## Introducing RSVP Theory

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July 17, 2025

#### Abstract

The cortical column debate, as articulated by Horton and Adams (2005), questions the functional significance of cortical columns—vertical neuronal clusters with shared response properties—due to their variability across species, regions, and individuals. This essay introduces the Relativistic Scalar-Vector-Entropy Plenum (RSVP) theory, augmented by the TARTAN framework, as a field-theoretic model that reframes columns as emergent, context-dependent coherence tiles rather than fixed functional modules. RSVP integrates thermodynamic principles, amplitwist geometric operators, sparse modeling, entropic causality, and Geometric Bayesianism with Sparse Heuristics (GBSH) to bridge local neural computations and global cognitive functions. Drawing on control theory from complex systems, parameter redundancy in deep learning, and biological sparsity, RSVP explains columnar variability, unifies neural and artificial intelligence, and offers a physics-grounded paradigm for adaptive, efficient computation. This extended exploration includes detailed applications in neural simulations, AI design, and ethical system constraints, with comprehensive mathematical appendices formalizing the framework.

### 1 Introduction

The cerebral cortex, a cornerstone of complex cognition, has been extensively studied through its anatomical organization, particularly the cortical column—vertical clusters of neurons sharing similar response properties, such as orientation selectivity in the primary visual cortex (V1). Horton and Adams (2005) argue that, despite over five decades of research, cortical columns lack a consistent, indispensable functional role, exhibiting variability across species (e.g., elaborate columnar structures in primate V1 versus less defined patterns in rodent V1), cortical regions, and individuals, with no clear behavioral correlates. This variability challenges their status as universal functional modules, prompting a reevaluation of structure-function relationships in complex neural systems.

The Relativistic Scalar-Vector-Entropy Plenum (RSVP) theory, augmented by the TARTAN (recursive tiling) framework, offers a novel resolution by modeling cortical columns as emergent coherence tiles arising from dynamic, field-theoretic interactions governed by thermodynamic and geometric principles. RSVP posits that neural systems operate as coupled scalar  $(\Phi)$ , vector  $(\mathbf{v})$ , and entropy (S) fields, evolving to minimize entropy under local constraints, such as sensory inputs or metabolic costs. This aligns with control strategies from complex systems, including node, edge, and structural control, which manage emergent behaviors in multi-agent networks (Coraggio et al., 2025). By integrating amplitwist geometric operators, sparse modeling (Elad, 2010), entropic causality (Kocaoglu et al., 2020), and Geometric Bayesianism with Sparse Heuristics (GBSH), RSVP bridges local neural transformations with global cognitive functions, addressing columnar variability and unifying principles across neuroscience, artificial intelligence (AI), and control theory.

This extended essay develops RSVP theory as a comprehensive framework, structured as follows:

- Section 2 defines RSVP and TARTAN, grounding them in control theory.
- Section 3 reframes the cortical column debate, modeling columns as dynamic coherence tiles.
- Section 4 explores amplitwist operators as a bridge between local and global scales.
- Section 5 connects parameter redundancy in deep learning to RSVP's field dynamics.
- Section 6 integrates entropic causality and GBSH for robust inference.
- Section 7 discusses applications in neural simulations, AI design, and ethical constraints.
- Section 8 addresses challenges and limitations.
- Section 9 compares RSVP with existing theories.

- Section 10 concludes with future directions.
- Mathematical appendices provide detailed derivations.

## 2 RSVP Theory: Core Principles

RSVP theory conceptualizes neural and computational systems as dynamic fields evolving under thermodynamic and geometric constraints, offering a unified model for biological and artificial intelligence. Its core components are:

• Scalar Field  $(\Phi(x,t))$ : Represents neural activations, synaptic weights, or information potentials, evolving via a partial differential equation combining diffusion and advection:

$$\frac{\partial \Phi}{\partial t} = D\nabla^2 \Phi - \nabla \cdot \mathbf{v}$$

where D > 0 is the diffusion coefficient, and  $\nabla \cdot \mathbf{v}$  models directed information flow, reflecting neural signal propagation or computational updates in AI systems.

• Vector Field ( $\mathbf{v}(x,t)$ ): Directs attention, causal propagation, or energy flow, governed by:

$$\frac{\partial \mathbf{v}}{\partial t} = -\gamma \nabla S + \mathbf{f}$$

where  $\gamma > 0$  controls entropy-driven adjustments, and **f** represents external inputs (e.g., sensory stimuli, control signals).

• Entropy Field (S(x,t)): Quantifies local complexity or disorder, defined as:

$$S = \|\nabla \Phi\|^2$$

driving the system toward low-entropy attractors, such as synchronized neural assemblies or optimized network weights.

• TARTAN (Recursive Tiling): Partitions the field into coherence tiles ( $\mathcal{T}_i$ ) where local dynamics are recursively simulated, forming adaptive, hierarchical modules:

$$\mathcal{T}_i = \{ x \in \Omega \mid S(x) < \tau_i \}$$

with thresholds  $\tau_i$  determining tile boundaries, inspired by fractal-like organization in biological systems (e.g., L-systems).

These components align with control strategies from Coraggio et al. (2025):

- Node Control: Direct interventions on specific agents (e.g., neurons or network nodes) correspond to setting boundary conditions on Φ, akin to stimulating specific cortical regions or adjusting AI model parameters.
- Edge Control: Modifying interaction protocols (e.g., synaptic weights or communication channels) adjusts v, shaping information flow.
- Structural Control: Reconfiguring network topology parallels TARTAN's adaptive tiling, optimizing emergent behaviors in dynamic environments, such as neural plasticity or adaptive AI architectures.

RSVP generalizes static computational models, such as parameter prediction in deep learning, by embedding them in dynamic, entropy-minimizing processes. This provides a physics-grounded framework for understanding emergent cognition, applicable to biological neural networks, artificial neural networks, and multi-agent control systems like robotic swarms.

## 3 Resolving the Cortical Column Debate

Horton and Adams (2005) highlight that cortical columns, while anatomically distinct, exhibit significant variability across species, cortical regions, and individuals, with no consistent functional correlates. For instance, primate V1 features elaborate columnar structures

for fine-grained visual processing, whereas rodent V1 is less developed, with columnar organization more prominent in the whisker cortex for tactile navigation. This variability undermines the notion of columns as universal functional modules, suggesting their role is context-dependent.

RSVP theory reframes columns as:

• Emergent Coherence Tiles: Columns are dynamic patterns arising from field interactions under species-specific constraints, such as sensory inputs, cortical geometry, and energetic demands. The scalar field  $\Phi$  forms low-entropy attractors where entropy S is minimized, solving:

$$\nabla^2 \Phi = 0, \quad \Phi(x_{i_j}) = w_{i_j}$$

with anchor points defined by local neural activity or sensory inputs. This explains variability as context-dependent solutions, where different boundary conditions (e.g., visual vs. tactile inputs) yield diverse columnar patterns.

- Thermodynamic Attractors: Columns emerge where metabolic and energetic constraints, as posited by GBSH, favor low-entropy configurations. Conserved ratios of column width to cortical thickness across species (Purves et al., 2022) reflect geometric scaling laws driven by energy minimization, not rigid genetic blueprints.
- Context-Dependent Functionality: RSVP predicts that columnar patterns adapt to input statistics and ecological demands, aligning with control theory's emphasis on context-sensitive coordination (Coraggio et al., 2025). For example, the distinct columnar organization in primate V1 versus rodent whisker cortex reflects adaptations to species-specific sensory ecologies.

By modeling columns as adaptive, transient structures, RSVP addresses Horton and Adams' critique, providing a mechanistic explanation for columnar diversity grounded in thermodynamic and geometric principles. This perspective shifts the focus from static

anatomical units to dynamic, emergent patterns optimized for local information processing.

# 4 Amplitwist Operators: Bridging Local and Global Scales

Amplitude scaling (gain control) and phase rotation (tuning or oscillation), provide a mathematical framework to bridge local neural computations and global cortical functions. These operators draw from complex-valued transformations in signal processing and neural dynamics:

• Local Scale: At the microcircuit level, neurons implement amplitwist transformations via recurrent excitation and inhibition, modulating signal strength and feature selectivity. For a complex-valued neural signal  $z \in \mathbb{C}$ , an amplitwist operation is:

$$z' = \alpha z e^{i\theta}$$

where  $\alpha$  scales amplitude (e.g., gain control for contrast adjustment in V1), and  $\theta$  rotates phase (e.g., orientation tuning for edge detection).

- Global Scale: Recursive composition of these operators across cortical layers forms a manifold of transformations, enabling complex functions like spatial reasoning, perceptual grouping, or synchronized neural rhythms (e.g., gamma oscillations). This mirrors node control strategies, where local interventions propagate to influence collective behavior (Coraggio et al., 2025).
- Unification: Amplitwist operators explain how sparse, local computations within columns scale to global patterns, addressing Horton and Adams' concern about the lack of direct anatomical-functional mapping by emphasizing emergent dynamics.

For example, in V1, local amplitwist operations adjust neural responses to specific edge orientations, while their recursive composition enables global scene segmentation. In AI, amplitwist-like transformations in convolutional neural networks (CNNs) support feature extraction and hierarchical processing, suggesting a convergence between biological and artificial systems.

## 5 Parameter Redundancy and Sparse Modeling

Denil et al. (2013) demonstrated that deep neural networks exhibit high parameter redundancy, with most weights predictable from a small subset using smooth interpolation, such as radial basis functions (RBF). This is formalized as solving:

$$\nabla^2 \Phi = 0, \quad \Phi(x_{i_i}) = w_{i_i}$$

yielding:

$$\Phi(x) = \sum_{j=1}^{k} \alpha_j \phi(\|x - x_{i_j}\|)$$

where  $\phi$  is a Green's function (e.g., Gaussian kernel). Elad's (2010) multilayer convolutional sparse coding (ML-CSC) explains this redundancy through sparse, overcomplete representations:

$$\mathbf{a}^{(l)} = \mathbf{D}^{(l)} \mathbf{z}^{(l)}, \quad \min_{\mathbf{z}^{(l)}} \|\mathbf{a}^{(l)} - \mathbf{D}^{(l)} \mathbf{z}^{(l)}\|_{2}^{2} + \lambda \|\mathbf{z}^{(l)}\|_{1}$$

where  $\mathbf{D}^{(l)}$  is a convolutional dictionary, and  $\mathbf{z}^{(l)}$  is sparse.

RSVP integrates these insights:

• Field-Theoretic Interpolation: Parameter prediction is a static case of RSVP's scalar field dynamics, where weights are reconstructed as low-entropy solutions. This extends to time-varying systems, with anchor points evolving dynamically.

• Sparse Attractors: RSVP's entropy descent hypothesis:

$$\frac{dS}{dt} \propto -\gamma \|\nabla S\|^2$$

aligns with sparse coding, as low-entropy configurations correspond to sparse codes, reducing free parameters.

• Biological Plausibility: GBSH posits that sparsity arises from metabolic constraints and noise, modeled as:

$$\mathcal{E}_{\text{metabolic}} = \int_{\Omega} c(x) |\Phi(x)| dx$$

This explains cortical circuit compressibility, mirroring deep learning efficiency.

This synthesis unifies deep learning compression with biological sparsity, generalizing static prediction into a dynamic framework that accounts for temporal evolution in neural and artificial systems.

## 6 Entropic Causality and Geometric Bayesianism

Entropic causality (Kocaoglu et al., 2020) identifies causal directions by minimizing exogenous entropy:

Direction = 
$$\underset{X \to Y, Y \to X}{\operatorname{argmin}} [H(\text{cause}) + H(\text{exogenous})]$$

RSVP extends this to continuous fields:

• Causal Direction: The vector field  $\mathbf{v}$  guides inference along paths of steepest entropy reduction:

$$\frac{dS}{dt} \propto -\gamma \|\nabla S\|^2$$

aligning with entropic causality's low-entropy criterion.

• Geometric Bayesianism with Sparse Heuristics (GBSH): Sparsity emerges from

physiological pressures, modeled as:

$$\mathcal{E}_{\text{metabolic}} = \int_{\Omega} c(x) |\Phi(x)| dx$$

promoting sparse, low-entropy configurations.

• Robustness: RSVP's field dynamics filter high-entropy noise, ensuring robust inference, as in Coraggio et al.'s (2025) discussion of uncertainty in complex systems.

This framework provides a mechanistic basis for cognitive processes like memory, perception, and causal inference, grounded in thermodynamic principles. For example, RSVP models how the cortex infers causal relationships in sensory data by minimizing entropy, aligning with Bayesian inference but emphasizing geometric and energetic constraints.

## 7 Applications

RSVP's applications span multiple domains, leveraging its field-theoretic approach to unify structure and function.

#### 7.1 Neural Simulations

RSVP enables simulations of cortical dynamics by modeling neural activity as field interactions. For instance, simulating the scalar field  $\Phi$  with boundary conditions from sensory inputs can replicate columnar pattern formation in V1. Using numerical solvers (e.g., finite element methods), RSVP predicts how coherence tiles emerge under varying constraints, such as different sensory modalities or cortical thicknesses. This aligns with experimental findings on columnar variability (Purves et al., 2022) and offers a tool for testing hypotheses about neural organization.

#### 7.2 AI Design

In AI, RSVP generalizes parameter prediction (Denil et al., 2013) and sparse modeling (Elad, 2010) to design efficient, interpretable models. By treating network weights as a scalar field  $\Phi$ , RSVP enables dynamic weight updates via entropy minimization, reducing computational costs. For example, applying RSVP to CNNs could yield sparse, adaptive architectures that mimic cortical efficiency, improving scalability for tasks like image recognition or natural language processing.

#### 7.3 Ethical System Constraints

RSVP incorporates ethical constraints via an ethical gradient  $\eta(x)$ , modifying vector field dynamics:

$$\frac{\partial \mathbf{v}}{\partial t} = -\gamma \nabla S - \delta \nabla \eta + \mathbf{f}$$

This ensures systems avoid energetically or ethically costly states, such as biased decision-making in AI or unsustainable neural activity. For instance, RSVP could guide AI systems to prioritize fairness by penalizing high-entropy (e.g., biased) outputs, aligning with ethical AI principles.

## 7.4 Control Theory Applications

RSVP's alignment with node, edge, and structural control (Coraggio et al., 2025) enables applications in multi-agent systems, such as robotic swarms or smart grids. By modeling agents as nodes in a field, RSVP optimizes collective behavior through entropy minimization, ensuring robust coordination under uncertainty. For example, in swarm robotics, TARTAN's recursive tiling could adapt agent interactions to dynamic environments, enhancing scalability and resilience.

## 8 Challenges and Limitations

RSVP faces several challenges:

- **Heterogeneity**: Managing diverse agent dynamics in biological or artificial systems, such as variable neural properties or network architectures.
- Time-Varying Networks: Adapting to dynamic topologies, requiring advancements in TARTAN's recursive tiling algorithms.
- Ethical Implementation: Defining ethical gradients  $\eta(x)$  that balance efficiency, fairness, and societal impact, particularly in AI applications.
- Computational Scalability: Simulating RSVP dynamics in large-scale systems demands efficient numerical methods, especially for high-dimensional fields.
- Empirical Validation: Testing RSVP's predictions requires integrating field-theoretic models with experimental data, such as neuroimaging or neural recordings.

Addressing these challenges requires interdisciplinary collaboration, combining computational modeling, experimental neuroscience, and ethical frameworks.

## 9 Comparison with Existing Theories

RSVP distinguishes itself from existing theories of cortical organization and computation:

- Free Energy Principle (Friston, 2010): Like the free energy principle, RSVP emphasizes entropy minimization, but it uses continuous field dynamics rather than variational inference, offering a geometric perspective on neural computation.
- **Predictive Coding**: RSVP's entropic causality aligns with predictive coding's error minimization, but its field-theoretic approach incorporates spatial and temporal dynamics, generalizing to non-neural systems.

- Statistical Field Theory (Ringel et al., 2024): RSVP shares similarities with statistical field theory in deep learning but focuses on biological plausibility and ethical constraints, extending to control theory applications.
- Sparse Coding (Elad, 2010): RSVP generalizes sparse coding by embedding it in dynamic fields, accounting for temporal evolution and multi-scale interactions.

RSVP's integration of thermodynamic, geometric, and control-theoretic principles provides a more comprehensive framework, bridging neuroscience, AI, and complex systems.

#### 10 Conclusion and Future Directions

RSVP theory, augmented by TARTAN, amplitwist operators, and GBSH, resolves the cortical column debate by modeling columns as emergent, context-dependent coherence tiles. It integrates control theory, sparse modeling, entropic causality, and biological sparsity to unify structure, function, and emergence in neural and artificial systems. By reframing columns as dynamic attractors, RSVP addresses Horton and Adams' critique while offering a physics-grounded paradigm for adaptive, efficient intelligence.

Future research should focus on:

- Developing numerical simulations to validate coherence tile formation in neural and AI systems.
- Integrating RSVP with deep learning for scalable, interpretable models.
- Exploring ethical AI by incorporating energetic and ethical constraints.
- Extending RSVP to social, ecological, or robotic systems, leveraging control theory insights.
- Validating RSVP with experimental data, such as fMRI or electrophysiological recordings.

RSVP bridges neuroscience, AI, and control theory, paving the way for a new era of physics-inspired intelligence.

## **Mathematical Appendices**

Appendix A: RSVP Field Dynamics RSVP models neural systems as coupled fields:

• Scalar Field Evolution:

$$\frac{\partial \Phi}{\partial t} = D\nabla^2 \Phi - \nabla \cdot \mathbf{v}$$

where  $\Phi(x,t)$  represents activations or weights, D>0 is diffusion, and  $\nabla \cdot \mathbf{v}$  directs flow.

• Vector Field Dynamics:

$$\frac{\partial \mathbf{v}}{\partial t} = -\gamma \nabla S + \mathbf{f}$$

where  $S = \|\nabla \Phi\|^2$ ,  $\gamma > 0$ , and **f** is external input.

• Entropy Descent: The rate of entropy reduction is:

$$\frac{dS}{dt} = -\int_{\Omega} \gamma \|\nabla S\|^2 dx$$

ensuring relaxation to low-entropy attractors.

Appendix B: Parameter Prediction as Field Interpolation Parameter prediction (Denil et al., 2013) solves:

$$\nabla^2 \Phi = 0, \quad \Phi(x_{i_j}) = w_{i_j}$$

yielding RBF interpolation:

$$\Phi(x) = \sum_{j=1}^{k} \alpha_j \phi(\|x - x_{i_j}\|)$$

where  $\phi(r) = e^{-r^2/\sigma^2}$ . RSVP extends this to dynamic systems:

$$\frac{\partial \Phi}{\partial t} = D\nabla^2 \Phi, \quad \Phi(x_{i_j}, t) = w_{i_j}(t)$$

with time-varying anchors  $w_{i_j}(t)$ .

Appendix C: Sparse Coding and ML-CSC Elad's ML-CSC (2010) models layer activations:

$$\mathbf{a}^{(l)} = \mathbf{D}^{(l)} \mathbf{z}^{(l)}, \quad \min_{\mathbf{z}^{(l)}} \|\mathbf{a}^{(l)} - \mathbf{D}^{(l)} \mathbf{z}^{(l)}\|_{2}^{2} + \lambda \|\mathbf{z}^{(l)}\|_{1}$$

RSVP equates  $\Phi(x,t) \approx \sum_j \alpha_j(t)\phi_j(x)$ , with sparse  $\alpha_j$  minimizing:

$$\mathcal{L} = \int_{\Omega} \|\Phi - \sum_{i} \alpha_{i} \phi_{j}\|^{2} + \lambda \sum_{i} |\alpha_{i}| dx$$

Appendix D: Entropic Causality Entropic causality selects:

Direction = 
$$\underset{X \to Y, Y \to X}{\operatorname{argmin}} [H(\text{cause}) + H(\text{exogenous})]$$

RSVP models this via:

$$\frac{dS}{dt} = -\gamma \int_{\Omega} \|\nabla S\|^2 \, dx$$

with  $\mathbf{v}$  guiding causal flow along low-entropy paths.

Appendix E: TARTAN Recursive Tiling TARTAN partitions the domain:

$$\mathcal{T}_i = \{ x \in \Omega \mid S(x) < \tau_i \}$$

Each tile evolves via local field dynamics, with recursive updates:

$$\mathcal{T}_i^{(k+1)} = \mathcal{T}_i^{(k)} \cap \{x \mid S^{(k+1)}(x) < \tau_i^{(k+1)}\}$$

mimicking hierarchical neural organization.

Appendix F: GBSH and Ethical Constraints GBSH's metabolic cost is:

$$\mathcal{E}_{\text{metabolic}} = \int_{\Omega} c(x) |\Phi(x)| dx$$

Ethical constraints add:

$$\mathcal{E}_{\text{ethical}} = \int_{\Omega} \eta(x) |\Phi(x)| dx$$

The combined objective modifies dynamics:

$$\frac{\partial \mathbf{v}}{\partial t} = -\gamma \nabla S - \delta \nabla \eta + \mathbf{f}$$

Appendix G: Stability Analysis To ensure stability, consider the Lyapunov functional:

$$\mathcal{V} = \int_{\Omega} S(x, t) \, dx$$

The time derivative is:

$$\frac{d\mathcal{V}}{dt} = \int_{\Omega} \frac{\partial S}{\partial t} \, dx = -\gamma \int_{\Omega} \|\nabla S\|^2 \, dx \le 0$$

guaranteeing convergence to low-entropy states under bounded f.

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