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Algorithm 1 Q-Learning
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initialize Q-table
initialize S
 f_{\text{fatigue}} \leftarrow 0
for athlete i: do
              randomly initialize the parameter vector \vec{v} = (v_1, v_2, ..., v_k) of i # showing his parameters
              his current strategy vector \vec{v}(t) = (v_1(t), v_2(t), ..., v_k(t)) # showing his strategy
end for
 while not at the ending point: do
              # change his strategy vector \vec{v}(t) according to Q-table
              choose a strategy A based on \vec{v}(t) and P
              calculate the expected (best) strategy for the current terrain based on previous calculations \vec{v}^{\Theta} =
          \Delta^{\Theta}v \leftarrow \sqrt{\frac{\sum_{i=1}^{k} (v_{i} - v_{i}^{\Theta})^{2}}{k}} \stackrel{\text{def}}{===} f_{\Delta}(\vec{v})
Q(S, A) = (1 - \alpha)Q(S, A) + \alpha \left[ R + \gamma \right] \quad \text{inverse strategy} (\nabla f_{\Delta}(\vec{v})) - \frac{1}{2} \left[ \frac{1}{2} \left( \frac{1}{2} \right) - \frac{1}{2} \left( \frac{1}{2} \right) \right] \quad \text{inverse strategy} (\nabla f_{\Delta}(\vec{v})) - \frac{1}{2} \left[ \frac{1}{2} \left( \frac{1}{2} \right) - \frac{1}{2} \left( \frac{1}{2} \right) \right] \quad \text{inverse strategy} (\nabla f_{\Delta}(\vec{v})) - \frac{1}{2} \left[ \frac{1}{2} \left( \frac{1}{2} \right) - \frac{1}{2} \left( \frac{1}{2} \right) \right] \quad \text{inverse strategy} (\nabla f_{\Delta}(\vec{v})) - \frac{1}{2} \left[ \frac{1}{2} \left( \frac{1}{2} \right) - \frac{1}{2} \left( \frac{1}{2} \right) - \frac{1}{2} \left( \frac{1}{2} \right) \right] \quad \text{inverse strategy} (\nabla f_{\Delta}(\vec{v})) - \frac{1}{2} \left[ \frac{1}{2} \left( \frac{1}{2} \right) - \frac{1}{
              Q(S, A)] # learning rate \alpha can change due to f_{\text{fatigue}}
              # when f_{\text{fatigue}} increases, \alpha decreases
              Update Q-table
              Update f_{\text{fatigue}}
              Update \alpha
end while
 show the best strategy
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