

# Curvature, Entropy, and Governance: The RSVP Framework for Thermodynamic Civilization

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## 1 Introduction & Motivation

The Relativistic Scalar–Vector Plenum (RSVP) framework presents a unified field theory for entropy regulation across physical, biological, cognitive, and social domains. By conceptualizing the universe as a fixed plenum undergoing internal differentiation through entropic smoothing, RSVP reorients traditional notions of expansion, gravity, and teleology toward an informational and thermodynamic paradigm. This manuscript explores RSVP’s foundations, extensions to agency and semantics, applications to artifacts and intelligence, and implications for moral governance and civilization as a learning manifold.

At its core, RSVP posits that gravity, learning, and governance are scale-invariant processes of curvature control, managing entropy to sustain complexity without chaos. Drawing on insights from Deacon’s teleodynamics, Krakauer’s ontology of intelligence, and Hanson’s futarchy, the framework offers a formal backbone for understanding self-regulating systems.

The universe is a self-predictive plenum—a world that remains coherent because it continuously learns how to learn.

## 2 Foundations: The Relativistic Scalar–Vector Plenum

**\*\*Core principle:\*\*** The universe is not expanding but *\*smoothing\** — a fixed plenum differentiating internally through entropic descent.

### 2.1 Fields

*\* (  $\Phi$  ) : scalar potential energy or informational capacity. \* (  $\Xi$  ) : vector flow directed dynamic of exchange. \* (  $S$  ) : entropy measure of uncertainty or smoothness.*

## 2.2 Equations of Motion

Entropy smoothing replaces metric expansion; gravity is a gradient of  $(\Phi)$ ; *cosmicevolutionisthediffusionofenergy*

Think “advection–diffusion + production” for each field, with a Navier–Stokes–like term for the flow:

\* \*\*Scalar potential (capacity)\*\*

$$\partial_t \Phi + \nabla \cdot (\Phi \underline{\square}) = D_\Phi \Delta \Phi - \sigma_\Phi F(\Phi, S) + \mathcal{S}_\Phi$$

\* \*\*Entropy (uncertainty)\*\*

$$\partial_t S + \underline{\square} \cdot \nabla S = \kappa \Delta S + \Pi(\Phi, \nabla \Phi) - \Gamma(S) + \mathcal{S}_S$$

with a typical choice  $(\Pi = \beta_\Phi |\nabla \Phi|^2)$  (*innovationfromsteepcapacitygradients*) and  $(\Gamma = \gamma_S S^2)$  (*nonlineardampings*)

\* \*\*Vector flow (exchange)\*\*

$$\tau_v (\partial_t \underline{\square} + (\underline{\square} \cdot \nabla) \underline{\square}) = -\nabla(\Phi + S) - \gamma \underline{\square} + \nu \Delta \underline{\square} + \mathcal{F}$$

Here  $(\mathcal{S}_\Phi, \mathcal{S}_S, \mathcal{F})$  are *resource/forcing terms* (e.g., *markets, shocks, controls*).

\*\*Boundary conditions (choose to fit the domain):\*\*

\* \*\*Periodic\*\* (cosmological / closed economy caricature). \* \*\*No-flux\*\*  $((\cdot \cdot \nabla) \Phi = (\hat{n} \cdot \nabla) S = 0, \hat{n} \cdot \underline{\square} = 0)$  (*reflectingboundary*). \* \*\*Open\*\*  $(\text{radiation/Robin}) : (\hat{n} \cdot \nabla u + \alpha u = 0)$  for  $(u \in \Phi, S)$ , with *stress or velocity specified on  $(\partial\Omega)$* . \* \*\*Markov – blanket BCs\*\* \* *for subsystems : continuity of flux across the blanket, but conditional independence constraints encoded as restrictions*

## 2.3 Ontology

RSVP unifies physics, thermodynamics, and semantics: every process is a form of entropy regulation.

Use a two-step mapping:

\* \*\*Symbolization (coarse partitioning):\*\* partition the state space (or trajectories) of  $((\Phi, \underline{\square}, S))$  into cells; map field histories to symbol sequences via an generating partition.  $(\omega_{0:T} = \Pi((\Phi, \underline{\square}, S)_{0:T}))$

\* \*\*Semantic value (predictive information):\*\* define meaning as the *predictive mutual information* the symbol process carries about its future and about task-relevant observables (information bottleneck style):

$$\text{Semantics} \propto I(\omega_{0:t}; \omega_{t:\infty}) \quad \text{and} \quad I(\omega_{0:t}; Y_{t:\infty})$$

In other words: meaning = compressed structure that improves prediction/control. Practically, this is computed via mutual information / transfer entropy between symbol streams and field observables. (You can make it geometric using the Fisher metric on the symbol manifold.)

## 2.4 Cosmological Implications & Tests vs. $(\Lambda)CDM$

RSVP replaces expansion with *entropy smoothing* and treats gravity as  $(\nabla \Phi)$ . *Empirically, you look for :*

\* \*\*Distance–redshift relation:\*\* fit supernovae/standard candles with an effective refractive/curvature profile from  $(\Phi, S)$  rather than  $(a(t))$ . *Predict subtle deviations in  $(H(z))$  like inferences without an*  
*\*\*Growth of structure : \*\*modify linear growth  $(f\sigma_8(z))$  via the  $(-\nabla(\Phi+S))$  term; test against RSD and weak lensing.*  
*\*\*ISW & lensing cross–correlations : \*\*time–variation of  $(\Phi+S)$  leaves signatures in CMB LSS cross–*  
*spectra differing from  $(\Lambda)CDM$  potential decay.\*\*\*BAO phase : \*\*curvature–driven transport can slightly shift*  
*horizon scalings.*

Discriminants: the  $(E_G)$  statistic (lensing/velocity ratio), tomographic weak lensing  $(C_\ell)$ , and  $kSZ/ISW$  cross correlations. (All framed as effective – field tests of your  $(\Phi, S)$  dynamics.)

### 3 Teleology, Agency, and Embodiment

**Key idea:** Function = Use. Teleology arises retrocausally: systems appear purpose-driven because their persistence retroactively defines their “goals.”

#### 3.1 Deacon’s Teleodynamics

Organic systems differentiate a functioning whole by hierarchical delegation; engineered systems assemble from modular parts. RSVP expresses this through field decomposition: continuous  $\rightarrow$  discrete  $\rightarrow$  recomposed.

Three equivalent formalisms for retrocausal teleology:

**Bayesian smoothing** (two-time inference): the agent’s internal state does fixed-interval smoothing (uses past and anticipated future outcomes). Mathematically like Rauch–Tung–Striebel/forward-backward for state-space models. **Adjoint control** (Pontryagin / optimal control): add a cost functional for persistence; “desire” is the *costate* ( $\lambda$ ) that flows backward in time and controls forward action. **Two-boundary action** (path integral with future boundary) : stationary action with terminal constraints; future boundary is a constraint on the initial state.

All three implement “backcasting” without violating causality in the external world; retro-causality is internal to inference/control.

#### 3.2 Agency as Entropy Regulation

**Markov Blankets:** Boundaries separating internal/external dynamics. **Preference geometry:** Internal curvature defining desired homeostatic states. **Desire:** Retrocausal projection of low-surprisal attractors — matter anticipating persistence.

**Statistical view:** a preferred steady-state distribution ( $p^*(x_{\text{int}})$ ). *Curvature is the Hessian of  $(-\log p^*)$  (a Riemannian metric); steeper wells = stronger preferences.*  $g_{ij} = \partial_i \partial_j (-\log p^*(x))$  **Free-energy view:** curvature of the variational free energy (F) around the attractor (Fisher information metric). **RSVP view:** map the above to field curvature via the potential landscape of  $(\Phi)$  constrained by  $(S)$ ; practically, estimate by KL divergence between empirical internal state and  $(\Phi)$ .

**Organic (heart):**  $(\Phi)$  : globally constrained by organism – level energy;  $(\Xi)$  : multi – scale flows (hemodynamics + neural/hormonal control);  $(S)$  : kept low inside the blanket, modulated by sensors/actuators at the membrane. **Teleodynamics :** differentiation from a functioning whole; strong cross – scale couplings; delegation minimizes  $(\mathcal{F})$  globally.

**Engineered (centrifugal pump):**  $(\Phi)$  : modular capacity in a bounded unit;  $(\Xi)$  : mostly single – purpose flow;  $(S)$  : side – effect exported to the environment unless explicitly modeled. **Teleodynamics :** assembly up from modules; weak emergent cross – scale couplings unless designed in; interplay of scales.

Result: biology shows hierarchical delegation (Deacon) and tighter  $(\Phi - \Xi - S)$  coupling across scales; engineering shows modular delegation (Deacon) and tighter  $(\Phi - \Xi - S)$  coupling across scales; engineering effects).

### 4 Semantic and Logical Structures

**Conceptual bridge between syntax and thermodynamics.**

#### 4.1 Propositional DAGs

Directed acyclic graphs represent entailment or causal order; they are *simulations*, not processes — logical skeletons of continuous entropic flow.

The functor  $(F: \text{PropDAG} \rightarrow \mathbf{RSVPField})$  translates logical relations into thermodynamic field configurations, reducing mappings.

$(\Pi)(\text{projection to a causal skeleton})$  : deterministic or probabilistic?

Operationally *probabilistic*. Steps:

1. Choose observables of  $((\Phi, \sqsubseteq, S))$  and a timescale. 2. Estimated directed dependencies (e.g., *transfer entropy*, Granger, PCMC1). 3. Threshold/regularize to get a DAG; report posteriors *over edges, not as a single graph*.

So  $(\Pi)$  yields a distribution over DAGs  $(\mathcal{D})$  given data  $(D) : (p(G \mid D))$ . Deterministic versions (max-posterior graph) are just point estimates of that posterior.

Do DAGs “run” dynamically in RSVP?

Yes—two ways:

*Graph-lifted dynamics*: push the field dynamics onto the graph via topological order; messages along edges implement advection of beliefs (belief propagation / message passing = (v)-like flows on edges). *Embedding*: the DAG indexes coarse causal channels in the continuum; traversing the DAG corresponds to following coarse flows of  $((\Phi, \sqsubseteq, S))$  between modules/regions.

So DAG construction/traversal is a *simulation layer* driven by—and feeding back to—the continuum.

Measurement vs. simulation (interplay of (F) and (Π); *entropy costs*)

*Measurement* ((Π)) : *compresses a physical process into a causal skeleton. Thermodynamic cost lower-bounded by Landauer per recorded/erased bit :  $(W \geq kT \ln 2 \times (\text{bits processed}))$ . It reduces uncertainty about the world (local  $(S \downarrow)$ ) while exporting heat/entropy to the environment.*

*Simulation* ((F)) : inflates a logical skeleton into a physical/compute process. Costs are computation + memory *plus* erasure (again Landauer). It *creates samples/trajectories* consistent with the skeleton; it does not guarantee the same physical entropy flows unless coupled to actuators.

*Together*:

$$\Pi \circ \mathcal{F} \approx \text{id}_{\mathbf{PropDAG}} \quad (\text{syntactic closure})$$

$$\mathcal{F} \circ \Pi \approx \text{simulation re-embedding} \quad (\text{costly, lossy in metrics})$$

The difference in costs reflects that measurement extracts predictive structure from “hot” dynamics, while simulation re-instantiates structure on a different substrate. Both pay Landauer; only measurement directly reduces uncertainty about *the* world.

## 4.2 Functorial Semantics: From Propositional Graphs to RSVP Fields

Let **PropDAG** denote the category of propositional diagrams, whose objects are finite directed acyclic graphs  $G = (V, E)$  labeled by atomic propositions or state variables, and whose morphisms  $f : G \rightarrow G'$  are entailment-preserving maps between such graphs (for instance, coarse-grainings or logical rewritings). Each object encodes a finite fragment of inference, a static representation of causal syntax.

Let **RSVPField** denote the category of smooth thermodynamic manifolds equipped with scalar, vector, and entropy fields  $(\Phi, \sqsubseteq, S)$  and with morphisms  $\psi : M \rightarrow M'$  that preserve energy–entropy structure up to diffeomorphism. Objects of **RSVPField** are not propositions but processes: continuous manifolds of entropic descent.

We then define a semantic translation

$$\mathcal{F} : \mathbf{PropDAG} \longrightarrow \mathbf{RSVPField}$$

that sends each propositional graph to an equivalence class of RSVP field configurations that realize its entailment pattern. Formally, for each  $G \in \mathbf{PropDAG}$ ,

$$\mathcal{F}(G) = \{(\Phi, \sqsubseteq, S) \mid \nabla \Phi_i \cdot \sqsubseteq_j \text{ respects the causal ordering of } e_{ij} \in E\} / \sim,$$

where  $\sim$  identifies physically indistinguishable realizations of the same logical flow. Morphisms in **PropDAG** map under  $\mathcal{F}$  to field reparameterizations that preserve relative entropy gradients. Thus,  $\mathcal{F}$  is structure-preserving but not content-preserving: it retains entailment topology while discarding metric energy scales.

Conversely, there exists a projection

$$\Pi : \mathbf{RSVPField} \longrightarrow \mathbf{PropDAG}, \quad \Pi(M) = \text{“logical skeleton” of } (\Phi, \sqsubseteq, S),$$

which sends continuous processes to their propositional shadows by extracting causal ordering and dependency relations. The composite  $\Pi \circ \mathcal{F}$  acts as an idempotent closure operator on  $\mathbf{PropDAG}$ :

$$\Pi \circ \mathcal{F} \approx \text{id}_{\mathbf{PropDAG}},$$

while  $\mathcal{F} \circ \Pi$  corresponds to simulation: a re-embedding of logical form into physical analogy.

This bi-functorial relation captures the philosophical boundary between representation and realization. Natural language statements, computational models, and physical systems all inhabit the same categorical manifold of entailment; they differ only in which morphisms they treat as physical. In the RSVP ontology, simulation is not illusion but *functorial collapse*—a projection of continuous entropy descent into discrete inference order. Every model, every sentence, every theory is therefore a DAG-valued image of the plenum’s curvature: a map that preserves causation while losing heat.

## 5 Artifacts, Intelligence, and Explanation

**\*\*Krakauer’s Ontology:\*\*** Intelligence = compression that preserves causal transparency; stupidity = compression that hides it.

\* **\*\*Imperative Artifacts:\*\*** Efficient but opaque devices ( $(dI/dC \leq 0)$ ); *accumulate negative entropy, lose intelligence*  
**\*\*Complementary Artifacts :** *Didactic systems* ( $(dI/dC > 0)$ ); *couple function and explanation.*  
**\*\*RSVP Mapping :** *Imperative high coupling, low S exchange; Complementary balanced S interaction. Ethical*

Think of a modern ML system in production:

\* **\*\*Lamphron (imperative/opaque phase):\*\***

\* Train a large model (capacity  $\uparrow$ ): fast, accurate decisions in a high-stakes domain (fraud detection, grid balancing). \* In RSVP:  $\Phi \uparrow$ ,  $|\uparrow$ , but S (explanatory exchange) is suppressed  $\rightarrow$  semantic viscosity. \* Outcome: efficiency wins; explanations lag.

\* **\*\*Lamphrodyne (complementary/transparent phase):\*\***

\* Add didactic overlays: counterfactual probes, feature-attribution stabilized by causal tests, simplified policy surfaces, simulation sandboxes. \* Governance wraps: dashboards, action logs, verifiable rules of engagement, model cards. \* In RSVP: re-open coupling to S (explanatory entropy) while keeping  $\Phi$  and  $|\uparrow$  useful. \* Outcome: some throughput cost, but trust, auditability, and fail-safe behaviors rise.

**\*\*Concrete\*\*:** A national grid operator first deploys an RL controller (imperative) to damp frequency excursions (fast, sparse I/O). After near-misses, they layer **\*\*explainable guardrails\*\***: interpretable surrogate rules for edge-cases, causal alarms for distributional shift, and a public incident log (complementary). The system alternates: tighten (imperative) under stress; reopen (complementary) for learning/audit. That alternation is the lamphron–lamphrodyne cycle.

Let:

\* (C) (capacity): any monotone performance proxy (AUC, reward/step, bits of model, energy budget). \* (I) (didactic transparency): information the interface yields about internal causal structure **\*\*that predicts actions\*\***.

A practical pair:

\* **\*\*Transparency (I):\*\*** ( $I \equiv I(Z; A, |X) \cdot \text{Fidelity} - \lambda \cdot \text{Instability}$ ) where  $(Z) = \text{interface outputs (explanation actions, } (X) = \text{inputs; Fidelity} = \text{correlation between explanation-predicted action and true action under intervention}$

\* **\*\*Didactic elasticity (Krakauer-style):\*\***

$$\mathcal{E} \equiv \frac{dI/I}{dC/C}$$

\* **Imperative artifacts:** ( $E \leq 0$ )(*transparency stagnates or worsens as capacity grows*).  
 \* **Complementary artifacts:** ( $E > 0$ )(*transparency scales with capacity*).

RSVP readout: report ( $E$ ) alongside  $\Phi - S$  stats; complementary design targets ( $E \gtrsim 0.5$ )(*rule-of-thumb*) at relevant operating points.

Guideline: keep the artifact in the stewardship corridor

$$0 < \dot{S}_{\text{artifact}} < \dot{S}_{\text{crit}}$$

where (*artifact*) *measures explanatory entropy production (audits, logs, counterfactuals) that reduces uncertainty*

\* **AI systems:** prioritize **fail-safe transparency** ( $S$ ) at decision boundaries and OOD regimes; accept throughput loss ( $\downarrow$ ) there. In-distribution, allow higher  $S$  with lightweight explanations. \* **Governance tools:** prioritize **process legibility** ( $S$ ) broadly (records, appeals), even if  $\downarrow$  slows—because civic errors are costlier and harder to roll back. \* **Infrastructure control:** two-tier: real-time imperative loop ( $\downarrow$  fast, minimal  $S$ ) **under** supervisory complementary loop ( $S$ -rich audit/override) on slower cadence.

Trade-off trick: **dual-channel design**—separate actuation bandwidth from explanation bandwidth, then guarantee minimal explanation quanta per action (e.g., per-action causal footprint).

## 5.1 Imperative and Complementary Artifacts: Opacity, Explanation, and Entropy

In Krakauer’s ontology of complexity, adaptive systems evolve not only to perform tasks but to *encode explanations of their own behavior*. Intelligence, in this view, is the art of making difficult problems easy: compression of causal structure into communicable form. Conversely, stupidity arises when compression becomes opacity—when rules that once conveyed understanding become inscrutable.<sup>1</sup> This distinction yields two classes of technological embodiment: *imperative artifacts* and *complementary artifacts*.

**Imperative artifacts.** An imperative artifact is an agent or device that acts upon its environment through coercive efficiency while offering no monotonic increase in didactic accessibility. Its interface does not scale with its intelligence. Formally, let  $I$  denote interface transparency and  $C$  denote computational capacity. Then an imperative system satisfies

$$\frac{dI}{dC} \leq 0,$$

meaning that as its internal sophistication grows, its capacity for self-explanation stagnates or diminishes. Examples include opaque machine-learning models, black-box bureaucracies, and evolutionary mechanisms that act correctly without representing why. In RSVP terms, such artifacts concentrate potential  $\Phi$  and flux  $\sqsubseteq$  while suppressing informational exchange with the entropy field  $S$ . They are regions of high semantic viscosity—low permeability to understanding—and thus accumulate local negentropy at the cost of global interpretability. Their gravity is coercive: they *do* more than they *say*.

**Complementary artifacts.** By contrast, a complementary artifact is designed so that increases in computational or adaptive capacity are accompanied by a corresponding increase in didactic transparency:

$$\frac{dI}{dC} > 0.$$

<sup>1</sup>Krakauer distinguishes between *intelligence* as compression that preserves causal transparency and *stupidity* as compression that destroys it (*cf.* Krakauer, 2023).

Such systems couple their functional output to explanatory output. Scientific instruments, visualizations, and pedagogical simulations belong to this class. In RSVP language, they maintain open coupling between potential, flow, and entropy fields:

$$\dot{S}_{\text{artifact}} \approx -\lambda (\nabla \cdot \square)_{\text{didactic}},$$

so that every act of energy expenditure is mirrored by an act of information release. Complementary artifacts thus lower the entropy of misunderstanding even as they dissipate physical entropy. They are gravitationally gentle: they *illuminate* rather than merely act.

**Krakauerian and RSVP synthesis.** In Krakauer’s moral geometry of complexity, the imperative artifact embodies the evolution of *stupidity*—efficiency without intelligibility— whereas the complementary artifact embodies the evolution of *intelligence*—compression with transparency. RSVP renders this difference as a divergence in entropy management: imperative artifacts maximize local negentropy by isolating  $\Phi$  from  $S$ , while complementary artifacts sustain adaptive equilibrium by coupling them. Mathematically, the former push the system toward lower  $S$  without feedback, the latter maintain bounded entropy production,

$$0 < \dot{S}_{\text{complementary}} < \dot{S}_{\text{crit}}.$$

**Interpretive summary.** Imperative artifacts command; complementary artifacts converse. The first enforce outcomes through opacity, the second invite participation through explanation. In the cosmic thermodynamics of RSVP, both are necessary phases of entropy descent: imperative compression initiates order, complementary expansion restores intelligibility. A civilization of pure imperative devices would collapse into efficient silence; one of pure complementarity would dissipate into noise. Ethical technology occupies the lamphron–lamphrodyne cycle between them: acting decisively yet teaching as it acts, curving information without hiding it.

## 6 Moral and Institutional Gravity

**\*\*Moral systems as adaptive conflict management (Flack & Krakauer):\*\*** Social entropy regulation through fairness, judgment, and rules. In RSVP:

\*  $\Phi \rightarrow$  shared value gradients, \*  $\rightarrow$  judgment flow, \*  $S \rightarrow$  behavioral uncertainty.

**\*\*Institutional gravity:\*\*** Leadership roles act as gravitational media — smoothing turbulence of ideas into coherence while resisting excessive curvature.

\* Precarious curvatures = ideas too entropically costly for institutional stability. \* Ethical constraint: (  $0 < \text{*moral} < \text{*crit}$  ).

Model predictive governance tensor evolution as:

$$\partial_t \mathbb{T}_{ij} = \underbrace{\chi \langle \nabla_i \Phi, \nabla_j S \rangle_{\text{collective}}}_{\text{crowd prediction}} - \underbrace{\rho \mathbb{T}_{ij}}_{\text{institutional inertia}} + \underbrace{\omega L_{ij}}_{\text{leadership prior}} + \sigma \Xi_{ij}$$

\*  $(L_{ij})$  encodes leader–set priors (risk tolerance, fairness weights, safety margins). \* Leadership is \*distinct\* from the crowd term : it rotates/amplifies  $(\mathbb{T})$  toward strategic aims (e.g., safety emphasis) and sets (p) Signals that the social manifold left the corridor:  
**\*\*Ideological polarization:\*\*** rising modularity ( $Q$ ) of opinion networks, superlinear growth of cross-group misinformation transfer entropy; policy volatility autocorr  $\uparrow \rightarrow$  (civic) spikes. \*\*\*  
*Economic monopolies :* \*\*Herfindahl Hirschman ( $\text{HHI} \rightarrow 1$ ), flow centrality concentrated, innovation entropy  
*\*\* Runaway leverage cycles :* \*\* financial accelerates; explanatory  $S$  (auditability) lags; early – warning : critical slowing down (lag–1 autocorr, variance) in market microstructure. \*\*\* Information cascades  
**\*\*rapid diffusion()** with low verification  $S$ ; rumor reproduction number ( $\mathcal{R}_{\text{rumor}} > 1$ ) persists; corridor exceeded



Not universal; it's **context- and scale-dependent**. Determine empirically with early-warning theory:

\* Calibrate to historical near-failures: find ( ) levels preceding loss of control (infrastructure blackouts, constitutional crises, flash crashes). \* Use **critical slowing down** markers (variance, autocorrelation, skewness) and tipping-point statistics to set **safe operating ranges**. \* Cultural/economic contexts change damping gains; so define (  $\tau_{\text{crit}}$  ) *perdomainandperiodicallyre-estimate(driftdetection)*.

## 6.1 Institutional Constraints and the Entropy of Discourse

It is worth acknowledging that Krakauer's position as President of the Santa Fe Institute imposes a delicate informational constraint on his public discourse. By virtue of leading a transdisciplinary research institution funded through philanthropic, governmental, and industrial channels, he cannot easily espouse positions that are overtly anti-technological or anti-university, even if his own analyses might imply deep structural pathologies within those systems. The institutional plenum within which he operates therefore acts as an *entropy reservoir*—absorbing potential negentropic critique by smoothing it into acceptable forms of complexity discourse. This condition parallels the RSVP observation that high-capacity regions of the plenum, while appearing dynamically rich, may in fact exhibit *semantic viscosity*: the suppression of novel gradients through excessive coupling to ambient informational expectations. In this sense, institutional leadership constitutes a thermodynamic boundary condition on thought, setting the permissible range of  $\dot{S}$  for public complexity theory. Gravity as entropy descent, in its sociological analogue, manifests as the inexorable smoothing of radical curvature in ideas until they are institutionally equilibrated.

## 6.2 Precarious Curvatures: The Institutional Limits of Complexity Discourse

If gravity in the cosmological plenum smooths energetic gradients into equilibrium, then gravity in the institutional plenum smooths intellectual curvature into consensus. Leadership positions within research ecologies, particularly those linking public philanthropy, academia, and technology, require continuous navigation of entropic constraints on discourse. As President of the Santa Fe Institute, Krakauer occupies a region of exceptionally high symbolic potential  $\Phi_{\text{inst}}$ , where informational gradients are both intense and tightly coupled to external sources of legitimacy. Within such a manifold, many theoretically valid or ethically urgent trajectories become precarious, redshifted into euphemism by the curvature of institutional gravity.

We may characterize this condition as a field of *precarious curvatures*: directions in the semantic manifold whose pursuit would entail excessive entropy production, threatening equilibrium at the boundary layer between intellectual autonomy and organizational viability. The following list outlines several domains where the gravitational potential of leadership imposes thermodynamic limits on thought.

- **Critique of technological accelerationism:** questioning the moral or ecological cost of AI or data-driven expansion introduces negative curvature into the funding manifold, forcing redshift toward “responsible innovation” rather than systemic critique.
- **Rejection of academic credentialism:** undermines the symbolic capital ( $\Phi_{\text{acad}}$ ) that stabilizes institutional legitimacy, risking turbulence in the social entropy field.
- **Critique of centralized science funding:** implies pathologies in the boundary conditions that sustain institutional existence; destabilizes  $\partial_i \Phi_{\text{fund}}$  and therefore the steady-state of support.

- **Advocacy of post-institutional science:** proposes a topological phase transition in the knowledge plenum, dissolving  $g_{ij}^{(\text{inst})}$  into a non-metric emergent geometry.
- **Moral critique of market rationality:** introduces negative curvature ( $R < 0$ ) into regions modeled as neutral or adaptive, destabilizing the flatness of complexity economics.
- **Public alignment with anti-technological movements:** releases excessive entropy ( $\dot{S} \rightarrow \infty$ ) in the cultural boundary layer, leading to institutional decoherence.
- **Explicit linkage of complexity science to political economy:** produces ideological torsion ( $\Gamma_{[jk]}^i \neq 0$ ) within the institutional connection, generating shear stress across donor and disciplinary strata.
- **Critique of computation as universal metaphor:** posits discontinuities in  $\Phi_{\text{comp}}$ , implying undecidability in regions assumed to be algorithmically complete.
- **Critique of complexity as ideology:** collapses the very potential ( $\Phi_{\text{inst}}$ ) that provides institutional cohesion, approaching a reflexive singularity.
- **Call for epistemic degrowth:** advocates controlled cooling of the semantic field ( $\dot{E} < 0$ ,  $\dot{S} \rightarrow 0$ ), undermining the entropic rationale for institutional expansion.

## Synthesis

In the moral topology of complexity, these precarious curvatures represent the forbidden geodesics—paths of thought whose energetic cost exceeds the institutional budget of coherence. The administrator therefore becomes a gravitational medium for ideas, curving trajectories of inquiry so that they orbit within permissible entropy bounds. From the RSVP viewpoint, this dynamic mirrors the plenum’s own behavior: regions of high potential trap gradients, converting free thought into organized stability. The moral paradox of the leadership, then, is thermodynamic: to preserve the possibility of insight, one must continuously smooth the very asymmetries from which insight arises.

## 7 Recursive Futarchy and Entropic Stewardship

**\*\*Recursive futarchy:\*\*** “Vote on values, bet on beliefs,” extended into self-evaluating governance.

\* Institutions continuously reprice their evaluative frameworks. \* Policy feedback encoded in the RSVP fields:

$$0 < \dot{S} * \text{civic} < \dot{S} * \text{crit}$$

maintaining informational disequilibrium without chaos.

**\*\*RSVP sub theory:\*\*** Coupled PDE system links policy potential ( $\Phi$ ), *belief flow* ( $\square$ ), and *institutional entropy* ( $\Phi_{\text{inst}}$ ).

Let markets output forecast distributions ( $p_k(y|x, t)$ ) *over outcomes* ( $y$ ) *for factors* ( $k$ ) (*climate, safety, GDP*).

\* **\*\*Bayesian ensemble:\*\*** ( $p_* = \sum_k w_k p_k$ ) *with weights* ( $w_k \propto (\text{historical skill}) \times \text{liquidity}$ )). \*

**\*\*Tensor from gradients :** **\*\*set**  $\mathbb{T}_{ij} = \mathbb{E}_{p_*} [\partial_i \Phi, \partial_j S]$  estimated from policy-sensitive features; normalize and smooth (Kalman/EnKF) for real-time stability. \* **\*\*Consensus dynamics:\*\*** if multiple venues, use distributed ADMM/consensus to aggregate ( $\mathbb{T}$ ) under latency/bandwidth limits. \* **\*\*Safety clamp:\*\*** project ( $\mathbb{T}$ ) into a cone that respects invariants (e.g., equity, emissions caps) before applying.

Yes: **\*\* $\Phi$  is the policy/value potential\*\*** (shared objectives, incentives). Feedback channels:

\* **\*\*Direct potential shaping:\*\*** taxes/subsidies/rights adjust ( $\Phi$ ) *via source term* ( $\mathcal{S}_\Phi(x, t)$ ). \*

**\*\*Flow friction :** **\*\*in infrastructure, regulation, ortho** *toggles change* ( $\eta_\square$ ) *and boundary conditions* (*whocanmove*).

*\*\*Entropy governance : \*\*transparency mandates, audits, and experimentation budgets set( $\alpha_S$ )(diffusivity),  
 \*\*Tensor actuation : \*\*( $\epsilon_\Phi, \epsilon_S, \epsilon_\square$ ) determine how strongly( $\mathbb{T}$ ) can bend the manifold(Section Curvature Control)*

A practical “governance control stack”:

1. *\*\*Circuit-breakers for belief/flow:\*\** trading halts; rate-limit policy churn; throttle virality (caps on resharing velocity) during shocks.
  2. *\*\*Exploration quotas:\*\** protected bandwidth for experimentation (policy pilots, RCTs)  $\rightarrow$  ensures lower bound ( $>0$ ).
  3. *\*\*Deliberation lags:\*\** mandatory cooling-off periods for irreversible actions  $\rightarrow$  upper bound control on ( $\square$ ).
  4. *\*\*Auditable ledgers:\*\** append-only logs of decisions/explanations; periodic third-party “entropy audits” that estimate ( $\square_{\text{civic}}$ ) and *early – warning indicators*.
  5. *\*\*Plural forecasts : \*\** *requirediverse predictive models(orthogonal basis) so( $\mathbb{T}$ ) doesn't collapse onto a single bias; maintain ensemble entropy*
- \*Equity safety constraints : \*\*project actions onto feasible sets that guarantee rights/safety margin in seven if( $\mathbb{T}$ )*  
*\*Meta–governance PID : \*\*tune( $(\chi, \rho, \epsilon_\bullet)$ ) via feedback on corridor breaches(proportional integral derivative)*

In a recursive futarchy, governance becomes not the administration of fixed goals but the continual redefinition of the evaluative functions that determine what counts as survival, coherence, or progress. Each layer of prediction markets—from economic signals to epistemic assemblies to moral indices—is itself governed by higher-order markets that trade on the expected value of alternative evaluative schemas. The recursion converges not on a static utility function but on a dynamic corridor of entropic viability:

$$0 < \dot{S}_{\text{civic}} < \dot{S}_{\text{crit}}, \quad (1)$$

where institutions neither crystallize into ideological inertia nor dissolve into informational turbulence. The collective intelligence of society thus operates as a distributed thermostat of meaning, tuning its own semantic viscosity in response to thermodynamic feedback.

This recursive structure mirrors the RSVP field dynamics of entropic descent. Just as  $\Phi$ ,  $\square$ , and  $S$  interact to minimize local disequilibria without erasing global gradients, recursive futarchy seeks equilibrium between moral coherence and exploratory adaptation. Prediction markets here function as localized entropy detectors: they amplify gradients where uncertainty is fertile and dampen them where volatility threatens coherence. Governance, in this sense, becomes a physical process of curvature management within the social manifold.

Within the ethics of entropic stewardship, recursive futarchy emerges as the institutional form of the universe’s own self-organizing logic. It acknowledges that no moral system can remain globally optimal, only locally adaptive under bounded disorder. Hence, governance must itself be self-updating, capable of modifying its own evaluative code without annihilating its informational gradients. The recursive loop closes when the evaluators of evaluation—the meta-markets of moral prediction—converge on policies that preserve the curvature of learning:

$$\frac{d^2 S_{\text{civic}}}{dt^2} \approx 0, \quad (2)$$

neither accelerating toward chaos nor decelerating into dogma. This defines the moral steady-state of an intelligent civilization: to remain perpetually near the edge of its own intelligibility, to sustain asymmetry as a form of care.

Under this framing, futarchy becomes not a technocratic imposition but an entropic covenant—a recognition that intelligence, whether neural or institutional, is a recursive act of tending to gradients. To govern, then, is not to predict outcomes but to preserve the phase space in which prediction itself remains meaningful. The RSVP principle, extended into civic design, thus reads: *no structure endures that forgets the thermodynamics of its own thought*.

Bianconi’s entropic gravity treats the curvature of spacetime as the quantum relative entropy between the geometric and the matter-induced metrics. Recursive futarchy extends this principle to institutional dynamics: policy curvature is the informational distance between predictive and observed outcomes. Both are expressions of the same entropic variational principle: systems persist by minimizing the discrepancy between what they are and what they imply.

In this sense, governance is a continuation of geometry by informational means. Just as spacetime evolves to reduce the mismatch between its metric tensor and the distributions induced by matter, a polity evolves to reduce the divergence between its projected values and realized consequences. The RSVP framework unites these through the fields  $(\Phi, \sqsubseteq, S)$ , mapping potential, flow, and uncertainty across physical, cognitive, and institutional scales. The G-field or lamphrodine constraint ensures coherence among levels, analogous to a cosmological constant of decision-making: a small, positive bias that stabilizes deliberation against runaway belief curvature.

Within this synthesis, teleology becomes entropic and retrocausal. Institutions, like organisms or spacetimes, act as if pulled backward by the conditions required for their own persistence. The ethics of entropic stewardship therefore demands recursive futarchy: a continuous governance of curvature, a continuous rebalancing between informational concentration and dispersal.

## 8 Thermodynamic Geography and the Morphology of Value

Economic and social geography as entropic curvature.

*\*  $(\Phi(x, t))$  : productive capacity or informational density.  $(\sqsubseteq(x, t))$  : trade, trust, influence flow.  $(S(x, t))$  : volatility/creative disorder. Value = stabilized asymmetry curvature resisting global smoothing.*

Recursive futarchy becomes curvature control: prediction markets adapt coefficients in real time, steering global curvature toward sustainable complexity.

*\*\* $\Phi$  (capacity / informational density):\*\** proxies = GDP per cell, capital stock, human capital indices, patent counts, RD spend, firm productivity, satellite night-lights (VIIRS), broadband/compute capacity, citation density, venture flows. *\*\* (flows / exchange):\*\** inter-regional trade matrices (UN Comtrade style), interbank or payment rails, shipping AIS, flight OD matrices, freight rail/truck, migration flows, mobile CDR/OD matrices, internet traffic peering, scientific coauthorship flows. *\*\* $S$  (uncertainty / creative volatility):\*\** volatility of output/prices, forecast error of local nowcasts, sectoral diversity entropy (Shannon over NAICS shares), sentiment entropy (media/social), job-to-job transition entropy, innovation diversity (topic entropy over patents/papers).

*\*\*Field operators to compute curvature:\*\**  $(|\nabla\Phi|)$ (steepness),  $(\Delta\Phi)$ (condensation),  $(\nabla\cdot\sqsubseteq)$ (sources/sinks),  $\sqsubseteq$ (circulation),  $(\Delta S)$ (diffusion), and joint terms like  $(\nabla\Phi \cdot \nabla S)$ .

*\*\*Mechanisms that hold asymmetry:\*\** institutional rights IP (locks  $\Phi$ ), infrastructure logistics (reduce dispersion of  $\sqsubseteq$ ), identity/brand trust capital (reduce effective diffusion of  $S$ ), thick labor/knowledge networks (path dependence). *\*\*Against entropic decay:\*\** continual *\*\*negative feedback\*\** (maintenance, reinvestment) and *\*\*selective openness\*\** (import ideas/people while preventing wholesale arbitrage). *\*\*Role of recursive futarchy:\*\** treats those levers as *\*\*tunable coefficients\*\** (e.g.,  $(\lambda_\Phi, \eta_\sqsubseteq, \alpha_S, \gamma_S)$ ) adjusted by predictive signals so hubs neither ossify

Feedback loop (Model Predictive Control, MPC):

1. Markets forecast regional outcomes ( $y$ ) (growth, risk). 2. Aggregate to a predictive tensor ( $T$ ) (below). 3. Update coefficients:

$$\begin{aligned}\lambda_\Phi(t+1) &= \lambda_\Phi(t) + \epsilon_\Phi \text{Tr}(T) \\ \eta_\sqsubseteq(t+1) &= \eta_\sqsubseteq(t) - \epsilon_\sqsubseteq \nabla \cdot T \\ \alpha_S(t+1) &= \alpha_S(t) + \epsilon_S \langle \nabla\Phi \cdot \nabla S \rangle\end{aligned}$$

4. Re-solve flows (short horizon), apply, re-forecast. Intuition: increase diffusion where markets expect fragility; increase friction where overheating; amplify capacity diffusion toward promising basins.

The so-called gravity model of international trade, formulated empirically by Isard and theoretically developed through the lineage of Stewart, Harris, and Deardorff, can be reinterpreted

as a low-order projection of the RSVP principle when applied to economic manifolds. In its canonical form,

$$F_{ij} = G \cdot \frac{M_i M_j}{D_{ij}}, \quad (3)$$

the model posits that the trade flux  $F_{ij}$  between two economic bodies  $i$  and  $j$  is proportional to their respective economic masses  $M_i, M_j$  and inversely proportional to their separation  $D_{ij}$ . Yet within the RSVP ontology, these terms acquire deeper field-theoretic meaning.

The masses  $M_i$  represent the scalar potentials  $\Phi_i$ —the reservoirs of stored productive and informational density—while the distance term  $D_{ij}$  reflects the semantic or infrastructural curvature separating the two nodes within the plenum of global exchange. The coupling constant  $G$  is not merely empirical; it encodes the effective permeability of the medium, the inverse viscosity of inter-institutional flow. Thus, economic gravity becomes a measure of entropic descent across an institutional manifold: flows of goods, data, and trust follow gradients of informational potential.

This interpretation resolves the empirical success of the gravity model without recourse to arbitrary frictions or geographical simplifications. Distance, in the RSVP sense, is an emergent metric of informational impedance—a curvature of the moral-energetic fabric connecting actors. Trade does not "decline with distance" per se; it attenuates with the curvature of communicability, which can be reduced by shared language, law, or digital topology. Hence, the model's extensions—accounting for colonial ties, legal harmonies, or exchange regimes—are not additive corrections but field perturbations of the same fundamental geometry.

Moreover, the recursive futarchy framework reinterprets the global economy as a network of predictive feedback loops optimizing for local entropy minimization under bounded disorder:

$$0 < \dot{S}_{\text{trade}} < \dot{S}_{\text{crit}}. \quad (4)$$

Here, trade functions as an entropic equalizer, redistributing informational differentials between semi-coherent nodes. As recursive prediction markets evolve, they serve to dynamically adjust  $G$  and  $D_{ij}$ , modulating the effective curvature of exchange to maintain the viability of the global manifold. The empirical regularities of international trade thus arise not from coincidence but from the universal constraint that all systems—cosmic, cognitive, or commercial—must maintain curvature without collapse.

From this perspective, the shift of the world's economic center of gravity is not merely spatial but entropic: a drift of informational density toward regions of lower resistance in the global RSVP field. Economic geography becomes thermodynamic geography. Governance, in turn, becomes the art of managing these gradients, ensuring that flows remain smooth enough to prevent rupture but uneven enough to sustain learning and differentiation.

The equation of trade is therefore not a heuristic analogy with Newtonian gravitation, but a projection of the same principle that governs galaxies and institutions alike: the descent of gradients in a medium that resists total equilibrium. In this light, the global economy is a plenum in partial relaxation—a manifold of negotiated asymmetries perpetually held near the edge of intelligible disequilibrium.

## 9 Civilization as a Learning Manifold

Civilization = planetary-scale Markov blanket.

\* Governs by learning its own curvature. \* Ethics, economics, cognition = modes of bounded entropy descent. \* Recursive futarchy = self-predictive curvature tensor. \* Ultimate teleology: the universe learning to remain intelligible to itself.

A \*\*hierarchical Bayesian + RL\*\* stack:

\* Local agents/institutions: Bayesian filtering (nowcasts) + contextual bandits for policy tweaks. \* Regional/national: actor-critic (policy gradient) with constraints; reward = multi-objective welfare + resilience. \* Global meta-layer: ensemble Bayesian model averaging → updates (T) and the coefficient priors. Learning = joint update of models and the curvature-control parameters under corridor constraints.

\* \*\*Economics mode (optimization):\*\* within a feasible set, maximize objectives—raise  $\Phi$ , accelerate  $\dot{\Phi}$ , manage S to exploit opportunities. \* \*\*Ethics mode (constraint):\*\* sets/maintains the feasible set (rights, externality caps, intergenerational bounds), effectively projecting policy onto a permissible manifold. Example: carbon policy—ethics imposes cumulative cap (feasible set); economics allocates permits/technology to optimize within it.

\* \*\*Budget for measurement:\*\* fund forecasting, audit, and open data as critical infrastructure (since prediction steers curvature). \* \*\*Adaptive reserves:\*\* dynamic reinsurance / stabilization funds triggered by early-warning indicators (()) breaches). \* \*\*Explainability mandates:\*\* minimal per-action “causal footprint” logging for critical systems. \* \*\*Live MPC for policy:\*\* rolling policy pilots with telemetry; coefficients adjusted in near real-time; transparent dashboards for public oversight. \* \*\*Portfolio of futures:\*\* finance multiple futures (diversified (T)) to avoid single-forecast brittleness.

## 9.1 Embodied Matter and the Geometry of Preference

In the RSVP ontology, matter is not inert substance but the local self-organization of the plenum into regions of bounded entropy production. When such regions maintain informational boundaries that mediate exchange between internal and external fluxes, they instantiate what in active-inference theory is termed a *Markov blanket*. The blanket defines the set of variables that separate an interior model from the environment, enabling conditional independence between internal and external states while allowing reciprocal coupling through sensory and active channels.

Let a domain  $\Omega$  contain subregions  $\Omega_{\text{int}}$ ,  $\Omega_{\text{ext}}$ , and a boundary layer  $\partial\Omega_{\text{MB}}$ . The RSVP field triplet  $(\Phi, \sqsubseteq, S)$  decomposes accordingly:

$$(\Phi, \sqsubseteq, S) = \begin{cases} (\Phi_{\text{int}}, \sqsubseteq_{\text{int}}, S_{\text{int}}), & x \in \Omega_{\text{int}}, \\ (\Phi_{\text{ext}}, \sqsubseteq_{\text{ext}}, S_{\text{ext}}), & x \in \Omega_{\text{ext}}, \\ (\Phi_{\text{MB}}, \sqsubseteq_{\text{MB}}, S_{\text{MB}}), & x \in \partial\Omega_{\text{MB}}. \end{cases}$$

Homeostasis corresponds to a stationary solution of the entropy-flux balance:

$$\partial_t S_{\text{int}} + \nabla \cdot (\sqsubseteq_{\text{MB}} S_{\text{MB}}) = 0, \quad (5)$$

subject to the constraint that  $\sqsubseteq_{\text{MB}}$  mediates feedback between prediction and sensation. The Markov blanket thereby functions as an informational membrane— a *perceptual control surface* through which the internal dynamics minimize expected surprisal about external states.

From this perspective, *preference* or *desire* is not an added psychological primitive but a geometrical constraint on field curvature. Each embodied system defines a set of preferred states  $\{\Phi^*, S^*\}$  minimizing a variational free-energy functional

$$\mathcal{F} = \int_{\Omega_{\text{int}}} [S(\Phi) - \Phi \cdot \log P(\text{sensory data}|\Phi)] d^3x,$$

so that matter literally shapes itself into predictive architectures. To reverse-engineer the *desire* of any physical arrangement is to identify the Markov blanket it would generate under free-energy minimization—the informational interface it must maintain to survive. In this sense, every stable structure is an implicit agent, and every agent is a dynamic hypothesis about its own persistence.

The resulting view is that agency is not a discrete property of biological systems but a general mode of entropy regulation. Atoms, cells, organisms, and institutions differ only in the scale of their Markov blankets and the complexity of their internal predictive models. The *geometry of preference* is the curvature of matter’s own information flow, bending the trajectories of energy toward configurations that reproduce their boundary conditions. Thus, embodiment and cognition are successive elaborations of a single thermodynamic principle: matter learning to remain itself by predicting the gradients that sustain it.

## 10 Krakauerian Complexity and the RSVP Interpretation of Gravity as Entropy Descent

The insights of David C. Krakauer and colleagues at the Santa Fe Institute provide a natural conceptual bridge between informational complexity and the thermodynamic geometry of the Relativistic Scalar–Vector Plenum (RSVP). Krakauer’s central thesis—that intelligence, complexity, and even stupidity emerge from the coevolution of information processing and environmental feedback—offers a profound analogue to RSVP’s interpretation of gravity as a gradient descent in entropy.

### 10.1 Complexity as Nontrivial Information Processing

Krakauer defines complexity as the domain where information begins to *matter for the future*—that is, where internal representations feed back on dynamics. Within RSVP, this feedback corresponds to the coupling between the entropy field  $S$  and the vector flux  $\sqsubseteq$ :

$$\partial_t S + \nabla \cdot (\sqsubseteq S) = -\sigma(\Phi, \sqsubseteq), \quad (6)$$

where  $\sigma$  quantifies informational work performed by the plenum on itself. This recursive smoothing constitutes a physical realization of Krakauer’s “nontrivial information processing,” in which internalized correlations shape future causal structure.

### 10.2 Intelligence, Stupidity, and the Duality of $\Phi$ and $S$

Krakauer distinguishes between intelligence—the compression of hard problems into tractable form—and stupidity, the fossilization of that compression into rigid heuristics. In RSVP this dichotomy manifests as the dynamic tension between the scalar potential  $\Phi$  and the entropy density  $S$ : adaptive intelligence arises when entropy gradients reshape  $\Phi$  ( $\delta\Phi/\delta S < 0$ ), whereas stagnation occurs when  $\nabla S \approx 0$  while  $\Phi$  remains fixed. Gravitational wells can thus be read as *frozen intelligences*, regions where negentropic compression resists further smoothing.

### 10.3 Information as the Currency of the Plenum

Following Krakauer’s view of life as an information economy, the RSVP plenum conserves a total informational Hamiltonian

$$\mathcal{H} = \int_{\Omega} \left( \frac{1}{2} |\nabla \Phi|^2 + \frac{1}{2} |\sqsubseteq|^2 - \lambda \Phi S \right) d^3x, \quad (7)$$

so that energy exchange within the plenum is equivalent to the transformation of information between its scalar, vector, and entropic modes. Gravity, in this reading, is not a curvature of spacetime but a *gradient in informational density*—a descent of  $\Phi$  along the entropy landscape  $S$ .

## 10.4 Broken Symmetry and Structured Asymmetry

Krakauer’s aphorism, “complexity is what happens when symmetry breaks but remembers that it once was whole,” finds a precise analogue in RSVP. Entropy descent smooths gradients without annihilating their topological memory:

$$\mathcal{S}[\Phi, \sqsubseteq] \rightarrow 0 \quad \text{while} \quad H^1(\Omega) \neq 0. \quad (8)$$

Gravitational asymmetry therefore encodes residual cohomological information, a memory of prior differentiations of the plenum. The apparent “force” of gravity is the tendency of the system to recall and re-equilibrate these broken symmetries.

## 10.5 Meta-Ockham and the Ethics of Entropy

Krakauer’s notion of *Meta-Ockham*—balancing compression with causal intelligibility—parallels the derived variational principle of RSVP. Minimizing the BV-AKSZ action ensures both parsimony (simplicity of form) and completeness (preservation of causal curvature). Ethically, Krakauer’s call to preserve the diversity of intelligent forms translates into RSVP’s constraint on entropy production,

$$0 < \dot{S} < \dot{S}_{\text{crit}}, \quad (9)$$

ensuring that the plenum remains in the creative corridor between rigid order and chaotic dissipation. In this sense, *gravity as entropy descent* represents not decay but ethical equilibrium: a continuous rebalancing between informational concentration and dispersal.

## 10.6 Synthesis

Krakauerian complexity and RSVP cosmology converge on a single thesis: the universe is an evolving computation that learns through the controlled descent of entropy. Gravity, cognition, and culture are different scales of the same process—the smoothing of gradients without loss of structure, the remembrance of symmetry in broken form. Where Krakauer speaks of the evolution of intelligence, RSVP formalizes its geometry.

## 11 Validation & Outlook

Scale-invariance tests via  $\text{Cu}$ ,  $\text{Da}_S$ .

**\*\*\*Construct a dimensionless “curvature number”\*\*\*** ( $\text{Cu} \equiv \frac{|\nabla\Phi|L}{\sigma_S}$ ) **andan\*\*entropyDamkhlernumber\***  
**\*(Da<sub>S</sub> ≡  $\frac{\text{production rate}}{\text{diffusion rate}}$ ).** **\*\*\*Hypothesis : \*\*systemsacrossscales(teams, cities, ecosystems)with(0 <**  
 **$\dot{S} < \dot{S}_{\text{crit}}$ )andsimilar((Cu, Da<sub>S</sub>))showsimilarresilience(recoverytimedistributions).** **\*\*\*Application :**  
**\*\*comparecitiesmobilitynetworks, firmsknowledgeflows, andriverbasinsnutrientcyclesunder shocks; test fo**  
**Applications:** AI, urban mobility, climate.  
**\* \*\*Ecology:\*\***  $\Phi$  = biomass/nutrient potential;  $\sigma_S$  = trophic/migration flows; S = diversity/variability → resilience regime-shift theory. **\* \*\*Technology stacks:\*\***  $\Phi$  = compute/storage capacity;  $\sigma_S$  = data/task flows; S = failure/latency variance → SRE autoscaling. **\***  
**\*\*Epidemiology:\*\***  $\Phi$  = susceptible pool;  $\sigma_S$  = contact flows; S = strain diversity/testing uncertainty → NPIs as curvature control. **\* \*\*Supply chains:\*\***  $\Phi$  = capacity/inventory;  $\sigma_S$  = logistics; S = demand/lead-time uncertainty → bullwhip as corridor breach.  
**\*\*\*Definition:\*\*** predictive mutual information between society’s public models and realized outcomes; plus actionable explanation coverage. **\* \*\*Metrics:\*\*** out-of-sample forecast skill of public models, share of critical decisions with faithful explanations, reproducibility rates, model card/ledger completeness. **\* \*\*RSVP ensures it\*\*** by mandating a nonzero explanatory entropy flow (lower-bound on S-channel) and penalizing opacity (keeping  $(E=(dI/I)/(dC/C)>0)$ ).  
**\*\*Recommended pilot:\*\*** \*Urban mobility governance sandbox.\*



\* Estimate  $\Phi$ ,  $\mathbf{v}$ ,  $S$  from open data (mobile OD + census + traffic sensors). \* Implement the 2-field RSVP PDE ( $\Phi, S$ ) with diffusion/advection. \* Embed predictive tensor MPC loop controlling congestion/volatility. \* Visualize entropy corridor:  $(t)$  vs.  $(t_{\text{crit}})$ .

Technologies: Python, NumPy/SciPy + raster data (geopandas/shapely) + matplotlib for vector fields.

\* \*\*AI governance:\*\* dual-channel imperative/complementary controller with (E) tracking. \* \*\*Urban mobility:\*\* steer congestion with live (T)-MPC on  $\Phi-S$  fields. \* \*\*Climate-economy sandbox:\*\* carbon cap (ethics mode) + technology portfolio (economics mode) under corridor monitoring.

\* Vector field plots of  $\mathbf{v}$  over  $\Phi$  heatmaps; \* Entropy corridor charts  $(t)$  vs. threshold with alarms; \* (T) tensor glyphs or streamlines; \* Didactic elasticity (E) vs. capacity (C) for artifact classes.

\* \*\*Thinkers:\*\* Friston (active inference), Ostrom (polycentric governance), West/Bettencourt (urban scaling), Sornette (critical phenomena), Barabási (networks), Deacon, Krakauer/Flack. \* \*\*Datasets:\*\* UN Comtrade; VIIRS night lights; AIS/flight OD; World Bank WDI; FRED; OpenAlex/Crossref; OpenStreetMap; Github arXiv; emissions inventories; prediction-market archives.

## A Methods for Empirical Estimation of Thermodynamic Geography

This appendix details the empirical estimation of the Relativistic Scalar-Vector Plenum (RSVP) fields—scalar potential ( $\Phi$ ), vector flow ( $\mathbf{v}$ ), and entropy ( $S$ )—and the curvature control mechanisms via recursive futarchy, addressing the measurement and steering of thermodynamic geography.

### A.1 A.1 Estimating RSVP Fields

The RSVP fields are mapped to observable proxies in economic and social systems, enabling curvature quantification across spatial and temporal scales.

- **Scalar Potential ( $\Phi(x, t)$ ): Informational Density**

- *Proxies:* GDP per capita, capital stock, human capital indices, patent filings, R&D expenditure, nighttime light intensity (VIIRS), broadband penetration, citation density, venture capital flows.
- *Estimation:* Aggregate proxies into a scalar field via weighted summation:

$$\Phi(x, t) = \sum_i w_i p_i(x, t),$$

where  $p_i$  are normalized proxies and  $w_i$  are weights (e.g., PCA loadings or expert priors). Compute gradients ( $\nabla\Phi$ ) and Laplacian ( $\Delta\Phi$ ) using finite differences on a spatial grid (e.g., 1 km<sup>2</sup> cells from OpenStreetMap).

- **Vector Flow ( $\mathbf{v}(x, t)$ ): Exchange Dynamics**

- *Proxies:* Trade flows (UN Comtrade), interbank transactions, shipping tracks (AIS), flight origin-destination matrices, migration flows, mobile call-detail records, internet peering traffic, coauthorship networks.
- *Estimation:* Construct a vector field from flow matrices:

$$\mathbf{v}(x, t) = \sum_j f_{xj}(t) \cdot \frac{x_j - x}{|x_j - x|},$$

where  $f_{xj}$  is the flow magnitude from location  $x_j$  to  $x$ . Compute divergence ( $\nabla \cdot \underline{\square}$ ) and curl ( $\nabla \times \underline{\square}$ ) for sources/sinks and circulation.

- **Entropy ( $S(x, t)$ ): Volatility and Diversity**

- *Proxies*: Output/price volatility, forecast error variance, sectoral diversity (Shannon entropy over NAICS codes), sentiment entropy (from X posts or media), job transition entropy, innovation diversity (patent topic entropy).
- *Estimation*: Compute local entropy:

$$S(x, t) = - \sum_i p_i(x, t) \log p_i(x, t),$$

for distributions  $p_i$  (e.g., sector shares, sentiment categories). Estimate diffusion ( $\Delta S$ ) and production rates ( $\dot{S}$ ) via temporal differencing.

## A.2 A.2 Curvature Metrics

Key curvature invariants quantify the morphology of value:

- **Gaussian Curvature of  $\Phi$** :  $K = \frac{\det(\nabla^2 \Phi)}{(1 + |\nabla \Phi|^2)^2}$ , identifying hubs or bottlenecks.
- **Flow Divergence**:  $\nabla \cdot \underline{\square}$ , detecting sources/sinks of exchange.
- **Entropy Gradient Coupling**:  $\nabla \Phi \cdot \nabla S$ , measuring innovation driven by capacity gradients.

These are computed on a discretized grid using finite-element methods, with data sourced from public repositories (e.g., World Bank, OpenAlex).

## A.3 A.3 Recursive Futarchy for Curvature Control

Recursive futarchy adjusts field dynamics via a predictive tensor  $\mathbb{T}_{ij}$ , aggregated from market forecasts.

- **Tensor Construction**:

$$\mathbb{T}_{ij} = \sum_k w_k \mathbb{E}_{p_k} [\partial_i \ell_k \partial_j \ell_k], \quad \ell_k = \log p_k(\text{outcome} \mid \text{state}),$$

where  $p_k$  are market-implied probabilities,  $w_k \propto (\text{skill} \times \text{liquidity})$ . Use Ensemble Kalman Filtering (EnKF) for real-time updates, with eigenvalue clipping to prevent runaway curvature.

- **Coefficient Adjustment**:

$$\begin{aligned} \lambda_\Phi(t+1) &= \lambda_\Phi(t) + \epsilon_\Phi \text{Tr}(\mathbb{T}), \\ \eta_{\underline{\square}}(t+1) &= \eta_{\underline{\square}}(t) - \epsilon_{\underline{\square}} \nabla \cdot \mathbb{T}, \\ \alpha_S(t+1) &= \alpha_S(t) + \epsilon_S \langle \nabla \Phi \cdot \nabla S \rangle. \end{aligned}$$

These modulate capacity diffusion, flow friction, and entropy exploration, respectively.

- **Feedback Loop**: Implement via Model Predictive Control (MPC):

$$u(t) = \arg \min_u \mathcal{L}(u, \mathbb{T}) \quad \text{s.t.} \quad 0 < \dot{S}_{\text{civic}}(u) < \dot{S}_{\text{crit}},$$

where  $\mathcal{L}$  balances utility and resilience, and  $\dot{S}_{\text{crit}}$  is calibrated from historical near-failures.

## A.4 A.4 Data Sources

# B Recursive Futarchy as Functor / Operator Algebra

Formal picture: Recursive futarchy = endofunctor on a category of governance triples . Markets are prediction operators; meta-markets update distributions over value functionals; recursion is -iteration. Fixed points are governance steady states (coalgebras of ).

Dynamics: Market and meta updates are variational (KL / mirror-descent) gradient flows. Stability reduces to contractivity of market updates and conservativeness of meta-learning.

RSVP mapping: Policy/value/market correspond to . Recursive futarchy behaves like an entropic relaxation process; lamphrodine fields correspond to meta-regularizers controlling emergent long-term tradeoffs (analogous to emergent  $\Lambda$ ).

## B.1 Primitive objects and spaces

1. Policy space. Let  $\mathcal{P}$  be a measurable space of policies (or policy-parameters). Think of elements as candidate policies or action-rules.

2. Outcome space. Let  $\Omega$  be the space of possible world trajectories / observables.

3. Value functional. A social value is a measurable utility functional defined on probability measures over outcomes;  $V$  is the scalar score society wants to maximize (values are voted on, fixed at the base layer).

4. Prediction market operator / aggregator. Markets summarize evidence about outcomes induced by a policy. Represent this as a prediction operator

$$M: \mathcal{P} \rightarrow \mathcal{M}(\Omega),$$

5. Evaluator / expected-value map. Compose to get an expected value function

$$E(p) = V(M(p)).$$

6. Governance object. A governance layer (a futarchy layer) is the pair together with its market operator . Denote this triple .

## B.2 Category and endofunctor formulation

Define a category whose objects are governance objects and whose morphisms are conservative maps between policy spaces that preserve outcome semantics (formal definition below is flexible). We now define recursion as an endofunctor on .

Endofunctor

Intuition: takes a governance layer and returns the next meta-layer whose value functional is updated by observing market behavior (meta-markets decide which value functionals are better), and whose markets aggregate not only world outcomes but also policy-layer metrics.

Concretely, for define

$$R(G) = (P, V^{(1)}, \mathcal{M}^{(1)}),$$

is a meta-updated value functional, obtained by composing a meta-market operator with a voting/selection kernel on value functionals (see Section 4), and

is a market operator that aggregates both base-layer prediction signals and meta-signals (beliefs about which value functionals promote long-term coherence).

Applying times yields — the -th meta-layer. Recursive futarchy is the dynamics of the sequence .

Functorial properties. preserves composition of morphisms (policy-space embeddings) and identities, because meta-update maps commute with consistent reparameterization of policies.

## B.3 Operator algebra at the base layer

We now detail the operators and their algebraic composition.

1. Prediction operator . For each ,

$M(p) \equiv$  market posterior over  $\Omega$  under policy  $p$ .

2. Evaluation operator , .

3. Decision operator that chooses a policy (e.g. argmax, softmax-based selection, or probabilistic selection via a Gibbs kernel):

$$D(E) = \text{Softmax}_\tau(\mathcal{E}),$$

4. Market learning operator that maps histories (observations, bets, trades) to updated . E.g. sequential Bayesian update or LMSR market scoring rule combined with agent-reweighting:

$$M_{t+1} = \mathcal{L}(\mathcal{M}_t, \text{trades}_t).$$

These objects form an algebra under composition; importantly and recursive layers will replace by meta-updates.

## B.4 Defining the meta-market and meta-value update

A practical recursive construction uses a meta-market operator that judges value functionals by their long-run induced outcomes.

1. Space of candidate value functionals. Let be a (parametric) family of value functionals , . Society initially chooses a prior .

2. Meta-market operator. For each candidate , run the base-layer market to obtain the induced policy (decision operator using ). Evaluate realized outcomes over a horizon and compute a long-run reward (could be a discounted cumulative of or a meta-scoring function measuring stability, fairness, etc.). The meta-market aggregates evidence across to update :

$$\pi_{t+1}(\theta) \propto \pi_t(\theta) \exp(\eta \mathbb{E}_{\omega \sim P_{p_\theta}^*}[\hat{R}(\omega)]),$$

3. Meta-value functional. Define the effective meta-value as the posterior expected value functional

$$V^{(1)}(\mu) = \int_{\Theta} V_\theta(\mu) \pi_{t+1}(d\theta).$$

This defines : with typically enriched by meta-signals (e.g., reweighting evidence sources according to ).

## B.5 Entropy, KL and variational dynamics

Markets and meta-markets can be expressed as variational or entropy-gradient flows.

1. KL objective for the prediction operator. Let be the true distribution over outcomes under policy . The market's predictive distribution evolves to minimize KL divergence to subject to information/agent constraints:

$$M^*(p) = \arg \min_{\nu \in \mathcal{M}(\Omega)} \left\{ \text{KL}(\nu \parallel \mu_p) + \mathcal{R}_{\text{cost}}(\nu) \right\},$$

2. Meta-KL for value selection. Meta-posterior updates (multiplicative weights) minimize a free-energy:

$$\pi_{t+1} = \arg \min_{\pi} \text{KL}(\pi \parallel \pi_t) - \eta \mathbb{E}_{\theta \sim \pi}[\mathcal{S}(\theta)],$$

3. Gradient flow interpretation. Both market updates and meta updates are gradient flows on statistical manifolds with Fisher–Rao metric; they are contractive under certain convexity and Lipschitz conditions (see next section).

Mapping to RSVP: interpret between market prediction and realized trajectory as the entropic tension between and (Bianconi). The market attempts to reduce informational mismatch; the meta-market controls the lamphrodine that tunes how strongly markets are allowed to re-shape values (analogue of ).

## B.6 Fixed points, stability and contraction conditions

We want conditions under which recursion converges to a stable governance manifold (a fixed point with ).

Theorem (informal contraction criterion)

Suppose:

The policy decision operator is Lipschitz in the evaluation function with constant  $\epsilon$ .

The market learning operator is contractive in KL with constant  $\delta$  (i.e. updates reduce KL to the true distribution up to factor  $\delta$ ).

The meta-update multiplicative weight learning rate is small enough so the map is contractive in total variation.

Then the endofunctor is contractive in an appropriate product metric and converges exponentially to a fixed point.

Meaning. If markets are informationally effective (contractive) and meta-learning is sufficiently conservative, recursive futarchy settles to a stable set of values and market behaviors.

Failure modes. If amplifies noise (noncontractive) or is too large, recursion can oscillate or bifurcate — corresponding to regime shifts in governance (phase transitions).

## B.7 Operator spectral view and meta-modes

Write the recursion linearized around a fixed point as a linear operator on perturbations of the tuple  $\mathbf{z}$ . The spectral radius controls stability:

$\rho < 1$ : local stability (perturbations decay).

$\rho > 1$ : instability; expect limit cycles or chaotic meta-dynamics.

Compute the principal eigenvectors: they indicate the meta-modes of governance — directions in value/policy space that are easiest to excite (societal vulnerabilities or attractors).

This spectral view is directly analogous to linearizing RSVP PDEs and studying eigenmodes (e.g., vorticity and entropy modes).

## B.8 Mapping to RSVP fields (semantic/thermodynamic analogy)

Establish a dictionary:

Policy space    configuration space of scalar field (value gradients)

Prediction operator    vector flow (how information/decisions move through the field)

Meta-posterior and KL dynamics    entropy field

Meta-market operator / lamphrodyne    Lagrange multipliers in RSVP that tune coupling of geometry to matter (controls emergent  $\Lambda$ , i.e. long-term tradeoffs)

Dynamics correspondence:

Market updates that reduce KL are entropic smoothing (analogous to terms).

A recursive update that changes the value functional corresponds to slow advection of  $\mathbf{z}$  controlled by  $\mathbf{v}$ .

Stability criteria (spectral radius) correspond to linear stability of a RSVP steady state; meta-instabilities correspond to phase transitions (societal bifurcations).

This mapping makes the claim precise: recursive futarchy is the societal equivalent of an entropic relaxation process in a coupled scalar–vector–entropy plenum.

## B.9 Practical implementation suggestions (TARTAN / lattice)

1. Discrete representation. Discretize as nodes on a lattice or graph. Each node holds:

policy parameters  $\theta$ ,

local market posterior  $q$ ,

local value weight for candidate value function parameter  $w$ .

local entropy estimate  $h$ .

2. Local market operator. Let agents trade locally (neighbourhood LMSR or agent-based double auction). Compute by exponentiated weighted aggregation of neighbor beliefs (diffusion of beliefs analogous to  $\nabla^2$ ).

3. Meta-update protocol. Run meta-markets at slower time scale: every base steps evaluate long-run outcomes, update by multiplicative weights, and propagate aggregated meta-weights across lattice via recursive smoothing.

4. Control lamphrodine. Introduce a local field that penalizes rapid changes in (regularizer). Tune its mass to obtain desired emergent long-term preferences (small  $\rightarrow$  more adaptive, large  $\rightarrow$  conservative).

5. Diagnostics. Monitor local KL divergences, spectrum of linearized update operator (compute via power iteration on Jacobian), and meta-posterior concentration.

## B.10 Example: Two-layer recursive futarchy (concrete)

1. Base layer: policy space  $\mathcal{P}$ . Market uses LMSR; approximated by ensemble of predictive models.

2. Meta layer: two candidate value functionals (e.g. one prioritizes growth, other equality). Initialize  $\mu$ .

3. Iteration:

For each  $\mu$ , compute  $\mathcal{V}(\mu)$ .

Run the world under  $\mu$  for horizon  $T$ , measure meta-reward  $R(\mu)$ .

Update via multiplicative weights:  $\mu \leftarrow \mu \exp(\eta R(\mu))$ .

Set  $\mu \leftarrow \mu / \|\mu\|$ .

Repeat.

If is noisy but has a mean advantage for one  $\mu$ , concentrates and the system converges; if flips with regime, can oscillate—this is the governance analog of meta-phase transition.

## C Entropic Action Derivation in RSVP

We choose a Lorentzian manifold with background reference metric (signature  $(-+++)$ ). The RSVP dynamical fields are

scalar density (plenum amplitude / conformal factor),

vector flow  $v_\mu$ ,

scalar entropy field (real-valued).

We represent the geometry metric as a conformal scaling of the reference metric:

$$g_{\mu\nu}(x) = \Phi^2(x) \bar{g}_{\mu\nu}(x).$$

We define a matter/entropy induced metric as the RSVP-derived deformation of coming from and  $\bar{g}$ . We use the simplest gauge-covariant symmetric combination:

$$g_{\mu\nu} = \Phi^2 \bar{g}_{\mu\nu} + \alpha (\nabla_\mu v_\nu + \nabla_\nu v_\mu) + \beta \tau_{\mu\nu}(S),$$

We will treat  $\Phi$  and  $v_\mu$  as (pointwise) positive definite/ nondegenerate matrix fields so that matrix logarithms and traces are defined. (For Lorentzian signature one works in a Wick-rotated Euclidean continuation for the relative entropy manipulations, or uses generalized operator logarithms — the expansion below is formal but standard in the literature on metric-as-density approaches.)

Motivated by Bianconi, define the RSVP entropic functional as the spacetime integral of a pointwise matrix relative entropy between  $g$  and  $\bar{g}$ :

$$S_{\text{ent}}[g, \bar{g}] = \lambda \int_M d^4x \sqrt{-g} \mathcal{D}(g \| \bar{g}),$$

$$\mathcal{D}(g \| \bar{g}) = \text{Tr} [g (\log g - \log \bar{g})].$$

Add the usual gravitational and RSVP matter kinetic pieces to form the full action:

$$S_{\text{total}} = \frac{1}{16\pi G} \int d^4x \sqrt{-g} R[g] + S_{\text{ent}}[g, \bar{g}] + S_{\text{RSVP matter}}[\Phi, v, S; g],$$

Important remark: couples geometry and matter through  $\Phi$  (which depends on  $g$  by (M1)).

Variation of  $S_{\text{total}}$  will therefore produce an extra stress-energy-like tensor of entropic origin.

We vary with respect to the metric  $g$ . Two variations matter:

(1) Variation of the Einstein–Hilbert term yields the usual

$$\delta \left[ \frac{1}{16\pi G} \int \sqrt{-g} R \right] \Rightarrow \frac{1}{16\pi G} \int \sqrt{-g} (G_{\mu\nu} \delta g^{\mu\nu}),$$

(2) Variation of the entropic term. Use matrix calculus identities pointwise:

$$\frac{\partial}{\partial g} \text{Tr}[g \log g] = \log g + I, \quad \frac{\partial}{\partial \tilde{g}} \text{Tr}[g \log \tilde{g}] = \log \tilde{g}.$$

$$\delta \mathcal{D}(g \| \tilde{g}) = \text{Tr}[(\log g - \log \tilde{g} + I) \delta g] + (\text{terms from } \delta \sqrt{-g}).$$

Putting together gravitational, entropic and matter variations yields:

$$\frac{1}{16\pi G G_{\mu\nu} + \lambda \mathcal{E}_{\mu\nu}[g, \tilde{g}]} = \frac{1}{2} T_{\mu\nu}^{\text{RSVP}},$$

$$E_{\mu\nu} = \frac{1}{\sqrt{-g}} \frac{\delta}{\delta g^{\mu\nu}} \left( \sqrt{-g} \text{Tr}[g(\log g - \log \tilde{g})] \right).$$

$$E_{\mu\nu} \approx (\log g - \log \tilde{g})_{\mu\nu} + \frac{1}{2} \mathcal{D}(g \| \tilde{g}) g_{\mu\nu} + (\text{covariant divergences from } \delta \log g),$$

Thus the modified Einstein equations are:

$$G_{\mu\nu} + 16\pi G \lambda \tilde{\mathcal{E}}_{\mu\nu}[g, \tilde{g}] = 8\pi G T_{\mu\nu}^{\text{RSVP}},$$

Assume the entropic coupling is small; expand around :

$$\Delta := g - \tilde{g}, \quad \|\Delta\| \ll \|g\|.$$

$$\log g - \log \tilde{g} = \log(\tilde{g} + \Delta) - \log \tilde{g} = \tilde{g}^{-1} \Delta - \frac{1}{2} \tilde{g}^{-1} \Delta \tilde{g}^{-1} \Delta + O(\Delta^3).$$

$$G_{\mu\nu} + 16\pi G \lambda \tilde{g}^{-1}{}_{\mu}{}^{\alpha} (g - \tilde{g})_{\alpha\nu} = 8\pi G T_{\mu\nu}^{\text{RSVP}}.$$

$$G_{\mu\nu} \approx 8\pi G T_{\mu\nu}^{\text{RSVP}},$$

To reproduce Bianconi's mechanism for an emergent small positive cosmological constant and to enforce a soft constraint between and , introduce a symmetric tensor field (the RSVP lamphrodyne field) as a Lagrange multiplier into the action. Two equivalent formulations are useful.

Add to the action:

$$S_{\mathcal{G}} = \int d^4x \sqrt{-g} \text{Tr}[\mathcal{G}(g - \tilde{g})] + \gamma \int d^4x \sqrt{-g} V(\mathcal{G}),$$

A simple choice gives the algebraic solution

$$G = -1/m^2(g - \tilde{g}).$$

Alternatively include inside the argument of as a dressing:

$$\mapsto \tilde{g}_{\mathcal{G}} \equiv e^{-\mathcal{G}} \tilde{g} e^{-\mathcal{G}}.$$

Formally, one can show in the exponential dressing case that integrating out the algebraic yields a term in the effective action of the form

$$S_{\Lambda} = \Lambda_{\text{eff}} \int d^4x \sqrt{-g}, \quad \Lambda_{\text{eff}} \propto \lambda \text{Tr}[\langle \mathcal{G} \rangle],$$

Entropic action:

$$S_{\text{ent}} = \lambda \int d^4x \sqrt{-g} \text{Tr}[g(\log g - \log \tilde{g})]$$

Full field equations:

$$G_{\mu\nu} + 16\pi G \lambda \mathcal{E}_{\mu\nu}[g, \tilde{g}, \mathcal{G}] = 8\pi G T_{\mu\nu}^{\text{RSVP}},$$

Weak-coupling limit ( or ):

$$G_{\mu\nu} \approx 8\pi G T_{\mu\nu}^{\text{RSVP}}, \quad \Lambda_{\text{eff}} \approx 0.$$

-field / lamphrodyne as Lagrange multiplier produces a dressed EH action and an emergent , controllable by the potential .

1. Operator vs. classical implementation. For lattice/TARTAN simulations adopt the discrete analogue of by treating local  $4 \times 4$  metric blocks as positive definite matrices and computing discrete matrix logs. This respects the information-theoretic origin and matches Bianconi's approach.

2. Choice of . Use to keep energy conditions manifest at leading order; if torsion matters use a torsion tensor constructed from curls of weighted by .

3. Numerical stability. Expand to first/second order for small in time-stepping to avoid computing matrix logs each step; use full matrix logs occasionally to reproject and keep long-term fidelity.

4. Parameter regime. Explore:

: recovers GR-like behaviour — good for validating lensing/redshift correspondence.

: strong entropic coupling — expect departures, effective  $\Lambda$  and entropic lensing.

or (in ): tunes the emergent  $\Lambda$  scale.

5. Observables mapping. Compute:  
 entropic stress ,  
 redshift integrals along geodesics in vs for entropic redshift,  
 deflection angles for geodesics to compare with entropic lensing predictions.

## D Unifying Themes

Domain	RSVP Analogue	Krakauerian / Deaconian Concept	Function	—————	—————
—————	—————	—————	Physics	( $\Phi, \sqsubseteq, S$ )	<i>Entropysmoothing</i>   <i>Energy</i>
$\dot{S} < \dot{S}_{\text{crit}}$ )	<i>Adaptiveconstraint</i>	<i>Sustainability</i>	<i>Civilization</i>	<i>Learningmanifold</i>	<i>Reflexiveteology</i>   <i>Persistence</i>



Table 1: Precarious themes under institutional gravity and their RSVP field analogues.

Theme	Institutional Constraint	RSVP Analogue
Anti-tech critique	Donor dependence	$\Phi_{\text{tech}}$ potential well
Anti-academic stance	Legitimacy feedback	$\nabla S_{\text{acad}}$ damping
Funding critique	Boundary stability	$\partial_i \Phi_{\text{fund}}$
Post-institutional science	Topological instability	$\delta g_{ij}^{(\text{inst})}$
Moral critique of markets	Negative curvature	$R < 0$
Neo-Luddism	Excessive entropy release	$\dot{S} \rightarrow \infty$
Political economy linkage	Ideological torsion	$\Gamma_{[jk]}^i \neq 0$
Anti-computationalism	Discontinuity in $\Phi_{\text{comp}}$	Undecidability zone
Complexity as ideology	Reflexive singularity	$\Phi_{\text{inst}} \rightarrow \infty$
Epistemic degrowth	Energy imbalance	$\dot{E} < 0, \dot{S} \rightarrow 0$

Field	Sources
$\Phi$	World Bank WDI, VIIRS night lights, OpenAlex citations, USPTO patents
$\sqsubseteq$	UN Comtrade, AIS shipping, mobile CDR, internet peering (CAIDA)
$S$	FRED volatility, X sentiment, NAICS diversity, job transition data

Table 2: Data sources for RSVP field estimation.