

右线性文法转换左线性文法

右线性文法 \rightarrow FA $\xrightarrow[\text{(状态转换矩阵)}]{\text{算法}}$ DFA (化简) \rightarrow 左线性文法

P65 15.

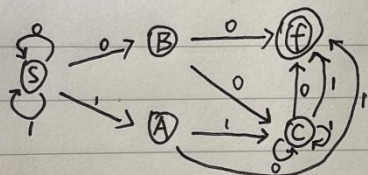
右线性文法 $G: S \rightarrow OS | IS | IA | OB$

$A \rightarrow IC | I$

$B \rightarrow OC | O$

$C \rightarrow OC | IC | O | I$ 求一个与 G 等价的左线性文法

① 将右线性文法转换 NFA:



② 利用子集法, 将 NFA 化成 DFA

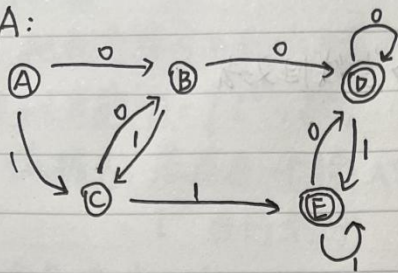
I	I_0	I_1
$\{S\}$	$\{S, B\}$	$\{S, A\}$
$\{S, B\}$	$\{S, B, C, f\}$	$\{S, A\}$
$\{S, A\}$	$\{S, B\}$	$\{S, A, C, f\}$
$\{S, B, C, f\}$	$\{S, B, C, f\}$	$\{S, A, C, f\}$
$\{S, A, C, f\}$	$\{S, B, C, f\}$	$\{S, A, C, f\}$

(状态转换矩阵)

重新命名

S	O	I
A	B	C
B	D	C
C	B	E
D	D	E

DFA:



③ DFA化简

初始划分: $\{A, B, C\}, \{D, E\}$

$$\{A, C\}_0 = \{B\} \subseteq \{A, B, C\}$$

$$\{B\}_0 = \{D\} \subseteq \{D, E\}$$

$$\text{则 } \pi_1 = \{\{A, C\}, \{B\}, \{D, E\}\}$$

$$\{A\}_1 = \{C\} \subseteq \{A, C\}$$

$$\{C\}_1 = \{E\} \subseteq \{D, E\}$$

$$\text{则 } \pi_2 = \{\{A\}, \{B\}, \{C\}, \{D, E\}\}$$

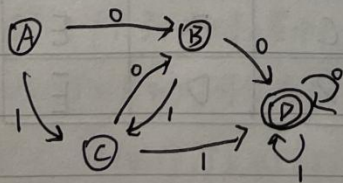
$$\{D, E\}_0 = \{D\} \subseteq \{D, E\}$$

$$\{D, E\}_1 = \{E\} \subseteq \{D, E\}$$

无需划分

令状态 D 代表 $\{D, E\}$

则 DFA:



④ DFA转换成左线性文法

$$D \rightarrow B0 \mid C1 \mid D0 \mid D1$$

$$C \rightarrow 1 \mid B1$$

$$B \rightarrow 0 \mid C0$$