Teleoperaton in Surgery

Edvard Nærum, PhD Student The Interven(onal Centre Rikshospitalet University Hospital

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Teleopera (on in Surgery

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- 2. History and State of the Art
- 3. Teleopera (on Control Concepts
- 4. Contact Force Es(ma(on
- 5. Iden(fica(on of Robot Dynamics
- 6. Example

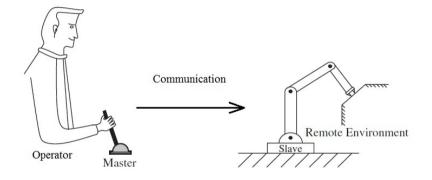
Introduc(on to Teleopera(on

What is teleopera (on?

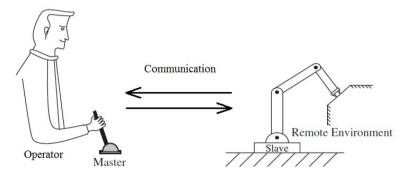
Defini(on of teleopera(on (www.wikipedia.org):

"... opera)on of a machine at a distance ..."

• Unilateral teleopera (on:



• Bilateral teleopera(on:



Introduc(on to Teleopera(on

Applica (on Examples

- Hazardous materials and areas
- Mobile robots
- Space
- Surgery
- Video games



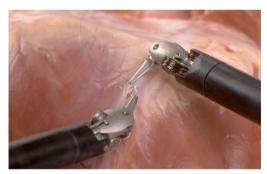
















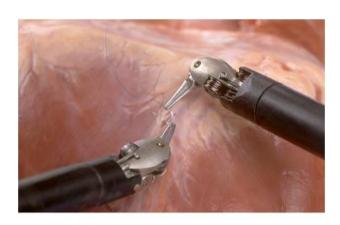


Introduc(on to Teleopera(on

Robo(c Surgery

- Enables remote surgery
- Typically used in minimally invasive surgery
- Gives the surgeon small wrists inside the body
- Surgeon mo(on can be scaled for microsurgery
- Can remove surgeon tremor







The ZEUS® Surgical System

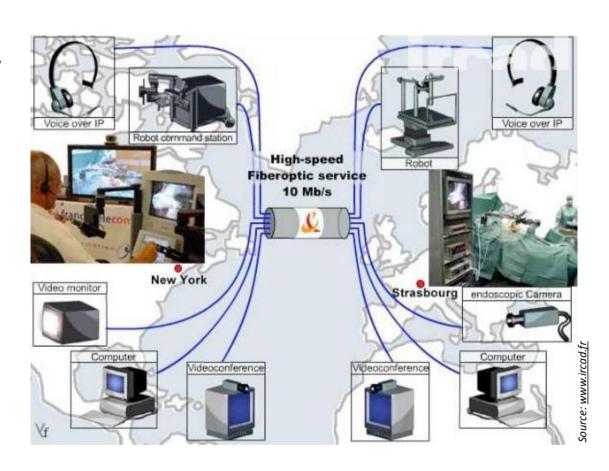
- ComputerMo(on Inc., USA (now part of Intui(ve Surgical Inc.)
- World's first robot for surgery
- Received CE marking in 1998 and FDA clearance in 2001
- Developed for laparoscopic and thoracoscopic surgery
- Consists of three table-mounted robo(c arms (slave), controlled by the surgeon from a separate console (master)
- Unilateral teleopera (on





Opera (on Lindbergh, 7 September 2001

- Prof. Jacques Marescaux, IRCAD France
- First successful transatlan(c robo(c surgery, from New York to Strasbourg
- 45-minute procedure, gallbladder removal
- Roundtrip communica(on delay of 150ms



The daVinci® Surgical System

- Intui(ve Surgical Inc., USA
- Today's only commercially available robot for tele-surgery
- Received CE marking in 1999 and FDA clearance in 2000
- Consists of a pa(ent-side cart (slave) with three arms and a surgeon console (master)
- EndoWrist® technology mimics the human hand inside the pa(ent
- Unilateral teleopera (on









Today and into the Future

Only one robot for tele-surgery on the market (daVinci)

Around 1000 daVinci systems installed worldwide

• 3 daVinci systems in Norway (2 at Oslo University Hospital and 1 at Telemark Hospital Skien)

 Common procedures include cardiac bypass surgery, prostatectomy and hysterectomy

- Two major technical challenges to be solved:
 - Time delay
 - Force feedback



Teleopera (on Control Concepts

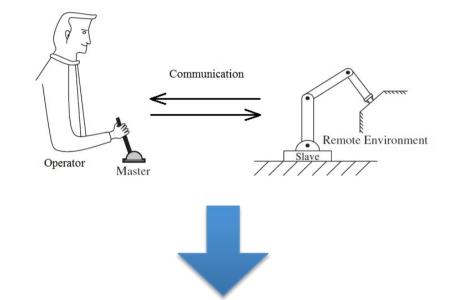
Modeling a 1-DoF Linear Teleoperator

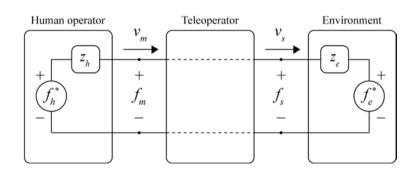
- The two-port network model
 - Energy (P = fv) exchange takes place at two loca(ons, or ports
- The hybrid matrix representa(on

$$\begin{bmatrix} f_m \\ -v_s \end{bmatrix} = \begin{bmatrix} h_{11} & h_{12} \\ h_{21} & h_{22} \end{bmatrix} v_m \\ f_s \end{bmatrix} = H \begin{bmatrix} v_m \\ f_s \end{bmatrix}$$

The ideal (transparent) teleoperator

$$\begin{cases}
f_m = f_s \\
v_m = v_s
\end{cases} \Rightarrow H = \begin{bmatrix} 0 & 1 \\ -1 & 0 \end{bmatrix}$$





Teleopera (on Control Concepts

The Extended Lawrence Architecture (ELA)

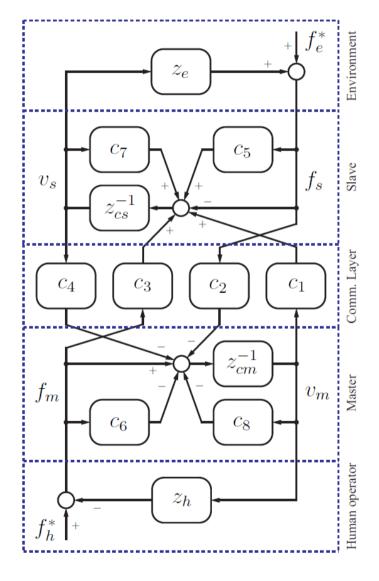
- Introduced by Lawrence in 1993
- All dynamics are on the form

$$z = ms + b + k/s$$

Transparency (from hybrid matrix):

$$c_1 = z_{cs} - c_7$$
 $c_2 = 1 - c_6$
 $c_3 = 1 - c_5$
 $c_4 = -(z_{cm} + c_8)$

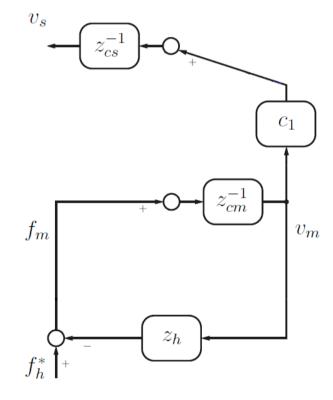
• Famous tradeoff: transparency vs. stability



Teleopera (on Control Concepts

Example: Unilateral Teleopera (on

- We want the slave to track the master
- No touching of the environment ($z_e = 0$)
- No local force controllers ($c_5 = c_6 = 0$)
- No local posi(on controllers ($c_7 = c_8 = 0$)
- Only master velocity is sent across the communica (on layer ($c_2 = c_3 = c_4 = 0$)
- The only gain to choose is c_I , which can be set to obtain desired tracking performance



Rela(on to Teleopera(on in Surgery

- Research suggests that it would be favorable to have force feedback in robo(c tele-surgical systems
- Realis(c force feedback in bilateral teleopera(on requires the knowledge of contact forces
- The use of force sensors in robo(c minimally invasive surgery introduces challenges related to
 - Size and cost
 - Sterilizability and disposability
 - Wiring and electronics
 - Noise and bandwidth





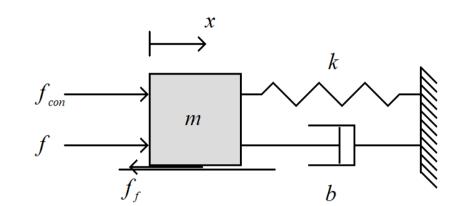
Basic Principle

• Given a mass-damper-spring system:

$$m\ddot{x} + b\dot{x} + kx + f_f = f + f_{con}$$

Solve for the contact force:

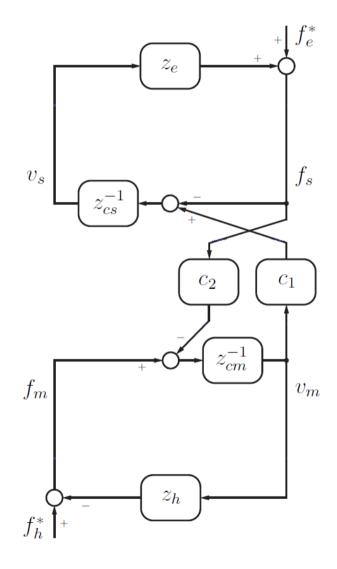
$$f_{con} = f - k\ddot{x} + k\dot{x} - f_f$$



- Challenges:
 - Velocity and accelera (on measurement
 - Iden(fica(on of fric(on forces

Teleopera (on example: Forward-Flow Controller

- Common bilateral teleopera (on controller
- No local force controllers ($c_5 = c_6 = 0$)
- No local posi(on controllers ($c_7 = c_8 = 0$)
- Velocity is sent from master to slave, and force is sent from slave to master ($c_3 = c_4 = 0$)
- The gain c_1 is chosen for posi(on tracking, and the gain c_2 is chosen for force tracking
- A force sensor is needed to measure the slave contact force f_s



Teleopera (on example: Forward-Flow Controller

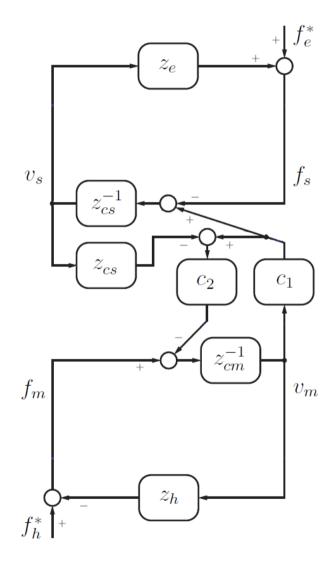
- Assume there is no force sensor on slave side
- Slave dynamics are given as

$$v_s = z_{cs}^{-1}(c_1 v_m - f_s)$$

Thus slave contact force can be es(mated as

$$f_s = c_1 v_m - z_{cs} v_s$$

• The force-sensor-free controller is equivalent to the regular forward-flow controller



Separa (on of the Unknown Parameters

Mass-damper-spring system (ignore fric(on):

$$m\ddot{x} + b\dot{x} + kx = f$$

$$\downarrow \qquad \qquad \downarrow$$

$$\begin{bmatrix} \ddot{x} & \dot{x} & x \end{bmatrix} \begin{bmatrix} m & b & k \end{bmatrix}^{T} = f$$

$$\downarrow \qquad \qquad \downarrow$$

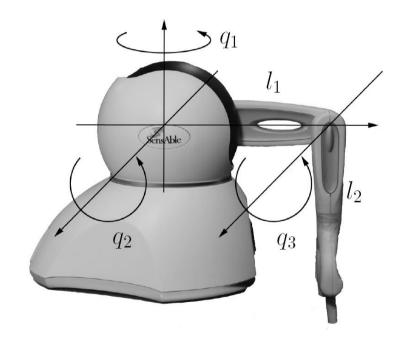
$$Y(\ddot{x}, \dot{x}, x) \varphi = f$$

General *n*-DoF robot:

$$M(q)\ddot{q} + C(q,\dot{q})\dot{q} + N(q) = \tau$$

$$\downarrow \downarrow$$

$$Y(\ddot{q},\dot{q},q)\varphi = \tau$$



Recursive Least Squares for Parameter Iden(fica(on

- Collect data while exci(ng all the modes of the robot's dynamics
- Update the parameter es(mate $\hat{\varphi}$ recursively according to the following algorithm:

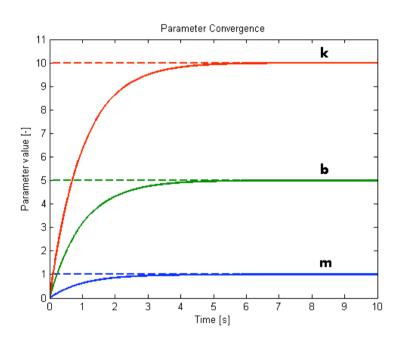
$$e = \tau - \hat{\tau} = \tau - Y\hat{\varphi}$$

$$\dot{P} = \beta P - PY^{T}YP$$

$$\dot{\hat{\varphi}} = PY^{T}e$$

- The algorithm can also be run off-line
- Fric(on is considered to be noise at this stage

$$\ddot{x} + 5\dot{x} + 10x = f$$



Fric(on Iden(fica(on with Wavelets

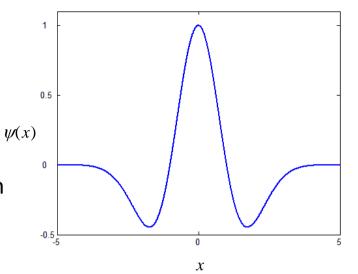
- Wavelets can be used to reconstruct func(ons
- A fric(on model can be regarded as such a func(on
- A wavelet is itself a func(on, for example

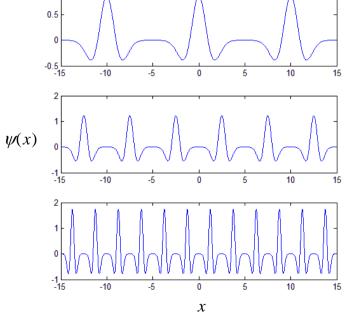
$$\psi(x) = (1 - x^2)e^{-x^2/2}$$

• Wavelet theory states that a func(on $f(x) \in L^2$ can be exactly reconstructed with an infinite weighted wavelet expansion (network) as

$$f(x) = \sum_{i=-\infty}^{\infty} c_i \psi_i(x)$$

In prac(ce we use a network of finite size





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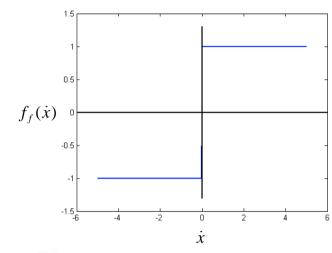


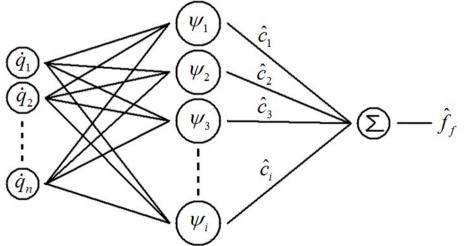
Fric(on Iden(fica(on with Wavelets

- Coulomb fric(on is a common fric(on model
- With wavelets no specific model is adopted, rather the fric(on is learned by the wavelet network
- In the case of the mass-damper-spring system:

$$\hat{f}_f(\dot{x}) = \sum_i \hat{c}_i \psi_i(\dot{x})$$

 A wavelet network can also be used in mul(dimensional cases, and can be regarded as a neural network



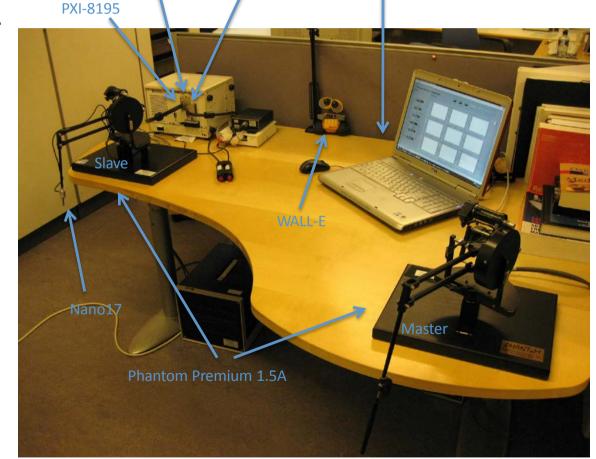


Host computer

An Experimental Setup for Teleopera (on

Hardware Components

- Two Phantom Premium 1.5A hap(c devices from SensAble Technologies
- One 6-DoF force/torque sensor (Nano17) from ATI
- One NI PXI embedded controller (PXI-8195)
- One NI RIO DAQ card (PXI-7833R)
- One NI M-series DAQ card (PXI-6229)
- One host computer

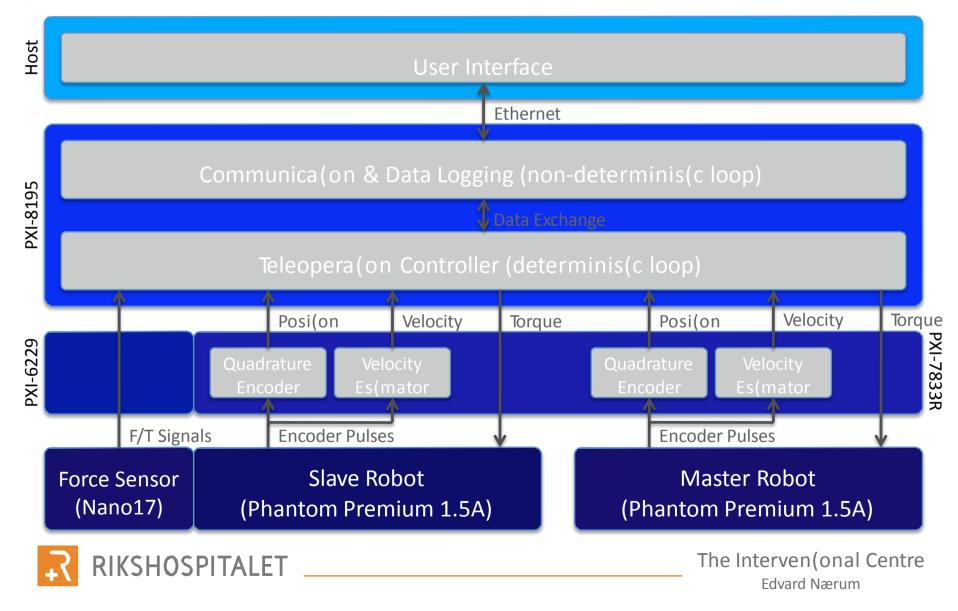


PXI-7833R

PXI-6229



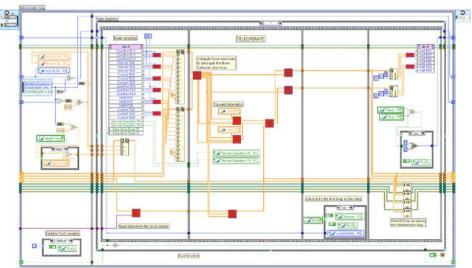
System Architecture



LabVIEW Sopware

- LabVIEW is a high-level graphical programming language
- User interfaces easy to implement
- Performance (speed) comparable to C
- The sopware package includes
 - LabVIEW 8.6 Core
 - LabVIEW Real-Time Module 8.6
 - LabVIEW FPGA Module 8.6





Phantom Premium Dynamics

What we want:

$$m_x \ddot{x} = f_x, \qquad m_y \ddot{y} = f_y, \qquad m_z \ddot{z} = f_z$$

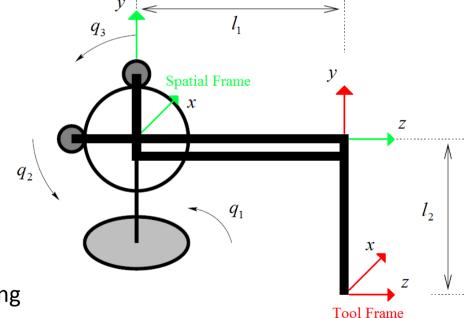
What we have:

$$M(q)\ddot{q} + C(q,\dot{q})\dot{q} + N(q) = \tau$$

$$q = [q_1, q_2, q_3]^T \in R^3$$



- The forward kinema(cs
- The Jacobian of the forward mapping
- Iden(fica(on of the unknown parameters



Phantom Premium Forward Kinema(cs

• A homogeneous transforma (on matrix $g_{st}(q)$ describing the configura (on of the tool frame rela(ve to the spa(al frame

$$g = \begin{bmatrix} R & p \\ 0 & 1 \end{bmatrix} \qquad p = \begin{bmatrix} x \\ y \\ z \end{bmatrix}$$

• Ini(al configura(on:

$$g_{st}(0) = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & -l_2 \\ 0 & 0 & 1 & l_1 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

Configura (on as a function of a:

$$g_{st}(q) = \begin{bmatrix} \cos(q_1) & -\sin(q_1)\sin(q_3) & \sin(q_1)\cos(q_3) & l_1\sin(q_1)\cos(q_2) + l_2\sin(q_1)\sin(q_3) \\ 0 & \cos(q_3) & \sin(q_3) & l_1\sin(q_2) - l_2\cos(q_3) \\ -\sin(q_1) & -\cos(q_1)\sin(q_3) & \cos(q_1)\cos(q_2) & l_1\cos(q_1)\cos(q_2) + l_2\cos(q_1)\sin(q_3) \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

Jacobian of the Forward Mapping

• The forward mapping *p*:

$$p = f(q) = \begin{bmatrix} l_1 \sin(q_1)\cos(q_2) + l_2 \sin(q_1)\sin(q_3) \\ l_1 \sin(q_2) - l_2 \cos(q_3) \\ l_1 \cos(q_1)\cos(q_2) + l_2 \cos(q_1)\sin(q_3) \end{bmatrix}$$

• The Jacobian J of the forward mapping relates joint velocity \dot{q} to Cartesian velocity \dot{p}

$$\dot{p} = \frac{\partial f}{\partial q} \dot{q} = J\dot{q}$$

$$J = \frac{\partial}{\partial q} = \begin{bmatrix} l_1 \cos(q_1) \cos(q_2) + l_2 \cos(q_1) \sin(q_3) & -l_1 \sin(q_1) \sin(q_2) & l_2 \sin(q_1) \cos(q_3) \\ 0 & l_1 \cos(q_2) & l_2 \sin(q_3) \\ -l_1 \sin(q_1) \cos(q_2) - l_2 \sin(q_1) \sin(q_3) & -l_1 \cos(q_1) \sin(q_2) & l_2 \cos(q_1) \cos(q_3) \end{bmatrix}$$

Iden(fica(on of the Unknown Parameters

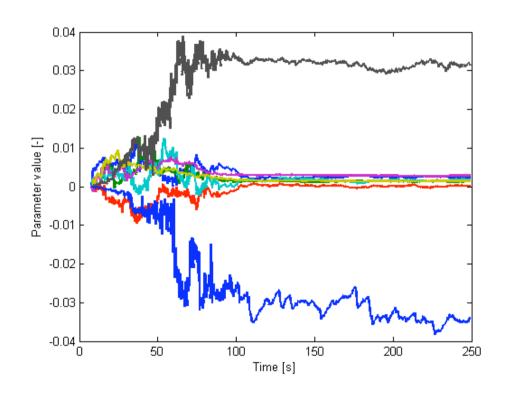
Remember

$$M(q)\ddot{q} + C(q,\dot{q})\dot{q} + N(q) = \tau$$

$$\downarrow \downarrow$$

$$Y(\ddot{q},\dot{q},q)\varphi = \tau$$

- For the Phantom Premium 1.5A, $Y \in R^{3x8}$ and $\varphi \in R^8$
- Once the parameter vector φ has been found the mass matrix M, Coriolis matrix C and gravity vector N can be computed



Decoupling the Dynamics

- Joint space dynamic equa(on: $M\ddot{q} + C\dot{q} + N = \tau$
- Transforma(on into Cartesian space:

$$M_c \ddot{p} + C_c \dot{p} + N_c = F$$

Define desired mass matrix:

$$\overline{M}_c = \begin{bmatrix} m_x & 0 & 0 \\ 0 & m_y & 0 \\ 0 & 0 & m_z \end{bmatrix}$$

Decouple dynamics:

$$\overline{M}_{c}\ddot{p} + \underbrace{\otimes \quad_{c} M \ddot{p}_{c} + C \dot{p}_{c} + N}_{c} = F$$

$$\downarrow^{F_{d}} \qquad \qquad \downarrow^{F_{d}} \qquad \qquad \downarrow^{$$

$$p = \begin{bmatrix} x, y, z \end{bmatrix}$$

$$\dot{q} = J^{-1}\dot{p}$$

$$\ddot{q} = J^{-1}\ddot{p} + \frac{d}{dt}(J^{-1})\dot{p}$$

$$M_{c} = J^{-T}MJ^{-1}$$

$$C_{c} = J^{-T}(CJ^{-1} + M^{\frac{d}{dt}}(J^{-1}))$$

$$N_{c} = J^{-T}N$$

$$F = J^{-T}\tau$$

$$\otimes M_{c} = M_{c} - M_{c}$$

$$F_{c} = \begin{bmatrix} f_{x}, f_{y}, f_{z} \end{bmatrix}$$



Video Examples









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