

hw2-Q2

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```
options(digits=20)
```

.Machine\$double.eps

.Machine\$double.eps is the smallest positive floating-point number as it equals to $2^{(-52)}$

```
.Machine$double.eps
## [1] 2.2204460492503130808e-16
1+ .Machine$double.eps==1
## [1] FALSE
1- .Machine$double.eps==1
## [1] FALSE
.Machine$double.base ^ (.Machine$double.ulp.digits) == .Machine$double.eps
## [1] TRUE
```

.Machine\$double.neg.eps

.Machine\$double.neg.eps is a small positive floating-point number which equals to $2^{(-52-1L)}$. Also, it is the smallest positive number such that $1+x==1$

```
.Machine$double.neg.eps
## [1] 1.1102230246251565404e-16
.Machine$double.base ^ (.Machine$double.ulp.digits - 1L) == .Machine$double.neg.eps
## [1] TRUE
1- .Machine$double.neg.eps==1
## [1] FALSE
1+ .Machine$double.neg.eps==1
## [1] TRUE
1+ .Machine$double.base ^ (.Machine$double.ulp.digits - 2L) == 1
```

```
## [1] TRUE
1+ .Machine$double.base ^ (.Machine$double.ulp.digits - 3L)==1
## [1] TRUE
```

.Machine\$double.xmax

.Machine\$double.xmax is a large normalized floating-point number, but not the largest number in my machines. In some machines, it may be the largest number.

```
.Machine$double.xmax
## [1] 1.7976931348623157081e+308
(1 - .Machine$double.neg.eps) * .Machine$double.base ^
.Machine$double.max.exp
## [1] Inf
(1 - .Machine$double.neg.eps) * .Machine$double.base ^
.Machine$double.max.exp == .Machine$double.xmax
## [1] FALSE
```

.Machine\$double.xmin

.Machine\$double.xmin is the smallest positive normalized floating-point number equals $2^{(-1022)}$

```
.Machine$double.xmin
## [1] 2.2250738585072013831e-308
.Machine$double.base ^ (.Machine$double.min.exp)
## [1] 2.2250738585072013831e-308
.Machine$double.base ^ (.Machine$double.min.exp) == .Machine$double.xmin
## [1] TRUE
```