

Regression model:

$$y_k = b_0 + b_1 t_k + x_k,$$

in particular, noise  $x_k$  could fit an AR(1) model:

$$x_k = a x_{k-1} + \sqrt{1 - a^2} e_k,$$

where  $e_k$  is a white noise.

Results:

1. [Exact values of coverage factor K for normal  \$e\_k\$](#)
2. [Values of coverage factor K for  \$e\_k\$  having two-side power \(TSP\) distribution \(obtained by Monte Carlo simulation\)](#)
3. [Values of coverage factor K when  \$x\_k\$  is  \$1/f^\alpha\$  noise \(obtained by Monte Carlo simulation\)](#)