

Other ways of fitting the linear model

lm() function for linear models

$$y_i \sim N(\mu_i, \sigma)$$

$$\mu_i = \alpha + \beta x_i$$

α

β

```
> df <- data.frame(growth = c(12, 10, 8, 11, 6, 7, 2, 3, 3),  
                    tannin = c(0, 1, 2, 3, 4, 5, 6, 7, 8))  
> df$tannin = scale(df$tannin, scale = FALSE)  
> df$growth = scale(df$growth, scale = FALSE)  
  
> ols_fit = lm(growth ~ tannin, data = df)  
> precis(ols_fit)
```

| | mean | sd | 5.5% | 94.5% |
|-------------|-------|------|-------|-------|
| (Intercept) | 0.00 | 0.56 | -0.90 | 0.90 |
| tannin | -1.22 | 0.22 | -1.57 | -0.87 |

Other ways of fitting the linear model

stan_glm() function for linear models and priors!

$$y_i \sim N(\mu_i, \sigma)$$

$$\mu_i = \alpha + \beta x_i$$

And some
standard
priors...

```
> sglm_fit = stan_glm(growth ~ tannin, data = df, cores = 4)
> summary(sglm_fit, probs = c(0.025, 0.975))[, 1:7]
```

| | | mean | mcse | sd | 2.5% | 97.5% | n_eff |
|---------------|----------|--------------|-------------|-----------|------------|-------------|-------|
| (Intercept) | α | -0.01069275 | 0.015974907 | 0.6971944 | -1.403377 | 1.3696905 | 1905 |
| tannin | β | -1.21608408 | 0.005609107 | 0.2482728 | -1.716820 | -0.7229236 | 1959 |
| sigma | | 1.98129172 | 0.016244872 | 0.6447948 | 1.145132 | 3.5859302 | 1575 |
| mean_PPD | | -0.01273309 | 0.020249189 | 0.9958192 | -2.030730 | 2.0076369 | 2418 |
| log-posterior | | -23.56539992 | 0.046443876 | 1.4480299 | -27.365501 | -21.9264227 | 972 |

| | Rhat |
|---------------|----------|
| (Intercept) | 1.000676 |
| tannin | 1.001776 |
| sigma | 1.000847 |
| mean_PPD | 1.000271 |
| log-posterior | 1.003540 |