# Physics Notes

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8.01 is a first-semester freshman physics class in Newtonian Mechanics, Fluid Mechanics, and Kinetic Gas Theory. In addition to the basic concepts of Newtonian Mechanics, Fluid Mechanics, and Kinetic Gas Theory, a variety of interesting topics are covered in this course: Binary Stars, Neutron Stars, Black Holes, Resonance Phenomena, Musical Instruments, Stellar Collapse, Supernovae, Astronomical observations from very high flying balloons (lecture 35), and you will be allowed a peek into the intriguing Quantum World.

8.02 Classical Theory of Electromagnetism. This term I will cover, in addition to the basics, a vast variety of interesting topics including: lightning, pacemakers, electric shock treatment, electrocardiograms, metal detectors, musical instruments, magnetic levitation, bullet trains, electric motors, radios, TV, car coils, superconductivity, aurora borealis, rainbows, radio telescopes, interferometers, particle accelerators (a.k.a. atom smashers or colliders), mass spectrometers, red sunsets, blue skies, haloes around sun and moon, color perception, Doppler effect, super-novae, binary stars, neutron stars, and black holes.

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#### 5.1 Electric Charges and Forces, Coulomb's Law, Polarization

A property of matter is electric charge. There is a negative and positive electric charge. Like charges will repel, and opposite charges will attract.

The law of conservation of electric charge states that the total charge of the universe remains unchanged in all observed processes. If +Q is created somewhere, -Q is also created.

Atoms have generally been considered positively charged. Negatively charged electrons orbit around the nucleus. Atoms can lose or gain electrons and have a net electric charge. These are called ions. We call a molecule with asymmetrical distribution of charges polar.

Materials in which electric charge is easily transported are called conductors. Insulators are the opposite. Semiconductors are in the middle.

Charge can be transferred through direct contact from one electrically charged object to another. Conductors can also be charged without direct contact. We can charge by induction - firstly there will be a pair of consecutive bodies that has no net electric charge. Then, a positive charged object is brought near one of the objects, then the wire is cut and will leave one side positive charged and the other negatively charged. Electroscopes and electrometers are used to measure electric charge.

Coulomb's Law is the relationship between the size of the force between charges to the amount of charge and distance separating the charges. We write this as:

$$F = k \frac{Q_1 Q_2}{r^2}$$

Note that the charge of an electron is  $1.602 \times 10^{-19}$  C and the value of k is  $8.988 \times 10^9$  N·m<sup>2</sup>/C<sup>2</sup>.

Sometimes k is written as

$$k = \frac{1}{4\pi\epsilon_0}$$

where  $\epsilon_0 = 8.85 \times 10^{-12} \text{ C}^2/\text{N} \cdot \text{m}^2$ .

We can also rewrite Coulomb's Law in a vector expression that includes the information about the direction of the force:

 $\mathbf{F}_{12} = k \frac{Q_1 Q_2}{r_{21}^2} \hat{\mathbf{r}}_{21}$ 

Note that in this expression  $Q_1$  and  $Q_2$  will bear the signs of the charges, where the above equation will be the magnitude.  $\hat{\mathbf{r}}_{21}$  is the unit vector that points in the direction from charge  $Q_2$  to charge  $Q_1$ .

# 5.2 Electric Field Lines, Superposition, Inductive Charging, Induced Dipoles

The electric field  $\mathbf{E}$ , at a given point in space is defined as the electric force  $\mathbf{F}$ , on a small test charge, q, divided by the charge:

 $\mathsf{E} = rac{\mathsf{F}}{q}$ 

A small test charge is a charge small enough to not change the distribution of charge that cause the force on the test charge.

The electric field created by a point charge Q is:

$$\mathbf{E} = \frac{\mathbf{F}}{q} = k \frac{Qq}{qr^2} \hat{\mathbf{r}} = k \frac{Q}{r^2} \hat{\mathbf{r}}$$

where r is the distance from charge Q to the point at which the electric field is being evaluated and  $\hat{\mathbf{r}}$  is the unit vector that points from the charge Q to the point at which the electric field is evaluated.

Electric fields can add to each other like vectors do:

$$\textbf{E} = \textbf{E}_1 + \textbf{E}_2 + \textbf{E}_3 + \cdots$$

This is called the principle of superposition for electric fields.

In many cases, there it is impossible to sum the electric field from each of the individual charges, but it can be treated by a continuous charge density.

For each infinitesimal charge element dq in the distribution of charge, there is an infinitesimal contribution to the net electric field  $d\mathbf{E}$ , where:

$$\mathrm{d}\mathbf{E} = k \frac{\hat{\mathbf{r}}}{r^2} \mathrm{d}q$$

The distance from the charge element to the point at which the field is being evaluated is r and the unit vector in the direction from the charge element to the point being evaluated is  $\hat{\mathbf{r}}$ .

To determine the electric field at a given point, we integrate over all of the infinitesimal charge elements:

$$\mathbf{E} = \int \mathrm{d}\mathbf{E} = \int k \frac{\hat{\mathbf{r}}}{r^2} \mathrm{d}q$$

Because charge distribution is often a known function of spatial location, we almost always will change variables in the integral and write charge density as a function of position.

For a linear charge density, we write:

$$dq = \lambda dl$$

where  $\lambda$  is the linear charge density (charge per unit length) and dl is an infinitesimal line element along the charge distribution.

If the charge distribution is a surface charge density, we write:

$$dq = \sigma dA$$

where  $\sigma$  is the surface charge density and dA is an infinitesimal area element of the charge distribution.

If the charge is three-dimensional, we write:

$$dq = \rho dV$$

where  $\rho$  is the volume charge density, and dV is an infinitesimal volume element.

A type of diagram that is used to help visualize the electric field is a diagram of electric field lines. An electric field line only gives information about the direction of an electric field.

Electric field lines only begin on positive charges and end on negative charges. The number of lines starting or ending on a given charge is proportional to the magnitude of the charge.

A given line has its tangent at a given point in the direction of the electric field at that point.

The magnitude of the electric field is proportional to the density of the electric field lines passing through a plane perpendicular to the direction of the electric field.

There will be no electric field inside a conductor. The electric field at the surface just external to the conductor must be perpendicular to the conductor under static conditions.

The force of an object with charge q in an electric field **E** is given by:

$$F = qE$$

A particular distribution of charge that is often a good approximation to many physical situations is the electric dipole.

An electric dipole is two charges of equal magnitude but opposite sign separated by a displacement  $\mathbf{d}$ . This displacement is the displacement of the positive charge from the negative charge, basically it points from the location of the negative charge to the location of the positive charge.

The electric dipole moment **p** is a vector given by:

$$\mathbf{p} = Q\mathbf{d}$$

If l is the length of the displacement vector  $\mathbf{d}$  we can write the magnitude of the dipole moment p = Ql. In an electric field, a dipole experiences a torque:

$$\tau = \mathbf{p} \times \mathbf{E}$$

As the dipole is rotated by the electric field, work is done on the dipole by the torque. The potential energy associated with the orientation of the dipole moment in the electric field is given by:

$$U = -\mathbf{p} \cdot \mathbf{E}$$

A dipole in a uniform electric field feels no net electric force. In a uniform electric field, the positive charge and the negative charge of the dipole experience equal magnitude and opposite direction forces. An electric dipole in a non-uniform electric field can experience a net electric foce because the electric field can be different at the locations of the positive and negative charges.

#### 5.3 Electric Flux, Gauss' Law, Examples

The electric flux  $\phi_E$  passing through a planar surface of area A that lies in a plane perpendicular to a uniform electric field of magnitude E is defined to be:

$$\phi_E = EA$$

If the plane of the area A is not perpendicular to the electric field, the electric flux instead is:

$$\phi_E = EA_{\perp}\cos\theta$$

where  $A_{\perp}$  is the area of the projection of the area A onto a plane perpendicular to the electric field and  $\theta$  is the angle between the electric field and the direction of the perpendicular to the area.

If we define a vector  $\mathbf{A}$  that has magnitude A and a direction of the perpendicular to the area, the electric flux is written as:

$$\phi_E = EA$$

If the electric field is non-uniform and a general surface, we can consider the flux through infinitesimal areas dA and integrate the flux over the surface:

$$\phi_E = \int E \cdot \mathrm{d}A$$

When the surface is a closed surface, a surface that separates space into an interior and exterior, we write it as:

$$\phi_E = \oint E \cdot \mathrm{d}A$$

A closed surface has a definite inside and outside. The area vector  $\mathrm{d}A$  always points outward for a closed volume. Electric field entering a closed surface constributes to negative flux and electric field leaving a closed surface contributes to positive flux.

The electric flux through a closed surface is proportional to the charge within the closed surface:

$$\oint E \cdot \mathrm{d}A = \frac{Q_{encl}}{\epsilon_0}$$

This is called Gauss's Law. Gauss's Law is more general than Coulomb's Law in that it applies to situations where there is an electric field that is not produced by a charge distribution.

We can use Gauss's Law to determine an unknown electric field from a given charge distribution using a surface with correct symmetry.

Experimentally, Gauss's Law and Coulomb's Law are in agreement to very high amounts of precision. If we wanted to measure deviation we would have:

$$F = k \frac{Q_1 Q_2}{r^{2+\delta}}$$

where  $\delta$  is  $(2.7 \pm 3.1) \times 10^{-16}$ .

#### 5.4 Electrostatic Potential, Electric Energy, Equipotential Surfaces

As charge is moved through an electric field, the electric force due to a static charge distribution does work on the charge. This force is a conservative force. We can write a potential energy function of position for the static force because it is conservative,  $U_a$ , where a labels the position at which the potential energy is evaluated. We define electric potential at point a,  $V_a$ , as the potential energy at point a per unit charge:

$$V_a = \frac{U_a}{q}$$

Only the change in electric potential has physical meaning. This means that any potential energy function that is used can have a constant added to it at all points in space and still be a correct potential energy function.

The work done by an electric field in moving a charge q from point a to point b,  $W_{ab}$  is equal to the negative of the change in potential energy:

$$W_{ab} = -\Delta U_{ab} = -q(V_b - V_a)$$

This can be rewritten as the change in electric potential  $V_{ba}$ , called the potential difference:

$$V_{ba} = V_b - V_a = -\frac{W_{ba}}{q}$$

The relationship between potential energy change and force can be found from the definition of work done by a force:

$$U_b - U_a = -\int_a^b F \cdot \mathrm{d}l$$

When we divide both sides of this equation by the charge q, we get a relationship between the change in electric potential and electric field:

$$\frac{U_b - U_a}{q} = \frac{\int_a^b F \cdot dl}{q} \Rightarrow V_b - V_a = -\int_a^b E \cdot dl$$

In the case of a uniform electric field, we end up getting:

$$V_b - V_a = Ed$$

where E is the magnitude of the electric field and d is the distance between the two points in the direction of the electric field.

It is relatively easy to derive the potential energy for a point charge. For a point charge Q, the electric field is given by:

$$E = \frac{kQ}{r^2}\hat{\mathbf{r}}$$

where r is the distance from the charge and  $\mathbf{r}$  is the unit vector that points from the charge to the point at which the electric field is being evaluated. The change in electric potential in going from position  $\mathbf{r}_a$  to position  $\mathbf{r}_b$  is:

$$V_b - V_a = \int_{r_a}^{r_b} E \cdot dl = \int_{r_a}^{r_b} \frac{kQ}{r^2} \hat{r} \cdot dl = \int_{r_a}^{r_b} \frac{kQ}{r^2} dr = \frac{kQ}{r_b} - \frac{kQ}{r_a}$$

where dr is the change in distance from the charge when moving along the path element dl. It is easy to see that an electric potential function of the form:

$$V(r) = \frac{kQ}{r} + C$$

where C is an arbitrary constant potential, is consistent with the difference in potential energy derived above. If we choose the constant potential so that the electric potential goes to zero as the distance from the charge becomes infinitely large then:

$$V(r) = \frac{kQ}{r}$$

Because the electric fields of individual point charges add to determine the net electric field, the electric potentials of individual point charges add to determine the total electric potential at a point in space. We write the potential at point a,  $V_a$ , due to n other charges as:

$$V_a = \sum_{i=1}^n V_{ia} = \frac{1}{4\pi\epsilon_0} \frac{kQ_i}{r_{ia}}$$

where i is an index that labels each of the n charges,  $V_{ia}$  is the potential at position a due to the ith charge,  $Q_i$  is the value of the ith charge, and r is the distance from the ith charge to point a.

If the charge distribution is continuous or can be approximated as continuous then the sum can become an integral:

$$V_a = \frac{1}{4\pi\epsilon_0} \int \frac{\mathrm{d}}{r} = \frac{1}{4\pi\epsilon_0} \int \frac{\rho}{r} \mathrm{d}V$$

where r is the distance of a charge dq from point a and  $\rho$  is the density of charge in the volume dV.

Surfaces at the same potential are called equipotential surfaces. It is often useful to draw equipotential surfaces for a given arrangement of charge.

The electric potential is always perpendicular to any equipotential surface. If a contour map of equipotential surfaces is drawn with equal potential differences between the different contour lines, the electric field magnitude is proportional to the density of equipotential lines in a given region of space.

The surface of a conductor is an equipotential surface and the electric field always points perpendicular to the surface of a conductor when there is a static charge distribution.

A particular arrangement of charge is often encountered in systems of interest of if often a good approximation to systems of interest is the electric dipole.

An electric dipole is defined to be two charges of equal magnitude Q but opposite sign separated by a distance l. The magnitude of the dipole moment, p, of a pair of charges arranged in this manner is:

$$p = Ql$$

The dipole moment is a vector that points in the direction from the positive of the negative charge to the positive charge.

If we take the derivative of the differential form of the definition of work and divide by the charge, we get:

$$dV = -\mathbf{E} \cdot \mathbf{d} = -E_1 dl$$

where  $E_1$  is the component of **E** in the direction of displacement dl.

We can rearrange this to:

$$E_1 = -\frac{\mathrm{d}V}{\mathrm{d}l}$$

If we let dl be along the Cartesian directions, we see that:

$$E_x = -\frac{\partial V}{\partial x}, E_y = -\frac{\partial V}{\partial y}, E_z = -\frac{\partial V}{\partial z}$$

A convenient unit of energy for dealing with electrons, atoms, and molecules is the electron volt (eV). The electron volt is defined as the increase in electrostatic energy of the charge equal to that of the charge of an electron when it changes electric potential by -1V:

$$1eV = 1.602 \times 10^{-19} J$$

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