

# Year 11 Physics - Worksheet 3

## Thermodynamics: Equilibrium Efficiency

Student Name: \_\_\_\_\_ ID: \_\_\_\_\_

### Module 3

#### Part 1: Equilibrium Problem Solving (Knowledge Nodes N2 Apply, N3 Apply)

1. State the principle of energy conservation applied when calculating the final temperature of a mixture in an isolated system. [N2 Concept]

2. **Guided Problem:** Calculate the final equilibrium temperature ( $T_f$ ) when 50g (0.05kg) of copper ( $c_{Cu} = 385 \text{ J kg}^{-1} \text{ K}^{-1}$ ) initially at  $90^\circ\text{C}$  is placed into 100g (0.1kg) of water ( $c_{water} = 4186 \text{ J kg}^{-1} \text{ K}^{-1}$ ) initially at  $15^\circ\text{C}$ . Assume no heat loss to the surroundings.

Step 1: Identify the hotter object (loses heat) and colder object (gains heat). Hotter: Copper (Cu) at  $T_{i,Cu} = 90^\circ\text{C}$  Colder: Water (w) at  $T_{i,w} = 15^\circ\text{C}$

Step 2: Write the energy conservation equation:  $Q_{lost,Cu} = Q_{gained,w}$

Step 3: Substitute the formula  $Q = mc\Delta T$  for each side. Remember  $\Delta T$  is always positive change, so for the losing side,  $\Delta T = T_{initial} - T_{final}$ , and for the gaining side,  $\Delta T = T_{final} - T_{initial}$ .  
 $(mc\Delta T)_{Cu} = (mc\Delta T)_w$   $(m_{Cu})(c_{Cu})(T_{i,Cu} - T_f) = (m_w)(c_w)(T_f - T_{i,w})$

Step 4: Substitute known values.  $(0.05)(385)(90 - T_f) = (0.1)(4186)(T_f - 15)$

Step 5: Solve algebraically for  $T_f$ . Show your working below. [Numeracy N2, N3] Final Temperature

$T_f = \text{_____ } ^\circ\text{C}$

#### Part 2: Practice Problems Concepts (N2, N3, N5, Inquiry Q3)

(Use the provided data table for  $c$  and  $L$  values)

1. Calculate the final equilibrium temperature if 200g (0.2kg) of lead ( $c_{Pb} = 128 \text{ J kg}^{-1} \text{ K}^{-1}$ ) at  $100^\circ\text{C}$  is mixed with 100g (0.1kg) of water ( $c_w = 4186 \text{ J kg}^{-1} \text{ K}^{-1}$ ) at  $25^\circ\text{C}$ . Assume no heat loss. [N2 Apply, N3 Apply]

2. **Challenge Problem:** How much ice at  $0^{\circ}\text{C}$  must be added to 400g (0.4kg) of water at  $60^{\circ}\text{C}$  to lower the final mixture temperature to exactly  $10^{\circ}\text{C}$ ? ( $L_{f,\text{water}} = 3.34 \times 10^5 \text{ J kg}^{-1}$ ,  $c_{\text{water}} = 4186 \text{ J kg}^{-1} \text{ K}^{-1}$ ) [N2 Apply, N3 Apply, N5 Apply] (Hint: The ice melts first, then the resulting water warms up. The original water cools down.  $Q_{\text{lost}} = Q_{\text{gained, melting}} + Q_{\text{gained, warming\_melted\_ice}}$ )

3. Define Thermal Efficiency qualitatively (in terms of energy input and useful energy output). Give ONE reason why waste heat is always produced in practical energy conversions (e.g., in a car engine). [Literacy Inquiry Q3]

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## #MarkSense Quiz 3

**Instructions:** Choose the best answer for multiple choice questions. Show working for calculations.

**Student Name:** \_\_\_\_\_ **ID:** \_\_\_\_\_

1. Thermal equilibrium between two objects in contact is reached when: [N2]

- A. Their masses are equal.
- B. Their total thermal energies are equal.
- C. There is no net flow of heat between them.
- D. One object has lost all its heat.

**Answer:** \_\_\_\_\_

2. If a highly efficient machine converts 100J of input energy into 40J of useful work, how much energy was wasted, likely as heat? [Inquiry Q3 Concept]

- A. 40 J
- B. 60 J
- C. 100 J
- D. 140 J

**Answer:** \_\_\_\_\_

3. 50g of Metal X ( $c = 500 \text{ J kg}^{-1} \text{ K}^{-1}$ ) at  $100^\circ\text{C}$  is dropped into 100g of Water ( $c = 4186 \text{ J kg}^{-1} \text{ K}^{-1}$ ) at  $20^\circ\text{C}$ . Set up the equation  $Q_{lost} = Q_{gained}$  that you would use to find the final temperature ( $T_f$ ). Do NOT solve it. (2 marks) [N2 Apply, N3 Apply]