

Details of Course

| Course Title | Course Structure | | | Pre-Requisite |
|-------------------------|------------------|---|---|---------------|
| MC 208 : Linear Algebra | L | T | P | Nil |
| | 3 | 1 | 0 | |

Course Objective: The objective of this paper is to impart knowledge of vector space, linear transformation, bilinear form and Inner Product spaces.

Course Outcome (CO):

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| CO1 | Explain computational techniques and algebraic skills essential for the study of systems of linear equations and matrix algebra. |
| CO2 | Apply geometric properties and strategies to model and solve problems of vector spaces. |
| CO3 | Compute and recognise the properties of special matrices. |
| CO4 | Apply eigen vectors in obtaining canonical forms of matrices. |
| CO5 | Describe inner product spaces, bilinear forms and positive definiteness of real quadratic forms. |

| S. No. | Contents | Contact hours |
|--------|---|---------------|
| 1. | Vector spaces, Properties of vector spaces, Subspaces, Linear dependence and independence, Linear span, Bases and Dimension, Linear Sum, Direct Sum, Quotient Spaces. | 8 |
| 2. | Linear transformations, Range and Null spaces, Rank–Nullity theorem and its application, Inverse linear transformation, Representation of linear transformations by matrices, Change of basis, Dual space, Dual bases . | 10 |
| 3. | Transpose of a linear transformation, Eigen values and Eigen vectors, Cayley–Hamilton Theorem, Diagonalization, Minimal polynomials, Jordan canonical form. | 8 |
| 4. | Inner product spaces, norm of a vector, orthogonality, orthonormal set, orthonormal basis, Gram-Schmidt orthonormalization, orthogonal projections, Linear functional and adjoints, Hermitian, self-adjoint. | 8 |
| 5. | Unitary and normal operators, Bilinear forms, Symmetric and skew-symmetric bilinear forms, Real quadratic forms, Positive definiteness | 8 |
| | Total | 42 |

Suggested Books:

| S. No. | Name of Books/Authors/Publishers | Year of Publication |
|---------------|--|----------------------------|
| 1 | K. Hoffmann and R. Kunze, Linear Algebra, 2 nd Edition , Pearson | 2015 |
| 2 | G. Hadley, Linear Algebra, Narosa publication | 2002 |
| 3 | Gilbert Strang, Linear Algebra and its applications, Cengage Learning, 4 th edition | 2007 |
| 4 | Serge Lang, Introduction to Linear Algebra, Springer | 2004 |
| 5 | Linear Algebra, Fourth edition, Schaum's outlines | 2015 |