

Part 1: Machine Learning Basics 機械学習の基礎

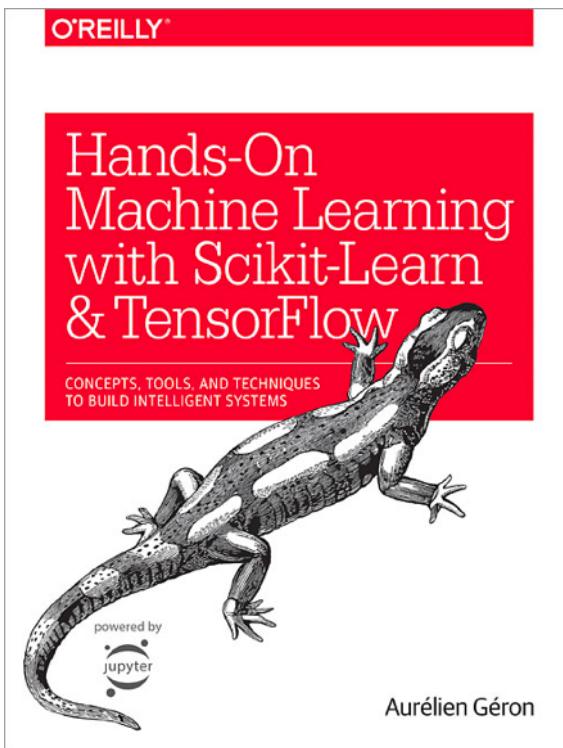
WILLIAM STEIMEL

スタイルウィリアム

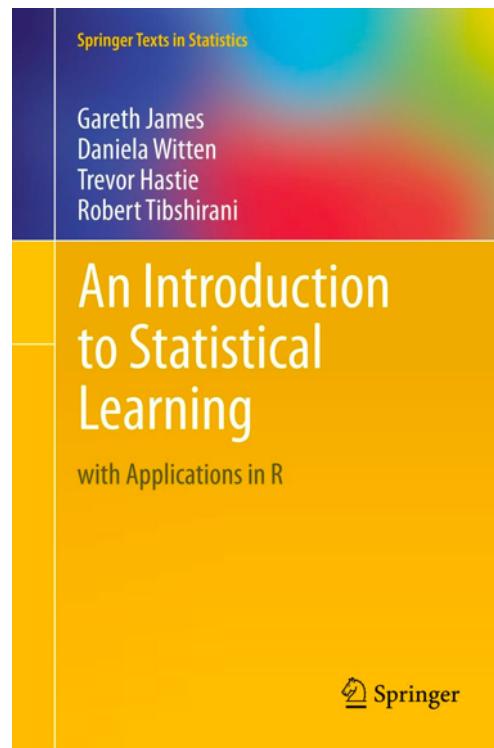
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Sources



Chapter 1,2,4



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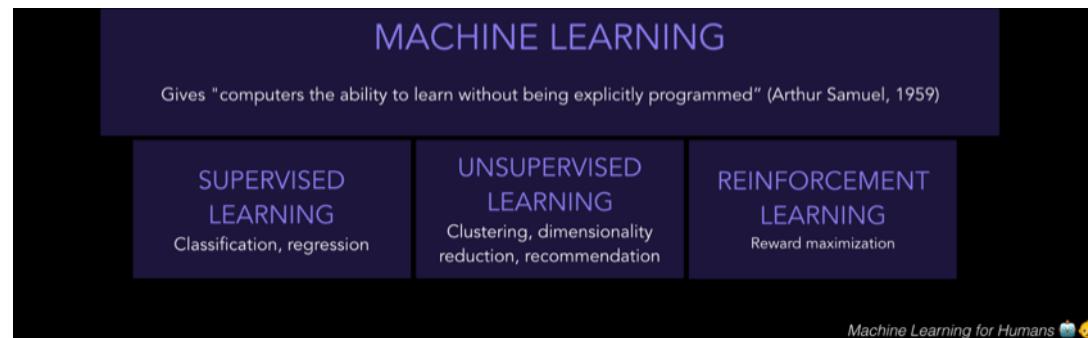


Wine Quality Dataset:
UCI Machine Learning Repository

What is Machine Learning? 機械学習とは？

▶ 2 Famous Definitions

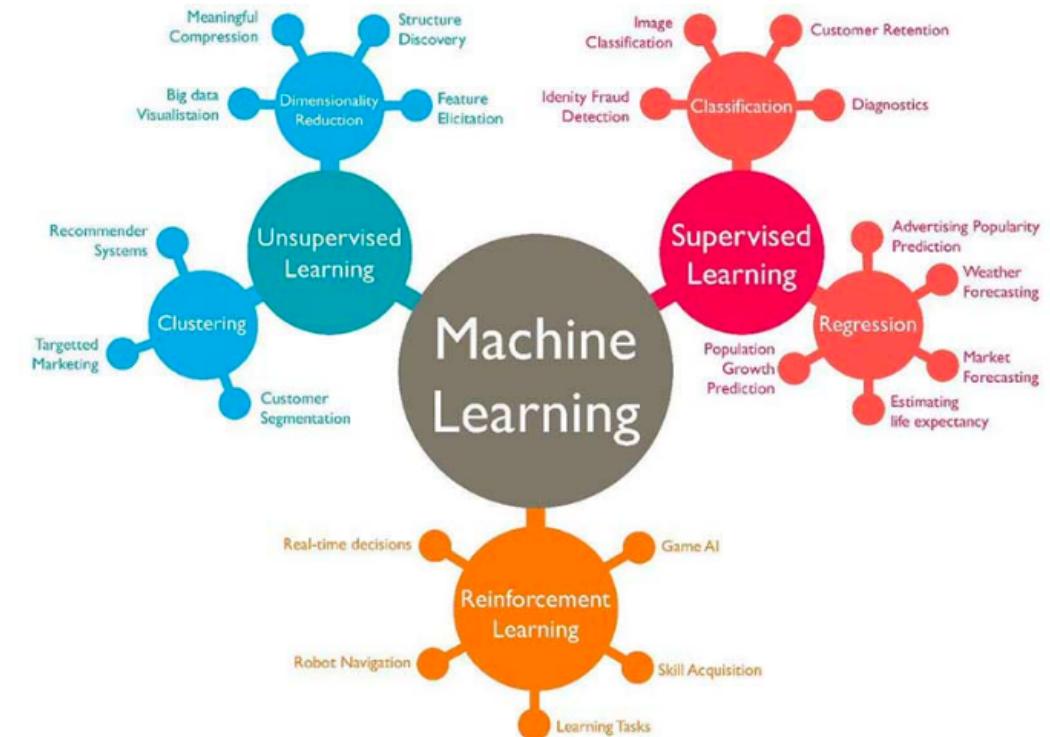
- ▶ "Machine Learning is the field of study that gives computers the ability to learn without being explicitly programmed." – Arthur Samuel 1959
- ▶ "A computer program is said to learn from experience E with respect to some task T and some performance measure P, if its performance on T, as measured by P, improves with experience E." - Tom Mitchell, 1997
- ▶ In Summary- Machine Learning is the science and art of programming computers to learn from data.



Types of Machine Learning Systems

機械学習の基礎

- ▶ Supervised Learning (教師あり学習)
- ▶ Unsupervised Learning (教師なし学習)
- ▶ Reinforcement Learning (強化学習)



Supervised Learning

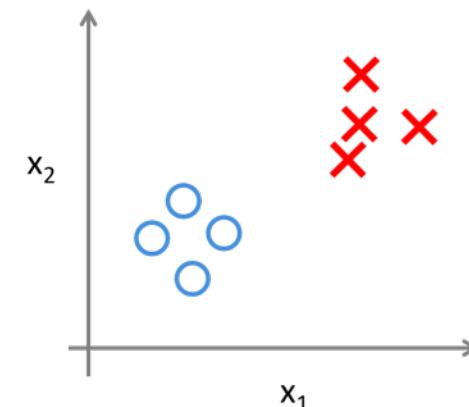
教師あり学習

- ▶ “**Supervised learning** is the machine **learning** task of inferring a function from labeled training data.”
 - ▶ The training data you feed the algorithm includes the desired solutions/labels.
 - ▶ Develop a predictive model based on both the input and output data
 - ▶ Includes Classification / Regression Problems

Sample Algorithms

- K-Nearest Neighbors
- Linear Regression
- Logistic Regression
- Support Vector Regression
- Decision Trees and Random Forests
- Neural Networks (Sometimes)

Supervised Learning



Supervised Learning Labels

教師あり学習

Labels

y

In [326]: `data.head()`

Out[326]:

	fixed acidity	volatile acidity	citric acid	residual sugar	chlorides	free sulfur dioxide	total sulfur dioxide	density	pH	sulphates	alcohol	quality
0	7.4	0.70	0.00	1.9	0.076	11.0	34.0	0.9978	3.51	0.56	9.4	5
1	7.8	0.88	0.00	2.6	0.098	25.0	67.0	0.9968	3.20	0.68	9.8	5
2	7.8	0.76	0.04	2.3	0.092	15.0	54.0	0.9970	3.26	0.65	9.8	5
3	11.2	0.28	0.56	1.9	0.075	17.0	60.0	0.9980	3.16	0.58	9.8	6
4	7.4	0.70	0.00	1.9	0.076	11.0	34.0	0.9978	3.51	0.56	9.4	5

Characteristics/Predictive Features

X1 - Xn

Unsupervised Learning

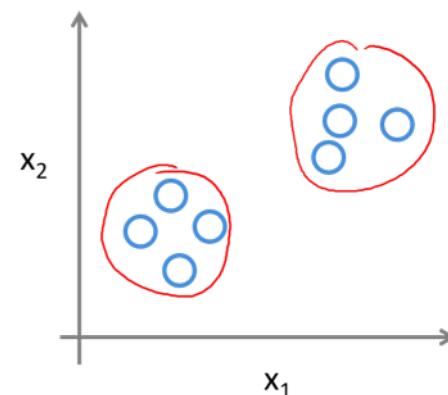
教師なし学習

- ▶ “**Unsupervised machine learning** is the machine learning task of inferring a function to describe hidden structure from "unlabeled" data”
 - ▶ The training data you feed the algorithm does not include labels and tries to learn without a teacher. (教師なし)
 - ▶ Group and interpret data based only on input data/characteristics

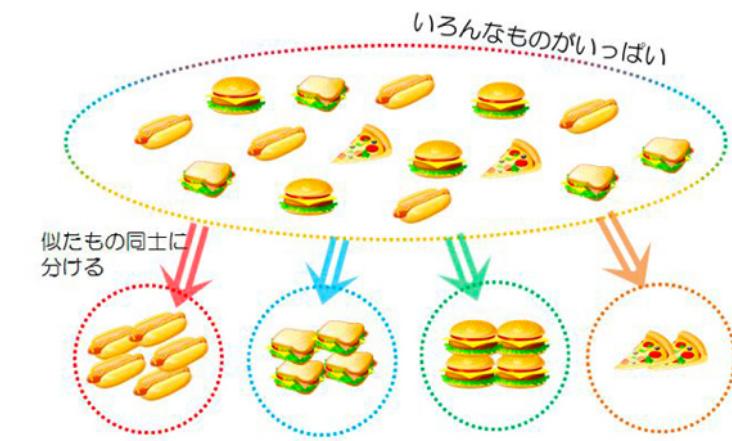
Sample Algorithms

- **Clustering**
 - K-means
 - Hierarchical Cluster Analysis (HCA)
 - Expectation Maximization
- **Visualization and dimensionality reduction**
 - Principal Component Analysis (PCA)
 - Kernel PCA
 - Locally-Linear Embedding (LLE)
 - T-distributed Stochastic Neighbor Embedding (t-SNE)
- **Association rule learning**
 - Apriori
 - Eclat

Unsupervised Learning



クラスタリング



Reinforcement Learning

強化学習

- ▶ “**Reinforcement learning (RL)** is an area of machine learning inspired by behaviorist psychology, concerned with how software agents ought to take actions in an environment so as to maximize some notion of cumulative reward.”
 - ▶ The Learning System is called the “agent”
 - ▶ The Agent Learns the best strategy or “policy” to get the most reward over time
 - ▶ Policy defines what action the agent takes at each step

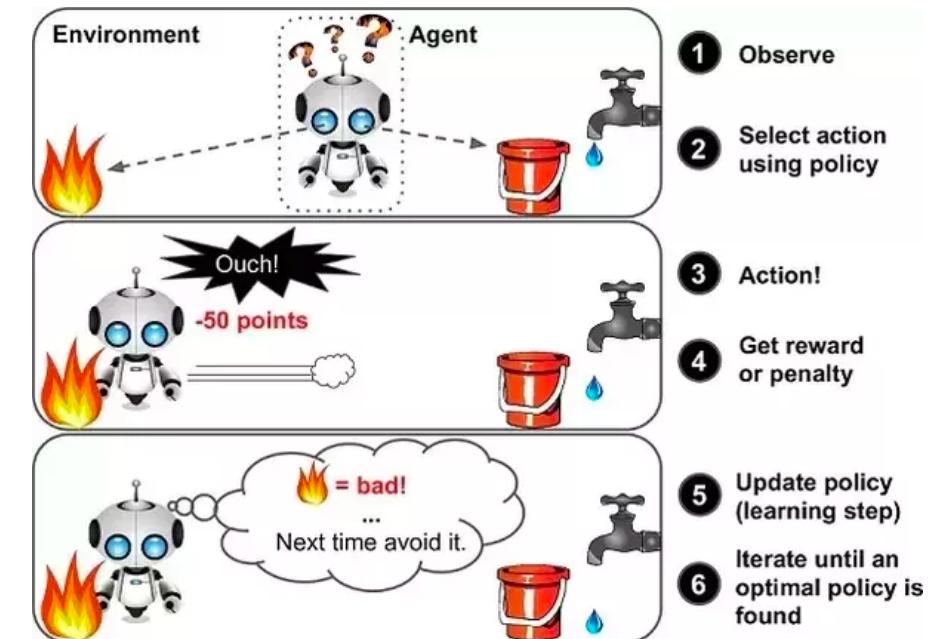
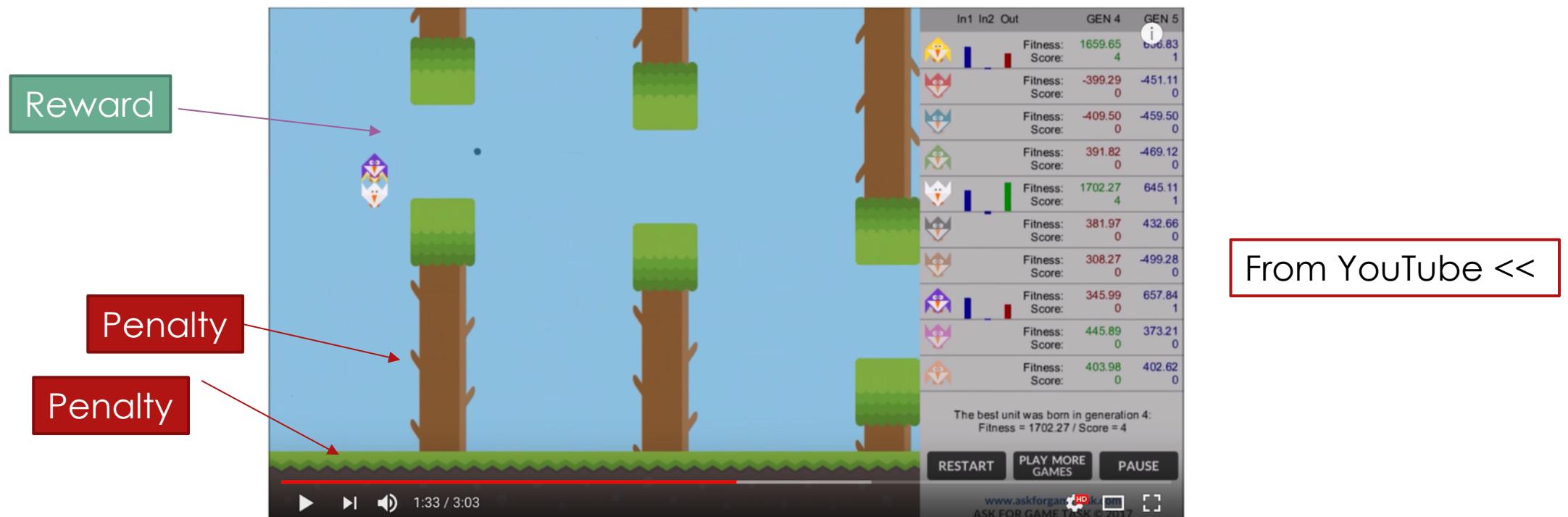


Diagram from Hands On Machine Learning with SciKit Learn & TensorFlow

Reinforcement Learning Flappy Bird



Machine Learning for Flappy Bird using Neural Network & Genetic Algorithm

Flappy Bird

Batch vs Online Learning

- ▶ Machine Learning systems are also categorized based on their learning methods
- ▶ Batch Learning
 - ▶ The system must be trained using all available data (batch)
 - ▶ *The system is trained on all of the data then launched into production environment.*
 - ▶ Requires a lot of computing resources (Storage, Memory, etc.)
 - ▶ Not as reactive as online learning
- ▶ Online Learning
 - ▶ Continuous stream of data
 - ▶ Learns incrementally via new data and previous predictions (Good for stock data/other quickly changing systems)

Instance vs Model Based Learning

- ▶ Another way to categorize machine learning systems is based on how they generalize
- ▶ Two approaches to generalization
 - ▶ Instance-Based Learning
 - ▶ Machine Learning System learns the examples by heart, then classifies new cases using a measure of similarity
 - ▶ Spam E-mail example: The amount of words two e-mails have in common.
 - ▶ Example: K-nearest Neighbor Algorithm
 - ▶ Model-Based Learning
 - ▶ Machine Learning System learns via building a model of examples to make predictions
 - ▶ Example: Linear Model

Machine Learning Challenges

- ▶ Not enough Training Data
- ▶ Non-representative Training Data
- ▶ Poor-Quality Data
- ▶ Irrelevant Features
- ▶ Overfitting/ Under fitting



Need More Training Data !

- ▶ Data is important for machine learning (But Training Data can sometimes be hard to get)
- ▶ Insufficient data can affect machine learning models
- ▶ Effectiveness of Data
 - ▶ A study by Microsoft researchers revealed that different machine Learning algorithms performed almost identically when given enough data.



Non-Representative Training Data

- ▶ When training a machine learning model it is important for the training set to be representative of the predictions desired.
 - ▶ Example: If we train an algorithm to classify an observation as hotdogs, hamburgers, and Pizza. If the algorithm is trained on a dataset that does not include any pizza observations, It will be impossible to predict the observation is a pizza.
- ▶ Small Samples – **Sampling Noise** can occur due to chance
 - ▶ (Not enough observations so the training set is flawed)
- ▶ Large Samples- Flawed Sampling Methods can lead to Sampling Bias
 - ▶ **Sampling Bias** – Choosing a Sample is flawed which leads to inaccurate predictions
 - ▶ Example: We are building a predictive model to predict who will become prime minister of Japan in the next election and we only interview students at Sophia University.
 - ▶ There will be a sampling bias towards young people and the populace will differ greatly.

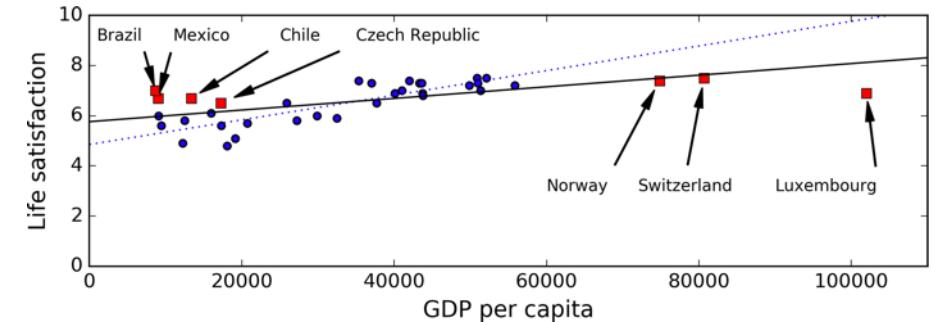


Diagram from Hands On
Machine Learning with Scikit
Learn & TensorFlow

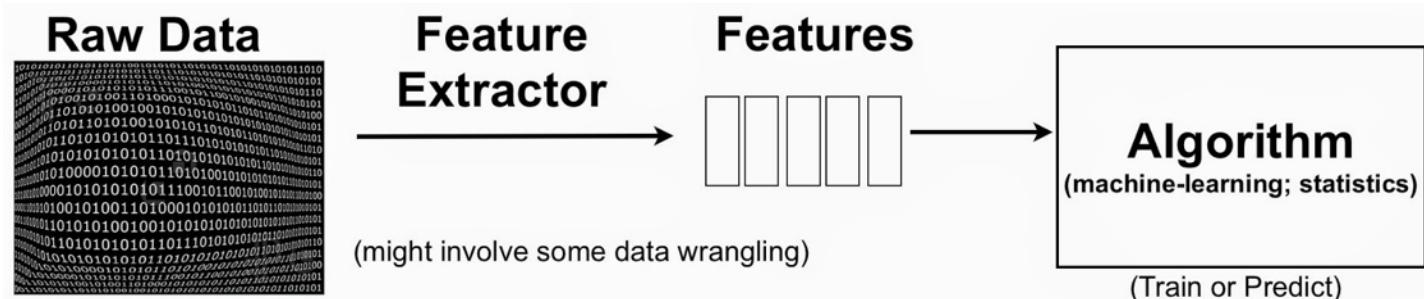
Poor-Quality Data

- ▶ “Garbage in – Garbage out”
 - ▶ If training data is full of errors, outliers, and noise the predictive model will not perform well
- ▶ If possible Outliers/Null values should be removed or adjusted
- ▶ Dirty data is very common



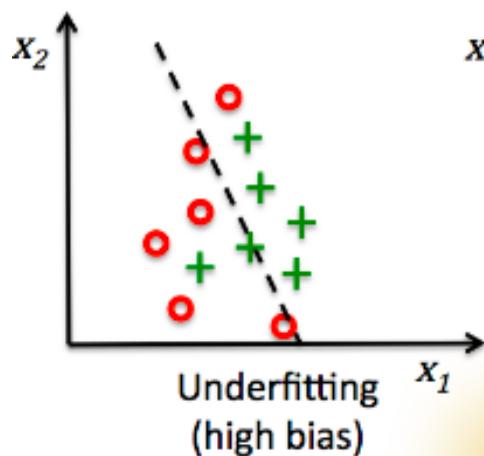
Irrelevant Features

- ▶ A critical part of machine learning is training a model on good features
- ▶ Feature Engineering – Transforming Data/Analysis to make the ideal inputs for prediction
- ▶ Feature Engineering is important !
 - ▶ Feature Selection (Select the most relevant/correlated features)
 - ▶ Feature Extraction (Combining existing features to make more useful ones)
 - ▶ Creating new features by gathering data

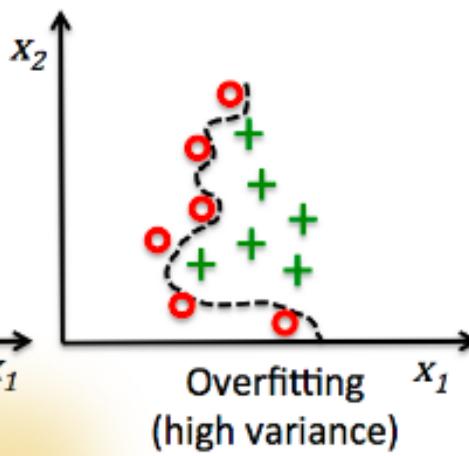
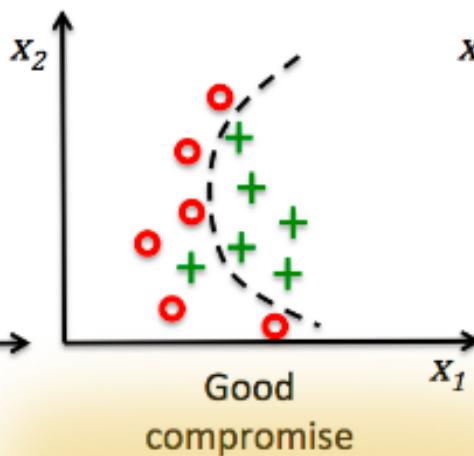


Overfitting/Underfitting

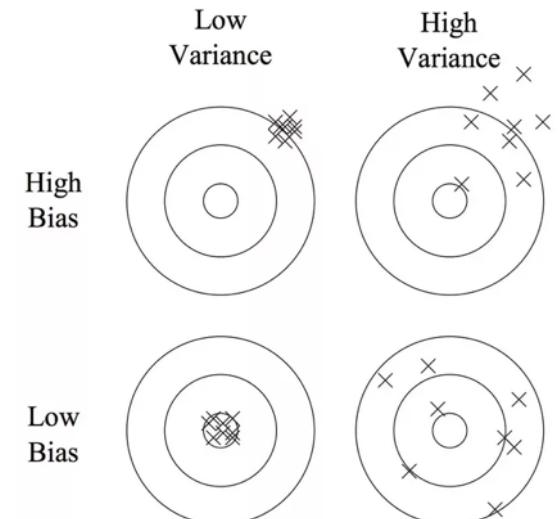
- ▶ Overfitting and Under fitting are two big challenges to Machine Learning

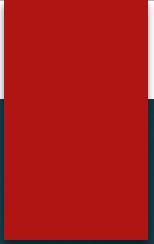


高バイアス



高バリアンス





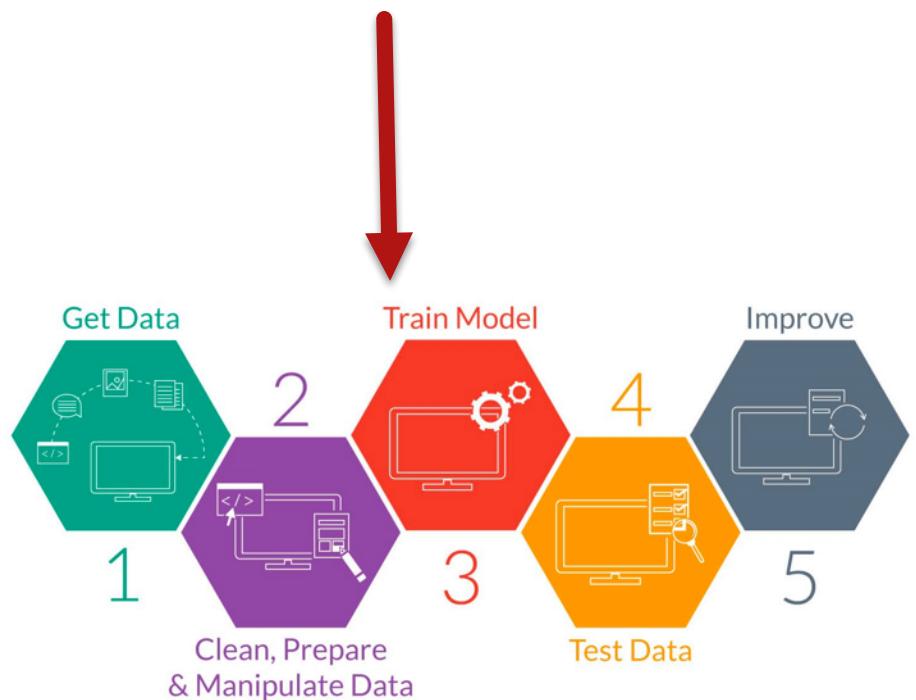
Part 2: End to End Machine Learning エンドツーエンド機械学習

End to End Machine Learning

エンドツーエンド機械学習

- ▶ The Machine Learning Process (Varies)
 - ▶ Look at the big picture
 - ▶ Get the data
 - ▶ Discover and visualize the data to gain insights
 - ▶ Prepare the data for Machine Learning algorithms
 - ▶ Select a model and train it
 - ▶ Fine-tune your model
 - ▶ Present your solution

Typical Workflow



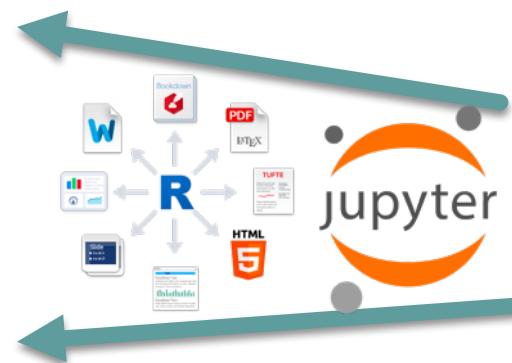
End to End Machine Learning

エンドツーエンド機械学習

▶ <https://github.com/steimel64/steimel64.github.io>



Data Scientist/Machine Learning
Engineer/Research Student



Motivations

動機

- ▶ I implemented an End to End Machine Learning Project Last presentation but wanted to study the best practices and improve upon my process
- ▶ The book “Hands-On Machine Learning with Scikit-Learn & Tensor Flow” implements a very thorough end to end Machine Learning project with a California Census Dataset
- ▶ Before studying more advanced algorithms, I feel that process will be key to creating meaningful machine learning projects
- ▶ I will use a project I am currently working on to illustrate the End to End Process called **Regression Applications to Wine Quality Prediction**

乾杯！



Step I: Look at the big picture

- ▶ Frame the Problem –
 - ▶ Summarize the dataset (What Data? Where is it From?)
 - ▶ Define the Problem (What is the problem we are trying to solve?)
 - ▶ Define the Objective (What do we want to accomplish?)
 - ▶ Software/Libraries (What software/packages were used in this project?)
- ▶ Select a performance measure to evaluate all models on
 - ▶ MSE
 - ▶ Accuracy Rate/Confusion Matrix
 - ▶ Etc.
- ▶ Check the Assumptions
 - ▶ Talk with stakeholders who are familiar with the data
 - ▶ General Knowledge about the area

Step II: Get the Data

- ▶ Download the Data/Import Via Python
- ▶ Take a quick look at the Data Structure (Best Functions are head(), describe(),info())
 - ▶ Attributes
 - ▶ Data Description
 - ▶ Numerical Attributes (Count, Mean, STD, Min, 25 %, 50 %, 75 %, Max)
- ▶ Get a feel for the data (Correlation Analysis/Histograms/Scatter Plots)
 - ▶ Exploratory Analysis (Visualization)
- ▶ **Create a test set**

Step III: Discover and visualize the data to gain insights

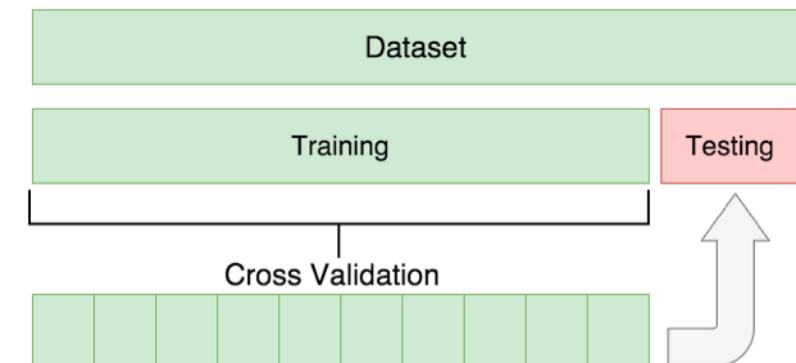
- ▶ Training Set
 - ▶ Visualize the data more in depth
 - ▶ Look for Correlations
 - ▶ Experiment with Attribute Combinations

Step IV: Prepare the data for Machine Learning algorithms

- ▶ Data Cleaning
 - ▶ Remove Nulls
 - ▶ Get rid of whole attributes
 - ▶ Set values to some value (mean,median,0 etc.)
 - ▶ Handling Text and categorical Attributes
- ▶ Feature Scaling (Normalizing Features)
- ▶ **Transformation Pipeline (Automate the data cleaning/feature scaling process via functions)**

Step V: Select a model and train it

- ▶ Training and Evaluating on the Training set
 - ▶ Test your Model's effectiveness on the training sets (Pick a model that may solve the problem- Linear Regression, Decision Tree, SVR etc.)
- ▶ **Better Evaluation Using Cross-Validation**
 - ▶ Score Each Model with an evaluation Metric (Accuracy, RSE, etc.)
 - ▶ Average all scores to get accuracy



Source: Joseph Nelson

Step VI: Fine-tune your model

- ▶ HyperParameter Tuning
 - ▶ Grid Search (Yagi Kun)
 - ▶ Randomized Search (Method similar to Randomized Search)
- ▶ Ensemble Models (Combine Models to improve results)
- ▶ Analyze the Best Models and Their Errors
- ▶ Evaluate Your Model on the test set

Step VII: Present your solution

- ▶ Revisit the Problem Statement
- ▶ In the business world we often need to present to stakeholders/executives
- ▶ Highlight what was learned
 - ▶ What Worked ?
 - ▶ What Didn't Work?
 - ▶ What system Limitations existed?
 - ▶ Document Everything
 - ▶ Create nice presentations with clear visualizations

Jupyter Notebook Project



[Wine Project End-to-End](#)

<https://github.com/steimel64/steimel64.github.io/blob/master/Notebooks/Wine.ipynb>

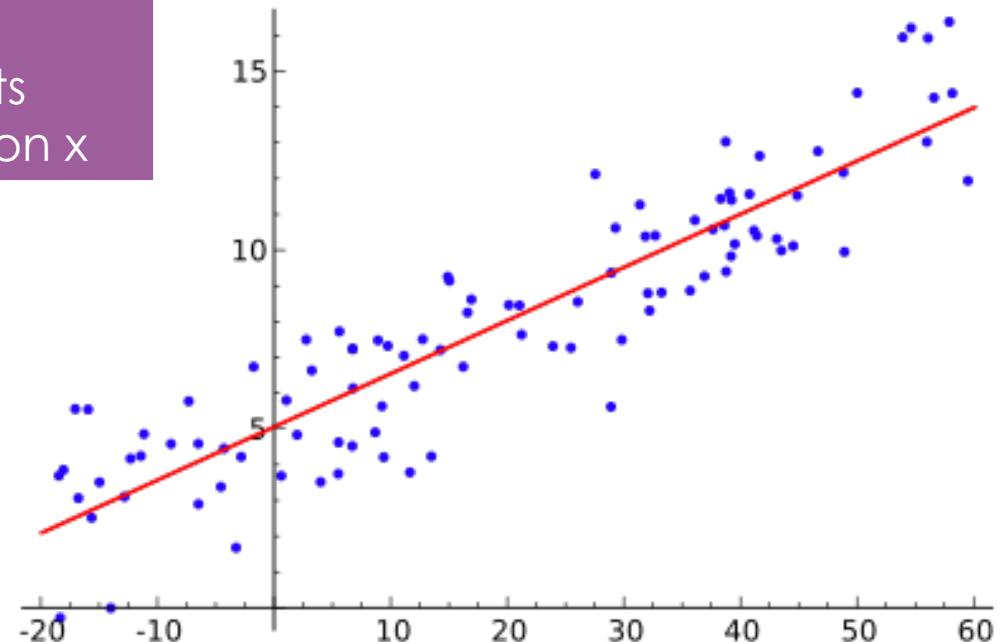
Part 3- Linear Regression

Regression (A form of Supervised Learning)

Regression Problems predict a **continuous target variable Y**. It allows you to estimate a value, such as housing prices or stock exchange, based on input data X.

Simple Linear Regression

- Simplest Approach to Supervised Learning
- The task of fitting a straight line through a set of points
- Assumes outcome of y is a linear relationship based on x



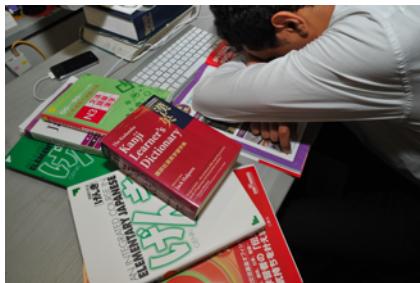
Linear Regression Benefits

- Widely used
- Runs fast
- Easy to use (not a lot of tuning required)
- Highly interpretable
- Basis for many other methods (Linear regression concepts are very important foundations for other forms of supervised learning techniques)

Supervised Learning: Regression

Goal/Problem: Predict how many Japanese Vocabulary(y) a student knows after 2 and 4 years of Japanese Studies(X).

	Observation #	Years Studying Japanese (X)	Vocabulary Total (y)
Training Set	1	3	3,000
	2	2	2,300
	3	1	1,000
	4	6	5,400



	Observation #	Years Studying Japanese (X)	Vocabulary Total (y)
Test Set	1	4	???
	2	2	???

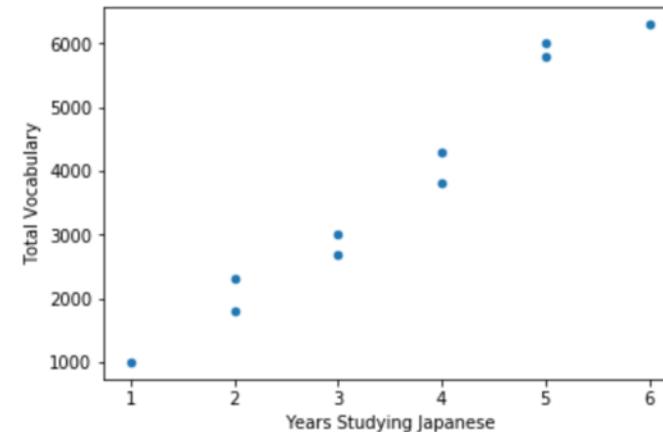
Sample Dataset (Japanese Studies)

Observation	Years Studying Japanese	Total Vocabulary
1	3	3000
2	2	2300
3	1	1000
4	6	6300
5	5	6000
6	5	5800
7	4	4300
8	2	1800
9	3	2700
10	4	3800

10 Students

In [64]: `data.plot(kind='scatter',x='Years Studying Japanese', y='Total Vocabulary')`

Out[64]: <matplotlib.axes._subplots.AxesSubplot at 0xlc186aba20>



Linear

Sample Dataset (Continued)

- ▶ Questions we might ask:
 - ▶ Is there a relationship between years studying Japanese and how many vocabulary a person has?
 - ▶ How accurately can we predict a person's vocabulary total?
 - ▶ Is the relationship linear?

Observation	Years Studying Japanese	Total Vocabulary
1	3	3000
2	2	2300
3	1	1000
4	6	6300
5	5	6000
6	5	5800
7	4	4300
8	2	1800
9	3	2700
10	4	3800

Simple Linear Regression

Simple linear regression is an approach for predicting a **quantitative response** using a **single feature** (or "predictor" or "input variable")

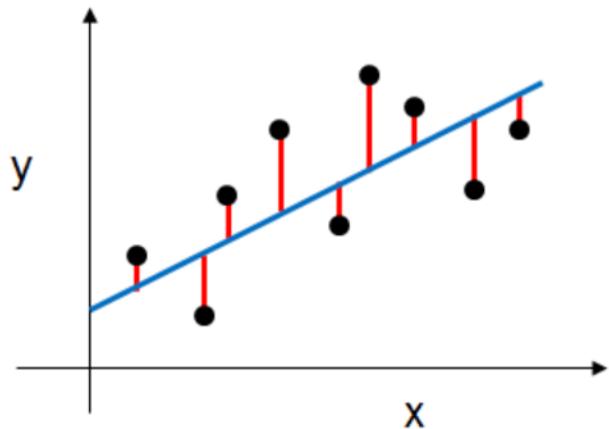
$$y = \beta_0 + \beta_1 x$$

- y is the response
- x is the feature
- β_0 is the intercept
- β_1 is the coefficient for x

Total Vocabulary

Years Studying Japanese

Finding the Optimal Line



Model Prediction
Observed Result

$$SS_{residuals} = \sum_{i=1}^N (\hat{y}_i - y_i)^2$$

Coefficients (B_0 & B_1) are estimated using the **least squares criterion**, which means we find the line (mathematically) which minimizes the **sum of squared residuals** (or "sum of squared errors"):

- The black dots are the **observed values** of x and y.
- The blue line is our **least squares line**.
- The red lines are the **residuals**, which are the distances between the observed values and the least squares line.

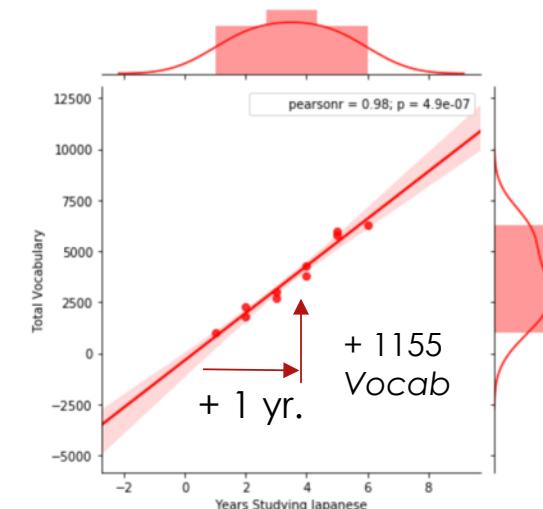
Interpreting Model Coefficients

$$y = \beta_0 + \beta_1 x$$

Out[63]: OLS Regression Results

Dep. Variable:	Total Vocabulary	R-squared:	0.964			
Model:	OLS	Adj. R-squared:	0.959			
Method:	Least Squares	F-statistic:	211.7			
Date:	Tue, 05 Dec 2017	Prob (F-statistic):	4.88e-07			
Time:	22:06:35	Log-Likelihood:	-72.390			
No. Observations:	10	AIC:	148.8			
Df Residuals:	8	BIC:	149.4			
Df Model:	1					
Covariance Type:	nonrobust					
	coef	std err	t	P> t	[0.025	0.975]
const	-344.4444	302.449	-1.139	0.288	-1041.893	353.004
Years Studying Japanese	1155.5556	79.427	14.549	0.000	972.397	1338.714
Omnibus:	1.138	Durbin-Watson:	1.278			
Prob(Omnibus):	0.566	Jarque-Bera (JB):	0.684			
Skew:	0.157	Prob(JB):	0.710			
Kurtosis:	1.758	Cond. No.	10.2			

Beta 0: -344.4444 (intercept)
Beta 1: 1155 (Model adds 1155 vocab per every year of Japanese Studies)



Observation #	Years Studying Japanese (X)	Vocabulary Total (y)
1	4	4964 Y(hat)
2	2	2654 Y(hat)

Assumptions of Linear Regression

- ▶ Linear Relationship
 - ▶ Input and output relationship needs to be linear
- ▶ Multivariate Normality
 - ▶ Multiple regression assumes that the residuals are normally distributed.
- ▶ No or little multicollinearity
 - ▶ Multicollinearity occurs when the independent variables are too highly correlated with each other
 - ▶ Risk of over-fit data with highly correlated input variables
- ▶ No Auto-Correlation
- ▶ Homoscedasticity
 - ▶ No Outliers (Variance cannot be high around the regression line)

Multiple Linear Regression

$$y = \beta_0 + \beta_1 x_1 + \dots + \beta_n x_n$$

- Simple Linear Regression can be extended to Multiple Features
- Each feature gets its own coefficient (n features)
- In Multiple Linear Regression, the least squares regression line becomes a plane
- Goal is also to reduce the RSS like simple linear model

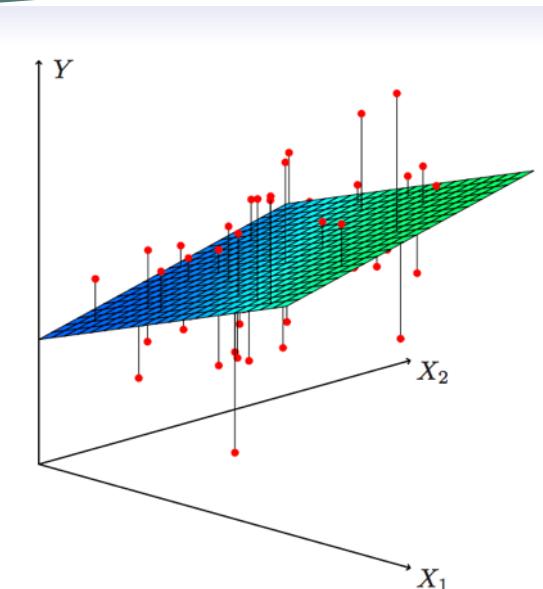
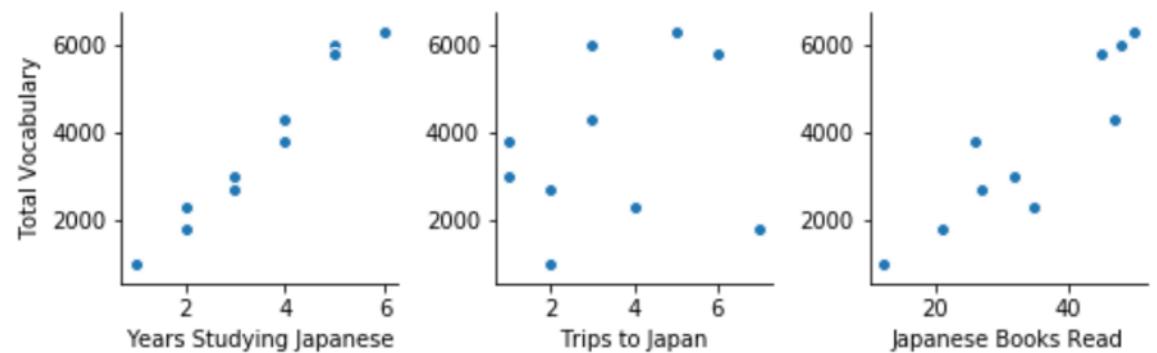


Figure Source: An Introduction to Statistical Learning

Sample Dataset (Japanese Studies)

Years Studying Japanese	Trips to Japan	Japanese Books Read	Total Vocabulary
3	1	32	3000
2	4	35	2300
1	2	12	1000
6	5	50	6300
5	3	48	6000
5	6	45	5800
4	3	47	4300
2	7	21	1800
3	2	27	2700
4	1	26	3800

10 Students



Linear

No Correlation

Somewhat Linear

Multiple Linear Regression Model (Calculation/Coefficients)

Coefficients

$$y = \beta_0 + \beta_1 x_1 + \dots + \beta_n x_n$$

```
In [101]: lm1.params
```

```
Out[101]: Intercept          -698.496461
YearsStudyingJapanese      938.507576
TripsstoJapan              21.714596
JapaneseBooksRead          30.317502
```

```
In [106]: ## Manual Calculation
##2 Years Studying Japanese
##5 Trips to Japan
##26 Japanese Books Read

y = -698 + (938*2) + (21*5) + (30*26)
y
print('It is Predicted that this students total Japanese Vocabulary is',y)
```

It is Predicted that this students total Japanese Vocabulary is 2063

Can we Improve the model?

Model Summary

In [102]: lm1.summary()

Out[102]: OLS Regression Results

Dep. Variable:	TotalVocabulary	R-squared:	0.977			
Model:	OLS	Adj. R-squared:	0.966			
Method:	Least Squares	F-statistic:	86.30			
Date:	Wed, 06 Dec 2017	Prob (F-statistic):	2.52e-05			
Time:	02:53:18	Log-Likelihood:	-70.015			
No. Observations:	10	AIC:	148.0			
Df Residuals:	6	BIC:	149.2			
Df Model:	3					
Covariance Type:	nonrobust					
	coef	std err	t	P> t	[0.025	0.975]
Intercept	-698.4965	341.244	-2.047	0.087	-1533.490	136.497
YearsStudyingJapanese	938.5076	139.627	6.722	0.001	596.853	1280.162
TripstoJapan	21.7146	57.552	0.377	0.719	-119.109	162.539
JapaneseBooksRead	30.3175	17.365	1.746	0.131	-12.172	72.807
Omnibus:	1.947	Durbin-Watson:	2.094			
Prob(Omnibus):	0.378	Jarque-Bera (JB):	1.276			
Skew:	0.686	Prob(JB):	0.528			
Kurtosis:	1.915	Cond. No.	116.			

R-Squared helps determine goodness of fit
(97 % fit)

Important Questions Regarding Multiple Linear Regression

- ▶ Is at least one of the predictors X_1, X_2, X_3, X_n useful in predicting the response?
 - ▶ (Does Years studying Japanese impact Japanese Vocabulary total? Etc.)
- ▶ Do all the predictors help to explain Y , or is only a subset of the predictors useful?
 - ▶ Do all three predictors explain Total Vocabulary or are only certain predictors relevant?
- ▶ How well does the model fit the data?
 - ▶ Is this linear model the best model or can we do better?
- ▶ Given a set of predictor values, what response value should we predict and how accurate is our prediction?
 - ▶ Given a student has studied Japanese for 2 years, has read 20 books, and been to Japan 3 times how many Japanese Vocabulary should they know?

Importance of Feature Selection

- ▶ The art of determining Useful Features for predictive model
 - ▶ Better Results
 - ▶ Simpler Model Interpretation
 - ▶ Features impact predictive models used and results

Model Building

- ▶ All-In
 - ▶ Backward Elimination
 - ▶ Forward Selection
 - ▶ Bidirectional Elimination
- 
- Stepwise Regression

All-In

- ▶ Uses all the predictive features in the model
- ▶ Preparation for Backward Elimination

All-In Would use all three predictors - Years Studying Japanese, Trips to Japan, and Japanese Books Read in the model

In [102]:	lm1.summary()
Out[102]:	OLS Regression Results
Dep. Variable:	
Model:	
Method:	
Date:	
Time:	
No. Observations:	
Df Residuals:	
Df Model:	
Covariance Type:	
coef std err t P> t [0.025 0.975]	
Intercept -698.4965 341.244 -2.047 0.087 -1533.490 136.497	
YearsStudyingJapanese 938.5076 139.627 6.722 0.001 596.853 1280.162	
TriptoJapan 21.7146 57.552 0.377 0.719 -119.109 162.539	
JapaneseBooksRead 30.3175 17.365 1.746 0.131 -12.172 72.807	
Omnibus: 1.947 Durbin-Watson: 2.094	
Prob(Omnibus): 0.378 Jarque-Bera (JB): 1.276	
Skew: 0.686 Prob(JB): 0.528	
Kurtosis: 1.915 Cond. No. 116.	

Forward Selection

- ▶ Stepwise Regression (Adds one feature at a time) – Greedy Approach
- ▶ Model starts with no features
- ▶ Step 1: Select a significance level to enter in the model (e.g. $SL = 0.05$)
- ▶ In each iteration, add the feature which best improves the model (Lowest RSS)
 - ▶ Fit regression model for each independent variable
 - ▶ Keep variable with highest significance and perform all possible linear regressions with
 - ▶ 2 variables
 - ▶ 3 variables
 - ▶ 4 variables etc.
 - ▶ Stop when the p_value is greater than the designated threshold

Backward Selection

- ▶ Stepwise Regression (Removes features one at a time)
- ▶ Starts with all features in the model
- ▶ Step 1: Select a significance level to stay in the model (e.g. $SL = 0.05$)
- ▶ Step 2: Fit the full model with all predictors
 - ▶ Step 3: Remove the value with the highest P-value (If greater than significance threshold)
 - ▶ Step 4: Fit Model without this variable and repeat

Complete!



Bi-Directional Elimination (Mixed Selection)

- ▶ Stepwise Regression (Adds/Removes one feature at a time)
- ▶ Combination of Forward and Backward Selection
- ▶ Step 1: Select a significance level to stay/enter in the model (e.g. $SL = 0.05$)
 - ▶ Perform next step of Forward Selection
 - ▶ Perform all steps of Backward Elimination
- ▶ Model Complete

Evaluating Regression Model Performance

```
In [107]: from sklearn.metrics import mean_absolute_error  
y_true = [3, -0.5, 2, 7]  
y_pred = [2.5, 0.0, 2, 8]  
mean_absolute_error(y_true, y_pred)
```

```
Out[107]: 0.5
```

```
In [116]: from sklearn.metrics import mean_squared_error  
mse = mean_squared_error(y_true, y_pred)  
mse
```

```
Out[116]: 0.375
```

```
In [118]: import math  
RMSE = math.sqrt(mse)  
RMSE
```

```
Out[118]: 0.6123724356957945
```

Mean Absolute Error (MAE) is the mean of the absolute value of the errors:

$$\frac{1}{n} \sum_{i=1}^n |y_i - \hat{y}_i|$$

Mean Squared Error (MSE) is the mean of the squared errors:

$$\frac{1}{n} \sum_{i=1}^n (y_i - \hat{y}_i)^2$$

Root Mean Squared Error (RMSE) is the square root of the mean of the squared errors:

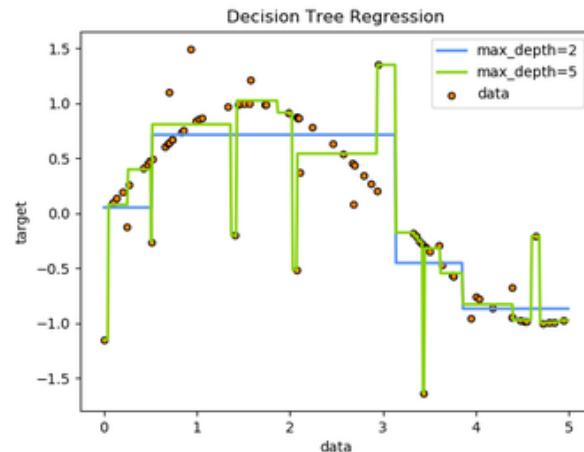
$$\sqrt{\frac{1}{n} \sum_{i=1}^n (y_i - \hat{y}_i)^2}$$

To evaluate you would need to compare the values to other models used like Polynomial Regression, SVR, Decision Tree. Etc.

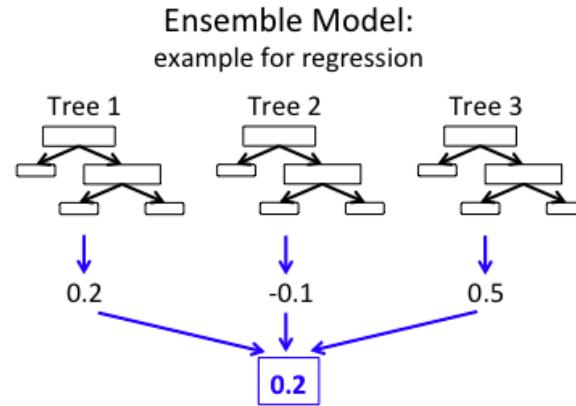
Other forms of Regression (Not Covered Today)

- ▶ Decision Tree Regression (Covered Last Week)
- ▶ Random Forest Regression (Covered Last Week)
- ▶ Support Vector Regression (Will cover with SVM Classification)
- ▶ Polynomial Regression

Decision Tree



Random Forest



Source ScikitLearn

SVR

