

Question 2

The $\log(n)$ complexity can be simply explained by the divide and conquer nature of the `merge_sort()` function itself. However, $n\log(n)$ comes from the `merge()` function having to do n comparisons given a worse-case scenario. If given an array of 8 elements, its worst-case scenario would be $\{0, 2, 4, 6, 1, 3, 5, 7\}$. In the code, `left_arr` would be $\{0, 2, 4, 6\}$ and `right_arr` would be $\{1, 3, 5, 7\}$. To merge, we use two pointers at the beginning of each temporary array, taking the smallest element and inserting it back into the original array. In this scenario, we will have to compare 7 times ($n - 1$) until one of the arrays reaches its end. Thus, the worst-case complexity of merge sort with n elements would be $(n - 1)\log_2(n)$, or $O(n\log(n))$.

3	42	25	3	3	2	27	3
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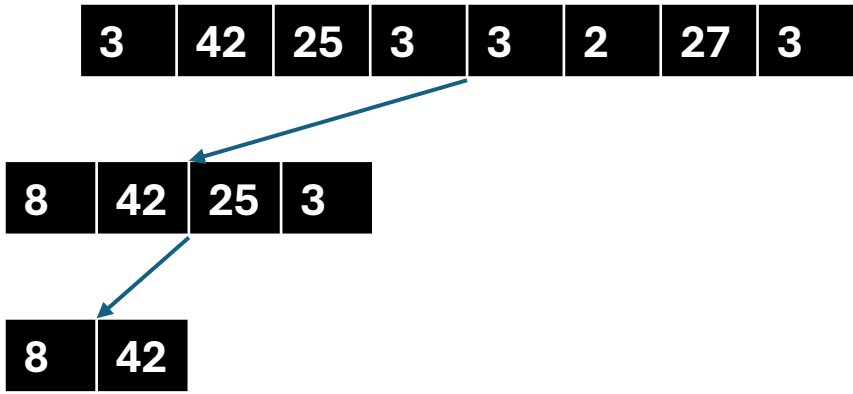
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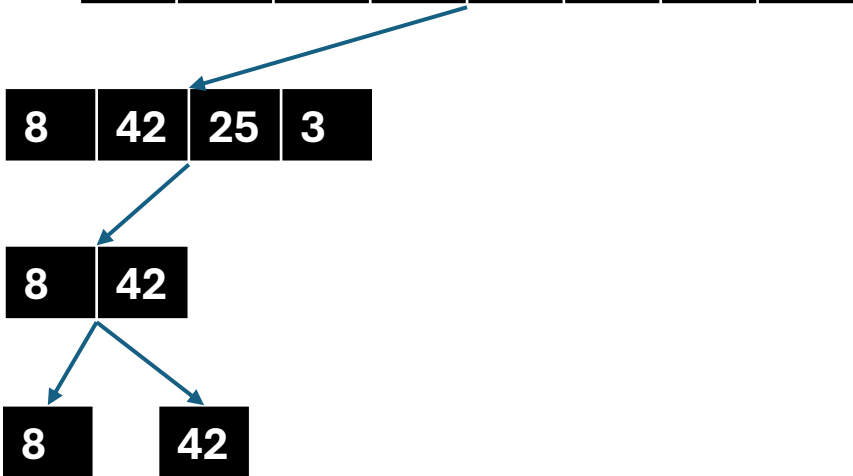
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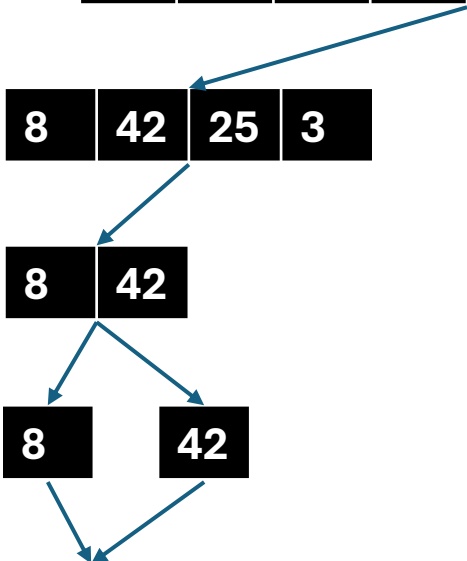
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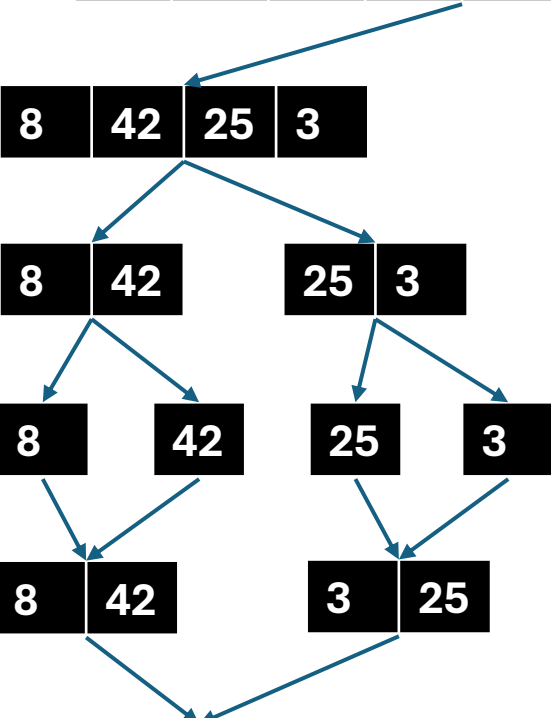
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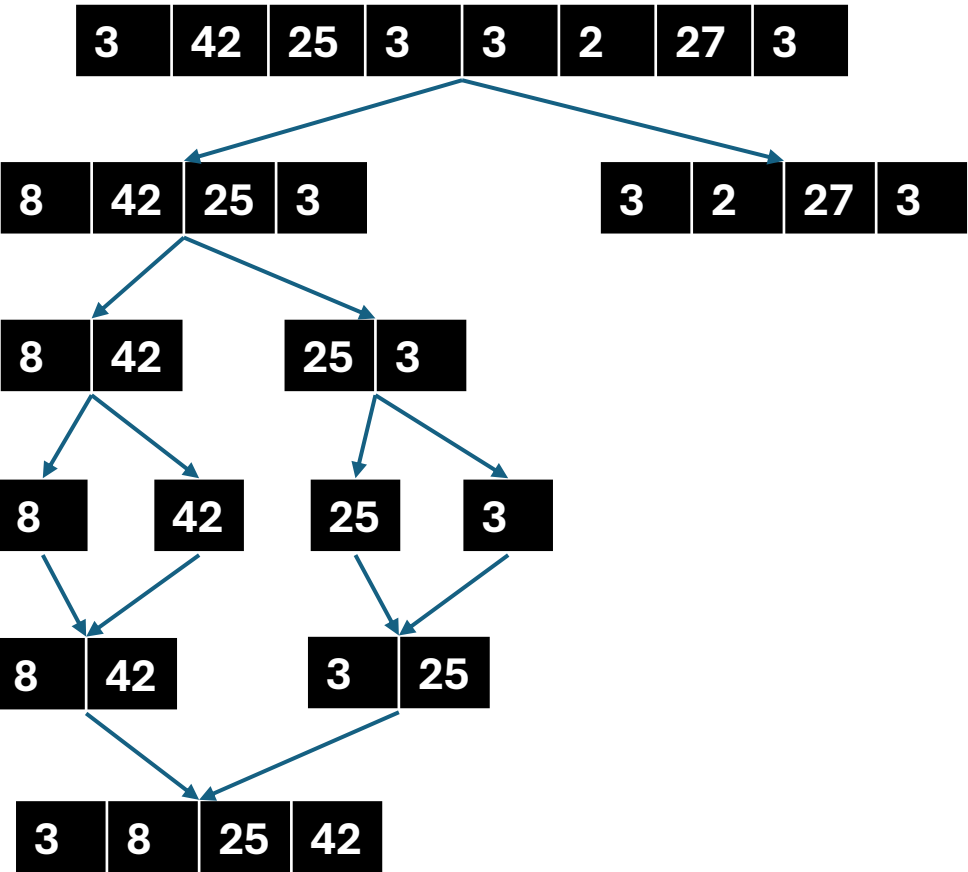
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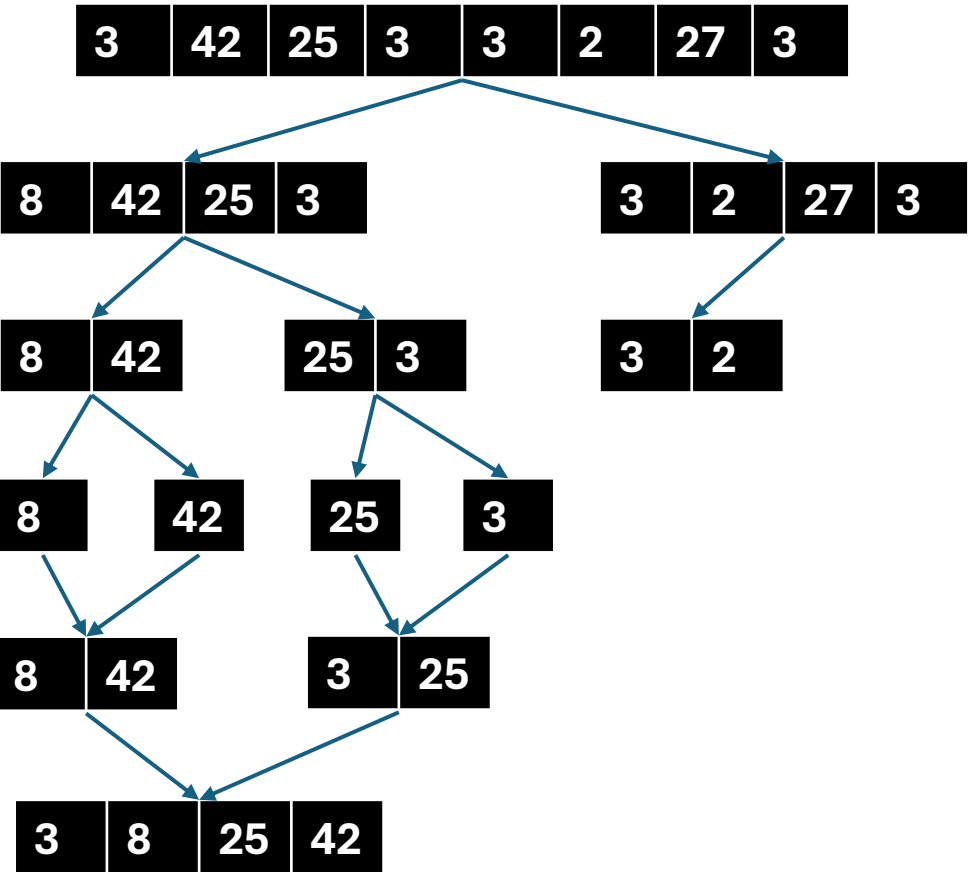
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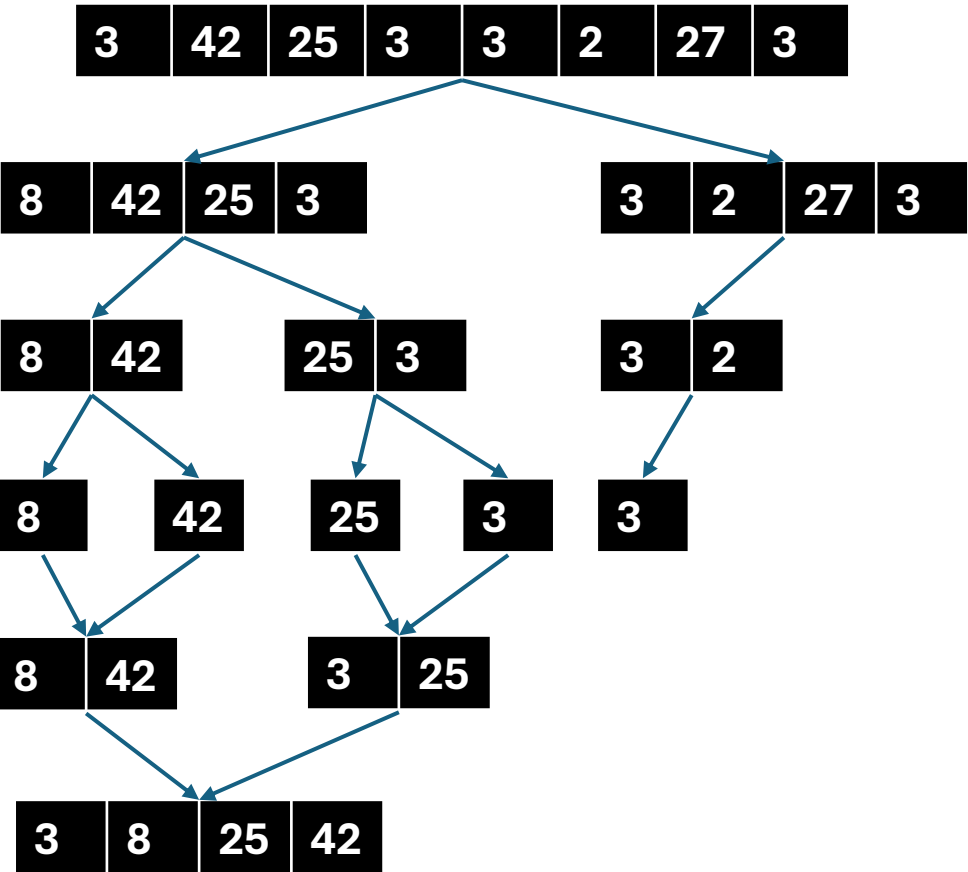
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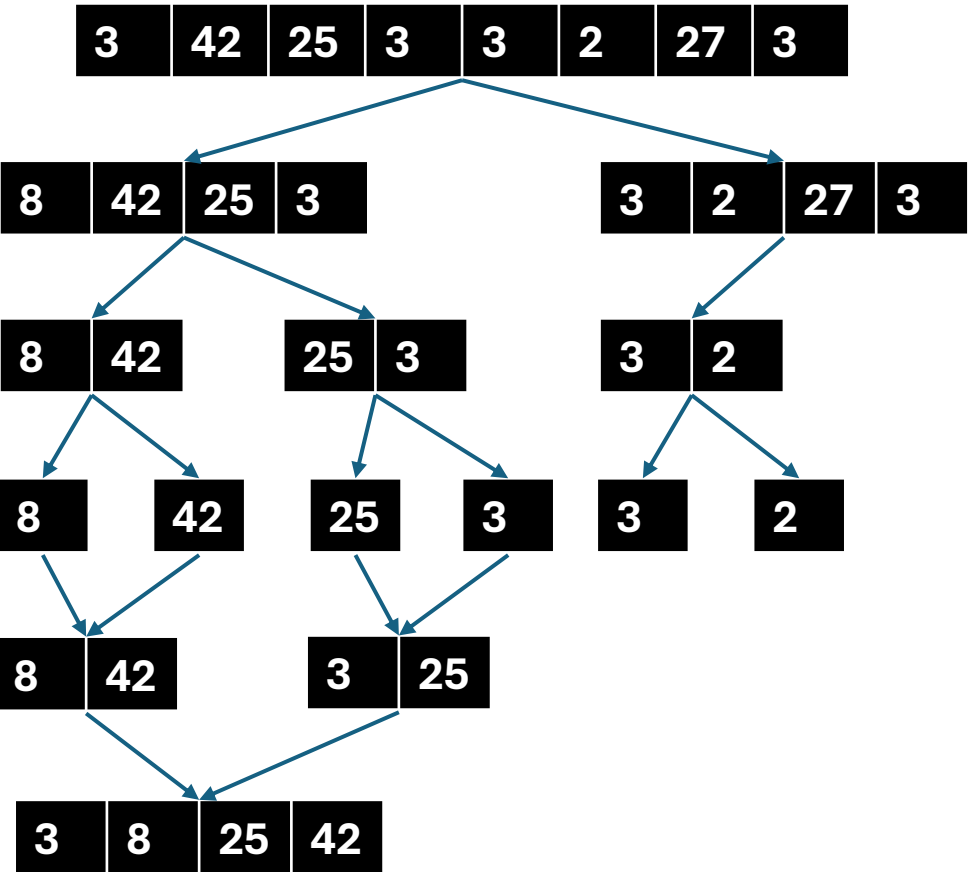


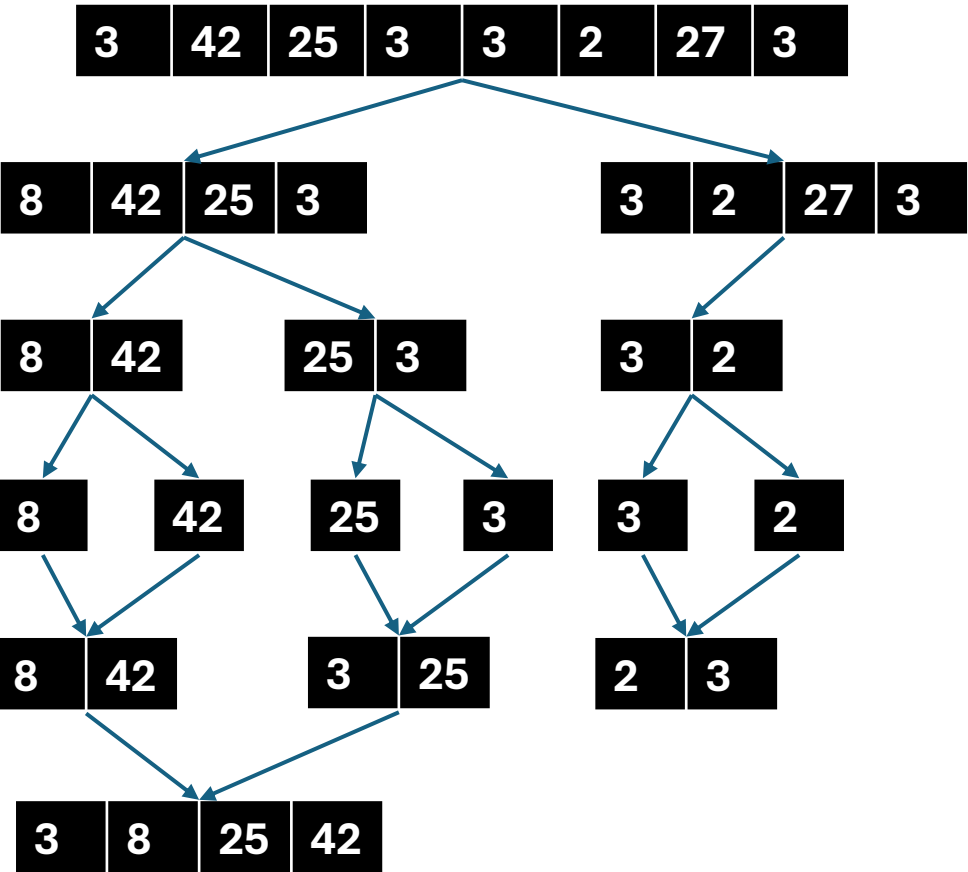


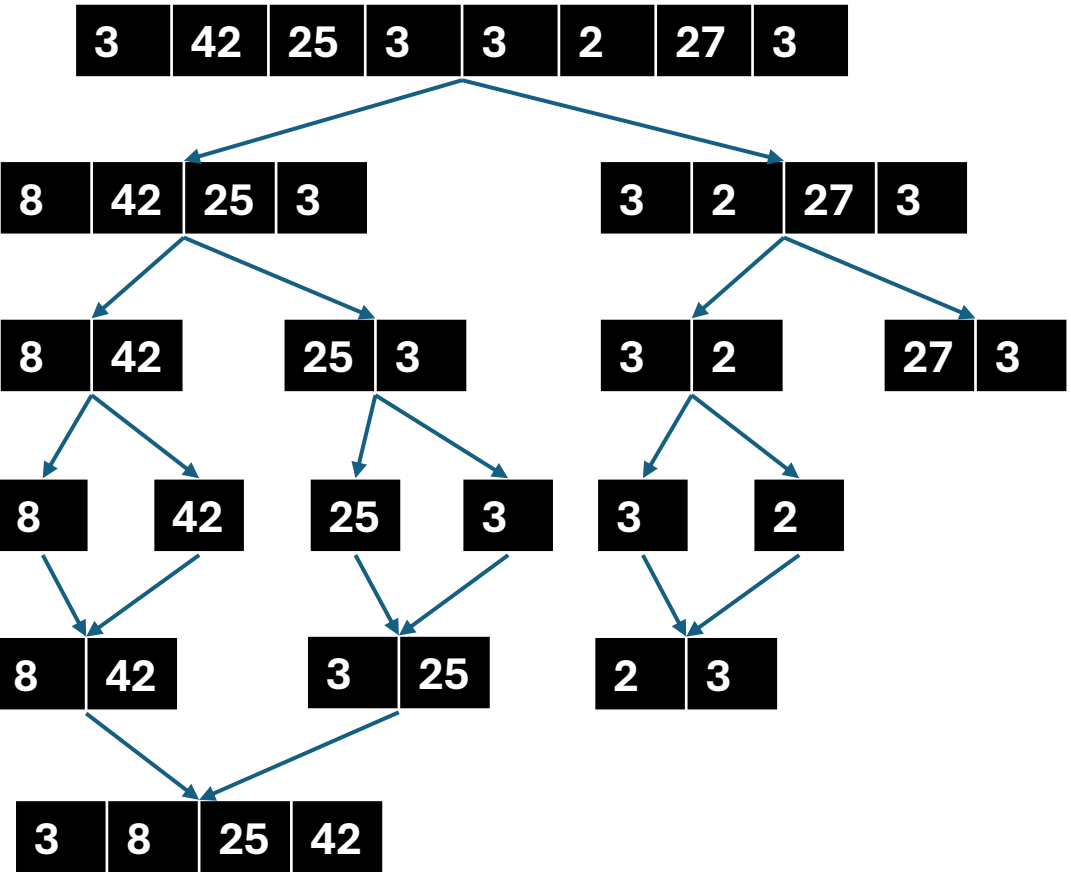


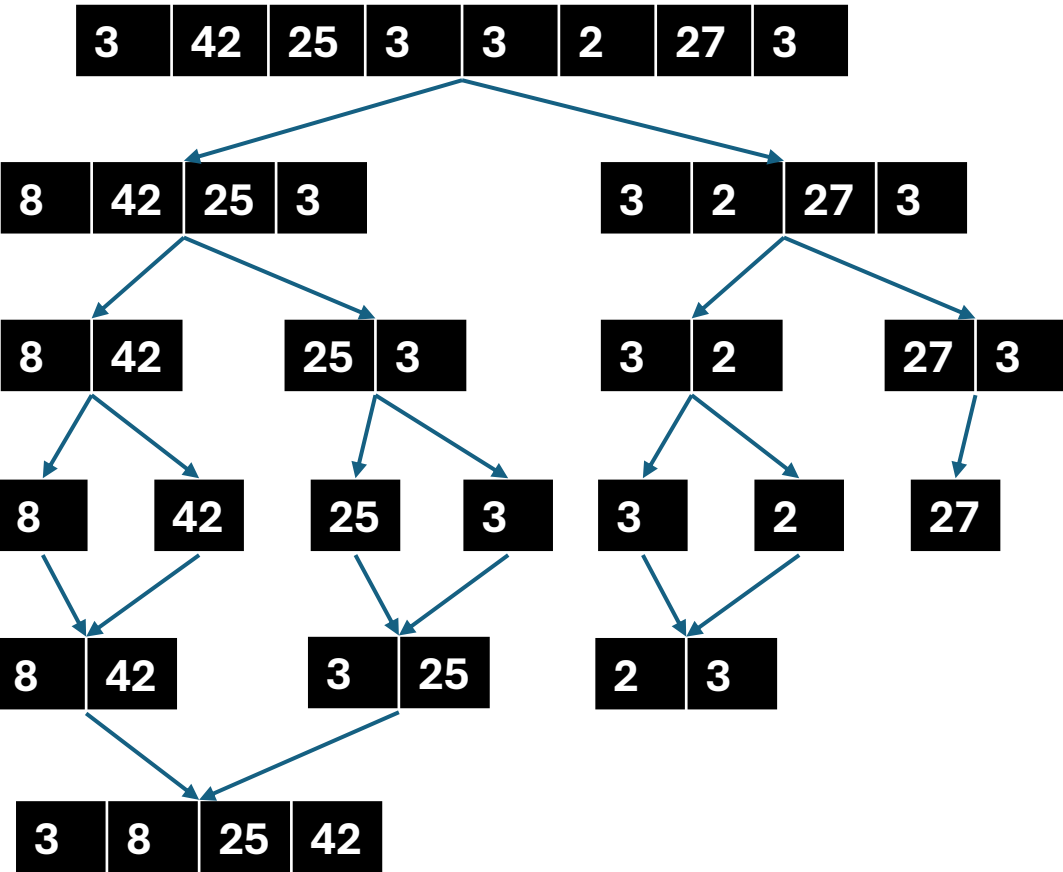


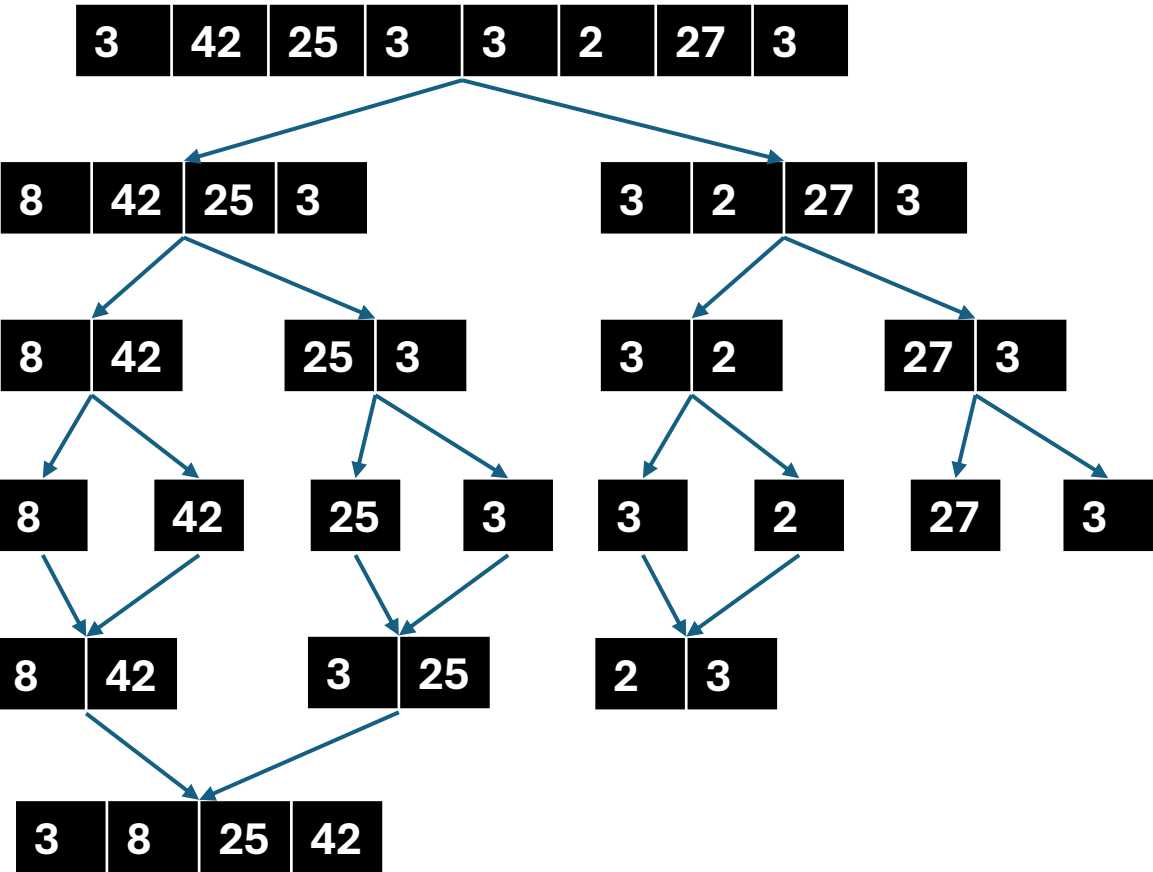
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