

HW1 part 1

- 10 1. Fixing an E/R diagram
- 15 2. Submit min-size E/R diagram
- 5 3. ~~extra~~
4. For 2. 2, place
info on objects
into appr places in
diagram



HW2 part T

1. NULLS approach to hierarchy
2. o/o approach to hierarchy
3. translate (weak)
4. E/R (hierarchies) + weak
5. All 3 approaches to hier



HW3

8 1. $A(MNOPQRST)$ - which FDs
are implied?

15 2. Keys & superkeys of $R(MNOPST)$

12 3. Is in BCNF?

11 4. Is in 3NF?

9 5. Correct BCNF decomp?

7 6. Theta-join on given inputs



30 7. basis

HW 4

1. bag union of bag π and ρ , σ
0. bag π , bag difference, δ
2. Student/university/tutor
schema - correctness of
rel alg vs test
10. SQL - compute answer
0. generalized π
2. left natural outerjoin
0. bag π , bag intersection



($R(ABC)$) **HW3 #7**
 ($B \rightarrow C$)

$AB \rightarrow C \Leftarrow$ looks superfluous)

On a given relation, a basis of a set of its FDs is a

- minimal

- nonredundant

set of its FDs that

implies all the ~~other~~ FDs

of that relation

Set of
all FDs
that
hold

(E)

$$\sqrt{ABC} \\ A \rightarrow B \\ B \rightarrow C \quad \Rightarrow \quad A \rightarrow C$$

$\{A \rightarrow B, B \rightarrow C, \underline{A \rightarrow C}\}$ - not a basis

$\{A \rightarrow B\}$ - not a basis

$\{A \rightarrow B, B \rightarrow C\}$ - is a basis



$R(W M X Y Z)$

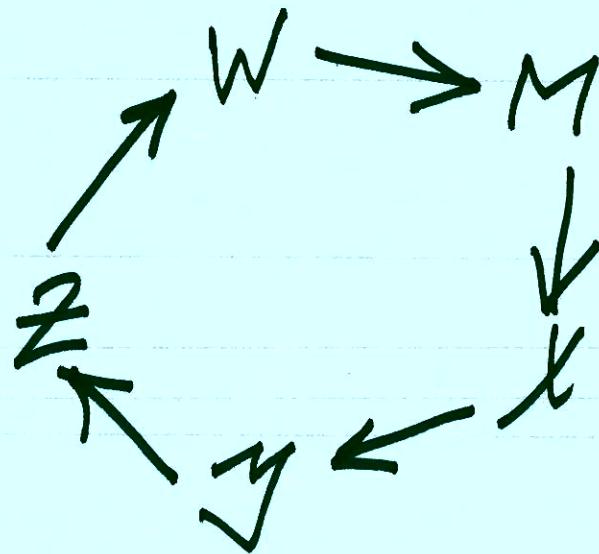
$W \rightarrow M$

$M \rightarrow X$

$X \rightarrow Y$

$Y \rightarrow Z$

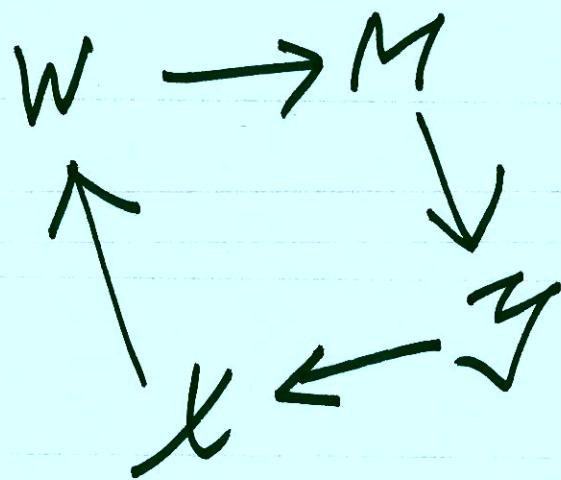
$Z \rightarrow W$



Find bases of a projection
of R on attributes \sqrt{WMXY}



Incorr # 1:



- is a basis,
hence the stmt
in incorr #1
is incorrect

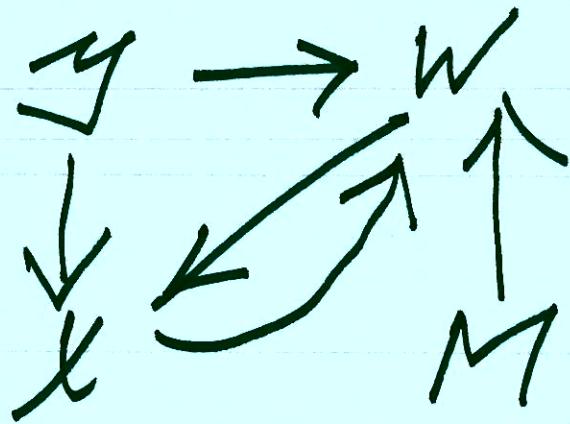
If you were given



- not a
basis
(has extra)

(E)

Correct # 4
Not a basis:



M does not follow
from anything
 \Rightarrow not a basis



Syntax discussion without
 $A \rightarrow BC$ demonstrating candidate bases:
can be converted into

$$A \rightarrow B$$

$$A \rightarrow C$$



HWY # 3

(please give me specific
official answers)



HW3 #2

$R(MNOPST)$

$NS \rightarrow T$

$MNO \rightarrow P$

$NO \rightarrow T$

$MPST \rightarrow N$

Keys &
Superkeys

Corr #3: Superkeys that are
not keys:

$MNOPST$ - all the attributes

$MN\overline{O}P\overline{S}T^+ = MNOPST$

$M\overline{N}O\overline{S}T$



MNOPS - why not a key?

drop 1 attr at a time:

not superkey NOPST = NOPST - cannot get M

MOPST = -cannot get N

MNPST = -cannot get O

MNOP+ =

MNOF+ =

→ if each of these superkeys
is not a superkey
and MNOPS is a
superkey in a
⇒ MNOPS key



$$\underbrace{MNO\check{S}^+}_{\downarrow} = MNO\check{S}TP$$

proper subset of
MNO \check{S} is
a superkey

\Rightarrow MNO \check{S} is not a key



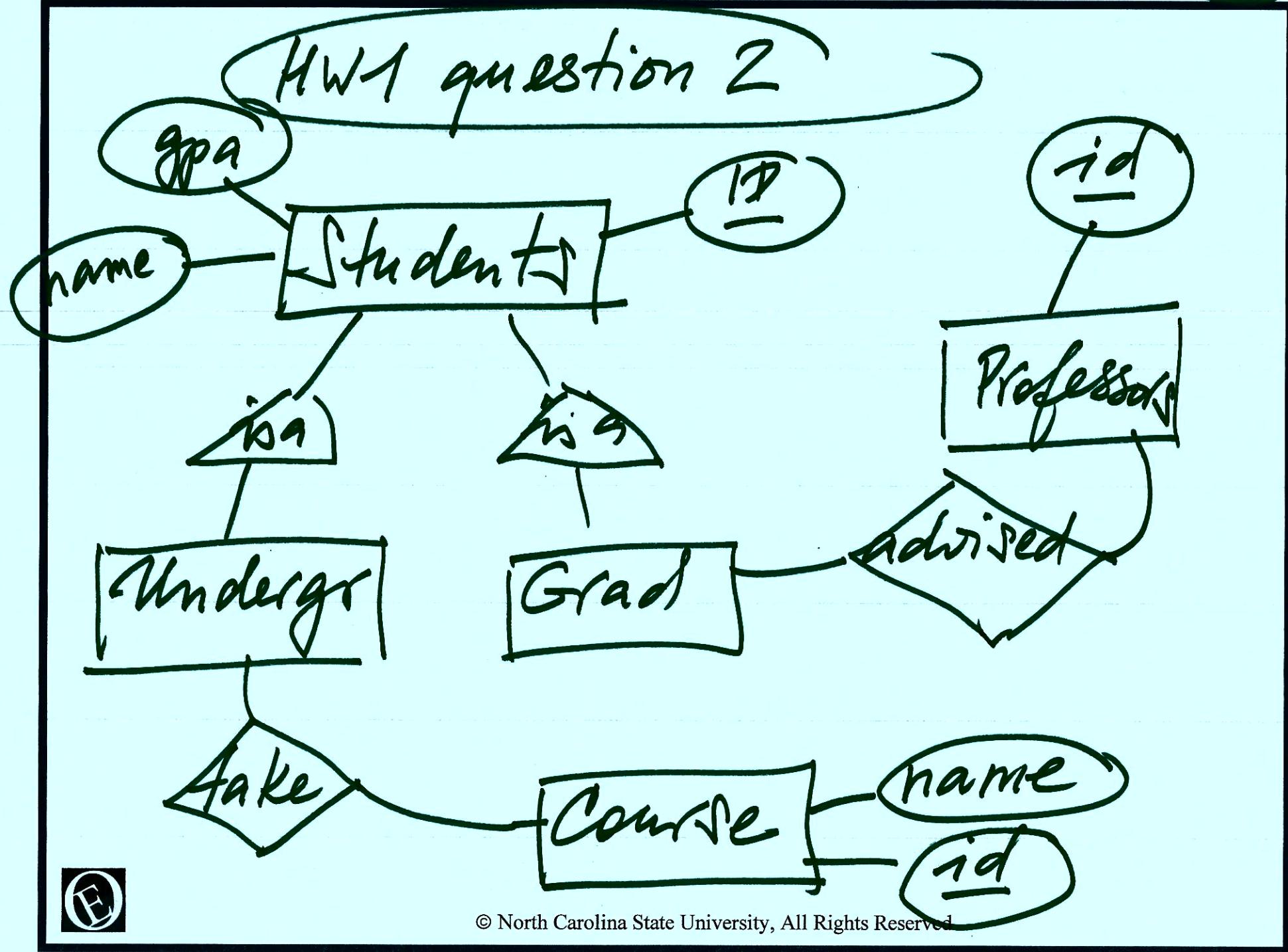
Incorr #1:

All these are keys: MNOPST - not a key

MNOP \downarrow

MNO \downarrow S \downarrow T





Translating into relation schemas:
(1) the NOLLS approach

Students (id, gpa, name).

Course (id, name)

Professors (id)

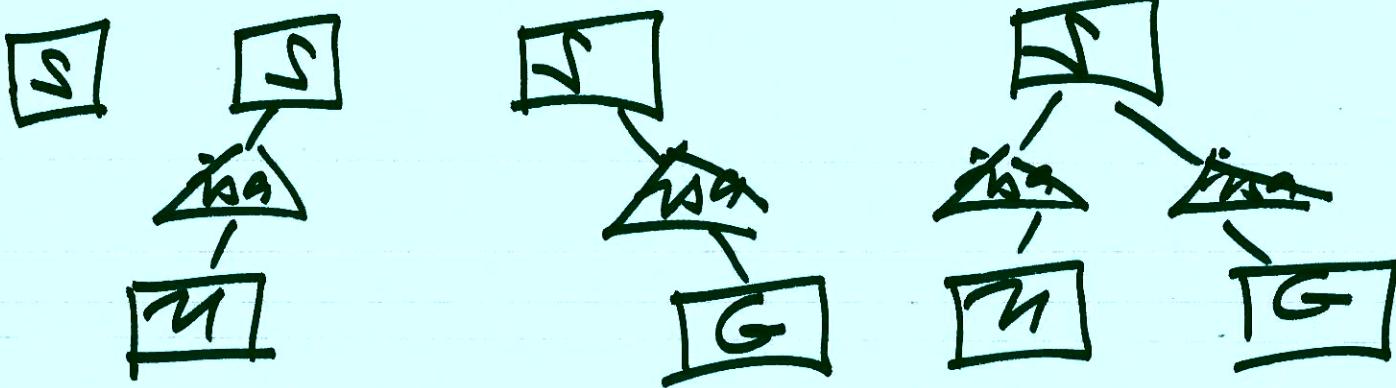
Advised (sid, pid)

Take (sid, cid)



(18)

(2) the o/o approach:



$\Sigma(\underline{ID}, gpa, name)$
 $\Sigma P(\underline{ID}, gpa, name)$
 $\Sigma G(\underline{ID}, gpa, name)$
 $\Sigma PG(\underline{ID}, gpa, name)$
 Course(cid, name)
 Professors(id)

Advised
 $(\underline{sid}, \underline{pid})$
 Take(sid,
cid)



(3) the E/R approach:

Course(id, name)

Professors(id)

Advised(fid, Rid)

Take(fid, cid)

Students(id, gpa, name)

~~U~~Students(id)

GStudents(id)



HW 3 #5

Incorr #1

$R(ABCD)$

- $A \rightarrow B$

- $A \rightarrow C$

✓ $\not{D} \rightarrow A$

$A^+ = ABC$

$D^+ = DABC$

$R_1(ABC)$

$A^+ = ABC$

$B^+ = B$

$C^+ = C$

$R_2(AD)$

$A \rightarrow B$
 $A \rightarrow C$

$AB \rightarrow C$
 $AC \rightarrow B$

(E)