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A: Conservation of Momentum.



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Momentum is a *vector* quantity!



What is the momentum of a 1,052 kg Honda Civic traveling at 100 $\,\mathrm{km/h?}$



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total initial momentum = total final momentum



Now the 1,052 kg Honda traveling at 100 km/h crashes into a stationary pickup. The two vehicles stick together and roll forward. How fast is the mess rolling forward?



Now the 1,052 kg Honda traveling at 100 km/h crashes into a stationary pickup. The two vehicles stick together and roll forward. How fast is the mess rolling forward? The pickup has a mass of 2,000 kg.



What is the recoil velocity of a 5.0 kg rifle that shoots a 0.020 kg bullet at 620 m/s?



A billiard ball of mass $m_1=0.2$ kg and $v_1=10 {\rm m/s},~0^{\circ}$ collides with another ball of the same mass, initially at rest. The first ball is deflected by 30° and has a final velocity of 8 m/s.



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Alternately stated:

The center of mass of a system moves as if the mass were concentrated at that point



$$x_{\mathrm{CM}} = \frac{m_1x_1 + m_2x_2 + \cdots + m_nx_n}{m_1 + m_2 + \cdots + m_n}$$

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$$x_{\text{CM}} = \frac{\sum\limits_{i=1}^{n} m_i x_i}{\sum\limits_{i=1}^{n} m_i}$$

Three point masses a, b, and c are located at (1,4), (-2,2), and (3,-1), respectively.

$$m_a = 3$$
g, $m_b = 4$ g, $m_c = 5$ g

Where is the center of mass located?

