# Effect Of Homeostatic Regulation On Dynamics Of Recurrent Neuronal Networks

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#### Networks misbehaving

Neuronal network dynamics (simulated, in nature) can become unstable This can lead to:

- an explosion of network activity or other pathological states, or
- dying out of network activity

#### Typical causes:

- strong excitatory feedback
  - loop of increased FR and synaptic input
- correlation-based plasticity dynamics
  - loop of increased correlations and synaptic coupling





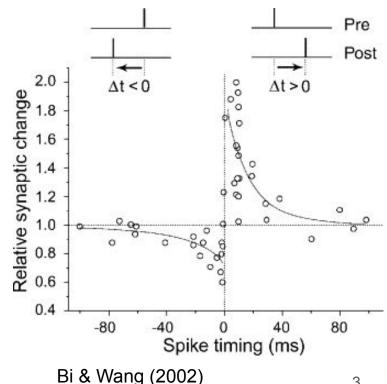
#### Spike-time dependent synaptic plasticity (STDP)

Update rule for facilitation:

$$\Delta^+ w = \lambda \cdot (1-w)^{\mu+} \cdot \mathrm{pre} \$$
\_trace

- Update rule for depression:

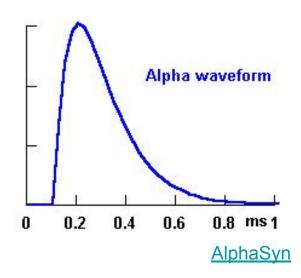
$$\Delta^- w = -\alpha \cdot \lambda \cdot w^{\mu_-} \cdot \text{post} \setminus \text{trace}$$





#### Current-based integrate-and-fire model

a- function shaped synaptic currents



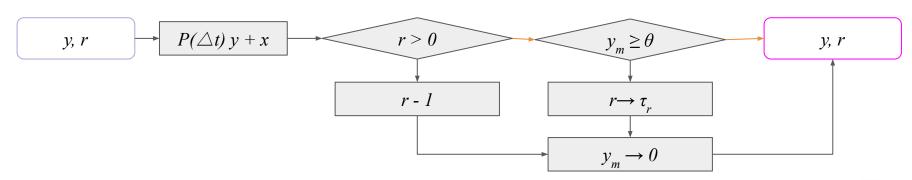
#### Current-based integrate-and-fire model

- a- function shaped synaptic currents
- Sub-threshold dynamics
  - Exact integration scheme\*
- External current
  - state variable and DE



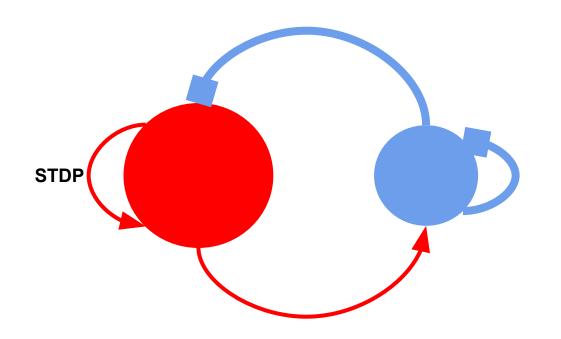
#### Current-based integrate-and-fire model

- a- function shaped synaptic currents
- Sub-threshold dynamics
  - Exact integration scheme
- External current
  - state variable and DE
- Operation scheme





#### Recurrent neuronal network



$$N_{Neurons} = 12500$$

- 80% excitatory
- 20% inhibitory

$$N_{Connections} = 1250$$



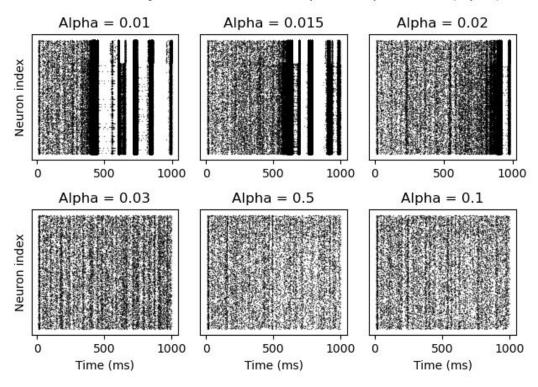
# Results



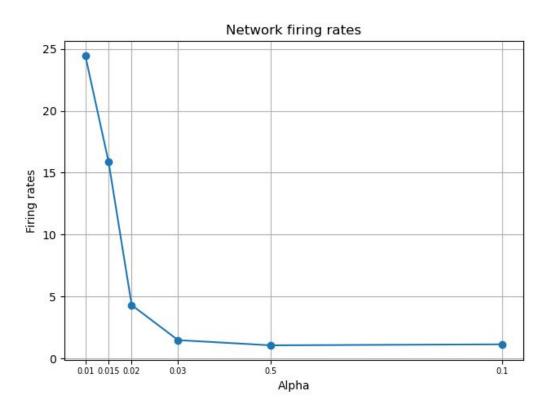
Making the network stable-unstable → changing depression in excitatory weights

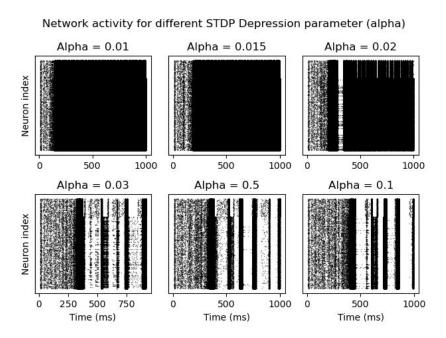
$$\Delta^- w = -\alpha \cdot \lambda \cdot w^{\mu_-} \cdot \mathrm{post} \backslash \mathrm{trace}$$

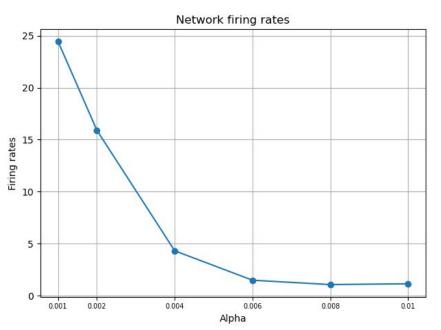
Network activity for different STDP Depression parameter (alpha)



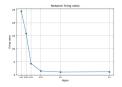


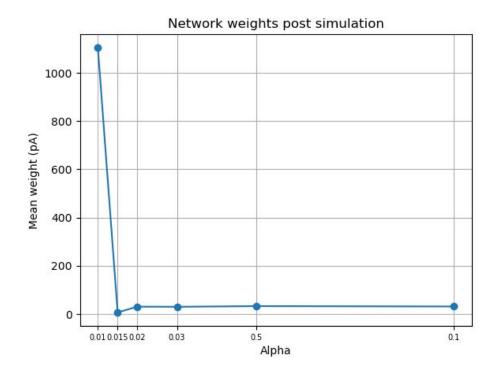




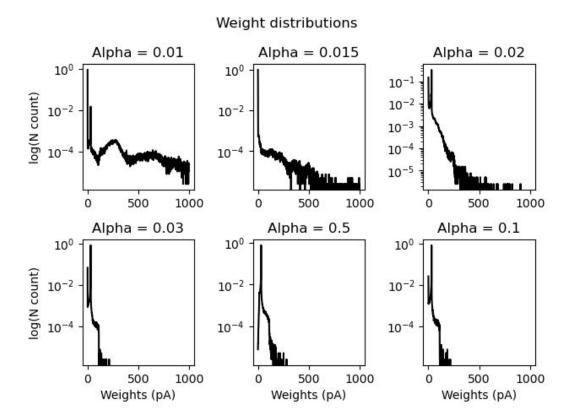






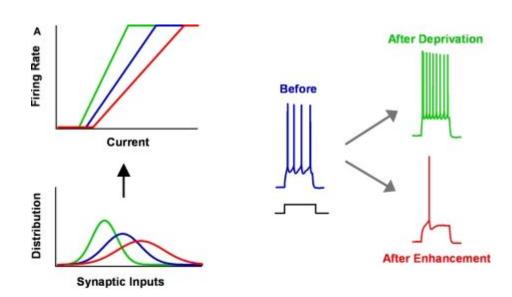








### Intrinsic plasticity as a homeostatic mechanism



Watt and Desai (2010)

#### Implementing slow adaptation

Adaptive, current-based exponential integrate and fire neuron (Brette & Gerstner, 2005)

Membrane potential:

$$C\frac{dV}{dt} = -g_L(V - E_L) + \dot{g}_L \Delta_T \exp\left(\frac{V - V_T}{\Delta_T} - w(t) + I_{syn}(t) + I_e\right)$$

and

 $\tau_w \frac{dw}{dt} = a(V - E_L) - w$ 

parameter a:

subthreshold adaptation (=0)

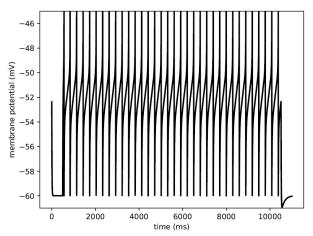
parameter b:

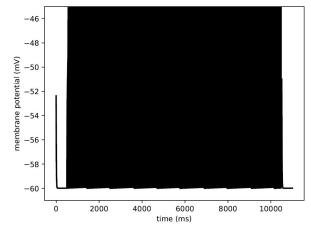
spike-triggered adaptation

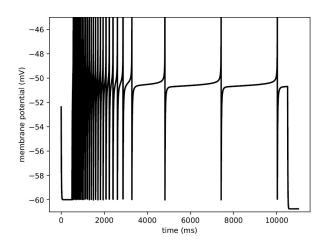
parameter tau\_w:

adaptation time constant

#### Setting parameters for the adaptive neuron model







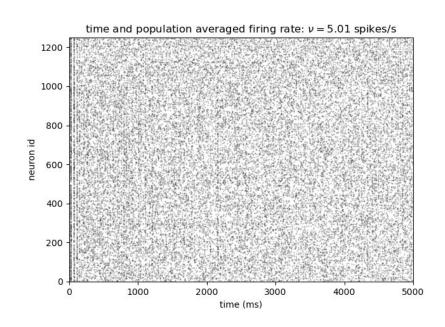
Default adaptation parameters a = 0, b = 80.4, tau\_w = 144

No adaptation parameters a = 0, b = 0, tau\_w = 144

Slow adaptation parameters a = 0, b = 1, tau w = 57960



#### STDP induces synchronous firings



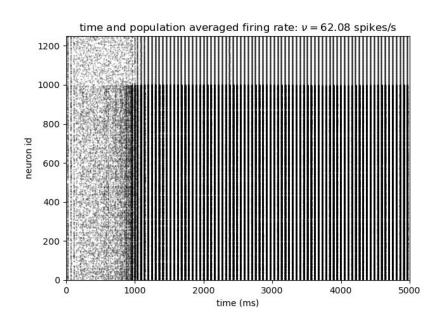
time and population averaged firing rate: v = 62.08 spikes/s 1200 1000 800 neuron id 400 200 1000 2000 3000 4000 5000 time (ms)

adaptation OFF (b=0) alpha = 0.1

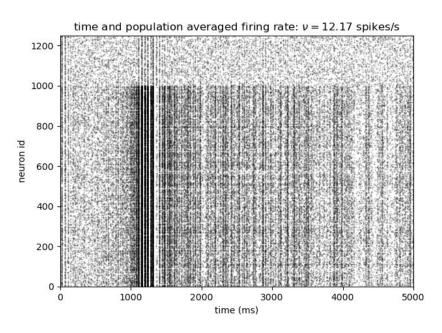
adaptation OFF (b=0) alpha = 0.02



#### Slow adaptation as a homeostatic mechanism



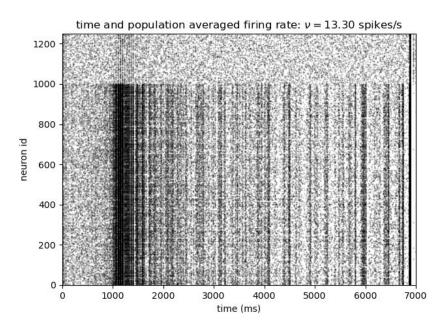
adaptation OFF (b=0) alpha = 0.02



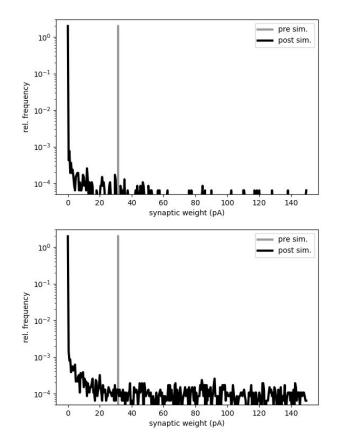
slow adaptation ON (b=1) tau\_w = 11592 ms



#### Unstable dynamics?



slow adaptation ON (b=1) tau w = 11592 ms



adaptation OFF

adaptation ON



# Thank you for your attention!!

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