Name: Abhishek Verma

Roll no. 2138118

Practical: Newton Interpolating Polynomial

```
In[1]:=
     NthdividedDiff[x0 , f0 , startindex , endindex ] :=
       Module[{x = x0, f = f0, i = startindex, j = endindex, answer},
        If[i == j, Return[f[[i]]], answer = (NthDividedDiff[x, f, i+1, j] -
               \label{eq:norm_constraints} NthDividedDiff[x, f, i, j-1]) \ / \ (x[[j]]-x[[i]]) \ ; \ Return[answer]]]
     x =
       {0,
        1,
        3}
Out[2]= \{0, 1, 3\}
 ln[3]:= f = \{1, 3, 55\}
Out[3]= \{1, 3, 55\}
     NthdividedDiff[x, f, 1, 2]
Out[9]= 2
In[10]:= NthdividedDiff[x, f, 1, 1]
Out[10]= 1
 ||f(t)|| = NewtonDDPoly[x0_, f0_] := Module[\{x1 = x0, f = f0, n, newtonPolynomial, k, j\}, 
        n = Lenth[x1]; newtonPolynomial[y_] = 0;
        For [i = 1, i \le n, i = i + 1, prod = 1;
         For [k = 1, k \le i - 1, k = k + 1, prod[y_] = prod[y] * (y - x1[[k]])];
         newtonPolynomial[y ] + NthdividedDiff[x1, f, 1, i] * prod[y];
         Return[newtonPolynomial[y]]
```