

Capstone Project-2

Seoul Bike Sharing Demand Prediction

(Supervised Machine Learning Regression)

By

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Problem Statement



Currently Rental bikes are introduced in many urban cities for the enhancement of mobility comfort. It is important to make the rental bike available and accessible to the public at the right time as it lessens the waiting time. Eventually, providing the city with a stable supply of rental bikes becomes a major concern.

The crucial part is the prediction of bike count required at each hour for the stable supply of rental bikes.

The Final aim of our project is to predict the bike count on various affecting factors and build a model that helps for stable supply of bikes at required hours.

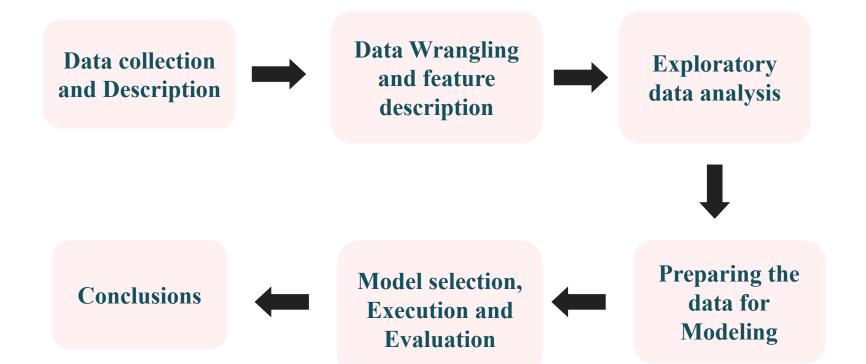






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Workflow



Data Description



The dataset contains weather information (Temperature, Humidity, Windspeed, Visibility, Dewpoint, Solar radiation, Snowfall, Rainfall), the number of bikes rented per hour and date information.

Attribute Information:

- **Date**: The date of the day, during 365 days from 01/12/2017 to 30/11/2018.
- **Rented Bike count** Count of bikes rented at each hour.
- **Hour** The hour of the day, starting from 0-23.
- **Temperature**-Temperature in Celsius.
- **Humidity** Humidity in the air (%).
- Wind Speed Speed of the wind (m/s).
- **Visibility** Visibility in (m).
- **Dew point temperature** Temperature at the beginning of the day (Celsius).
- **Solar radiation** Sun contribution (MJ/m2).
- **Rainfall** Amount of rain (mm).
- **Snowfall** Amount of snowfall (cm).
- Seasons Season of the year (Winter, Spring, Summer, Autumn).
- **Holiday** If the day is a Holiday/No holiday.
- **Functional Day** If the day is a Non Functioning day/Functional day.

Data Wrangling and feature description



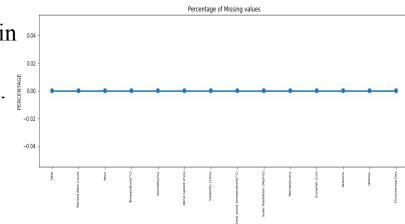
From the Seoul Bike data set given to us, we observed that we have **8760** observation with **14** feature attributes including the target variable.

Feature Classification: The feature attributes given to us are classified into 2 types

- ☐ Categorical features: Seasons, Holiday and Functioning day.
- Numerical features: Date, Hour, Rented bike count, Temperature, Humidity, Wind speed, Visibility, Dew point temperature, Solar radiation, Rainfall, Snowfall.

We tried to explore for any duplicate/missing values in the data set and we found that there are no duplicate/missing values present in the given data set.

The given plot explains that there are no missing values in the data set



Data Wrangling and feature description



During our analysis we found that date attribute is given as 'object' type, so we changed the datatype of date attribute to datetime64.

```
# Changing The datatype of Date attribute to extract 'Month', 'Day', "Year". so that we can analyze the Bike rentals with respect to year, months and days. bike_data['Date']=bike_data['Date'].astype('datetime64[ns]')
```

Later on we created two new attributes from the Date attribute namely 'Month' 'Year' & 'Day' which were used further for EDA. As our requirements were met by these newly formed attributes, we dropped the Date attribute from the dataset.

```
# Creating new attributes 'Month', 'Year', 'Day'.
bike_data['Month']=bike_data['Date'].dt.month
bike_data['Day']=bike_data['Date'].dt.day_name()
bike_data['year'] =bike_data['Date'].dt.year

# Droping 'Day', 'Date', 'Year' attributes.
bike_data.drop(['Date', "Day", 'year'], axis=1 ,inplace=True)
```

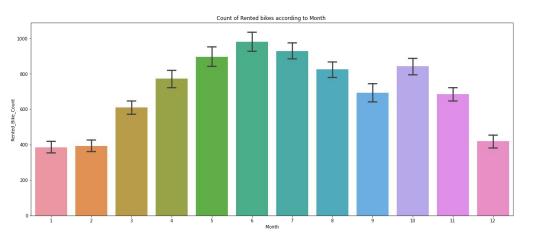


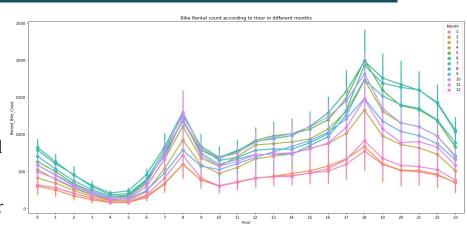
Analysis on Categorical Variables:

Bike Rental Count with respect to Hours on Months:

From the bar plot we can say that from the month 5 to 10 the demand of rented bike is high as compared to other months and these months comes under the summer season.

Rented bike count is higher in the 6th month from the below bar plot.

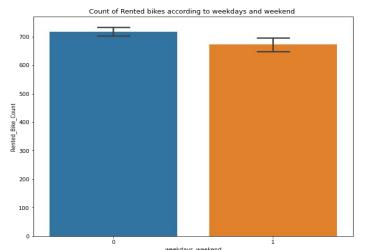




- From the point plot we can say that, there is sudden peak between 6/7 am to 10 am.
- Again we can see a peak between 5pm to 8pm. This may be due to office/college leaving time for the above people.
- We can also say that, from morning 7 AM to Evening 8 PM we have good Bike Rent Count. and from 7PM to 7AM Bike Rent count starts declining.



Bike Rental count with respect to Hour on Weekdays_Weekends:

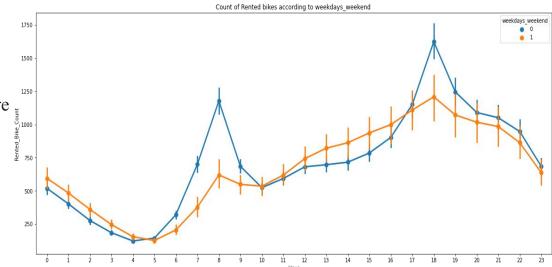


From the point plot we can say that Peak Times are between 7 am-9 am and 5 pm-7 pm.

The orange line represents the weekend days, and it shows that the demand of rented bikes are very low in the mornings but in the evening from 4 pm to 8 pm the demand slightly increases.

From bar plot we can say that the demand of the bikes is higher on weekdays than on the weekends.

This might be due to the office for employees or schools/colleges for children.

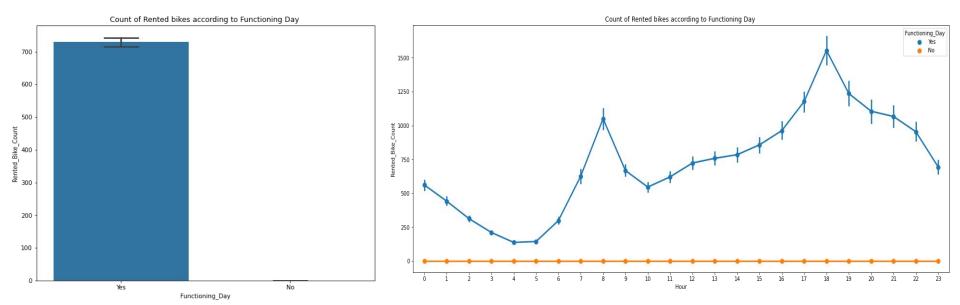




Bike Rental count with respect to Hour on Functioning_Day:

From the bar plot and point plot which shows the use of rented bikes on functioning day and non functioning day, we can say that, Peoples dont use rented bikes on non functioning days.

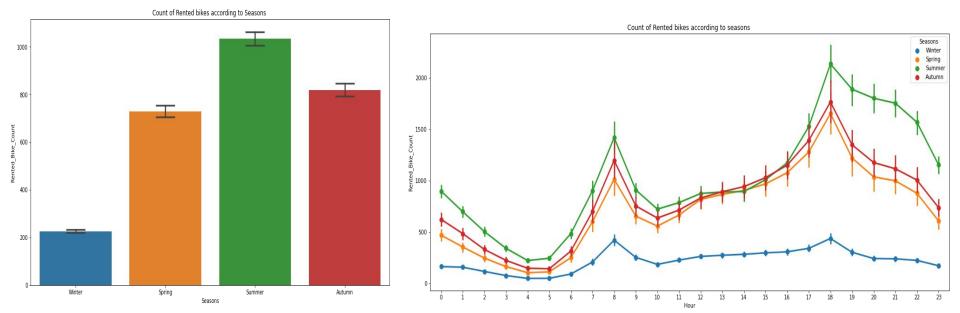
We can also say from the above that count of rented bikes are high between 7am-9am and 5pm-7pm on a Functioning day.





Bike Rental count with respect to Hour on different Seasons:

- From the bar plot and point plot which shows the use of rented bikes in four different seasons, we can say that,
- In the summer season, use of rented bikes is high and peak time is between 7am-9am and 5pm-7pm.
- In the winter season, use of rented bikes is very low, which might be due to the rains and unfavourable weather conditions.



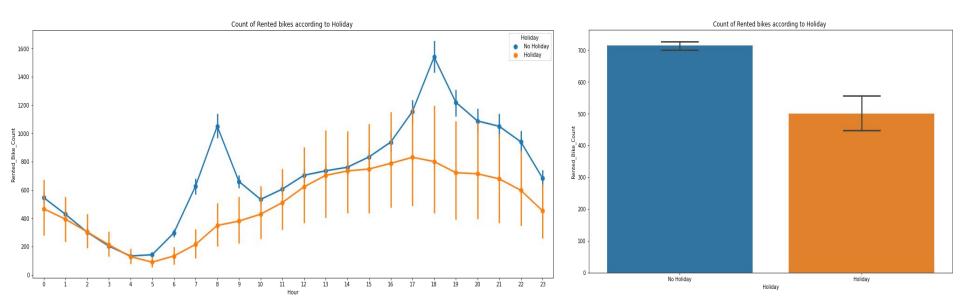


Bike Rental count with respect to Hour on Holiday:

From the bar plot and point plot which shows the use of rented bike in a holiday, we can say that,

Use of Rented bikes is high on No Holidays than on Holidays and the peak timings are between 7am-9am and 5pm-9pm.

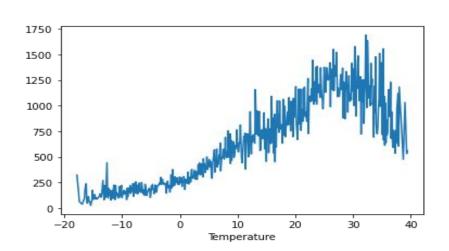
We can also say that on Holiday people uses the rented bike from 2pm-7pm.





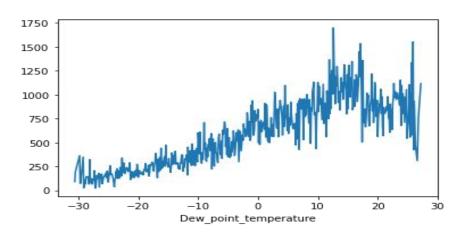
Analysis on Numerical Variables:

Rented Bike Count with respect to Temperature:



From the above plot we can say that people like to ride bikes when the temperature is above 20 and are less probable to ride bikes in lower temperatures

Rented Bike Count and Dew point temperature:

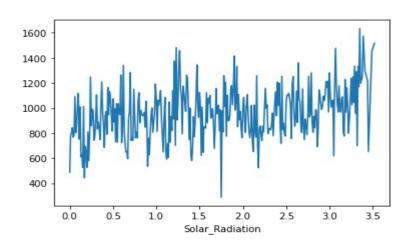


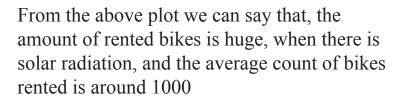
From the above plot, we can observe from the results that, "Dew_point_temperature' is almost same as the 'temperature',

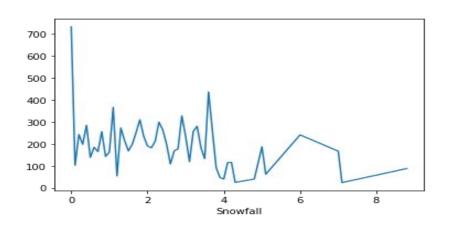
From this we can assume that there must be some correlation present between them.



Rented_Bike_Count with respect to Solar_Radiation: Rented_Bike_Count with respect to Snowfall:



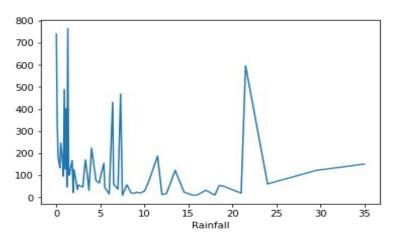




From the plot we can see that, the amount of rented bike is very low and when we have a snowfall of more than 4 cm, the bike rents count is much lower.

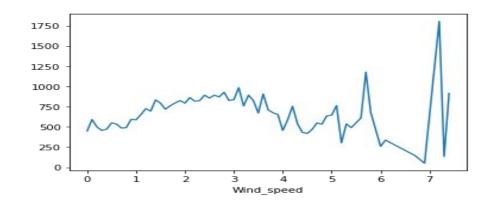


Rented Bike Count with respect to Rainfall:



From the above plot we can say that even with rainfalls, demand for rental bikes is not decreasing, we can see from above that, even having a rainfall of 20 mm, there is a big peak of rented bikes

Rented_Bike_Count with respect to Wind_Speed:

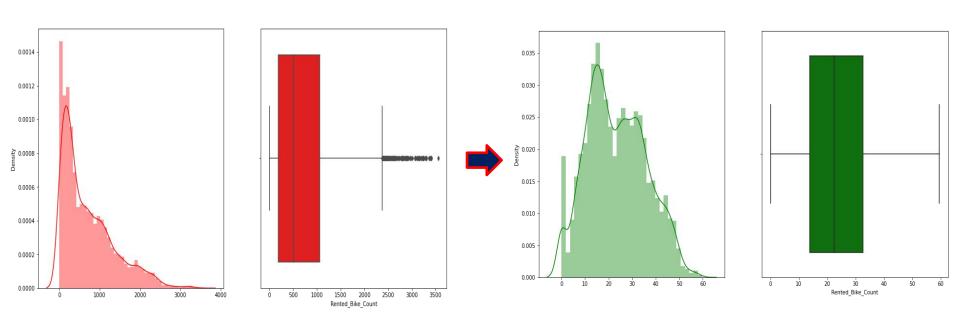


From the above plot we can say that the demand of rented bike is uniformly distributed despite of wind speed.

We can also see that, when the speed of wind is 7 m/s, the demand for bike rentals increased rapidly, from which we can say that peoples love to ride bikes when its little windy.



Distribution of target variable- "Bike Rented Count"



The above graph shows that, Distribution of Rented Bike Count is slightly right skewed.

From the boxplot we can see that we have outliers in Rented Bike Count attribute.

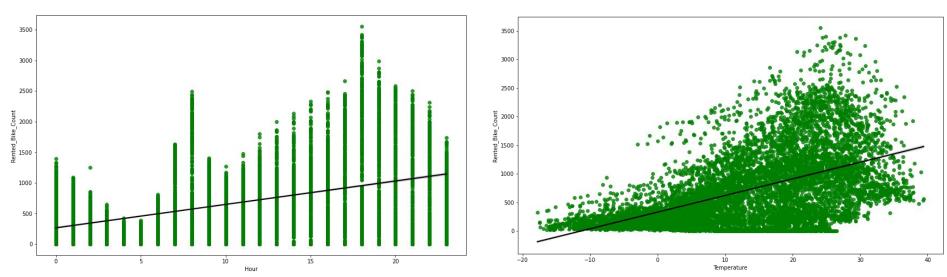
Thus we normalized our dependent variable by square root method and also in boxplot above we can see that there are no outliers present after normalization.



Checking the relationship between the dependent variable-"Rented Bike Count' and independent variables through Regression Plot

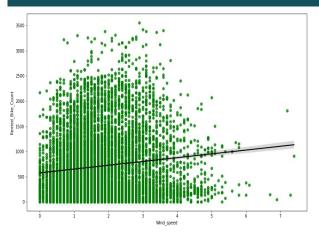
Regression plot for Hour:

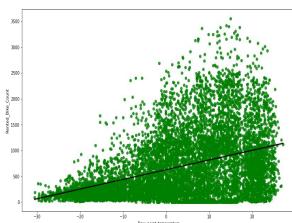
Regression plot for Temperature:



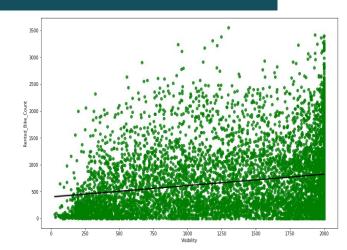
From the above regression plots we can say that Hour and Temperature are Positively related with the dependent variable.

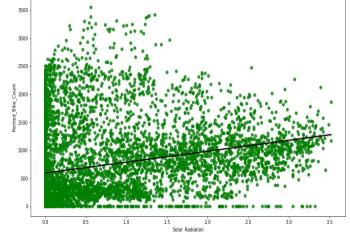




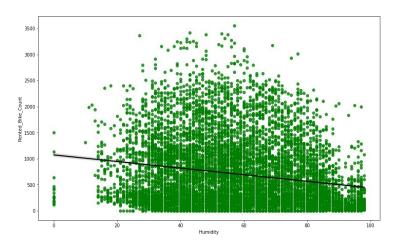


From the plots we can observed that,
'Wind_speed', 'Visibility',
'Dew_point_temperature',
'Solar_Radiation' are positively related to the target variable, which means the rented bike count increases with increase of these features.



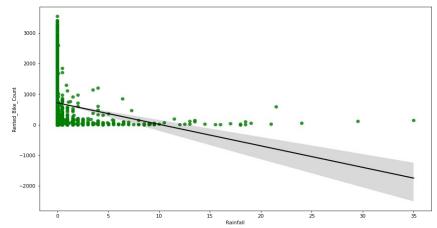


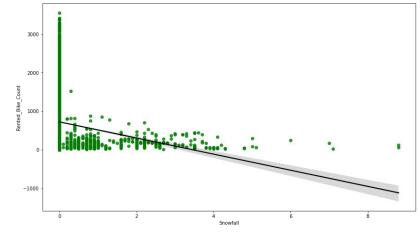




From the above Regression plots we observed that,

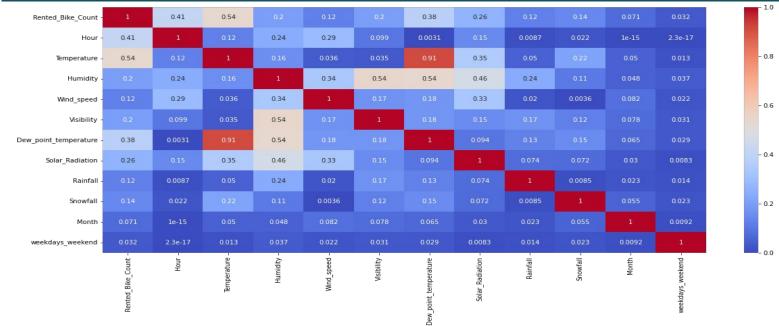
'Rainfall', 'Snowfall', 'Humidity' features are negatively related with the target variable which means the rented bike count decreases when these features increase.





Preparing the data for Modeling





We plotted an heatmap to check the correlation between the features, and dropped those with high correlation.

We can observe that "**Temperature**" and "**Dew point Temperature**" are highly correlated (91%).

As per our regression assumption, there should not be collinearity between independent variables. So we can drop one of them

As the correlation between temperature and our dependent variable "Bike Rented Count" is high, we will Keep the Temperature column and drop the "Dev Point Temperature" column.

Preparing the data for Modeling



```
#Checking the VIF
Calculate vif(df[[i for i in df.describe().columns if i not in ['Rented Bike Count']]])
                                                                                 Later on we created dummy variables
                                                                                 for categorical Season attribute and had
         variables
                                                                                 done labelling for Holiday and
             Hour 3.961874
                                                                                 Functioning day attributes as 0 and 1 as
        Temperature 3.236809
                                                                                 a part of data preparation for model
           Humidity 6.114153
                                                                                 building
        Wind speed 4.616621
           Visibility 5.404128
                                                                 # Createing dummy variables for seasons
      Solar Radiation 2.272068
                                                                 df=pd.get dummies(df,columns=['Seasons'],prefix='Seasons',drop first=True)
           Rainfall 1.081252
           Snowfall 1.125304
                                                                  # Labeling for holiday=1 and no holiday=0
            Month 4.580307
                                                                  df['Holiday']=df['Holiday'].map({'No Holiday':0, 'Holiday':1})
  weekdays weekend 1.399708
                                                                  # # Labeling for Yes=1 and No=0
```

On checking for VIF(Variance Inflation Factor), we observed that 'Visibility' & 'Humidity' have VIF value greater than 5, so we dropped those attributes

By this the data was good and well prepared for modeling

df['Functioning Day']=df['Functioning Day'].map({'Yes':1, 'No':0})



As this is a Regression problem, we used the following Regression Models for Evaluation

- ➤ Linear Regression
- Lasso Regression
- Ridge Regression
- Elastic Net Regression
- Decision Tree Regression
- Random Forest Regression
- Gradient Boosting Regression

There are some basic assumptions that must be fulfilled before implementing Linear Regression algorithm. They are:

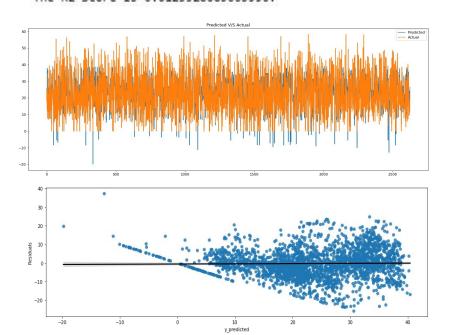
- 1. No multicollinearity in the dataset.
- 2. Independent variables should show linear relationship with dependent variable.
- 3. Residual mean should be 0 or close to 0.
- 4. There should be no heteroscedasticity i.e., variance should be constant along the line of best fit.



Linear Regression

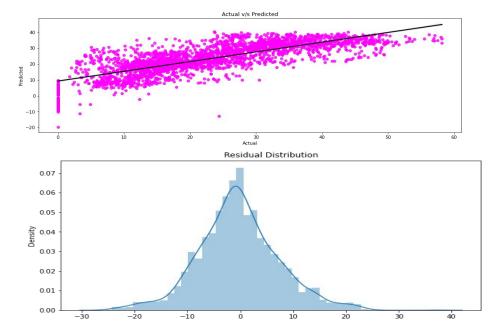
Train Set Results:

The Mean Absolute Error (MAE) is 5.8555397241788345. The Mean Squared Error(MSE) is 60.29949292444555. The Root Mean Squared Error(RMSE) is 7.765274813195316. The R2 Score is 0.6123528085603556.



Test Set Results:

The Mean Absolute Error (MAE) is 5.834169822951748.
The Mean Squared Error(MSE) is 58.624247223024895.
The Root Mean Squared Error(RMSE) is 7.656647257319936.
The R2 Score is 0.618326967365199.





Lasso Regression

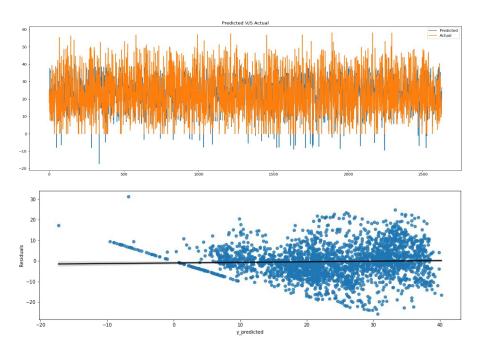
Train Set Results:

The Mean Absolute Error (MAE) is 5.869103531726283.

The Mean Squared Error(MSE) is 60.46402436494349.

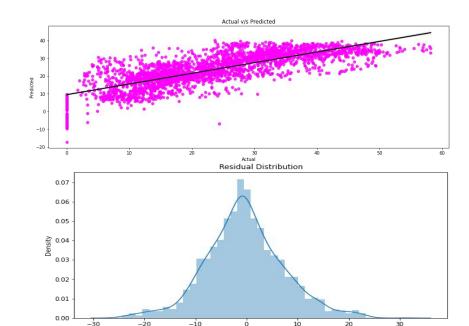
The Root Mean Squared Error(RMSE) is 7.775861647749624.

The R2 Score is 0.6112950857219155.



Test Set Results:

The Mean Absolute Error (MAE) is 5.850566426263689.
The Mean Squared Error(MSE) is 58.792684087499225.
The Root Mean Squared Error(RMSE) is 7.667638755673042.
The R2 Score is 0.61723035952942.





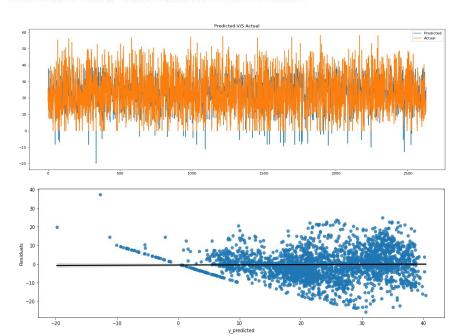
Ridge Regression

Train Set Results:

The Mean Absolute Error (MAE) is 5.869103531726283.

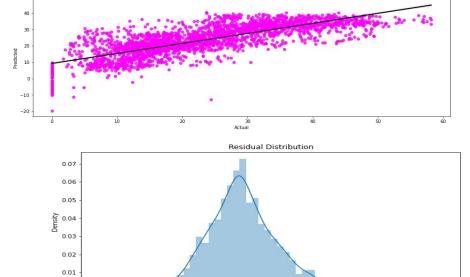
The Mean Squared Error(MSE) is 60.46402436494349.

The R2 Score is 0.6112950857219155.



Test Set Results:

The Mean Absolute Error (MAE) is 5.850566426263689. The Mean Squared Error(MSE) is 58.792684087499225. The Root Mean Squared Error(RMSE) is 7.775861647749624. The Root Mean Squared Error(RMSE) is 7.667638755673042. The R2 Score is 0.61723035952942.





Elastic Net Regression

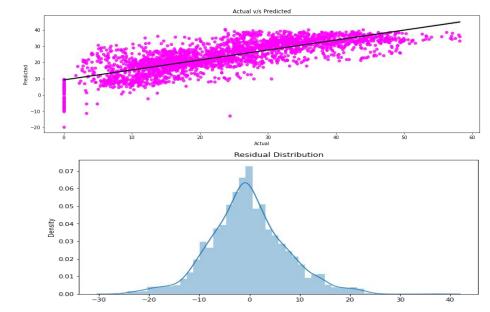
Train Set Results:

The Mean Absolute Error (MAE) is 5.8932275545714745.
The Mean Squared Error(MSE) is 60.90273656811195.
The Root Mean Squared Error(RMSE) is 7.804020538678249.
The R2 Score is 0.6084747377362095.

-10

Test Set Results:

The Mean Absolute Error (MAE) is 5.834169822951748.
The Mean Squared Error(MSE) is 58.624247223024895.
The Root Mean Squared Error(RMSE) is 7.656647257319936.
The R2 Score is 0.618326967365199.

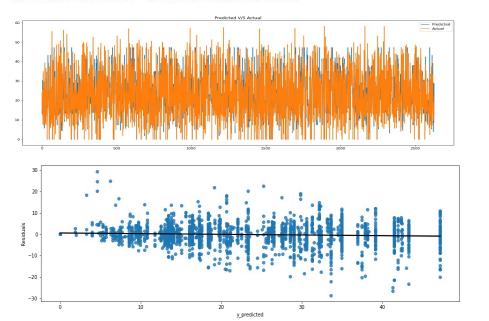


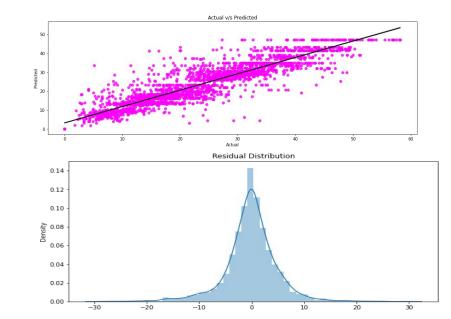


Decision Tree Regression:(Hyper parameter tuned: max_depth=9, max_features= 'auto') Train Set Results: Test Set Results:

The Mean Absolute Error (MAE) is 2.8855165215690706.
The Mean Squared Error(MSE) is 18.44462508772692.
The Root Mean Squared Error(RMSE) is 4.294720606480347.
The R2 Score is 0.8814250872495163.

The Mean Absolute Error (MAE) is 3.4053223700332635.
The Mean Squared Error(MSE) is 25.08982578263722.
The Root Mean Squared Error(RMSE) is 5.00897452405552.
The R2 Score is 0.8366527444129481.







Random Forest Regression:(Hyper parameter tuned: max_depth=9, 'n_estimators= '100')

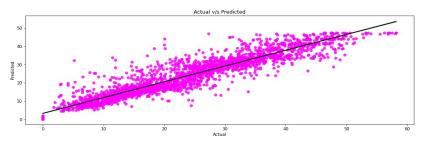
Train Set Results:

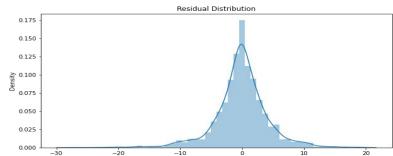
The Mean Absolute Error (MAE) is 2.625998855026434.
The Mean Squared Error(MSE) is 14.875654965147472.
The Root Mean Squared Error(RMSE) is 3.8568970643702007.
The R2 Score is 0.9043689160820976.

-20

Test Set Results:

The Mean Absolute Error (MAE) is 2.952489659032659.
The Mean Squared Error(MSE) is 18.700684900458626.
The Root Mean Squared Error(RMSE) is 4.324428852514355.
The R2 Score is 0.8782492320770888.







Gradient Boosting Regression:

(Hyper parameter tuned: 'Learning_rate=0.04-max_depth=8, 'n_estimators= '150'- 'subsample'=0.9)

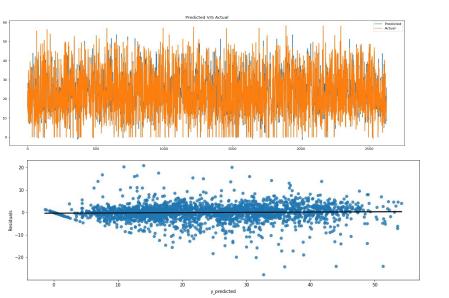
Train Set Results:

The Mean Absolute Error (MAE) is 1.5034847587722098.

The Mean Squared Error(MSE) is 4.749558591419942.

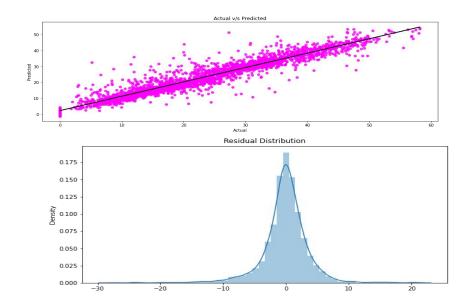
The Root Mean Squared Error(RMSE) is 2.17934820334428.

The R2 Score is 0.9694665251853957.



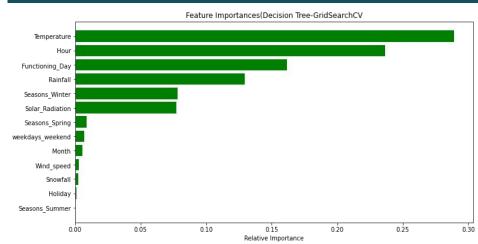
Test Set Results:

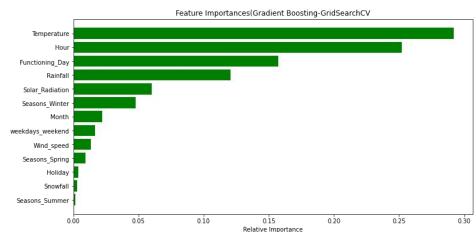
The Mean Absolute Error (MAE) is 2.387989114802619.
The Mean Squared Error(MSE) is 13.220271451193188.
The Root Mean Squared Error(RMSE) is 3.63596912132009.
The R2 Score is 0.9139294517874778.

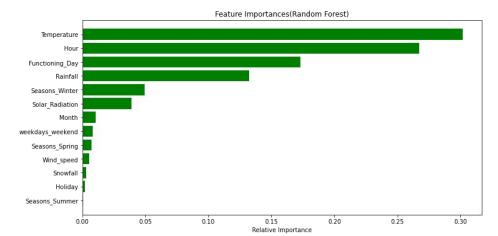


Feature Importance









From all the three models we can say that 'Temperature', 'Hour', 'Functioning_Day' are playing a very important role in bike rentals.

8 Gradient Boosting Regression(GridSearchCV) 2.3747 13.1347 3.6242



		Model	MAE	MSE	RMSE	R2_score	Enough the Circl Date from a series	
Training set	0	Linear Regression	5.8555	60.2995	7.7653	0.6124	From the Final Dataframe, we ca	ın see
	1	Lasoo	5.8691	60.4640	7.7759	0.6113	Ridge and Elastic Net Regression	on mo
	2	RidgeGridSearchCV	5.8691	60.4640	7.7759	0.6113	similar R2 scores(61%) on both	trainin
	3	ElasticNet(GridSearchCV-Tunned)	5.8932	60.9027	7.8040	0.6085	Even after using GridsearchCV v	we hay
	4	Decision Tree Regressor-GridSearchCV	2.8855	18.4446	4.2947	0.8814	<u> </u>	vv C IIa v
	5	Random Forest	0.9458	2.2026	1.4841	0.9858	results.	
	6	Random Forest-GridSearchCv	2.6214	14.8353	3.8517	0.9046	In case of Decision Tree Regres	sion n
	7	Gardient boosting Regression	3.1772	20.5277	4.5308	0.8680	score of 88% on training data an	d 83%
	8	Gradient Boosting Regression(GridSearchCV)	1.5162	4.8189	2.1952	0.9690	C	
st set	0	Linear Regression	5.8342	58.6242	7.6566	0.6183	hyperparameter tuning, which is	quite
	1	Lasso	5.8506	58.7927	7.6676	0.6172	For Random Forest Regression	ı mode
	2	Ridge(GridsearchCv Tunned)	5.8342	58.6242	7.6566	0.6183	hyperparameter tuning we got a	R2 scc
	3	ElasticNet(GridSearchCV-Tunned)	5.8342	58.6242	7.6566	0.6183	training data and 90% on test data.	
	4	Decision Tree Regressor(GridsearchCV)	3.4004	24.9284	4.9928	0.8377		
	5	Radom forest	2.5205	14.6099	3.8223	0.9049	Thus our model memorised the d	lata ar
	6	Random Forest-GridSearchCv	2.9373	18.5110	4.3024	0.8795	that it was an overfitted model.	
	7	Gradient Boosting Regression	3.2825	21.6738	4.6555	0.8589		

0.9145

8 Gradient Boosting Regression(GridSearchCV) 2.3747 13.1347 3.6242



		Model	MAE	MSE	RMSE	R2_score
Training set	0	Linear Regression	5.8555	60.2995	7.7653	0.6124
	1	Lasoo	5.8691	60.4640	7.7759	0.6113
	2	RidgeGridSearchCV	5.8691	60.4640	7.7759	0.6113
	3	ElasticNet(GridSearchCV-Tunned)	5.8932	60.9027	7.8040	0.6085
	4	Decision Tree Regressor-GridSearchCV	2.8855	18.4446	4.2947	0.8814
	5	Random Forest	0.9458	2.2026	1.4841	0.9858
	6	Random Forest-GridSearchCv	2.6214	14.8353	3.8517	0.9046
	7	Gardient boosting Regression	3.1772	20.5277	4.5308	0.8680
	8	Gradient Boosting Regression(GridSearchCV)	1.5162	4.8189	2.1952	0.9690
Test set	0	Linear Regression	5.8342	58.6242	7.6566	0.6183
	1	Lasso	5.8506	58.7927	7.6676	0.6172
	2	Ridge(GridsearchCv Tunned)	5.8342	58.6242	7.6566	0.6183
	3	ElasticNet(GridSearchCV-Tunned)	5.8342	58.6242	7.6566	0.6183
	4	Decision Tree Regressor(GridsearchCV)	3.4004	24.9284	4.9928	0.8377
	5	Radom forest	2.5205	14.6099	3.8223	0.9049
	6	Random Forest-GridSearchCv	2.9373	18.5110	4.3024	0.8795
	7	Gradient Boosting Regression	3.2825	21.6738	4.6555	0.8589

0.9145