```
7 5 7/25
  1. 1= cheesecake
                        2. Black Forest
           200 X11 + 230 X12+ 260 ×13+ 230 411+ 270 412+ 200413+ 0.5(
            X11+ X12+ X13+ Y11+ Y12+ Y13)
      6.t. X11+70-45= 411
           y11+X12- >0= y12
          y12+×13-10=413
          1/21 + 20 - 25 = y21.

y21 + 1/22 - 35 = y22
          y22+829- >0=423
           xij=0, yij=0 vi=1,2, +j=1,2
        min 8x1+12x2+ 13x3+ 15x4
        4.t. X1+X2+ X3+ X4=1000
              0,04X1+ 0.06 X2+ 0.1X3+ 0+1X4= 50
              0102X1+0.05X2+0103X3+0109X4 = 40
              0.01X1+ 0.01X2+ 0.03X3+0104X4 2 >0
              X 2 2 100
              X1. X3. X4 = 0
          Shifts X12. X13. X14 X23 X24 X34
          min. 9600 (X12 + X2) + X24 + X14) + (2000 (X19 + X24)
               X12+ X13+ X14 Z1Z
               X12+ X27+ Xx4 = 6
               X17+ X23+ X34214
              X14+ Xx4+ Xx4=19
              xij20 Vi-1... >, j=i+1...
    5.
          min 3W
          5.t. XI+XX2 = 5
               X1+XX2 = X1+X2
               2X1+7X2=4
               W = Xx-5
               WZ 5-82
               Xi=0 Hi=11.2
```

(a) Xt = products produced
yt = inventory remained FIPEDT - ST XXCt - H Styt yt-1+xt-Dt=yt. $\forall t=1...T$ xt = Kt \ \ t = 1 - . . . T $Xt \ge 0$, $yt \ge 0$ $\forall t=1... T$ (b) Wt = the number sold max I wtPt - I xtCt - HI yt sit. yt-1+xt-wt = yt +t=1... T Xt ≤ Kt ∀ t= 1... T Wt = Dt Vt=1...T Xt 20, yt=0. Wt=0 Vt=1...T Xt = product produced. Yt = inventory remained max = Dt Pt - = xtCt - H = max {yt, 0} - 5 = max {-yt, 0} yt-1+xt-Dt=yt $\forall t=1...T$ Xt = Kt Vt=1....T. xt=0. yt urs. Vt=1...T (linearized) Ded) = max = DtPt - I xtCt - H I yt - 5 I yt sit. yo=0 yt-1+ xt - Dt = yt \ \text{ \text{ \text{\ti}\text{\ti}\titt{\text{\text{\text{\text{\text{\text{\text{\text{\text{\ti}\titt{\text{\text{\text{\text{\text{\text{\text{\text{\text{\ti}\titt{\text{\text{\text{\text{\text{\text{\text{\ti}}\tittt{\titt{\text{\text{\text{\titt{\text{\titil\titt{\text{\titil\titt{\text{\titil\titt{\text{\text{\texi{\texi{\text{\titil}\titt{\tet{\text{\tii}\tii}}\tiint{\text{\tii}\tiittt{\titt{\titt{\titt{\t yt + zyt Vt=1... T 4t = 0 yt = 0. Xt = Kt . Yt= 1 ... T. Xt=0. yt urs. Yt=1... T

9. The model file contains

An optimal solution is $(x_1^*, x_2^*) = (7, 0)$. The associated objective value is $z^* = 0$.

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```
context: >>> solve; <<<
[ampl: model file.mod;
file.mod, line 1 (offset 5):
        x1 is already defined
context: var >>> x1 <<< >= 0;
ampl: solve
[ampl? solve;
solve is not defined
context: >>> solve; <<<
ampl: option solver './cplex';
ampl: solve;
CPLEX 12.9.0.0: optimal solution; objective 0
0 dual simplex iterations (0 in phase I)
[ampl: display x1 x2;
syntax error
context: display x1 >>> x2; <<<
[ampl: display x1, x2;
x1 = 7
x2 = 0
ampl:
```

10. The model file contains

```
param N;
param T;

param H;
param K;
param I{i in 1..N};
param D{i in 1..N, t in 1..T};
param C{i in 1..N, t in 1..T};

var x{i in 1..N, t in 1..T} >= 0;
var y{i in 1..N, t in 0..T} >= 0;

minimize cost: sum{i in 1..N, j in 1..T} (C[i, t] * x[i, t] + H * y[i, t]);

subject to capacity{j in 1..T}: sum{i in 1..N} x[i, t] <= K;
subject to inv{i in 1..N, t in 1..T}: y[i, t - 1] + x[i, t] - D[i, t] = y[i, t];
subject to initInv{i in 1..N}: y[i, 0] = I[i];</pre>
```

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The data file contains

```
param N := 2;
param T := 3;
param K := 60;
param H := 0.5;
param I :=
   1 20
   2 20;
param D :
      1
          2
              3 :=
   1 45
         30
             10
   2 25
         35
             20;
param C:
        1
            2
                 3 :=
     320
          330
               360
   2 230 270 300;
```