Tabu Search

R Markdown

Loss Function

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L = \text{function}(A, B, C, t_c, m, \text{ omega, phi, price, t}) \{ \text{loss} < -\text{sum}((\text{price - } (A + Babs(t_c - t)^m + Babs(t_c - t)^m)) \} \} \}
(Cabs(t_c-t)^m\cos(omega \log(abs(t_c-t)) - phi)))^2)
TabuSearch <- function(A, B, C) S <- hash() # S represents current solution iter_without_improvement
<- 0
# Generating a set of initial 10 * 3 parameters t_c_set <- runif(n = 40, min = max(base_datat), max =
max(base_datat) + 0.6) \# adding 0.6 year represent time horizon within the crash is expected m set <-
\operatorname{runif}(n = 40, \min = 0.1, \max = 0.9) \text{ omega set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \min = 6, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{runif}(n = 40, \max = 13) \text{ phi set } < -\operatorname{run
40, \min = 0, \max = 2*pi
# Looking for the 10 elite solutions out of 30 initial points, the best one is then our starting point.
Furthermore, we choose the worst solution to set the taboo condition. elite list <- vector() random solutions
<- cbind(t c set, m set, omega set, phi set) losses <- apply(random solutions, 1, function(x) L(A = A,
B = B, C = C, t_c = x[1], m = x[2], omega = x[3], phi = x[4], price = base_dataprice, t = base_datat)) losses
<- as.data.frame(cbind('loss' = losses, 't_c' = t_c_set, 'm' = m_set, 'omega' = omega_set, 'phi' = phi_set))
losses <- losses %>% arrange(loss) elite_list <- losses[1:10,] taboo_condition <- losses[nrow(losses),1]
S[['loss']] < -losses[1, 'loss'] S[['t_c']] < -losses[1, 't_c'] S[['m']] < -losses[1, 'm'] S[['omega']] < -losses[1, 'omega']
S[['phi']] <- losses[1,'phi'] if (min(losses, na.rm = TRUE) < 200){ # Partitioning and setting parameters
for the number of randomly drawn cells and points within them partitions <- c(6,6,6,6) n_c <- 2 n_s <- 6
t c.partitions \langle -\text{seq}(\text{from} = \text{max}(\text{base data}t), to = max(\text{base_data}t) + 4, \text{length.out} = \text{partitions}[1] + 1) \#
we add 1 to create 6 cells, which requires 7 borders m.partitions \leftarrow seq(from = 0.1, to = 0.9, length.out =
partitions [2] + 1) omega.partitions <- seq(from = 6, to = 13, length.out = partitions [3] + 1) phi.partitions
<- seq(from = 0, to = 2*pi, length.out = partitions[4] + 1) partitions_matrix <- rbind(t_c.partitions,
m.partitions, omega.partitions, phi.partitions)
# Searching procedure
while (iter_without_improvement < 100){</pre>
    # Drawing n_c * n_s points for looking for new solutions
    chosen_cells <- t(sapply(partitions, function(x) sample(1:x, size = n_c, replace = FALSE)))</pre>
    drawn_points <- sapply(1:nrow(partitions_matrix), function(row) sapply(chosen_cells[row,],</pre>
                                                                                                                                                          function(x) as.vector(sapply(x
                                                                                                                                                              runif(n = n_s, min = partiti
    colnames(drawn points) <- c('t c', 'm', 'omega', 'phi')</pre>
    # Computing the value of loss function for new points, dropping points returning losses in a taboo re
    losses <- apply(drawn_points, 1, function(x) L(A = A, B = B, C = C, t_c = x[1], m = x[2], omega = x[3]
    drawn_points <- cbind('loss' = losses, drawn_points)</pre>
    drawn points <- drawn points[complete.cases(drawn points),,drop = FALSE] # dropping all points with n
    losses <- losses[complete.cases(losses)] # dropping points from losses, too
    non.taboo <- ifelse(losses < taboo_condition, TRUE, FALSE)</pre>
    drawn_points <- drawn_points[non.taboo,,drop = FALSE]</pre>
    # Picking the nontaboo point with the lowest move value - move value is defined as loss at step t+1 m
    if (nrow(drawn_points) > 0){
        S[['loss']] <- drawn_points[which.min(drawn_points[,'loss'] - S$loss), 'loss']
        S[['t_c']] <- drawn_points[which.min(drawn_points[,'loss'] - S$loss), 't_c']
        S[['m']] <- drawn_points[which.min(drawn_points[,'loss'] - S$loss), 'm']</pre>
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S[['omega']] <- drawn_points[which.min(drawn_points[,'loss'] - S$loss), 'omega']
              S[['phi']] <- drawn_points[which.min(drawn_points[,'loss'] - S$loss), 'phi']
              # Executing elite_list modification in case of the loss of a new points is lower than the loss of the 
              if (S$loss < elite_list[10,'loss']){</pre>
                     elite_list <- rbind(elite_list[1:9,], drawn_points[which.min(drawn_points[,'loss'] - S$loss),]) %</pre>
                            arrange(loss)
                      iter_without_improvement <- 0</pre>
              } else {
                      iter_without_improvement <- iter_without_improvement + 1</pre>
       } else {
              iter_without_improvement <- iter_without_improvement + 1</pre>
       }
}
} # Filling results to the Grid grid <- grid %>% filter(a == A, b == B, c == C) %>% mutate(loss
= elite_list[1,'loss'], t_c = elite_list[1,'t_c'], m = elite_list[1,'m'], omega = elite_list[1,'omega'], phi =
elite_list[1,'phi']) print(elite_list) return(grid) }
```