Exam #1

Thursday, August 15, 2019

- This exam has 12 questions, with 100 points total.
- You have two hours.
- You should submit your answers to the corresponding places in the exam on the NYU Classes system.
- In total, you should upload 3 '.cpp' files:
 - One '.cpp' file for questions 1-10.
 Write your answer as one long comment (/* ... */).
 Name this file 'YourNetID q1to10.cpp'.
 - One '.cpp' file for question 11, containing your code.
 Name this file 'YourNetID_q11.cpp'.
 - One '.cpp' file for question 12, containing your code.
 Name this file 'YourNetID_q12.cpp'.
- Write your name, and netID at the head of each file.
- This is a closed-book exam. However, you are allowed to use CLion or Visual-Studio. You should create a new project, and work ONLY in it. You may also use two sheets of scratch paper.
 Besides that, no additional resources (of any form) are allowed.
- Calculators are not allowed.
- Read every question completely before answering it.
 Note that there are 2 programming problems at the end.
 Be sure to allow enough time for these questions

Table 1.5.1: Laws of propositional logic.

Idempotent laws:	$p \lor p \equiv p$	$p \wedge p = p$	
Associative laws:	$(p \vee q) \vee r = p \vee (q \vee r)$	$(p \wedge q) \wedge r = p \wedge (q \wedge r)$	
Commutative laws:	$p \vee q = q \vee p$	$p \wedge q = q \wedge p$	
Distributive laws:	$p \vee (q \wedge r) = (p \vee q) \wedge (p \vee r)$	$p \wedge (q \vee r) = (p \wedge q) \vee (p \wedge r)$	
Identity laws:	p v F = p	$p \wedge T = p$	
Domination laws:	p ^ F = F	p∨T≡T	
Double negation law:	$\neg \neg p \equiv p$		
Complement laws:	p ^ ¬p = F ¬T = F	p ∨ ¬p ≡ T ¬F ≡ T	
De Morgan's laws:	$\neg (p \lor q) \equiv \neg p \land \neg q$	$\neg(p \land q) \equiv \neg p \lor \neg q$	
Absorption laws:	$p \lor (p \land q) \equiv p$	$p \wedge (p \vee q) = p$	
Conditional identities: $p \rightarrow q = \neg p \lor q$		$p \leftrightarrow q = (p \rightarrow q) \land (q \rightarrow p)$	

Table 1.12.1: Rules of inference known to be valid arguments.

Rule of inference	Name	
$\frac{p}{p \to q} \over \therefore q$	Modus ponens	
$\frac{\neg q}{p \to q}$ $\therefore \neg p$	Modus tollens	
$\frac{p}{\therefore p \vee q}$	Addition	
$\frac{p \wedge q}{\therefore p}$	Simplification	

Rule of inference	Name
$\frac{p}{q} \\ \vdots p \wedge q$	Conjunction
$ \begin{array}{c} p \to q \\ q \to r \\ \hline \vdots p \to r \end{array} $	Hypothetical syllogism
$\frac{p \vee q}{\stackrel{\neg p}{\cdot \cdot q}}$	Disjunctive syllogism
$\begin{array}{c} p \vee q \\ \neg p \vee r \\ \hline \therefore q \vee r \end{array}$	Resolution

Table 1.13.1: Rules of inference for quantified statemer

Rule of Inference	Name	
c is an element (arbitrary or particular) <u>∀x P(x)</u> ∴ P(c)	Universal instantiation	
c is an arbitrary element P(c) ∴ ∀x P(x)	Universal generalization	
$\exists x P(x)$ ∴ (c is a particular element) ∧ P(c)	Existential instantiation*	
c is an element (arbitrary or particular) P(c) .: 3x P(x)	Existential generalization	

Table 3.6.1: Set identities.

Name	Identities		
Idempotent laws	A u A = A	$A \cap A = A$	
Associative laws	(A ∪ B) ∪ C = A ∪ (B ∪ C)	(A n B) n C = A n (B n C)	
Commutative laws	tive laws A U B = B U A A n B = B n A		
Distributive laws	$A \cup (B \cap C) = (A \cup B) \cap (A \cup C)$	$A \cap (B \cup C) = (A \cap B) \cup (A \cap C)$	
Identity laws	A u Ø = A	$A \cap U = A$	
Domination laws	A n Ø = Ø	A u <i>U</i> = <i>U</i>	
Double Complement law	$\frac{\overline{A}}{\overline{A}} = A$		
Complement laws	$ \begin{array}{c} A \cap \overline{A} = \emptyset \\ \overline{U} = \emptyset \end{array} $	$A \cup \overline{A} = U$ $\overline{\varnothing} = U$	
De Morgan's laws	$\overline{A \cup B} = \overline{A} \cap \overline{B}$	$\overline{A \cap B} = \overline{A} \cup \overline{B}$	
Absorption laws	A ∪ (A ∩ B) = A	A n (A u B) = A	

Part I – Theoretical:

- You don't need to justify your answers to the questions in this part.
- For all questions in this part of the exam (questions 1-10), you should submit a single '.cpp' file. Write your answers as one long comment (/* ... */).
 Name this file 'YourNetID_q1to10.cpp'.

Question 1 (5 points)

- a. Convert the decimal number (168)₁₀ to its base-2 representation.
- b. Convert the 8-bits two's complement number (10101000)_{8-bit two's complement} to its decimal representation.

Question 2 (5 points)

Select the statement that is equivalent to:

"It is not true that the patient has high blood pressure or influenza."

- a. The patient has high blood pressure or has influenza.
- b. The patient does not have high blood pressure and does not have influenza.
- c. The patient does not have high blood pressure or does not have influenza.
- d. The patient has high blood pressure and has influenza.

Question 3 (5 points)

The domain for variable x is the set {Ann, Ben, Cam, Dave}.

The table below gives the values of predicates P and Q for every element in the domain.

	P(x)	Q(x)
Ann	F	F
Ben	Т	F
Cam	T	Т
Dave	Т	Т

Select the statement that is **true**.

a.
$$\forall x (Q(x) \rightarrow P(x))$$

b.
$$\forall x (P(x) \rightarrow Q(x))$$

c.
$$\forall x (P(x) \land Q(x))$$

d.
$$\forall x (P(x) \lor Q(x))$$

Question 4 (5 points)

The domain of discourse for x and y is the set of employees at a company. *Miguel* is one of the employees at the company.

Define the predicates:

V(x): x is a manager

M(x, y): x earns more than y

Select the logical expression that is equivalent to:

"Everyone who earns more than Miguel is a manager."

- a. $\forall x (M(x, Miguel) \rightarrow \neg V(x))$
- b. $\forall x (M(x, Miguel) \land \neg V(x))$
- c. $\neg \exists x (M(V(x), Miguel))$
- d. $\neg \exists x (M(x, Miguel) \land \neg V(x))$

Question 5 (5 points)

The domain for variable x is the set of all integers.

Select the correct rules to replace (?) in lines 3 and 4 of the proof segment below:

1.	$\forall x (P(x) \land Q(x))$	Hypothesis
2.	3 is an integer	Hypothesis
3.	$P(3) \wedge Q(3)$	(?)
4.	P(3)	(?)

- a. Universal generalization; Simplification
- b. Universal generalization; Conjunction
- c. Universal instantiation; Simplification
- d. Universal instantiation; Conjunction

Question 6 (5 points)

Theorem: There is no smallest positive rational number.

A proof by contradiction of the theorem starts by assuming which fact?

- a. Let r be an arbitrary positive rational number.
- b. Let r be the smallest rational number.
- c. Let r be the smallest positive real number.
- d. Let r be the smallest positive rational number.

Question 7 (5 points)

Select the set that is equivalent to $A - (A \cup B)$.

- a. *A*
- b. *B*
- c. Ø
- d. A B

Question 8 (10 points)

 $A = \{1, 2, \{3, 4\}, \{\}\}.$

For each of the following statements, state if they are **true or false** (no need to explain your choice).

- a. $1 \in A$
- b. $1 \subseteq A$
- c. $\{3\} \in A$
- d. $\{3\} \subseteq A$
- e. $\{1, 2\} \in A$
- f. $\{1, 2\} \subseteq A$
- g. $\{3, 4\} \subseteq A$
- h. $\{\{3,4\}\}\subseteq A$
- i. $\emptyset \in A$
- j. $\emptyset \subseteq A$

Question 9 (5 points)

Consider the following function:

 $f:\{0,1\}^3 \to \{0,1\}^5$. f(x) is obtained from x by adding 0 to its start and 1 to its end.

For example, f(101) = 01011.

Select the correct description of the function f.

- a. One-to-one and onto
- b. One-to-one but not onto
- c. Onto but not one-to-one
- d. Neither one-to-one nor onto

Question 10 (5 points)

Let A={1, 2, 3}.

The function $f: A \times A \to Z$ is defined as: for every $(x, y) \in A \times A$, $f((x, y)) = x^2 - y$. For example, f((2,3)) = 1 (Since: $2^2 - 3$ is 1),

Find the range of f

Part II - Coding:

- For **each** question in this part (questions 11-12), you should submit a '.cpp' file, containing your code.
- Pay special attention to the style of your code. Indent your code correctly, choose meaningful names for your variables, define constants where needed, choose most suitable control statements, etc.
- In all questions, you may assume that the user enters inputs as they are asked.
 For example, if the program expects a positive integer, you may assume that user will enter positive integers.
- No need to document your code. However, you may add comments if you think they are needed for clarity.

Question 11 (20 points)

Write a program that reads an integer greater or equal to 2, n, and prints a shape of a n-line hollow inverted pyramid of stars.

Your program should interact with the user **exactly** as it shows in the following two executions:

Execution example 1:

Execution example 2:

```
Please enter an integer, greater or equal to 2:

*****

* *

*****
```

Question 12 (25 points)

Consider the following definition:

A positive integer *num* is called a *factorion* if it equals to the sum of the factorials of its digits.

For example, 145 is a factorion because 1! + 4! + 5! = 1 + 24 + 120 = 145.

Write a program that asks the user to enter a positive integer and reports if that number is a factorion or not.

<u>Reminder</u>: the factorial of a positive integer n, denoted by n!, is the product of all positive integers less than or equal to n: $n! = n \times (n-1) \times (n-2) \times ... \times 2 \times 1$.

For example, $5! = 5 \times 4 \times 3 \times 2 \times 1 = 120$

Also, the value of 0! is defined as 1

Your program should interact with the user **exactly** as demonstrated in the following two executions:

Execution example 1:

```
Please enter a positive integer: 145
145 is a factorion
```

Execution example 2:

```
Please enter a positive integer: 87
87 is not a factorion
```

4th Exam

Thursday, 19 December 2019

- You have two hours
- There are 100 points total.
- Note that there are longer problems at the end. Be sure to allow enough time for these.
- We supplied you with a file, named 'solutions.txt', where you should type all your answers.
- Write your name, netID and NYU ID at the head of this file.
- For editing this file, you are allowed to use plain text editors (Notepad for Windows users, or textEdit for Mac users) and compilers such as Visual Studio, XCode and CLion.
- Calculators are not allowed.
- This is a closed-book exam. No additional resourced are allowed.
- Pay special attention to the style of your code. Indent your code correctly, choose meaningful names for your variables, define constants where needed, choose most suitable control statements, etc.
- In all questions you may assume that the users enter inputs as they are asked. For example, if the program expects a positive integer, you may assume that users will enter positive integers.
- No need to document your code in this exam, but you may add comments if you think they are needed for clarity.
- Read every question completely before answering it.
- When done, please upload your answer file to Newclasses.nyu.edu and email to dkatz@nyu.edu

- 1) (3 pts) With a CPU access time of less than 1ns but having only a very small quantity (<1KB) which of the following types of memory is just as fast as the CPU?
 - A. Primary
 - B. Secondary
 - C. Registers
 - D. RAM
- 2) (3 pts) A signal sent on a semaphore is an example of which of the following?
 - A. A consumable resource
 - B. A reusable resource
 - C. A system resource
 - D. A non-system resource
- 3) (3 pts) In OSI/RM, addressing on a global scale will be done at which layer?
 - A. Application
 - B. Transport
 - C. Network
 - D. Data-Link
- 4) (3 pts)In the five-state process model, a process in the _____ state has all of its resources and is waiting for a processor to become available.
- 5) (3 pts) Today's Internet uses the ______ protocol to resolve (convert) names of websites into IP addresses.
- 6) (20 pts) In all computer systems, there is a component of the system which provides fundamental mutual exclusion protection. What is this component, why does it provide mutual exclusion and why is it insufficient to protect against asynchrony?
- 7) (10 pts) After setting up a firewall on our network, we notice that FTP connections that use "active" mode (PORT) transfers will fail, but those which use PASV will succeed. Explain what is happening in the scenario and what you might change to correct it.
- 8) (10 pts) Page tables for large processes can easily take up a large amount of physical memory. One, proposed, solution to this problem is to use a multilevel page map table and put some portions in virtual memory. Explain how you would implement that. In your answer, please, specifically, discuss how a virtual address would be converted to a physical address
- 9) (10 pts) Given a router that has the following entries in its routing table. If this router was sending traffic to IP address 10.1.3.10, which router would the packet be set to? Please explain why you chose your answer.

Network	CIDR Mask	Next Hop	Metric
10.1.3.0	/27	10.1.1.1	25
10.1.0.0	/16	10.1.2.1	10
10.1.3.0	/27	10.1.8.1	15

- 10) (15 pts) Four cars arrive at the exact same moment at an intersection with a four-way stop sign. The law states that the car on the left must yield to the car on the right. Show that this situation meets the four requirements for a deadlock and explain how to determine which car should go through the intersection first.
- 11) (20 pts) A music streaming service would like us to create classes for use in their system. We will need to track users, songs and advertisements. In our system, users must always have a positive number of "points." The user has to listen to advertisements in order to earn points which are, automatically, used when the user listens to a song.
 - User is a class which will store a single data structure called heard which has references to all of the Songs and Advertisements that the user has listened to, ever. Store this in a data structure of your choice. Do not worry about how items get added to this data structure, someone else will handle that.
 - The User class has a function called "isPositive" which determines if the total number of points (the sum of all calls to the getPoints functions) is a positive number. Do not store that number, it should be calculated from the "heard" data structure.
 - Both Songs and Advertisements have a function named "getPoints" which return slightly different things. Calling getPoints on an advertisement always returns 1.00 (a double), to indicate that the user has listened to an advertisement. Calling getPoints on a song returns the number of points needed to listen to that song. Equal to the negative of the duration of the song, in seconds, divided by 300. For example, for a 300 second long song, the function would return -1; for a 600 second long, it returns -2.
 - Songs have a duration, which must be set at construction time.
 - Advertisements have no other, relevant, functions

Please design the above classes and include anything else necessary. You do not need to write a main, includes or any comments.