

Course code: Course Title	Course Structure			Pre-Requisite
<b>SE317: Discrete Structures</b>	<b>L</b>	<b>T</b>	<b>P</b>	<b>NIL</b>
	<b>3</b>	<b>1</b>	<b>0</b>	

**Course Objective:** The objective of the course is to give basic knowledge of combinatorial problems, algebraic structures and graph theory.

S. NO	Course Outcomes (CO)
<b>CO1</b>	Understand and remember the symbols and properties of predicates, propositional logic, logic programming, and quantifiers.
<b>CO2</b>	Analyze and apply various theorem-proving techniques, principles of induction, and recurrence relation solutions.
<b>CO3</b>	Apply and understand set theory, combinatorial principles, and relational algebra.
<b>CO4</b>	Analyze and understand the concepts of lattices and boolean algebra and evaluate the operations.
<b>CO5</b>	Understand the concepts of graph theory and evaluate depth first search, breadth first search, in order, pre order, and post order traversal algorithms.

S. NO	Contents	Contact Hours
<b>UNIT 1</b>	<b>Formal Logic:</b> Statement, Symbolic Representation and Tautologies, Quantifiers, Predicate and validity, Normal form, Propositional Logic, Predicate Logic, Logic Programming and Proof of correctors.	<b>4</b>
<b>UNIT 2</b>	<b>Proof, Relation and Analysis of Algorithm:</b> Technique for theorem proving: Direct Proof, Proof by Contra position, proof by exhausting cases and proof by contradiction, Principle of mathematical induction, principle of complete induction, recursive definition, solution methods for linear, first-order recurrence relations with constant coefficients, analysis of algorithms involving recurrence relations-recursive selection sort, binary search, quick sort, solution method for a divide-and-conquer recurrence relation.	<b>8</b>
<b>UNIT 3</b>	<b>Sets and Combinations:</b> Sets, Subsets, powersets, binary and unary operations on a set, set operations/set identities, fundamental counting principles, principle of inclusion, exclusion and pigeonhole, permutation and combination, pascal's triangles, binomial theorem, representation of discrete structures.	<b>8</b>
<b>UNIT 4</b>	<b>Relation/function and matrices:</b> Relation, properties of binary relation, operation on binary relation, closures, partial ordering, equivalence relation, properties of function, composition of function, inverse, binary and n-ary operations, characteristics for, permutation function, composition of cycles, Boolean matrices, Boolean matrices multiplication.	<b>7</b>
<b>UNIT 5</b>	<b>Lattices:</b> Lattices: Definition, sublattices, direct product, homomorphism <b>Boolean Algebra:</b> Definition, properties, isomorphic structures (in particular, structures with binary operations) sub algebra, direct product and homomorphism, Boolean function, Boolean expression, representation & minimization of Boolean function.	<b>7</b>
<b>UNIT 6</b>	<b>Graph Theory:</b> Terminology, isomorphic graphs, Euler's formula (Proof) four color problem and the chromatic number of a graph, five color theorem. Trees terminology, directed graphs, Computer representation of graphs, Warshall's algorithms, Decision Trees, Euler path & Hamiltonian circuits, shortest path & minimal spanning trees, Depth-first and breadth first searches, analysis of search algorithm, trees associated with DFS & BFS Connected components,	<b>8</b>

	in order, preorder & post order trees traversal algorithms.	
	<b>TOTAL</b>	<b>42</b>

<b>REFERENCES</b>		
<b>S.No.</b>	<b>Name of Books/Authors/Publishers</b>	<b>Year of Publication / Reprint</b>
<b>1</b>	J. P. Trembly, P. Manohar, “Discrete Mathematical Structures with Applications to Computer Science”, McGraw Hill.	<b>1997</b>
<b>2</b>	Narsingh Deo, “Graph Theory with Application to Engineering and Computer Science”, PHI.	<b>2004</b>
<b>3</b>	Kenneth H. Rosen, K. Krithivasan, “Discrete Mathematics and Its Applications”, McGraw Hill, 8 <sup>th</sup> Edition.	<b>2021</b>
<b>4</b>	C. L. Liu, D. P. Mohapatra, “Elements of Discrete Mathematics: A Computer Oriented Approach”, McGraw Hill, 4 <sup>th</sup> Edition.	<b>2017</b>
<b>5</b>	Bernard Kolman, Robert Busby, and Sharon C. Ross, “Discrete Mathematical Structures”, Pearson, 6 <sup>th</sup> Edition.	<b>2015</b>