

tranSurv

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This vignette provides a short tutorial on the usage of the package's main function, `trSurvfit`.

Illustration

Example function in `?trSurvfit`

```
> datgen <- function(n) {  
+   a <- -0.3  
+   X <- rweibull(n, 2, 4) ## failure times  
+   U <- rweibull(n, 2, 1) ## latent truncation time  
+   T <- (1 + a) * U - a * X ## apply transformation  
+   C <- 10 ## censoring  
+   dat <- data.frame(trun = T, obs = pmin(X, C), delta = 1 * (X <= C))  
+   return(subset(dat, trun <= obs))  
+ }
```

Set a random seed and see data structure.

```
> set.seed(1)  
> dat <- datgen(100)  
> head(dat)
```

	trun	obs	delta
1	1.8374416	4.606270	1
2	1.9072099	3.976991	1
3	1.6963782	2.985634	1
4	0.4323355	1.241174	1
5	1.9913542	5.061325	1
6	1.2630309	1.309359	1

The `trun` is the truncation time, `obs` is the observed survival time, and `delta` is the censoring indicator. Fitting this with `trSurvfit`:

```
> with(dat, trSurvfit(trun, obs, delta))
```

Fitting structural transformation model

Call: `trSurvfit(trun = trun, obs = obs, delta = delta)`

Conditional Kendall's tau = 0.5312 , p-value = 0

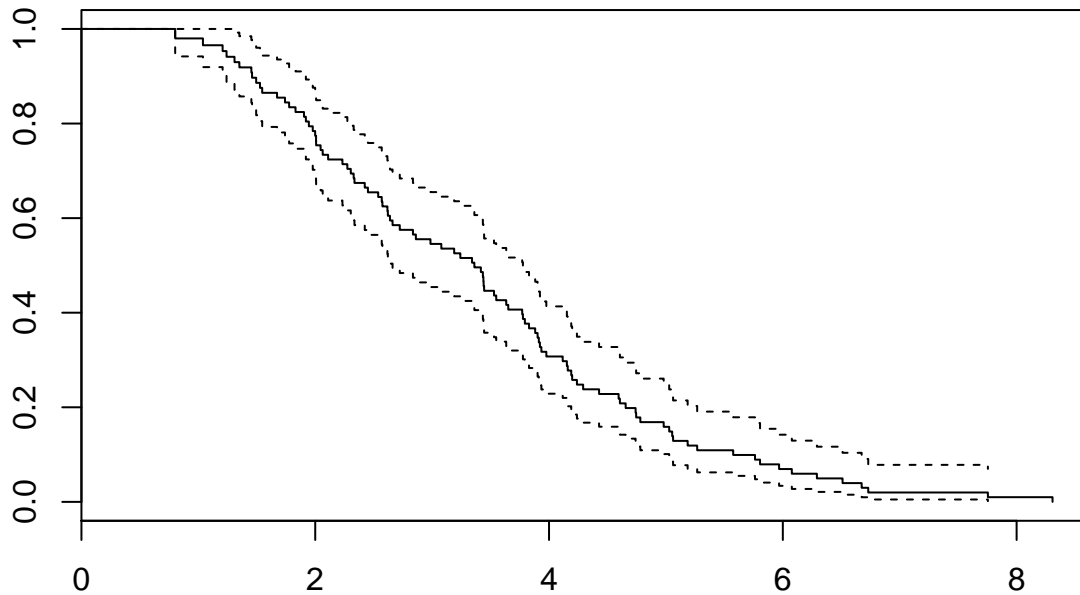
Restricted inverse probability weighted Kendall's tau = 0.5312 , p-value = 0

Transformation parameter by minimizing absolute value of Kendall's tau: -0.3011

Transformation parameter by maximizing p-value of the test: -0.3011

The function `trSurvfit` gives some important information. The conditional Kendall's tau for the observed data (before transformation) is 0.5312 with a p -value < 0.001 . The restricted IPW Kendall's tau (Austin and Betensky, 2014) gives the same result. The transformation parameter, a , turns out to be -0.3011 . The estimated survival curve (based on a) can be plotted with `survfit`:

```
> library(survival)
> foo <- with(dat, trSurvfit(trun, obs, delta))
> plot(survfit(Surv(ta, obs, delta) ~ 1, data = foo$qind))
```



Simulation

Make a function to call the transformation parameter α .

```
> do <- function(n){
+   foo <- with(datgen(n), trSurvfit(trun, obs, delta))
+   c(foo$byTau$par[1], foo$byP$par[1])
+ }
```

Try $n = 100$ with 100 replicates:

```
> set.seed(1)
> result <- replicate(100, do(100))
```

This returns a 2 by 100 matrix. The first row gives $\hat{\alpha}$ by maximizing the conditional Kendall's tau and the second row gives $\hat{\alpha}$ by minimizing the p -value from the conditional Kendall's tau test.

```
> summary(t(result))
```

	V1	V2
Min.	:-0.3504	Min. :-0.3504
1st Qu.:	-0.3175	1st Qu.:-0.3174
Median	:-0.2999	Median :-0.2999
Mean	:-0.3010	Mean :-0.3010
3rd Qu.:	-0.2863	3rd Qu.:-0.2862
Max.	:-0.2495	Max. :-0.2495