SpatCourse_spatial2

Stefano Larsen

3/20/2021

Simulate landscapes with different spatial patterns

Here we will use *gstat* to predict (kriging simulation) gridded landscapes starting from assigned variogram parameters (range, sill and nugget). We will change the *range* parameter to simulate a gradient vs a more patchy spatial variation. We will use these landscapes to explore how the shape of variograms can inform on the underlying spatial patterns.

```
library(vegan)
library(tidyverse)
library(gstat)
library(sp)
#library(raster)
#library(maptools)
library(nlme)
library(ggplot2)
library(cowplot)
```

```
set.seed(10)
```

Simulate a *field* with spatial structure as defined by semi-variogram parameters

We will use different parameters to examine how gradient vs patchy spatial structures can be revealed by plotting variograms

Let's start with a gradient spatial autocorrelation. Defining a long 'range' autocorrelation.

```
Field = expand.grid(1:50, 1:50)
## Set the name of the spatial coordinates within the field
names(Field)=c('x','y')

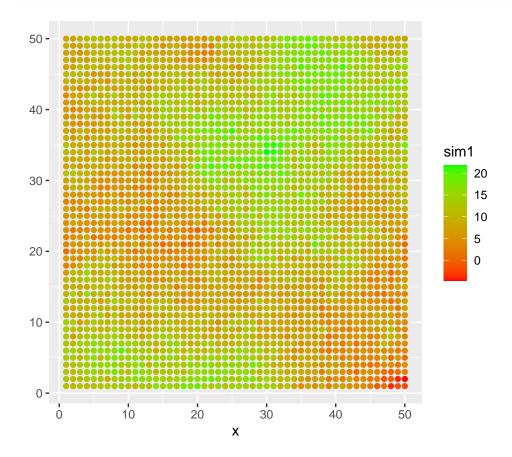
## Define the yield spatial structure inside the field
    ## Set the parameters of the semi-variogram
    Psill=25 ## Partial sill = Magnitude of variation
    Range=45 ## Maximal distance of autocorrelation
```

```
Nugget=2 ## Small-scale variations
 ## Set the semi-variogram model
   Beta=7
            ## mean value of the field
   Field_modelling=
      gstat(formula=z~1, ## We assume that a constant trend in the data
             locations=~x+y,
            dummy=T,
                        ## set to True for unconditional simulation
            beta=Beta, ## set the average value over the field
            model=vgm(psill=Psill,
            range=Range ,
            nugget=Nugget,
            model='Sph'), ## Spherical semi-variogram model
            nmax=40) ## number of nearest observations used for new prediction
gaussian_field=predict(Field_modelling, newdata=Field, nsim=1)
```

[using unconditional Gaussian simulation]

We can examine the patterns. plot the observations as points with a colored yield gradient.

```
plot.field=
ggplot()+ ## Initialize the ggplot layer
geom_point(data=gaussian_field,aes(x=x,y=y,col=sim1))+
scale_colour_gradient(low="red",high="green") +ylab(NULL)
plot.field
```



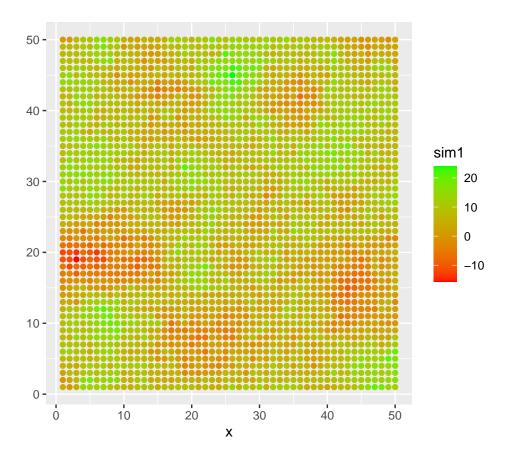
Let's now make it a little more patchy, defining shorter 'range' of spatial correlation

```
Field2 = expand.grid(1:50, 1:50)
## Set the name of the spatial coordinates within the field
names(Field2)=c('x','y')
## Define the yield spatial structure inside the field
   ## Set the parameters of the semi-variogram
     Psill=25 ## Partial sill = Magnitude of variation
     Range=10 ## Maximal distance of autocorrelation
     Nugget=2 ## Small-scale variations
   ## Set the semi-variogram model
     Beta=7
             ##
     Field_modelling2=
         gstat(formula=z~1, ## We assume a constant trend in the data
        locations=~x+y,
        dummy=T, ## set to True for unconditional simulation
        beta=Beta, ## Naverage value
        model=vgm(psill=Psill,
        range=Range ,
        nugget=Nugget,
         model='Sph'), ## Spherical semi-variogram model
         nmax=40) ## number of nearest observations for each new prediction
  gaussian_field2=predict(Field_modelling2, newdata=Field2, nsim=1)
```

[using unconditional Gaussian simulation]

We can see that this is a more patchy pattern.

```
plot.field2=
ggplot()+ ## Initialize the ggplot layer
geom_point(data=gaussian_field2,aes(x=x,y=y,col=sim1))+
scale_colour_gradient(low="red",high="green") +ylab(NULL)
plot.field2
```



Now we can examine the semivariogram pattern for each field.

We will first randomly 'sample' 350 locations for each field, then we plot the empirical semi-variogram. Sampling is needed to 1) save time in computing variograms, and 2) simulate a sampling process that generate the data.

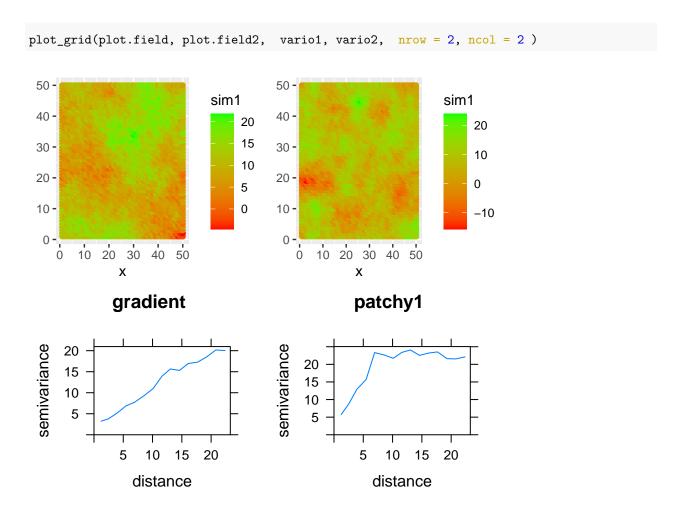
Subset 350 sites from Field; build variogram.

```
d=gaussian_field[sample(1:2500, 250),]
coordinates(d)=~x+y
vario1=plot(gstat::variogram(sim1~1, d), type='l', main='gradient')
```

Subset 350 sites from Field2; build variogram.

```
d2=gaussian_field2[sample(1:2500, 250),]
coordinates(d2)=~x+y
vario2=plot(gstat::variogram(sim1~1, d2), type='l', main='patchy1')
```

Let plot the field and respective variograms.



We see that, as expected, the range is larger for the first (gradient) landscape. The variogram 'rises' more gradually. The patchy landscape has shorter gradient (data are independent beyond ~ 7), and the variogram has a more irregular shape.

Excercises you can try yourself:

• variogram assumes **isotropy**. That is, the strength and pattern of autocorrelation is the same in all directions. Try to plot variograms of the landscapes showing correlation over different directions. *Hint*: use "alpha=c(0,45,90...etc)" inside the variogram function to provide the *angles* of directions.