Congratulations! You passed!

received 100%

Latest Submission Grade 100% **To pass** 80% or higher

Go to next item

1. In this assessment, you will be tested on all of the different topics you have in covered this module. Good luck!

1/1 point

Calculate the Jacobian of the function $f(x,y,z)=x^2cos(y)+e^zsin(y)$ and evaluate at the point $(x,y,z)=(\pi,\pi,1)$.

- $\bigcirc \quad J(x,y,z) = (-2\pi,e,0)$
- $J(x,y,z) = (-2\pi, -e, 0)$
- $\bigcup J(x, y, z) = (-2\pi, e, 1)$
- $\int J(x,y,z) = (-2\pi, -e, 1)$
 - **⊘** Correct

Well done!

2. Calculate the Jacobian of the vector valued functions:

 $u(x,y)=x^2y-cos(x)sin(y)$ and $v(x,y)=e^{x+y}$ and evaluate at the point $(0,\pi)$.

- $\bigcirc \begin{bmatrix} 0 & e^{\pi} \\ 1 & e^{\pi} \end{bmatrix}$
- $\bigcirc \quad \begin{bmatrix} e^{\pi} & 1 \\ e^{\pi} & 0 \end{bmatrix}$
- $\bigcirc \begin{bmatrix} e^{\pi} & 1 \\ 0 & e^{\pi} \end{bmatrix}$
- - ✓ Correct

3. Calculate the Hessian for the function $f(x,y)=x^3cos(y)-xsin(y)$.

$$\bullet H = \begin{bmatrix} 6x\cos(y) & -3x^2\sin(y) - \cos(y) \\ -3x^2\sin(y) - \cos(y) & x\sin(y) - x^3\cos(y) \end{bmatrix}$$

$$\bigcirc \quad H = \begin{bmatrix} 6cos(y) & -3x^2sin(y) - cos(y^2) \\ -3x^2sin(y) - cos(y) & x^2sin(y) - x^3cos(y) \end{bmatrix}$$

$$O H = \begin{bmatrix} 6x^2cos(y) & -3x^2sin(y) - cos(x) \\ -3x^2sin(y) - cos(y) & xsin(y) - xcos(y) \end{bmatrix}$$

$$\Theta H = \begin{bmatrix} 6x\cos(y) & -3x^2\sin(y) - \cos(y) \\ -3x^2\sin(y) - \cos(y) & x\sin(y) - x^3\cos(y) \end{bmatrix}$$

$$O H = \begin{bmatrix} 6\cos(y) & -3x^2\sin(y) - \cos(y^2) \\ -3x^2\sin(y) - \cos(y) & x^2\sin(y) - x^3\cos(y) \end{bmatrix}$$

$$O H = \begin{bmatrix} 6x^2\cos(y) & -3x^2\sin(y) - \cos(x) \\ -3x^2\sin(y) - \cos(y) & x\sin(y) - x\cos(y) \end{bmatrix}$$

$$O H = \begin{bmatrix} 6\cos(x) & -3x^2\sin(y) - \cos(y) \\ -3x^2\sin(y) - \cos(y) & x\sin(y) - y^3\cos(x) \end{bmatrix}$$

✓ Correct

4. Calculate the Hessian for the function $f(x,y,z)=xy+sin(y)sin(z)+z^3e^x$.

$$egin{array}{cccc} H = egin{bmatrix} 3e^xz^2 & -1 & 3e^xz \ 1 & -sin(x^2)sin(z) & cos(y)cos(z) \ 3e^xz & cos(y)cos(z) & 6e^yz2-sin(y)sin(z) \end{pmatrix}$$

$$\bigcirc H = \begin{bmatrix} 2e^{x}z^{3} & 1 & e^{x}z^{2} \\ 0 & -sin(x)sin(z) & cos(y)cos(z) \\ 3e^{x}z^{2} & cos(y)cos(z) & 6e^{2x} - sin(y)sin(x) \end{bmatrix}$$

$$\bigcirc H = \begin{bmatrix} 3e^{x}z^{2} & -1 & 3e^{x}z \\ 1 & -sin(x^{2})sin(z) & cos(y)cos(z) \\ 3e^{x}z & cos(y)cos(z) & 6e^{y}z^{2} - sin(y)sin(z) \end{bmatrix}$$

$$\bigcirc H = \begin{bmatrix} -e^{x}z^{3} & 0 & 3e^{y}z^{2} \\ 1 & sin(y)sin(z) & cos(y)cos(z) \\ 3e^{x}z & cos(y)cos(z) & 6e^{-xz} - sin(y)sin(z) \end{bmatrix}$$

$$\bigcirc H = \begin{bmatrix} e^{x}z^{3} & 1 & 3e^{x}z^{2} \\ 1 & -sin(y)sin(z) & cos(y)cos(z) \\ 3e^{x}z^{2} & cos(y)cos(z) & 6e^{x}z - sin(y)sin(z) \end{bmatrix}$$

✓ Correct

- 5. Calculate the Hessian for the function $f(x,y,z)=xycos(z)-sin(x)e^{y}z^{3}$ and evaluate at the point (x, y, z) = (0, 0, 0)
 - $\bigcirc \quad H = \begin{bmatrix} 0 & 0 & 0 \\ 1 & 0 & 1 \\ 0 & 0 & 0 \end{bmatrix}$

 - $H = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 0 \\ 0 & 1 & 0 \end{bmatrix}$ $H = \begin{bmatrix} 0 & 0 & 0 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \end{bmatrix}$
 - - Correct