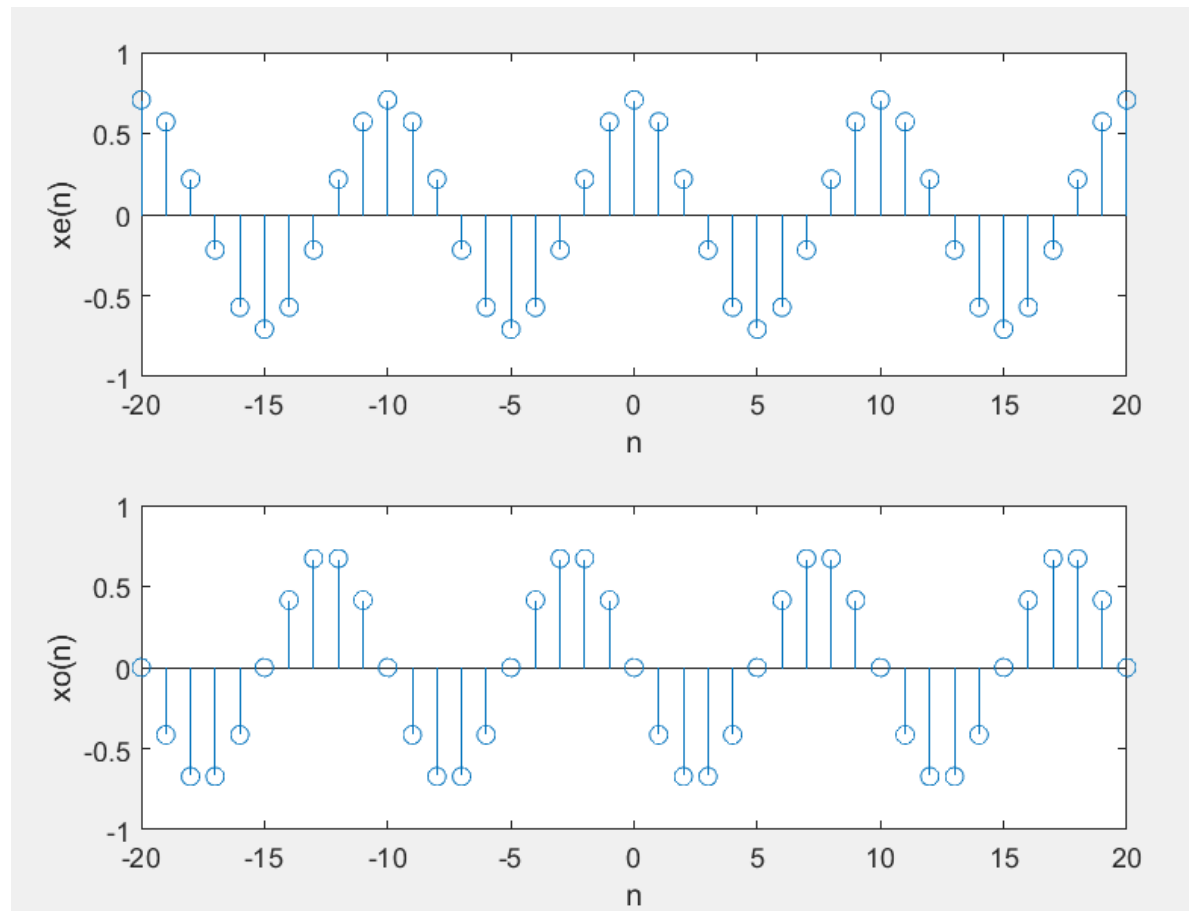
### **SOLUTION:**

Operation on Sequence

Command Window

```
>> n3 = [-20:20]; x3 = cos(0.2*pi*n3 + pi/4);  
>> [xe3,xo3,m3] = evenodd(x3,n3);
```

### **OUTPUT:**



4.  $x_4(n) = e^{(-0.05n)} \sin(0.1\pi n + \pi/3)$ ,  $0 \leq n \leq 100$

### **SOLUTION:**

Operation on Sequence

Command Window

```
>> n4 = [0:100]; x4 = exp(-0.05*n4).*sin(0.1*pi*n4 + pi/3);  
>> [xe4,xo4,m4] = evenodd(x4,n4);
```

**OUTPUT:**

