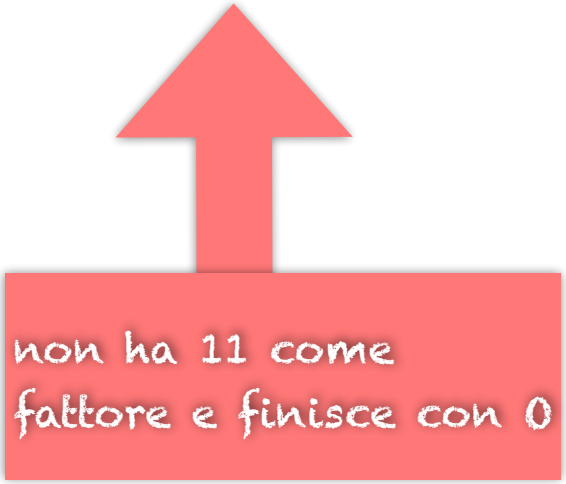
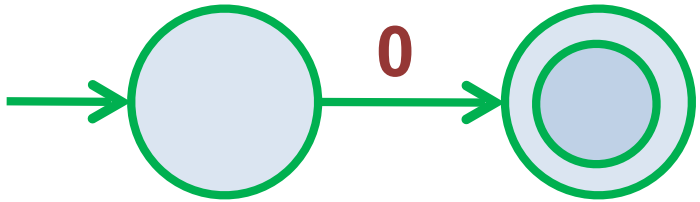
$(0^* \cup 10)^+ = (0^* \cup 10)^*(0^* \cup 10)$



Devo dividere le RE in RE più piccole e poi ricomporre...

$(0^* \cup 10)^+ = (0^* \cup 10)^*(0^* \cup 10)$



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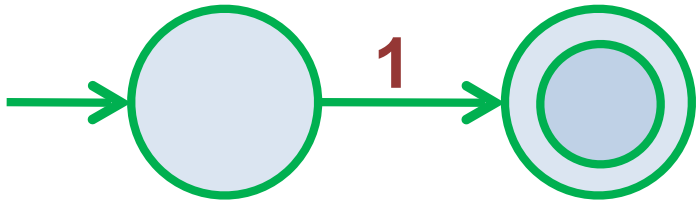
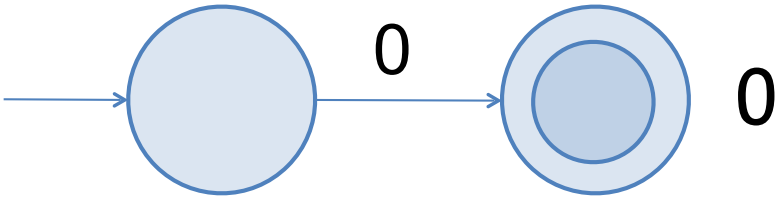


1

Devo dividere le RE in RE più piccole e poi ricomporre...

$(0^* \cup 10)^+ = (0^* \cup 10)^*(0^* \cup 10)$



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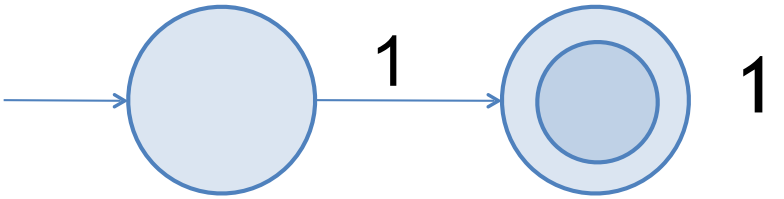
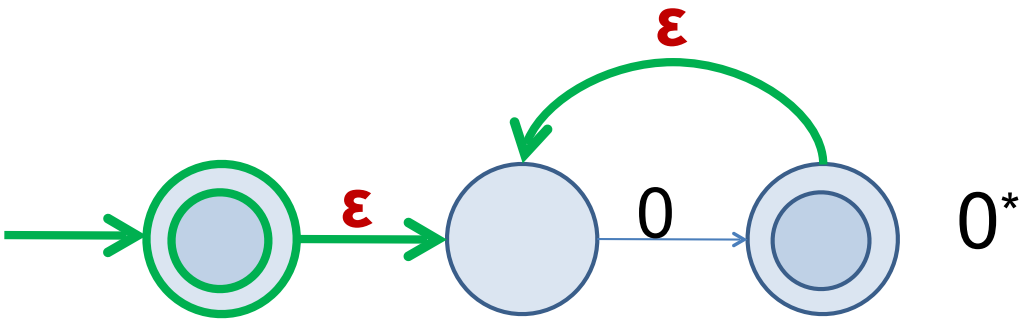
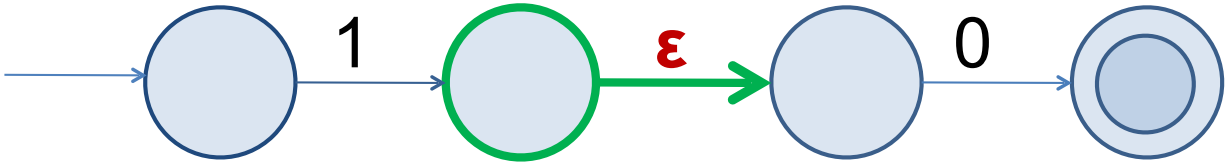


1

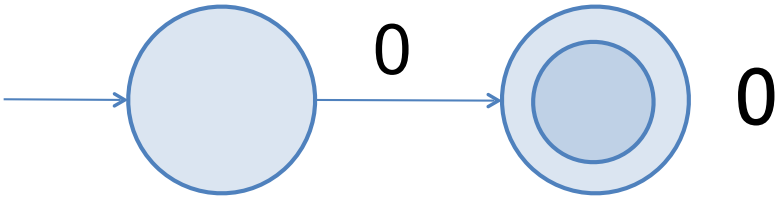


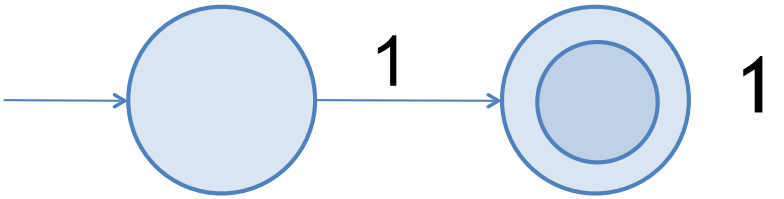
0^*

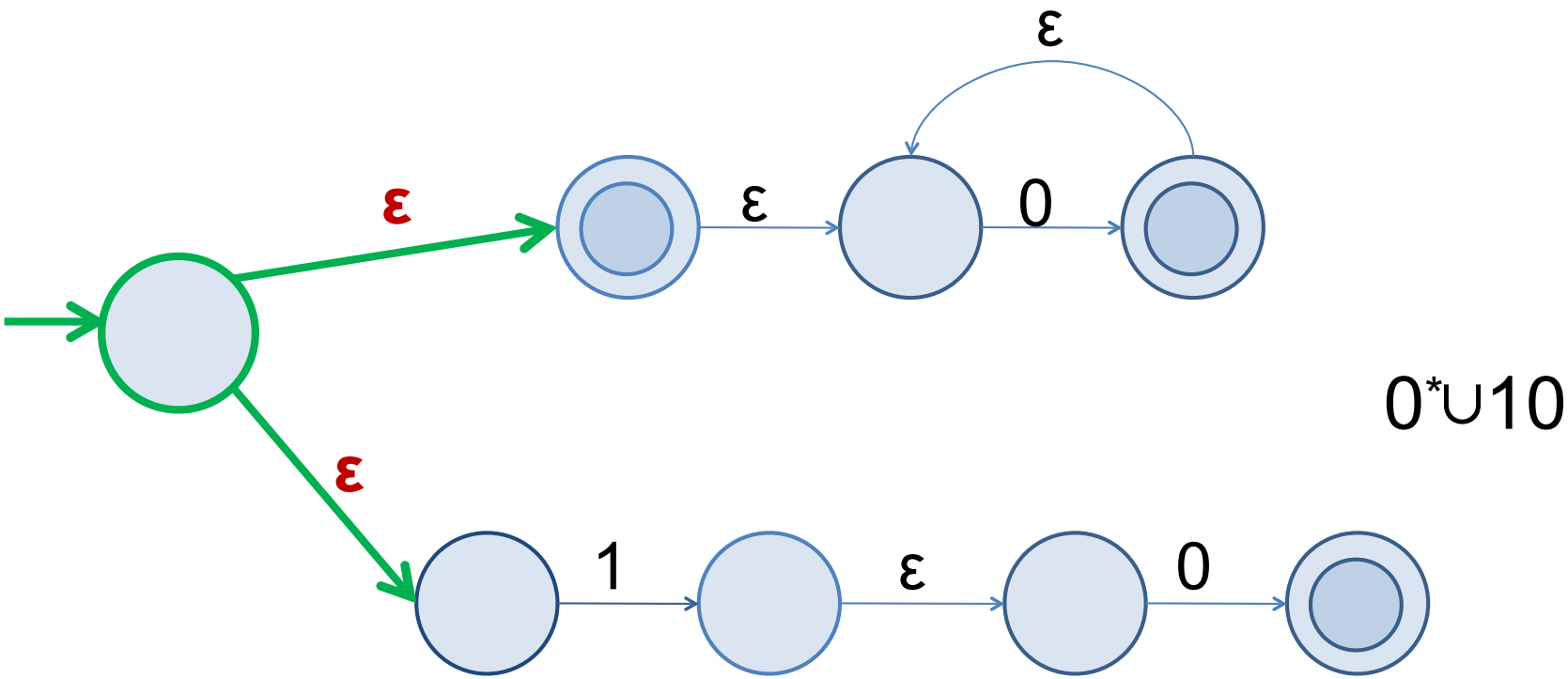


10

$(0^* \cup 10)^+ = (0^* \cup 10)^*(0^* \cup 10)$

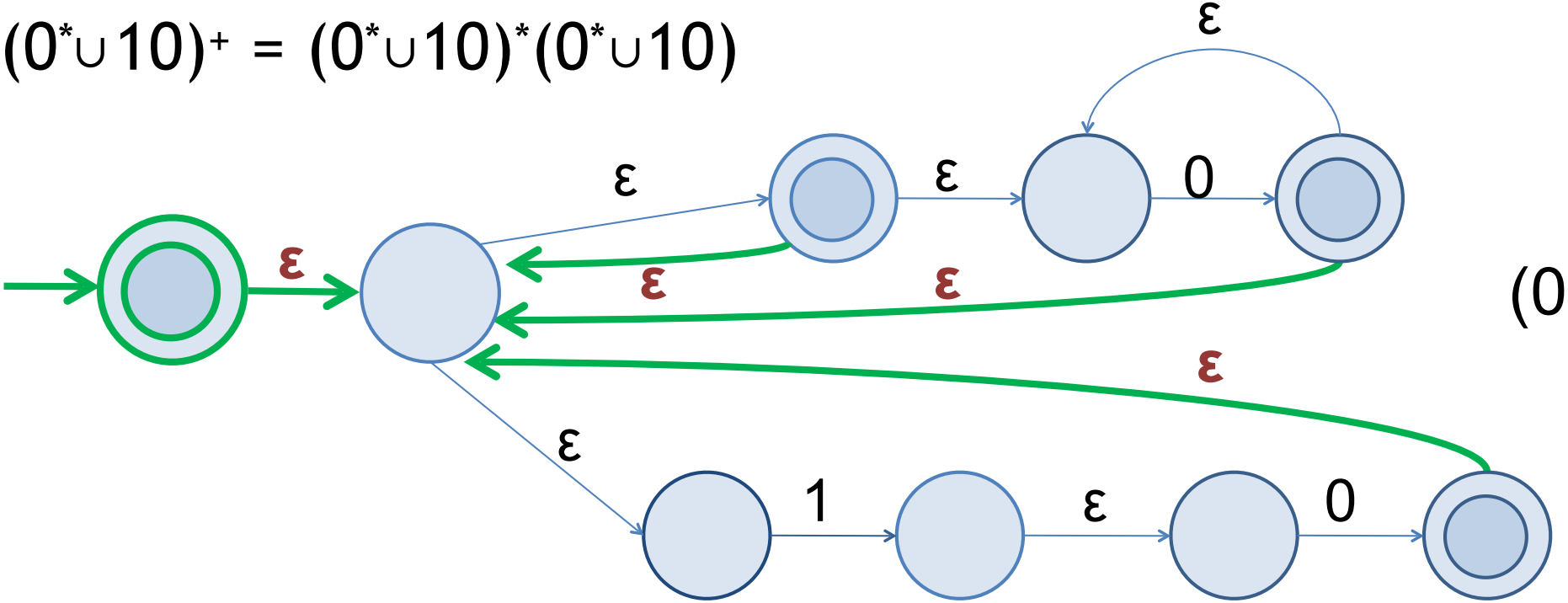




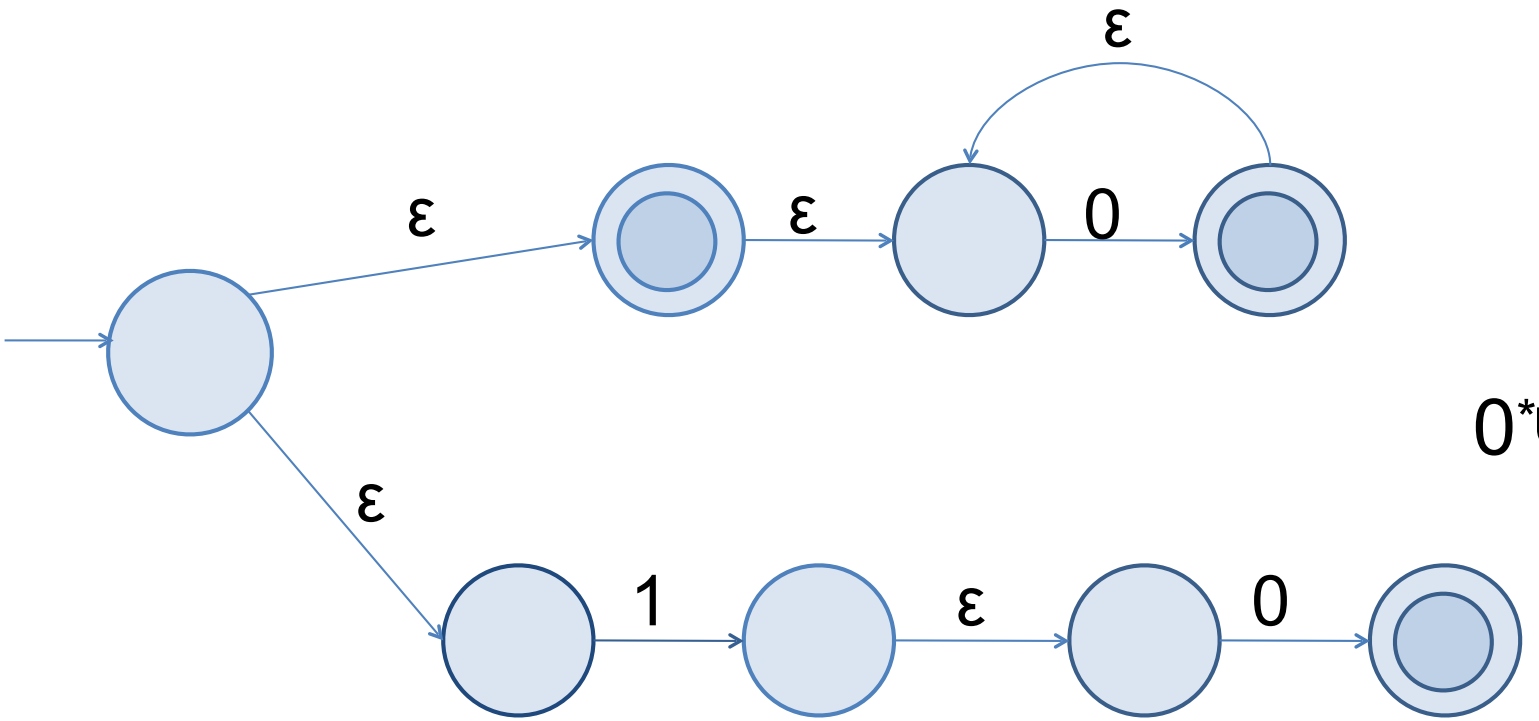


$0^* \cup 10$

$(0^* \cup 10)^+ = (0^* \cup 10)^*(0^* \cup 10)$

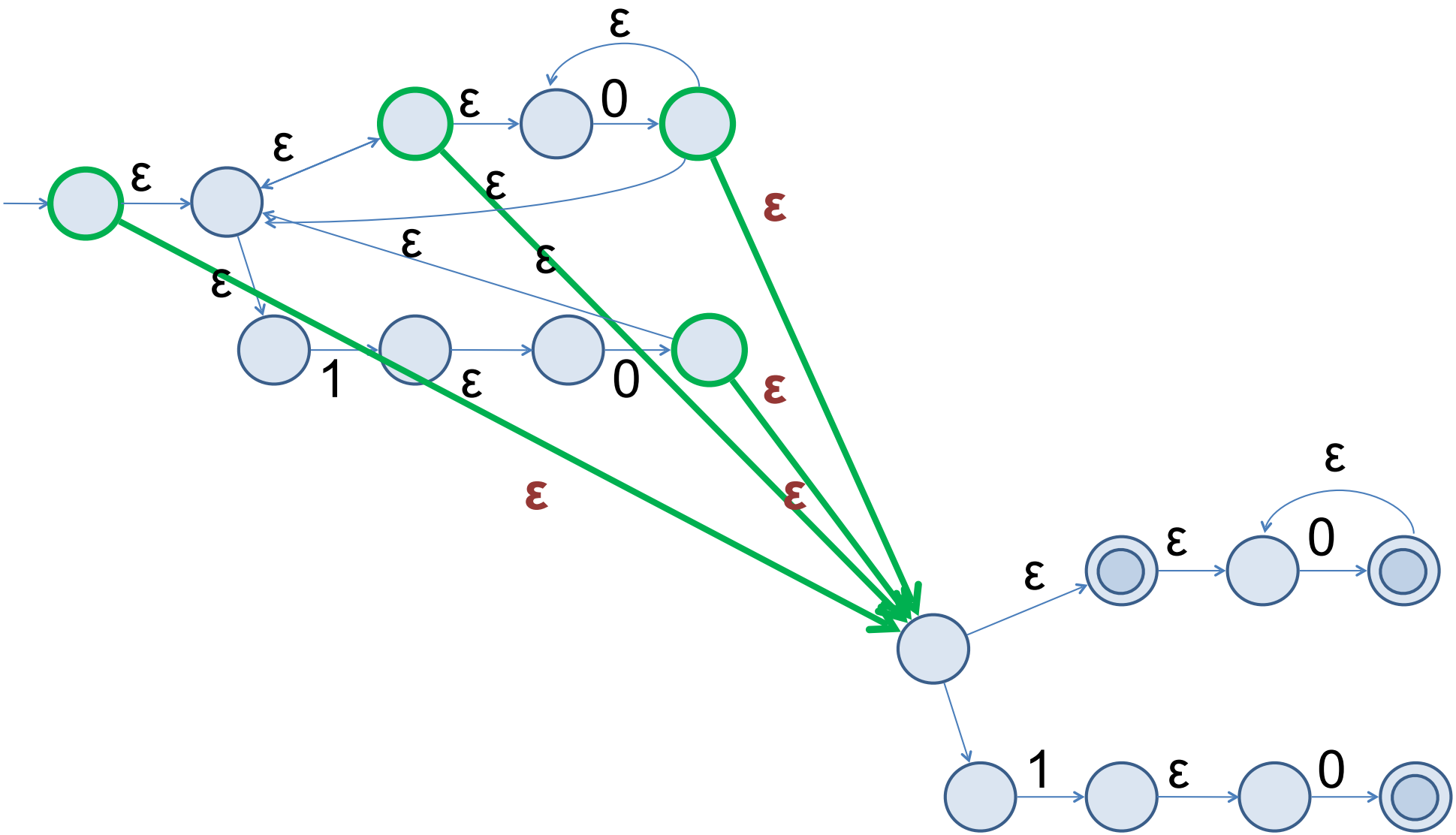


$(0^* \cup 10)^*$



$0^* \cup 10$

$(0^*\cup 10)^+ = (0^*\cup 10)^*(0^*\cup 10)$

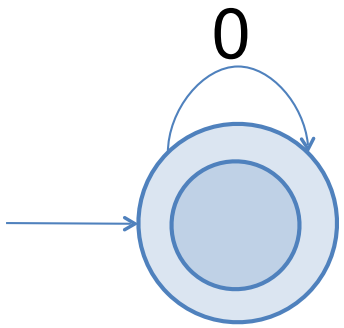


Modo più semplice!

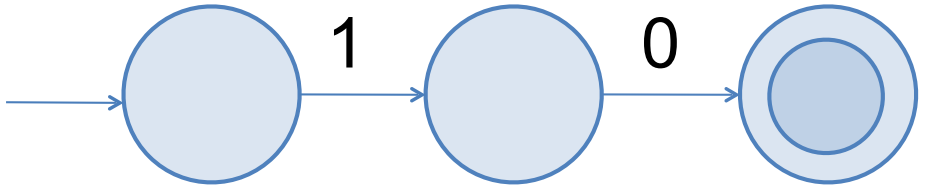
$(0^* \cup 10)^+$

$(0^* \cup 10)^+$

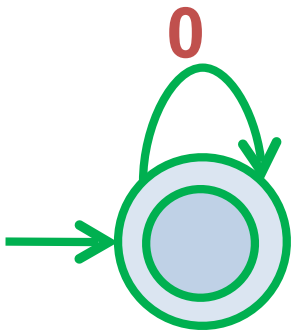
- 0^*



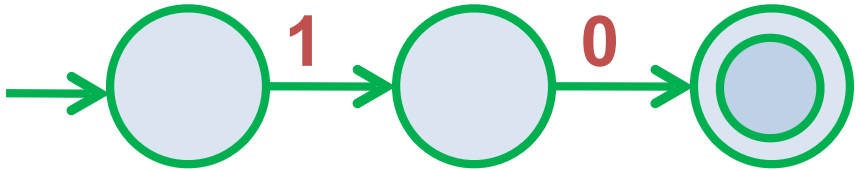
- 10



$(0^* \cup 10)^+$

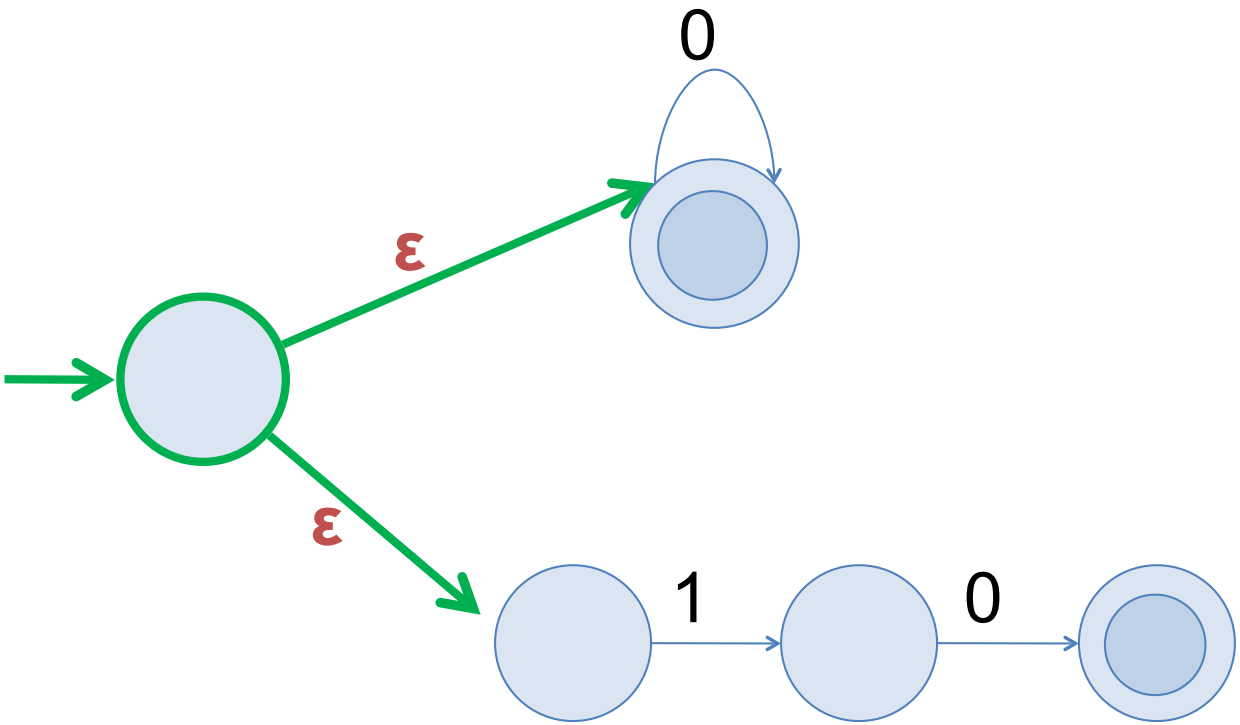


0^*



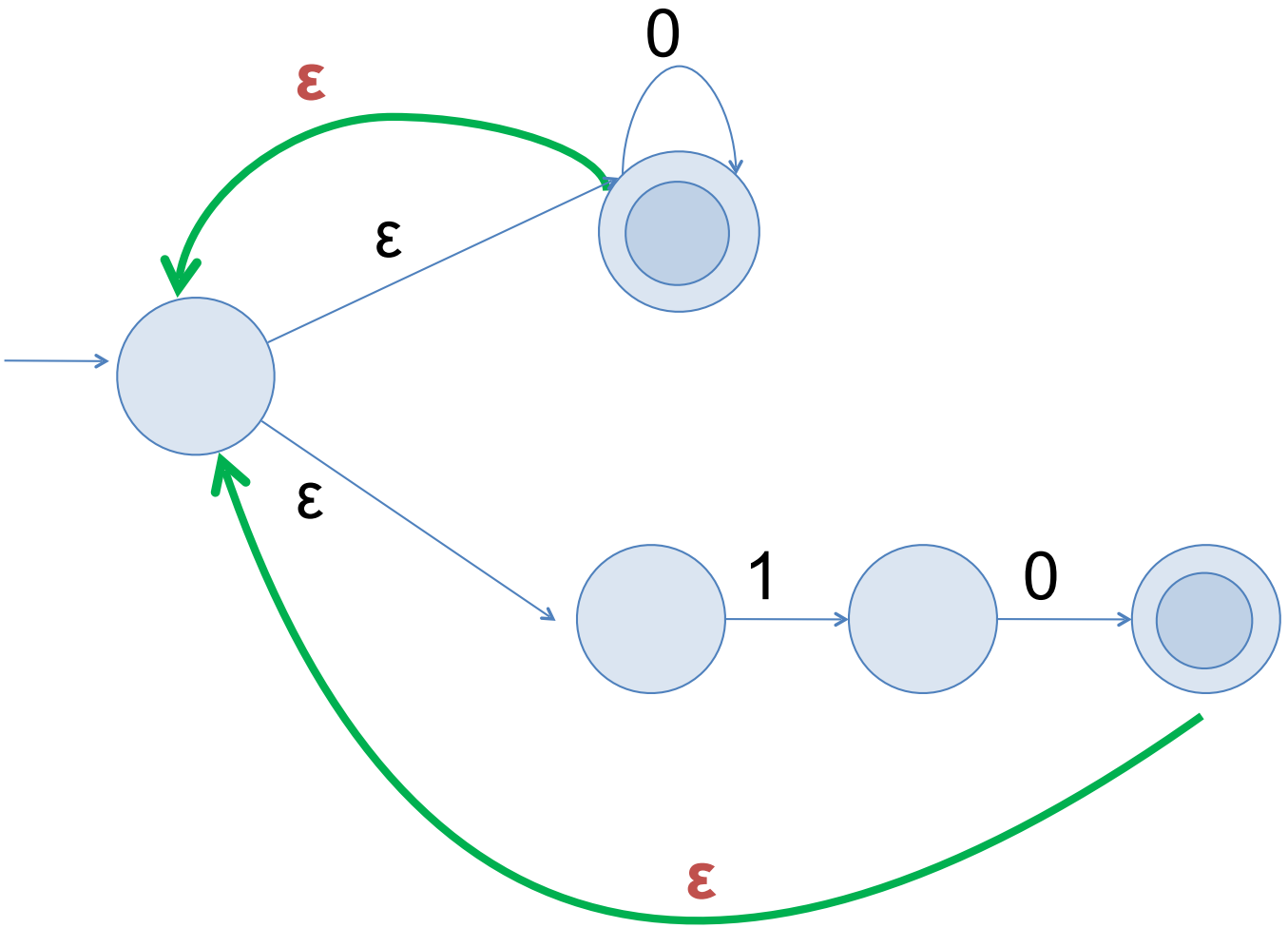
10

$(0^*\cup10)^+$



$(0^*\cup10)$

$(0^*\cup 10)^+$



$(0^*\cup 10)^+$

abbiamo visto come si fa la chiusura positiva di un linguaggio...