HW 18

Due: 29 November 2007

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Exercise 0.1. Read Chapter 14.

**Exercise 0.2.** Prove the following using induction for infinite lists on the list xs.

**Thm.** 1 For every list ys and every infinite list xs, xs = xs + ys

Consider the definition of the function cycle.

$$cycle[] = \bot$$
  
 $cycle(x : xs) = (x : xs) + cycle(x : xs)$ 

**Exercise 0.3.** Prove the following using induction for infinite lists on the list xs.

**Thm. 2** For every infinite list xs, cycle(xs) = xs.

Consider the definition of the function length.

$$length[] = 0$$
  
 $length(x : xs) = 1 + length xs$ 

**Exercise 0.4.** Prove the following using induction for infinite lists on the list xs.

**Thm. 3** For every infinite list xs,  $length(xs) = \bot$ .