

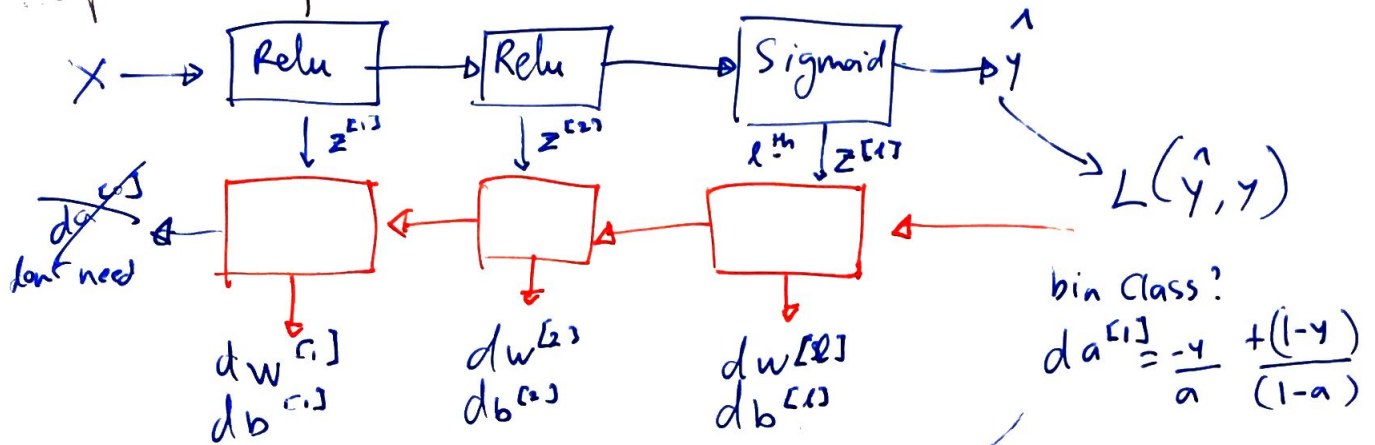
Vectorized version:

actual  $dZ^{[1]} = dA^{[1]} * g'(Z^{[1]})$   
 $dW^{[1]} = \frac{1}{m} dZ^{[1]} \cdot A^{[0-1]T}$

need  $db^{[1]} = \frac{1}{m} \text{np.sum}(dZ^{[1]}, \text{axis}=1, \text{keepdims}=\text{True})$

output  $dA^{[L-1]} = W^{[L]T} \cdot dZ^{[L]}$

Update Cycle:



vectorized  $v^n =$   
 $dA^{[1]} = \left( \frac{-y^{[1]}}{a^{[1]}} + \frac{1-y^{[1]}}{1-a^{[1]}} \right) \dots$   
 $\dots \frac{y^{[m]}}{a^{[m]}} + \frac{1-y^{[m]}}{1-a^{[m]}}$

Hyper parameters:

Hyper params values impact learning algo's params

Params:  $W^{[1]}, b^{[1]}, W^{[2]}, b^{[2]}, W^{[3]}, b^{[3]}$  ---

Hyper params: Learning rate  $\alpha$

# iterations

# hidden layer  $L$

# hidden units  $n^{[1]}, n^{[2]} \dots$

choice of activation  $f^n$

later we'll also see Momentum, minibatch size, regularizations, ---

→ Applied deep learning is a very empirical process  
 gotta try a lot of values