# Is an automatic or manual transmission better for MPG

Stephen Yang
August 27, 2019

#### **Executive Summary**

Looking at a data set of a collection of cars, they are interested in exploring the relationship between a set of variables and miles per gallon (MPG) (outcome). They are particularly interested in the following two questions:

"Is an automatic or manual transmission better for MPG" "Quantify the MPG difference between automatic and manual transmissions"

First, basic data processing would be used to convert the factor of am to the level of ""automatic" and "manual". Then we have to differentiate the effect of mpg from two different transmissions by boxplot and use t.test to prove the true difference effect between the two. Variance inflation provides some clues for giving up the unnecessary variables. The remaining variables are am, cyl, disp, wt, which finally are to be determined in model selection by anova.

#### Data Processing

Load the data from R "dataset". Originally the value of am are 0 and 1. We need to transform the binary form into factor.

```
library(ggplot2)
library(car)
## Loading required package: carData
data <- mtcars
head(data)
##
                      mpg cyl disp hp drat
                                                wt qsec vs am gear carb
## Mazda RX4
                      21.0
                                160 110 3.90 2.620 16.46
                                                           0
                                                                         4
## Mazda RX4 Wag
                               160 110 3.90 2.875 17.02
                                                                         4
                      21.0
## Datsun 710
                      22.8
                             4 108 93 3.85 2.320 18.61
                                                                         1
                                258 110 3.08 3.215 19.44
## Hornet 4 Drive
                      21.4
                             6
                                                                   3
                                                                         1
## Hornet Sportabout 18.7
                             8
                                360 175 3.15 3.440 17.02
                                                           0
                                                                   3
                                                                         2
## Valiant
                      18.1
                                225 105 2.76 3.460 20.22
                                                                         1
data$am <- factor(data$am)</pre>
```

# Exploratory analysis

levels(data\$am)<-c("automatic", "manual")</pre>

Just take a look at the pvalue. To make sure if transmission type is important to engine performance. The boxplot is to demonstrate engine efficiency by different transmissions. It appears manual transmission shows about 7 mpg more than automatic transmission.

```
t.test(data$mpg[data$am == "automatic"], data$mpg[data$am == "manual"])

##

## Welch Two Sample t-test

##

## data: data$mpg[data$am == "automatic"] and data$mpg[data$am == "manual"]

## t = -3.7671, df = 18.332, p-value = 0.001374

## alternative hypothesis: true difference in means is not equal to 0

## 95 percent confidence interval:

## -11.280194 -3.209684

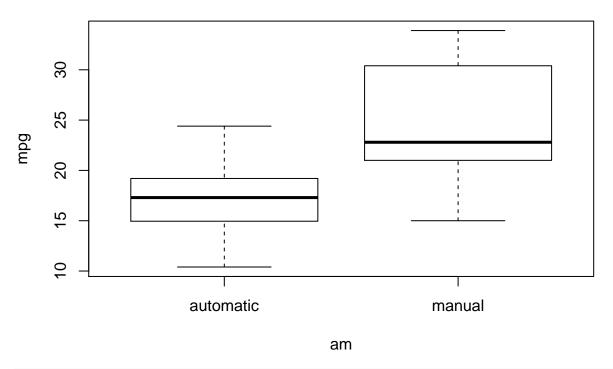
## sample estimates:

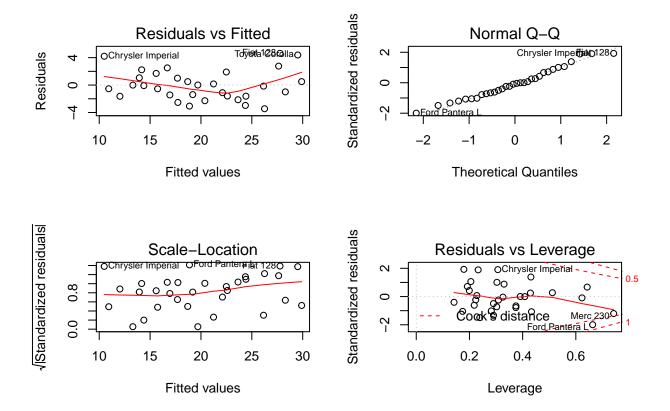
## mean of x mean of y

## 17.14737 24.39231

boxplot(mpg ~ am, data, main = "Comparison of mpg performance between different transmissions")
```

### Comparison of mpg performance between different transmissions





#### Model Selection

We get to check which variables are influential. One of the tools is variance inflation and it shows several variables are confounding ,which are am, cyl, disp, wt. Using anova analysis to check the confounding variables. So the nested model is a good way to see the sequential testing of coefficients. As we can see the sequential ANOVA in appendix indicates disp with low value of F statistics which isn't significant. So other variables should be included for final check.

```
test_fit <- lm(mpg ~ am-1, data)</pre>
vif(fit)
##
         cyl
                   disp
                               hp
                                        drat
                                                    wt
                                                                          VS
                                                             qsec
##
   15.373833 21.620241
                         9.832037
                                   3.374620 15.164887
                                                         7.527958
##
                             carb
          am
                   gear
    4.648487
              5.357452
                         7.908747
##
fit1 <- lm(mpg ~ am+cyl+disp+wt-1, data)
summary(fit1)$coef
                                                         Pr(>|t|)
##
                    Estimate Std. Error
                                            t value
  amautomatic 40.898313414 3.60154037 11.3557837 8.677574e-12
   ammanual
               41.027378984 3.00859592 13.6367196 1.261570e-13
               -1.784173258 0.61819218 -2.8861142 7.581533e-03
##
  cyl
                0.007403833 0.01208067
                                          0.6128661 5.450930e-01
## disp
## wt
               -3.583425472 1.18650433 -3.0201537 5.468412e-03
```

#### **Analysis and Conclusion**

What if all the confounding variable are all included in the model? As we can see there's only slight difference over two transmissions. Manual transmission doesn't show better engine efficiency.

```
final_fit <- lm(mpg ~ am + cyl + wt -1, data)
sum_fit <- summary(final_fit)$coef
Interval <- sum_fit[2,1]+c(-1,1)*qt(.975,final_fit$df)*sum_fit[2,2]</pre>
```

## Appendix supporting of model selection

```
test_fit1 \leftarrow lm(mpg \sim am + cyl-1, data)
test_fit2 <- lm(mpg ~ am + disp-1, data)
test_fit3 <- lm(mpg ~ am + wt-1, data)</pre>
anova(test_fit, test_fit1)
## Analysis of Variance Table
##
## Model 1: mpg ~ am - 1
## Model 2: mpg ~ am + cyl - 1
## Res.Df
             RSS Df Sum of Sq
                                         Pr(>F)
## 1
        30 720.90
## 2
        29 271.36 1
                     449.53 48.041 1.285e-07 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
anova(test_fit, test_fit2)
## Analysis of Variance Table
##
## Model 1: mpg ~ am - 1
## Model 2: mpg ~ am + disp - 1
## Res.Df RSS Df Sum of Sq
                                   F
                                        Pr(>F)
## 1
       30 720.90
                       420.62 40.621 5.748e-07 ***
## 2
        29 300.28 1
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
anova(test_fit, test_fit3)
## Analysis of Variance Table
## Model 1: mpg ~ am - 1
## Model 2: mpg ~ am + wt - 1
   Res.Df
             RSS Df Sum of Sq
                                        Pr(>F)
## 1
        30 720.90
## 2
        29 278.32 1 442.58 46.115 1.867e-07 ***
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

```
test_fit4 <- lm(mpg ~ am + cyl + wt-1, data)
test_fit5 <- lm(mpg ~ am + cyl + wt + disp-1, data)
anova(test_fit ,test_fit1 ,test_fit4, test_fit5)

## Analysis of Variance Table
##
## Model 1: mpg ~ am - 1
## Model 2: mpg ~ am + cyl - 1
## Model 3: mpg ~ am + cyl + wt - 1
## Model 4: mpg ~ am + cyl + wt + disp - 1
## Res.Df RSS Df Sum of Sq F Pr(>F)
```