# Data structures in Python

Lecture 04

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# **Dictionaries**

#### **Dictionaries**

Python dicts are a heterogenous, ordered\*, mutable containers of key value pairs.

Each entry consists of a key (immutable) and a value (anything) - they are designed for the efficient lookup of values using a key.

A dict is constructed using {} with : or via dict() using tuples,

```
1 {'abc': 123, 'def': 456}
{'abc': 123, 'def': 456}

1 dict([('abc', 123), ('def', 456)])
{'abc': 123, 'def': 456}
```

If all keys are strings then you can assign key value pairs using keyword arguments to dict(),

```
1 dict(hello=123, world=456) # cant use def here as it is reserved
{'hello': 123, 'world': 456}
```

## Allowed key values

keys for a dict must be an immutable object (e.g. number, string, or tuple) and keys may be of any type (mutable or immutable).

```
1 {1: "abc", 1.1: (1,1), "one": ["a","n"], (1,1): lambda x: x*
{1: 'abc', 1.1: (1, 1), 'one': ['a', 'n'], (1, 1): <function
<lambda> at 0x10948e0c0>}
```

Using a mutable object (e.g. a list) as a key will result in an error,

```
1 {[1]: "bad"}
```

TypeError: unhashable type: 'list'

when using a tuple, you need to be careful that all elements are also immutable,

```
1 {(1, [2]): "bad"}
```

TypeError: unhashable type: 'list'

# dict "subsetting"

The [] operator exists for dicts but is used for key-based value look ups,

```
1 x = \{1: 'abc', 'y': 'hello', (1,1): 3.14159\}
 1 x[1]
'abc'
 1 x['y']
'hello'
 1 \times [(1,1)]
3.14159
 1 \times [0]
KeyError: 0
 1 x['def']
KeyError: 'def'
```

#### Value inserts & replacement

Since dictionaries are mutable, it is possible to insert new key value pairs as well as replace the value associated with an existing key.

```
1 x = \{1: 'abc', 'y': 'hello', (1,1): 3.14159\}
 1 # Insert
 2 \times ['def'] = -1
 3 x
{1: 'abc', 'y': 'hello', (1, 1): 3.14159, 'def': -1}
 1 # Replace
 2 \times ['y'] = 'goodbye'
 3 x
{1: 'abc', 'y': 'goodbye', (1, 1): 3.14159, 'def': −1}
```

#### Removing keys

```
1 x
{1: 'abc', 'y': 'goodbye', (1, 1): 3.14159, 'def': -1}
 1 # Delete
 2 del \times[(1,1)]
 3 x
{1: 'abc', 'y': 'goodbye', 'def': −1}
 1 x.clear()
 2 x
{}
```

#### Other common methods

```
1 \times = \{1: 'abc', 'y': 'hello'\}
                                           1 x.keys()
 1 \operatorname{len}(x)
                                         dict_keys([1, 'y'])
                                           1 x.values()
 1 list(x)
[1, 'y']
                                         dict_values(['abc', 'hello'])
 1 \text{ tuple}(x)
                                           1 x.items()
(1, 'y')
                                         dict_items([(1, 'abc'), ('y',
                                         'hello')])
 1 1 in x
                                           1 \times | \{(1,1): 3.14159\}
True
                                         {1: 'abc', 'y': 'hello', (1, 1):
 1 'hello' in x
                                         3.14159}
False
                                          1 x | {'y': 'goodbye'}
                                         {1: 'abc', 'y': 'goodbye'}
```

## **Iterating dictionaries**

Dictionaries can be used with for loops (and list comprehensions). These loops iterates over the *keys* only, to iterate over the *keys* and *values* use items().

```
1 for z in {1: 'abc', 'y': 'hello'}:
2  print(z)

1  for k,v in {1: 'abc', 'y': 'hello'}.items()
2  print (k,v)

1  abc
y  hello

1  [z for z in {1: 'abc', 'y': 'hello'}]

1  [(k,v) for k,v in {1: 'abc', 'y': 'hello'}.]

[1, 'y']

[1, 'abc'), ('y', 'hello')]
```

#### Exercise 1

Write a function that takes a two dictionaries as an arguments and merges them into a single dictionary. If there are any duplicate keys, the value from the second dictionary should be used.

```
1 x = {"a": 1, "b": 2, "c": 3}
2 y = {"c": 5, "d": 6, "e": 7}
3
4 def merge(d1, d2):
5 return NULL
```

# Sets

#### Sets

In Python a set is a *heterogenous*, *unordered*, *mutable* container of **unique** immutable elements.

A set is constructed using {} (without using :) or via set(),

```
1 {1,2,3,4,1,2}
{1, 2, 3, 4}
1 set((1,2,3,4,1,2))
{1, 2, 3, 4}
1 set("mississippi")
{'i', 'm', 'p', 's'}
```

All of the elements must be immutable (and therefore hashable),

```
1 {1,2,[1,2]}
```

TypeError: unhashable type: 'list'

## **Subsetting sets**

Sets do not use the [] operator for element checking or removal,

TypeError: 'set' object doesn't support item deletion

```
1 x = set(range(5))
2 x

{0, 1, 2, 3, 4}

1 x[4]

TypeError: 'set' object is not subscriptable
1 del x[4]
```

## **Modifying sets**

Sets have their own special methods for adding and removing elements,

```
1 \times = set(range(5))
                                       1 \times remove(9)
 2 x
                                       2 x remove(8)
{0, 1, 2, 3, 4}
                                     KeyError: 8
                                      1 x
 1 \times add(9)
 2 x
                                     \{0, 1, 2, 3, 4\}
\{0, 1, 2, 3, 4, 9\}
                                      1 x.discard(0)
                                      2 x.discard(8)
                                      3 x
                                     {1, 2, 3, 4}
```

#### **Set operations**

```
1 \times = set(range(5))
 2 x
\{0, 1, 2, 3, 4\}
                                     1 5 in x
 1 3 in x
True
                                   False
                                     1 x.isdisjoint({5})
 1 x.isdisjoint({1,2})
False
                                   True
 1 x <= set(range(6))
                                     1 x.issubset(range(6))
True
                                   True
 1 \times = set(range(3))
                                     1 x.issuperset(range(3))
True
                                   True
```

#### **Set operations (cont)**

```
1 \times = set(range(5))
 2 x
{0, 1, 2, 3, 4}
 1 \times | set(range(10))
                                      1 x union(range(10))
{0, 1, 2, 3, 4, 5, 6, 7, 8, 9}
                                    \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}
                                      1 x.intersection(range(-3,3))
 1 x & set(range(-3,3))
\{0, 1, 2\}
                                    \{0, 1, 2\}
 1 \times - set(range(2,4))
                                      1 x difference(range(2,4))
\{0, 1, 4\}
                                    \{0, 1, 4\}
 1 \times \text{set(range(3,9))}
                                      1 x.symmetric_difference(range)
\{0, 1, 2, 5, 6, 7, 8\}
                                    \{0, 1, 2, 5, 6, 7, 8\}
```

#### More comprehensions

It is possible to use comprehensions with both sets and dicts,

```
1 # Set
 2 {x.lower() for x in "The quick brown fox jumped a lazy dog"}
{'e', 'd', 'q', 'l', 't', 'u', 'p', 'k', 'f', 'g', 'x', 'm',
'a', 'o', 'y', 'w', 'i', 'c', ' ', 'n', 'b', 'z', 'r', 'h',
 1 # Dict
 2 names = ["Alice", "Bob", "Carol", "Dave"]
   grades = ["A", "A-", "A-", "B"]
 5 {name: grade for name, grade in zip(names, grades)}
{'Alice': 'A', 'Bob': 'A-', 'Carol': 'A-', 'Dave': 'B'}
```

## tuple comprehensions

(0, 1, 4, 9, 16)

Note that tuple comprehensions do not exist,

```
1 # Not a tuple
2 (x**2 for x in range(5))
```

<generator object <genexpr> at 0x1094dce10>

instead you can use a list comprehension which is then cast to a tuple

```
1 # Is a tuple - via casting a list to tuple
2 tuple([x**2 for x in range(5)])

(0, 1, 4, 9, 16)

1 tuple(x**2 for x in range(5))
```

## deques (double ended queue)

are heterogenous, ordered, mutable collections of elements and behave in much the same way as lists. They are designed to be efficient for adding and removing elements from the beginning and end of the collection.

These are not part of the base language and are available as part of the built-in collections library. We will discuss libraries next time, for now to get access we will import the deque function from collections.

```
1 from collections import deque
2 deque(("A",2,True))
```

```
deque(['A', 2, True])
```

# growing and shrinking

deque([0, 1, 2])

```
1 x = deque(range(3))
  2 x
deque([0, 1, 2])
Values may be added via .appendleft() and .append() to the beginning and end
respectively,
  1 x.appendleft(-1)
  2 x.append(3)
  3 x
deque([-1, 0, 1, 2, 3])
values can be removed via popleft() and pop(),
  1 x.popleft()
                                            1 x.pop()
                                          3
-1
  1 x
```

#### maxlen

deques can be constructed with an optional maxlen argument which determines their maximum size - if this is exceeded values from the opposite side will be dropped.

```
1 x = deque(range(3), maxlen=4)
 2 x
deque([0, 1, 2], maxlen=4)
 1 x.append(0)
                                              1 x.appendleft(-1)
 2 x
                                              2 x
deque([0, 1, 2, 0], maxlen=4)
                                            deque([-1, 2, 0, 0], maxlen=4)
 1 x.append(0)
                                             1 x_appendleft(-1)
 2 x
                                              2 x
                                            deque([-1, -1, 2, 0], maxlen=4)
deque([1, 2, 0, 0], maxlen=4)
 1 x.append(0)
                                             1 x.appendleft(-1)
 2 x
                                             2 x
deque([2, 0, 0, 0], maxlen=4)
                                            deque([-1, -1, -1, 2], maxlen=4)
```

# Basics of algorithms and data structures

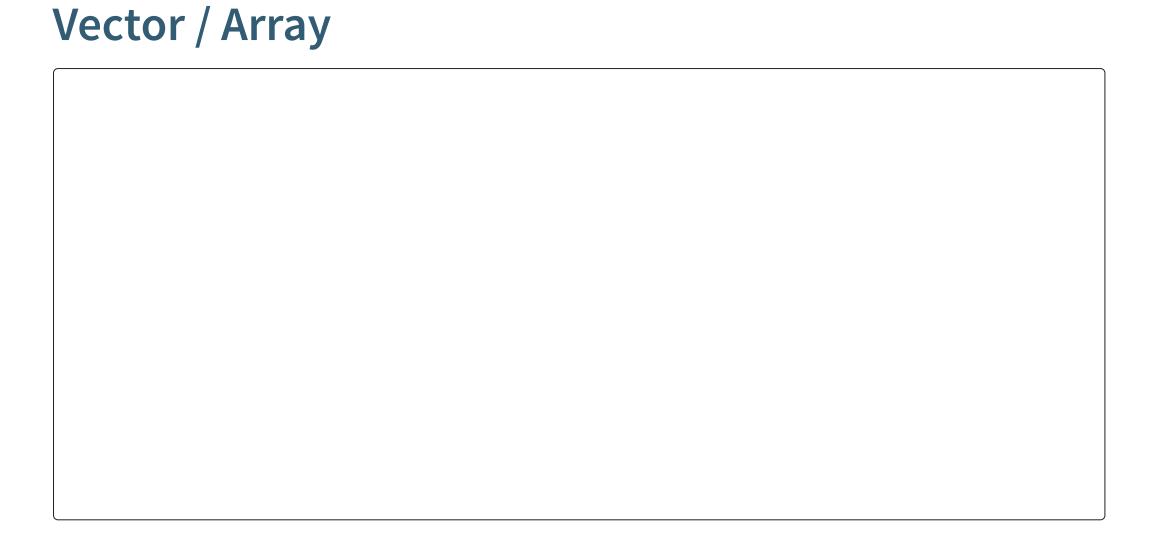
## **Big-O notation**

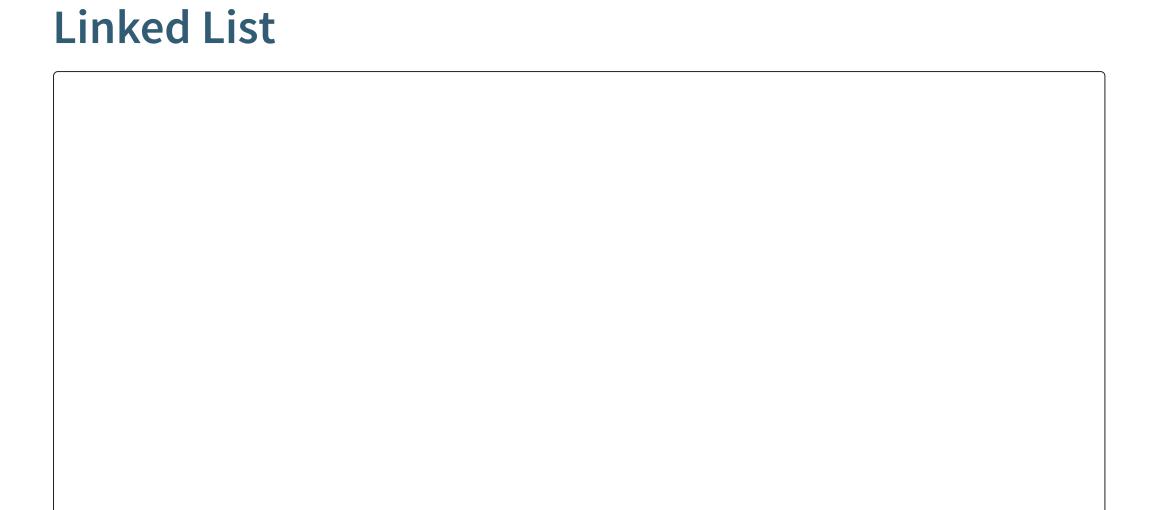
This is a tool that is used to describe the complexity, usually in time but also in memory, of an algorithm. The goal is to broadly group algorithms based on how their complexity grows as the size of an input grows.

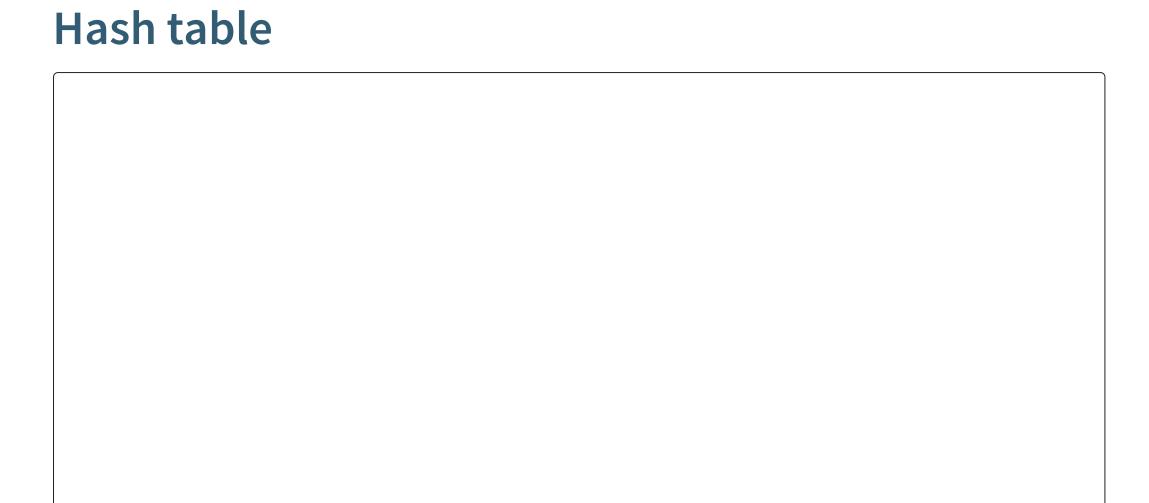
Consider a mathematical function that exactly captures this relationship (e.g. the number of steps in a given algorithm given an input of size n). The Big-O value for that algorithm will then be the largest term involving n in that function.

Complexity	Big-O
Constant	O()
Logarithmic	O()
Linear	$O(\log n)$
Quasilinear	0()1
Quadratic	$O(n^{\log n})$ $O(n^{2})$
Cubic	0(1/1/2
Exponential	$O(n^3)$
	$2^n$

Generally algorithms will vary depending on the exact nature of the data and so often we talk about Big-O in terms of expected complexity and worse case complexity, we also often consider amortization for these worst cases.







# Time complexity in Python

Operation	list (array)	dict (& set)	deque
Сору	O(n)	O(n)	O(n)
Append	O(1)		O(1)
Insert	O(n)	O(1)	O(n)
Get item	O(1)	O(1)	O(n)
Set item	O(1)	O(1)	O(n)
Delete item	O(n)	O(1)	O(n)
x in s	O(n)	O(1)	O(n)
pop()	O(1)		O(1)
pop(0)	O(n)	_	O(1)

#### **Exercise 1**

For each of the following scenarios, which is the most appropriate data structure and why?

- A fixed collection of 100 integers.
- A queue (first in first out) of customer records.
- A stack (first in last out) of customer records.
- A count of word occurrences within a document.
- The heights of the bars in a histogram with even binwidths

#### Data structures in R

To tie things back to Sta 523 - the following R objects are implemented using the following data structures.

- Atomic vectors Array of the given type (int, double, etc.)
- Generic vectors (lists) Array of SEXPs (R object pointers)
- Environments Hash map with string-based keys
- Pairlists Linked list