## **Data Structures**

**SYBTech(CSE)** 

Unit - 1

Introduction

PPT-5

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# Unit 1 [6 hrs] Introduction:

Data,
Data types,
Data structure,
Abstract Data Type (ADT),
Representation of Information,
Characteristics of algorithm,
Program,

Analyzing programs.

# **Objective**

Be familiar with analysis of Algorithm

(Time Complexity).

# **Time Complexity:**

- T(P) = Compile Time(P) + Execution Time(P)
   Where P: Program
- Run Time is denoted by tp: Instance characteristics
- Tp(n) can be obtained experimentally:
  - 1. Type a program
  - 2. Compile
  - 3. Execute

- Problem in experimental approach:
  - In a multiuser system, the execution time depends on:
  - 1. System load, no. of other programs running on computer at the time program P is running.
  - 2. The characteristics of these other programs. so on.

# Obtain total number of program steps: Two ways.

1. Introduce a new variable(global), count, into

the program.

2. Tabular method.

```
Count:=0;
Algorithm Swap(a, b)
 a := a+b;
 count ++;
 b := a-b;
 count ++;
 a := a-b;
 count ++;
 Display a, b;
 count ++;
Total steps := 4
```

# 1. Introduce a new variable(global), count:

```
Algorithm Sum (a, n)
      s := 0.0;
      count:=count + 1;
      for i:= 1 to n step 1 do
      {
            count:=count + 1;
            s:= s + a[i];
             count:=count + 1;
      count:=count + 1;
      count:=count + 1;
      return s;
```

```
Algorithm Sum (a, n)
{
    s := 0.0;
    for i:= 1 to n step 1 do
        s := s + a[i];
    return s
}
```

```
Algorithm Sum (a, n)
 s := 0.0;
 count:=count + 1;
 for i:= 1 to n step 1 do
    count:=count + 1;
    s:= s + a[i];
    count:=count + 1;
 count:=count + 1;
 count:=count + 1;
 return s;
```

```
Simplified Algorithm:
Algo Sum(a, n)
{
  for i:= 1 to n step 1 do
      count := count +2;
  count := count +3;
count = 2n + 3
Therefore,
      Total steps: 2n + 3
```

Total steps: 2n + 3

If n=10

Then Total steps = 23

If 1 step require 1 Nanosecond for execution

then total time required = 23 Nanoseconds

```
Algorithm RSum (a, n)
  count:=count +1
  if (n<=0) then
      count:=count +1
      return 0.0;
  else
      count:=count +1
      return a[n] + RSum(a, n-1);
         Recurrence Relation:
                                            ; if n=0
         TRSum(n) =
                       2 + tRSum(n-1)
                                            ; if n>0
```

Recurrence Relation:  

$$TRSum(n) \begin{cases} = 2 & \text{if } n=0 \\ = 2 + tRSum(n-1) & \text{if } n>0 \end{cases}$$

### Solve recurrence relation by repeated substitution:

#### This is called Linear Time Algorithm

as run time grows linearly in n.