



Gradiance Online Accelerated Learning

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Spring-20 HW3

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Number of questions: 7
Positive points per question: 15.0
Negative points per question: 0.0

- Let the relation A(MNOPQRST) satisfy the following functional dependencies: $N \rightarrow P$, $MO \rightarrow Q$, $RS \rightarrow T$, $Q \rightarrow S$, $OP \rightarrow M$, $PT \rightarrow R$. Which of the following FD's is also guaranteed to be satisfied by A? Recall that an FD of the form $X \rightarrow BC$, where X is a set of attributes and where each of B and C is an attribute, is actually two FDs $X \rightarrow B$ and $X \rightarrow C$. We say that an FD $X \rightarrow BC$ is guaranteed to be satisfied by a relation schema if and only if each of $X \rightarrow B$ and $X \rightarrow C$ is guaranteed to be satisfied by this relation schema.
 - ☐ a) $OST \rightarrow PQ$
 - ☐ b) $NQS \rightarrow PT$
 - ☒ c) $MNO \rightarrow PS$
 - ☐ d) $MRT \rightarrow NO$
- Determine the keys and superkeys of the relation R(MNOPST) with FD's: $NS \rightarrow T$, $MNO \rightarrow P$, $NO \rightarrow T$, $MPST \rightarrow N$. Then, demonstrate your knowledge by selecting the true statement from the list below. Each statement must include all the possible values.
 - ☐ a) Superkeys: MOPS, MNPST
 - ☐ b) Superkeys: MNOP, NST, MOPT
 - ☒ c) Superkeys that are not keys: MNOPST, MNOPS, MNOST
 - ☐ d) Keys: MNOPT, ST
- Which of the following relations is in BoyceCodd Normal Form (BCNF)?
 - ☐ a) R(LMNO) FD's: $LMN \rightarrow O$; $LNO \rightarrow M$; $MNO \rightarrow L$; $L \rightarrow O$
 - ☒ b) R(LMNOP) FD's: $M \rightarrow NO$; $NO \rightarrow L$; $L \rightarrow MP$
 - ☐ c) R(LMNOP) FD's: $LM \rightarrow P$; $N \rightarrow O$; $MP \rightarrow N$
 - ☐ d) R(LMNO) FD's: $MNO \rightarrow L$; $LNO \rightarrow M$; $M \rightarrow L$
- Which of the following relations is correctly decomposed into the minimal number of relations that are collectively in BCNF (BoyceCodd Normal Form)?
 - ☐ a) R(ABCDE) FD's: $B \rightarrow CD$; $A \rightarrow E$ into R1(ABCDE), R2(AE)
 - ☐ b) R(ABCD) FD's: $C \rightarrow B$; $C \rightarrow D$; $B \rightarrow A$ into R1(CD), R2(AB)
 - ☒ c) R(ABCDE) FD's: $BDE \rightarrow A$; $A \rightarrow C$ into R1(ABDE), R2(AC)
 - ☐ d) R(ABCDE) FD's: $A \rightarrow B$; $B \rightarrow D$; $D \rightarrow E$; $C \rightarrow A$ into R1(ABE), R2(CD)
- A basis for a set of FD's F is any set G of FD's whose closure is the

same as the closure of F. That is, exactly the same FD's follow from F as from G. In addition, a basis must consist of a minimal set of nontrivial FD's. Suppose we have a relation $R(W, M, X, Y, Z)$ with FD's $W \rightarrow M$, $M \rightarrow X$, $X \rightarrow Y$, $Y \rightarrow Z$, $Z \rightarrow W$. Suppose we project R onto attributes $WMXY$. Describe all the bases for the set of FD's that hold in $WMXY$. Given a set of FD's, select statements that correctly explain if the set is a basis or not.

- ☐ a) $W \rightarrow M, M \rightarrow Y, Y \rightarrow X, X \rightarrow W$: NOT a basis
- ☐ b) $W \rightarrow M, M \rightarrow X, X \rightarrow W, X \rightarrow Y, Y \rightarrow X$: NOT a basis
- ☐ c) $W \rightarrow X, W \rightarrow Y, X \rightarrow Y, Y \rightarrow X, M \rightarrow X, M \rightarrow Y$: a basis
- ☒ d) $W \rightarrow M, M \rightarrow Y, X \rightarrow Y, Y \rightarrow W, Y \rightarrow X$: a basis

6. Suppose relation $R(A, B, C, D)$ has the tuples:

A	B	C	D
a	1	4	e
b	2	10	e
c	7	6	f
a	3	19	e

And the relation $S(F, G, H)$ has tuples:

F	G	H
b	15	21
b	4	5
c	7	2
b	5	4
a	20	11
d	6	3
b	17	12

Which of the following tuples is in the theta-join of R and S with the condition $A = F$ AND $C < G$ AND $(D = 'e'$ OR $D = 'f')$ AND $(A = 'a'$ OR $A = 'b')$ AND $G > H$?

- ☐ a) (b, 2, 10, e, b, 5, 4)
- ☐ b) (b, 2, 10, e, b, 4, 5)
- ☐ c) (c, 7, 6, f, b, 15, 21)
- ☒ d) (a, 1, 4, e, a, 20, 11)

7. Which of the following relations is in Third Normal Form (3NF)?

- ☐ a) $R(VWXY)$ FD's: $V \rightarrow W$; $V \rightarrow X$; $WX \rightarrow Y$
- ☐ b) $R(VWXY)$ FD's: $WXY \rightarrow V$; $VW \rightarrow X$; $Y \rightarrow V$; $W \rightarrow X$
- ☒ c) $R(VWXYZ)$ FD's: $V \rightarrow WX$; $Z \rightarrow VY$; $W \rightarrow Z$
- ☐ d) $R(VWXYZ)$ FD's: $V \rightarrow WZ$; $X \rightarrow V$; $W \rightarrow XY$; $Z \rightarrow Y$

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