BROWN UNIVERSITY PROBLEM SET 1

INSTRUCTOR: SAMUEL S. WATSON DUE: 15 SEPTEMBER 2017

Print out these pages, including the additional space at the end, and complete the problems by hand. Then use Gradescope to scan and upload the entire packet by 18:00 on the due date.

Problem 1
Without using determinants, show that the range the function $f: \mathbb{R}^2 \to \mathbb{R}^2$ defined by $f(x,y) = (2x + y, -4x - 2y)$ is a line in \mathbb{R}^2 . (Note: this requires that you identify the line, show that every point on that line is the image of some point (x,y) , and show that every point (x,y) maps to that line.)
Solution
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Problem 2
Problem 2 Consider the line ℓ passing through $(1, -2, 0)$ and running parallel to the z -axis. Define $f(x, y, z)$ to be the distance from (x, y, z) to the line ℓ . Find a simple formula for f .
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yz-plane?	the sphere with center $(-3,2,5)$ and radius 4. What is the intersection of this sphere with the
Solution	
Problem 4	
Sketch or describe a	solid with the property that its shadows on the three coordinate planes are a circle, an isoscele
pairs $(x, y, 0)$ such t	solid with the property that its shadows on the three coordinate planes are a circle, an isoscele re, respectively. (Note: the <i>shadow</i> of a solid S in \mathbb{R}^3 on the xy -plane is defined to be the set of all hat there is some $z \in \mathbb{R}$ so that $(x,y,z) \in S$. In other words, its the set of points you get when you cetly onto the xy -plane. And similarly for the other two coordinate planes.)
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Problem 3

Additional space	